

1

TO FIND THE IMPULSE RESPONSE FOR A GIVEN SYSTEM

```
% To find the impulse response for a given system
clc
clear all
b=input('Enter Numerator Coefficients b=');
a=input('Enter Denominator Coefficients a=');
n=input('Enter the length of the unit sample response n=');
[h,t]=impz(b,a,n);
disp(h);
stem(t,h);
grid on;
xlabel('Samples n');
ylabel('Amplitude h(n)');
title('Unit impulse response');
```

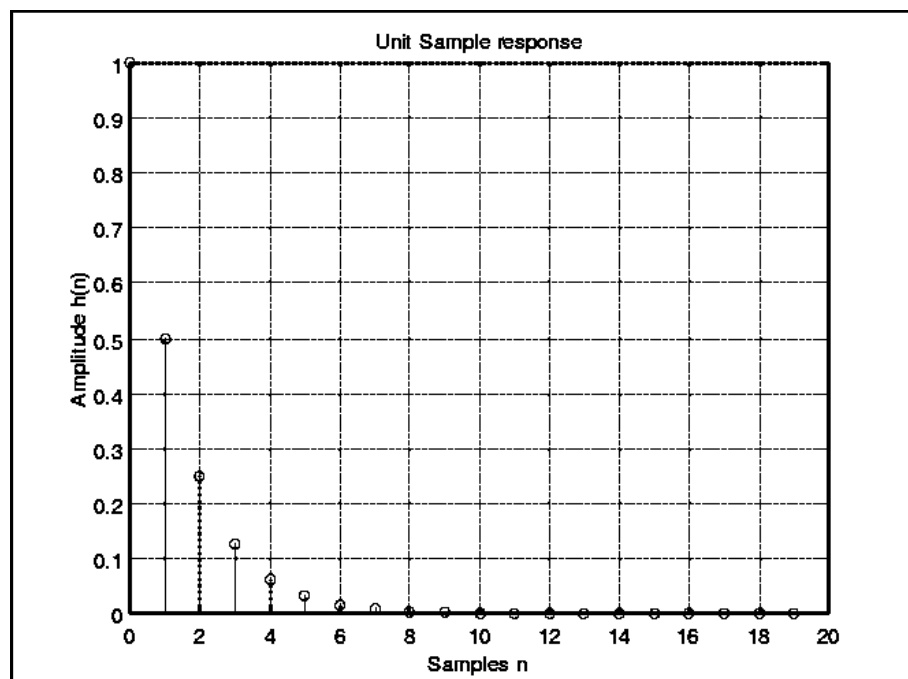
Example: To find the impulse response of a system with system function

$$H(Z) = \frac{1}{1-0.5Z^{-1}}$$

Result:

» Enter Numerator Coefficients b=1
 Enter Denominator Coefficients a=[1 -0.5]
 Enter the length of the unit sample response n=20

1.0000
 0.5000
 0.2500
 0.1250
 0.0625
 0.0312
 0.0156
 0.0078
 0.0039
 0.0020
 0.0010
 0.0005
 0.0002
 0.0001
 0.0001
 0.0000
 0.0000
 0.0000
 0.0000
 0.0000
 0.0000
 0.0000



2TO SOLVE THE DIFFERENCE EQUATION

% Solve the given Difference equation

clc

clear all

b=input('Enter the Numerator Coefficients b=');

a=input('Enter the denominator Coefficients a=');

n=input('Enter the length of the sequence =');

[h,t]=impz(b,a,n);

x=ones(1,n);

y=conv(x,h);

disp('h=');

disp(h);

disp('y=');

disp(y);

stem(y);

grid on;

xlabel('n');

ylabel('y(n)');

title('The response y(n)');

Example: To solve the following difference equation $y(n)+3y(n-1)=x(n)$ with input $x(n)=u(n)$.

