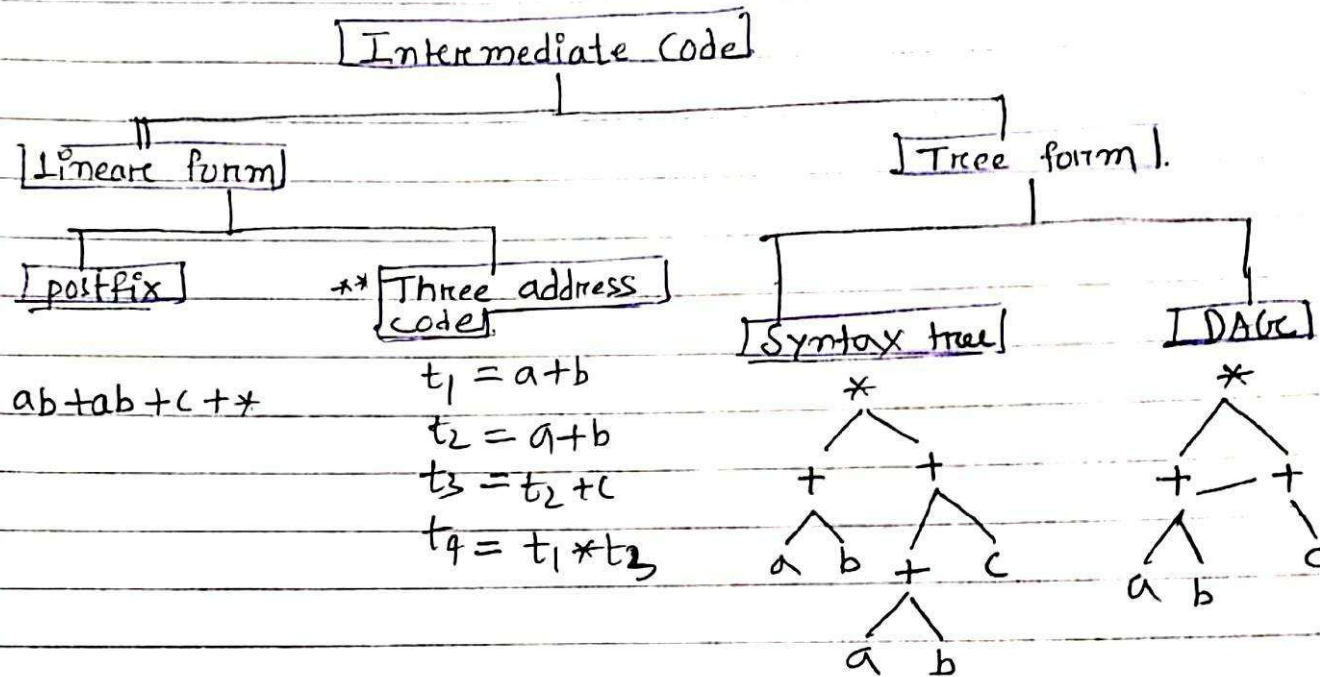


# INTERMEDIATE CODE GENERATION

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## Intermediate Code generation =



## Types of 3 address Code:

- ①  $x = y \text{ of } z$
- ②  $x = \text{of } y$
- ③  $x = y$
- ④ if  $x$  (relation op)  $y$  goto L.
- ⑤ goto L.
- ⑥  $A[i] = x$   
 $y = A[i]$ .
- ⑦  $x = *p$   
 $y = \&y$ .

• Various way to represent three address code =

given instruction:  $(a+b) * (c+d) + (a+b+c)$

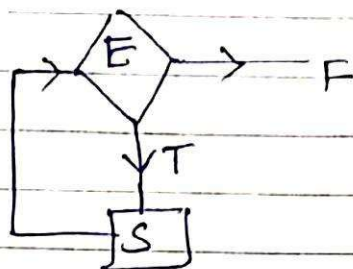
- 1)  $t_1 = a+b$
- 2)  $t_2 = a+b - t_1$
- 3)  $t_3 = c+d$
- 4)  $t_4 = t_2 * t_3$
- 5)  $t_5 = a+b$
- 6)  $t_6 = t_5 + c$
- 7)  $t_7 = t_4 + t_6$

3 ways =

Quadruples				TRIPLE			Indirect triples	
opr	op1	op2	result	opr	op1	op2		
1) +	a	b	$t_1$	1) +	a	b	1) (i) (1)	
2) -	$t_1$	-	$t_2$	2) -	$t_1$		2) (ii) (2)	
3) +	c	d	$t_3$	3) +	c	d	3) (iii) (3)	
4) *	$t_2$	$t_3$	$t_4$	4) *	$t_2$	$t_3$	4) (iv) (4)	
5) +	a	b	$t_5$	5) +	a	b	5) (v) (5)	
6) +	$t_5$	c	$t_6$	6) +	$t_5$	c	6) (vi) (6)	
7) +	$t_4$	$t_6$	$t_7$	7) +	$t_4$	$t_6$	7) (vii) (7)	
adv: Statement can be moved around.				adv: space is not wasted.			adv: Statements can be moved.	
dis: too much of space wasted.				dis: statements cannot be moved.			dis: Two memory access.	



ex = while E do S. (how to convert while loop into three address code)



L: if (E == 0) goto <u>L1</u> S goto <u>L</u> L1:
--

→ When E is false goto L1, otherwise S.