Result

Enter the Numerator Coefficients b=[1]

Enter the denominator Coefficients a=[1 3]

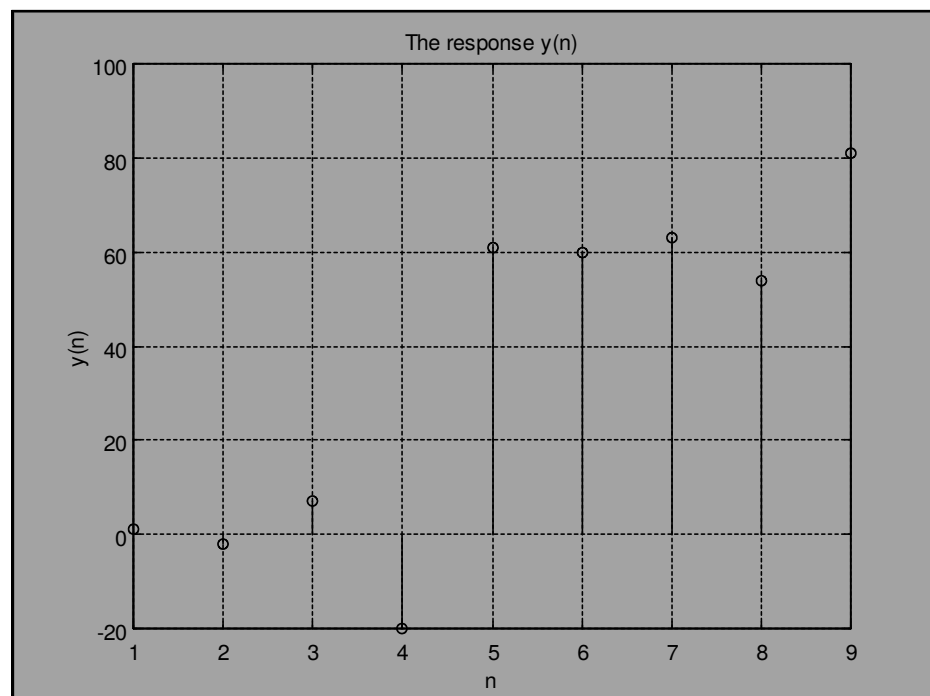
Enter the length of the sequence =5

h=

1
-3
9
-27
81

y=

1
-2
7
-20
61
60
63
54
81



3 TO FIND THE LINEAR CONVOLUTION OF TWO GIVEN SEQUENCES

```

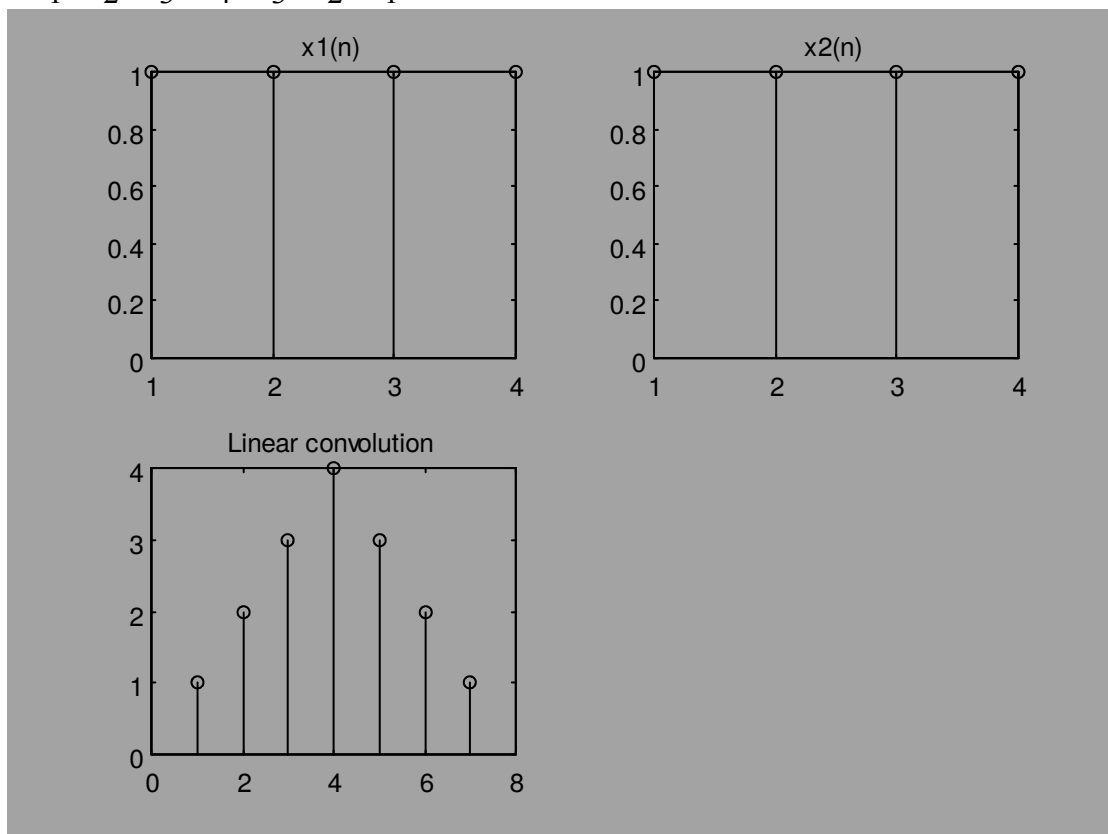
% Linear convolution of two given sequences
clc
clear all
x1=input('Enter the first sequence x1(n)=');
subplot(2,2,1);
stem(x1);
title('x1(n)');
x2=input('Enter the second sequence x2(n)=');
subplot(2,2,2);
stem(x2);
title('x2(n)');
y=conv(x1,x2);
subplot(2,2,3);
stem(y);
title('Linear convolution');
disp('Linear convolution coefficients are y(n)=');
disp(y);

```

Example: To find the linear convolution for the given sequences $x_1(n)=\{1 \ 1 \ 1 \ 1\}$ $x_2(n)=\{1 \ 1 \ 1 \ 1\}$

Result

Enter the first sequence $x_1(n)=[1 \ 1 \ 1 \ 1]$
 Enter the second sequence $x_2(n)=[1 \ 1 \ 1 \ 1]$
 Linear convolution coefficients are $y(n)=$
 1 2 3 4 3 2 1



4TO FIND THE LINEAR CONVOLUTION OF TWO GIVEN SEQUENCES USING DFT AND IDFT

```
% Linear convolution using DFT and IDFT
clc
clear all
x=input('Enter the first sequence x(n)=');
subplot(2,2,1);
stem(x);
title('x(n)');
h=input('Enter the first sequence x(n)=');
subplot(2,2,2);
stem(h);
title('h(n)');
L=length(x)+length(h)-1;
X=fft(x,L);
H=fft(h,L);
Y=X.*H;
y=real(ifft(Y));
subplot(2,2,3);
stem(y);
title('Linear convolution');
disp('Linear convolution coefficients are y(n)=');
disp(y);
```

Example: To find the linear convolution for the given sequences $x(n)=\{1 \ 1 \ 1 \ 1\}$ & $h(n)=\{1 \ 2 \ 3 \ 4\}$

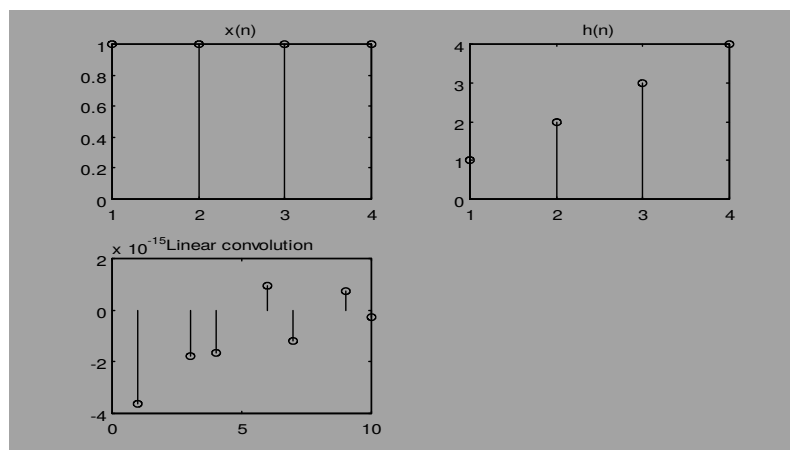
Result:

Enter the first sequence $x(n)=[1 \ 1 \ 1 \ 1]$
 Enter the first sequence $x(n)=[1 \ 2 \ 3 \ 4]$
 Linear convolution coefficients are $y(n)=$
 Columns 1 through 4

1.0000 - 0.0000i 3.0000 - 0.0000i 6.0000 + 0.0000i 10.0000 - 0.0000i

Columns 5 through 7

9.0000 + 0.0000i 7.0000 - 0.0000i 4.0000 - 0.0000i



5CIRCULAR CONVOLUTION

% To find the circular convolution of two given sequences using dft and idft

Clc

Clear all

x=input('Enter the first sequence x(n)=');

subplot(2,2,1);

stem(x);

title('x(n)');

h=input('Enter the first sequence x(n)=');

subplot(2,2,2);

stem(h);

title('h(n)');

n=max(length(x),length(h));

a=fft(x,n);

b=fft(h,n);

c=a.*b;

y=ifft(c,n);

subplot(2,2,3);

stem(y);

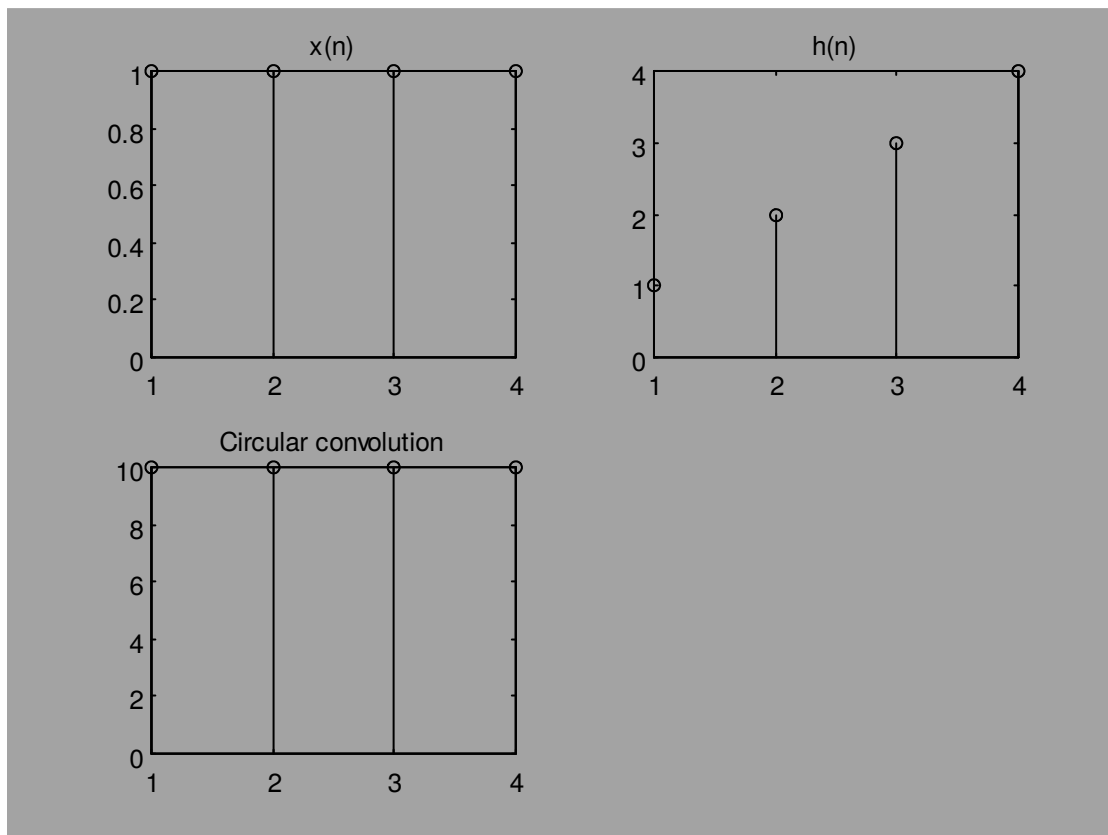
title('Circular convolution');