OR

L: if (E) goto <u>L1</u> goto <u>last</u> L1: S goto <u>L</u> last:
---

ex

while (a < b) do x = y + z
-------------------------------

L: if (a < b) goto <u>L1</u> goto <u>last</u> L1: t = y + z x = t goto <u>L</u> last:
--

### • Back patching :

→ Whenever the statement are not in the form of three address code, then by using all 'if' statements make them into three address code.

**ex**  $\left[ \begin{array}{l} \text{if}(a < b) \text{ then } t = 1 \\ \text{else } t = 0. \end{array} \right] \rightarrow \text{not in the form of three address code.}$

(i):  $\text{if}(a < b) \text{ goto } (i+3)$

(i+1):  $t = 0$

(i+2):  $\text{goto } (i+4)$

(i+3):  $t = 1$

(i+4)  $\rightarrow$  now in the form of three address code.

**ex**  $\left[ \begin{array}{l} \text{if}(a < b \text{ and } (c < d) \text{ or } (e < f)) \text{ then } t_1 = 1 \\ \text{else } t_1 = 0 \end{array} \right]$

100)  $\text{if}(a < b) \text{ goto } 103$

101)  $t_1 = 0$

102)  $\text{goto } 104$

103)  $t_1 = 1$

104)  $\text{if}(c < d) \text{ goto } 107$

105)  $t_2 = 0$

106)  $\text{goto } 108$

107)  $t_2 = 1$

108)  $\text{if}(e < f) \text{ goto } 111$

109)  $t_3 = 0$

110)  $\text{goto } 112$

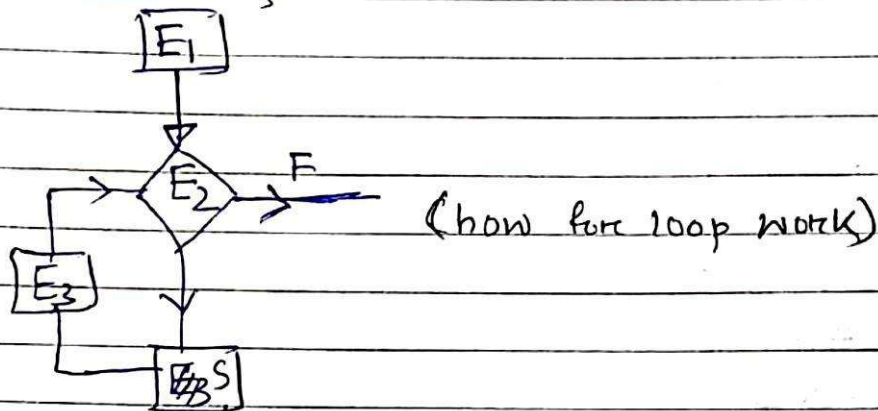
111)  $t_3 = 1$

112)  $t_4 = t_1 \text{ and } t_2$

113)  $t_5 = t_4 \text{ or } t_3$  ✓



ex =  $\text{for } (E_1; E_2; E_3) \text{ (for loop to 3-add code)}$   
 $\{ S; \}$



for loop represent in the form of three address code =

```

[
  i = 0; i < 10; i++
  a = b + c;
]
  
```

$i = 0$

L: if ( $i < 10$ ) goto L1  
 goto Last

L1:  $t_1 = b + c$

$a = t_1$

$t = i + 1$

$i = t$

goto L

Last:

ex =  $\text{switch } (i+j) \text{ (switch case to 3-add code)}$

$\{ \}$

case(1):  $a = b + c;$

break

case(11):  $p = q + r$

break;

default:  $n = y + z;$

$\}$

break;

Switch Statement convert into three add code —

```

t = i + j
goto test
L1: t1 = b + c
    a = t1
    goto Last
L2: t2 = a + R
    p = t2
    goto Last
L3: t3 = y + z
    u = t3
    goto Last
test: if (t == 1) goto L1
      if (t == 2) goto L2
      goto L3
Last:
  
```

Ex = Two Dimensional array convert into 3-code add code =

A[4][4]

00	01	02	03
10	11	12	13
20	21	22	23
30	31	32	33

A[2 3]

$2 * 4 + 3 = 11$   
 (no. of R) (E) (no. of C)  
 after cross 11 element  
 you will get output.

RMO:

00 01 02 03 10 11 12 13 20 21 22 23

CMD: 00 10 20 30 01 11 21 31 02 12 22 32

RMO:  $(R * \text{no. of element} + C) * \text{element size}$



$$x = A[y, z]$$

$$A : 10 \times 20 \xrightarrow{2D} \text{array}$$

$$\text{Base add} + (y * 20 + z) * 4$$

(100)

(4 is element size in bit)

3-add code =

$$t_1 = y * 20$$

$$t_2 = t_1 + z$$

$$t_3 = t_2 * 4$$

$$t_4 = \text{base address of A}$$

$$x = t_4[t_3] \quad (\text{Base Address add with offset})$$

after crossing this amount of number we get result of  $A[y, z]$ .