disp('Circular convolution coefficients are y=');

disp(y);

Example: To find the circular convolution for the signals $x(n)=\{1 \ 1 \ 1 \ 1\}$ and $h(n)=\{1 \ 2 \ 3 \ 4\}$

Result:



% To compute n point dft of a given sequence and to plot magnitude and phase spectrum.

Clc

Clear all

x=input('Enter the sequence x(n)=');

subplot(2,2,1);

stem(x);

grid on;

title('Time domain sequence x(n)');

xlabel('Time index n');

ylabel('Amplitude');

X=fft(x);

subplot(2,2,2);

stem(X);

grid on;

title('DFT of x(n)');

xlabel('Frequency index k');

ylabel('Amplitude');

a=abs(X);

subplot(2,2,3);

stem(a);

grid on;

title('Magnitude of the DFT samples');

xlabel('Frequency index k');

ylabel('Amplitude');

b=angle(X);

subplot(2,2,4);

stem(b);

grid on;

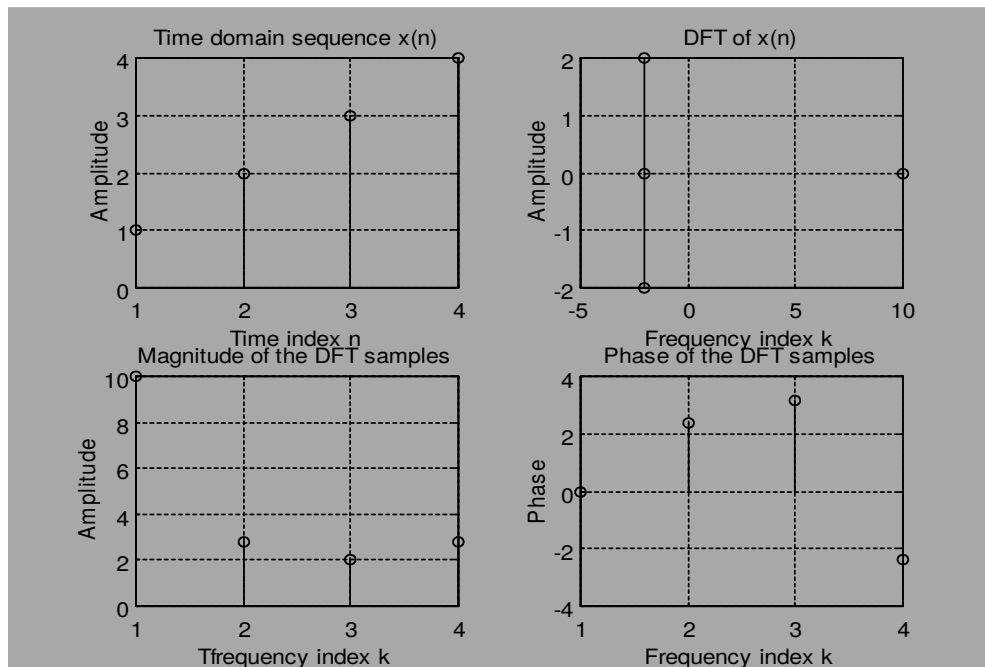
title('Phase of the DFT samples');

xlabel('Frequency index k');

ylabel('Phase');

Example: To find DFT for the sequence $x(n)=\{1\ 2\ 3\ 4\}$

Result:



7To design a low pass FIR filter using Kaiser window

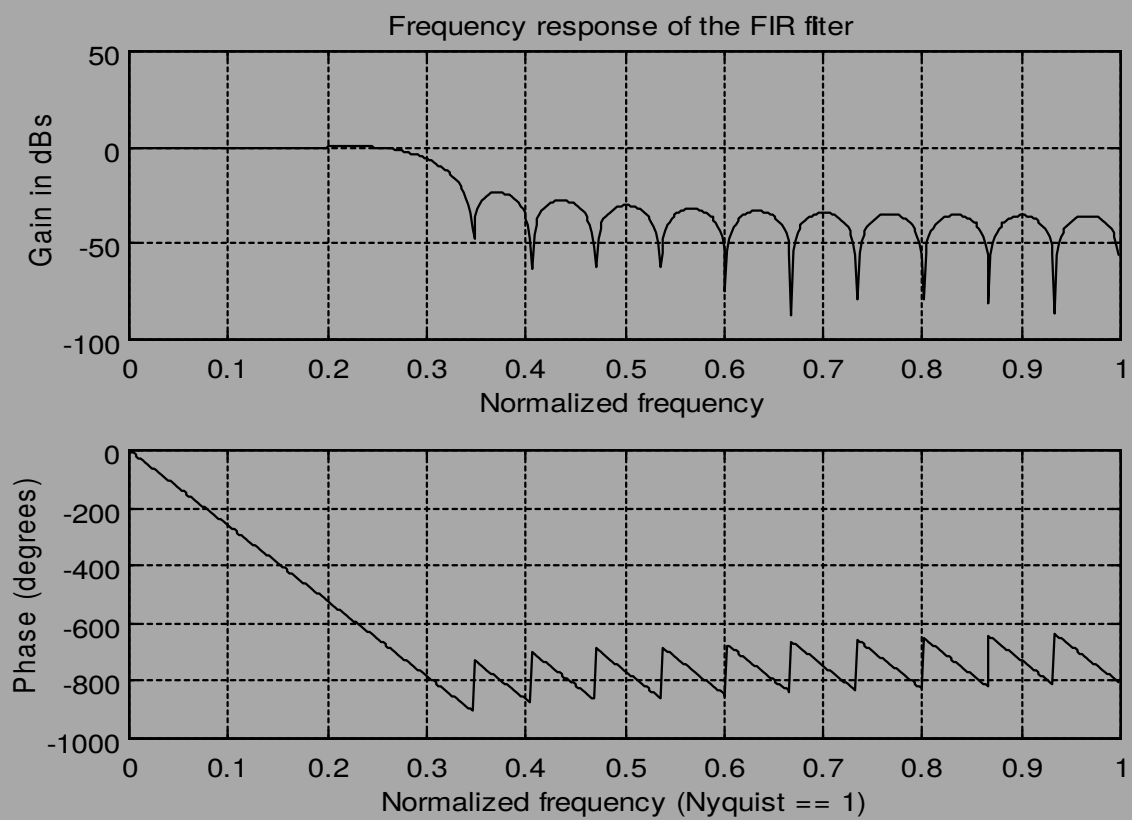
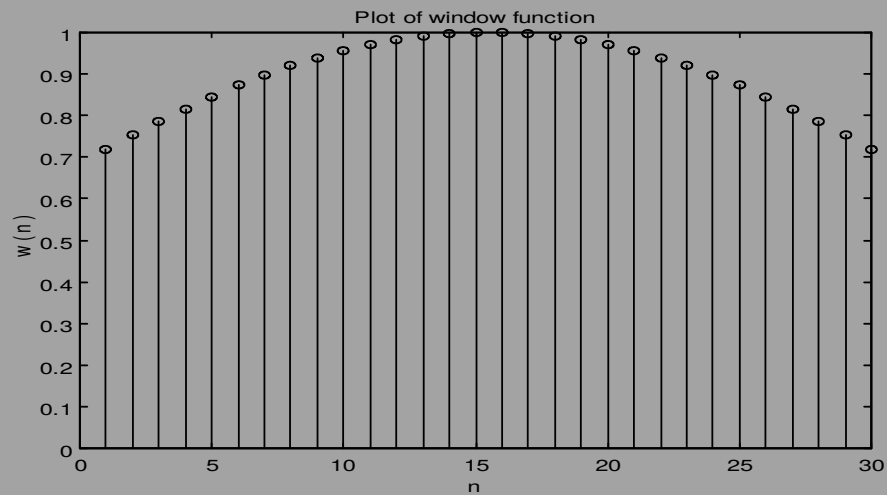
```
% To design a low pass FIR filter using Kaiser window
clc
clear all
M=input('Enter the length of the filter=');
beta=input('Enter the value of beta=');
wc=input('Enter the digital cut off frequency=');
wn=kaiser(M,beta);
figure(1);
stem(wn);
title('Plot of window function');
xlabel('n');
ylabel('w(n)');
disp(wn);
hn=fir1(M-1,wc,wn);
figure(2);
freqz(hn,1,512);
grid on;
xlabel('Normalized frequency');
ylabel('Gain in dBs');
title('Frequency response of the FIR filter');
disp('The unit sample response of FIR filter is h(n)=');
disp(hn);
```

Example:

To design a low pass FIR filter using Kaiser window of length 30, $\beta=1.2$ and cut off frequency=0.3 rads.

Result:

```
Enter the length of the filter=30
Enter the value of beta=1.2
Enter the digital cut off frequency=0.3
The Kaiser window coefficients are as follows
0.7175
0.7523
0.7854
0.8166
0.8457
:
:
0.7523
0.7175
The unit sample response of FIR filter is h(n)=
Columns 1 through 7
0.0141  0.0028  -0.0142  -0.0224  -0.0117  0.0133  0.0333
Columns 8 through 14
0.0277  -0.0072  -0.0495  -0.0614  -0.0140  0.0895  0.2097
-----
Columns 29 through 30
0.0028  0.0141
```



8TO DESIGN A LOW PASS FIR FILTER USING HAMMING WINDOW

% To design a low pass FIR filter using Hamming window

```
clc
clear all
w1=input('Enter the pass band edge frequency in rads,w1=');
w2=input('Enter the stop band edge frequency in rads,w2=');
k1=input('Enter the pass band attenuation in dB,k1=');
k2=input('Enter the stop band attenuation in dB,k2=');
wt=(w2-w1);
n=ceil((8*pi)/wt);
if rem(n,2)==0
    n=n+1;
end;
disp('The order of the filter is =');
disp(n);
w=hamming(n);
figure(1);
stem(w);
title('Plot of window function');
xlabel('n----->');
ylabel('w(n)----->');
disp('The hamming window coefficients are');
disp(w);
hn=fir1(n,wt);
figure(2);
freqz(hn,1,512);
grid on;
xlabel('Normalized frequency');
ylabel('Gain in dBs');
title('Frequency response of the FIR Filter');
disp('The unit sample response of FIR filter is h(n)');
disp(hn);
```

Example: To design a low pass FIR filter using hamming window for the following specifications.

Passband edge frequency=0.5 rads, Stopband edge frequency=1 rad

Passband attenuation=1 dB and Stopband attenuation=50 dB.

Result:

Enter the pass band edge frequency in rads,w1=0.5

Enter the stop band edge frequency in rads,w2=1

Enter the pass band attenuation in dB,k1=1

Enter the stop band attenuation in dB,k2=50

The order of the filter is =

51

The hamming window coefficients are

0.0800

0.0836

0.0945

:

:

0.0945

0.0836

0.0800

The unit sample response of FIR filter is $h(n)$

Columns 1 through 7

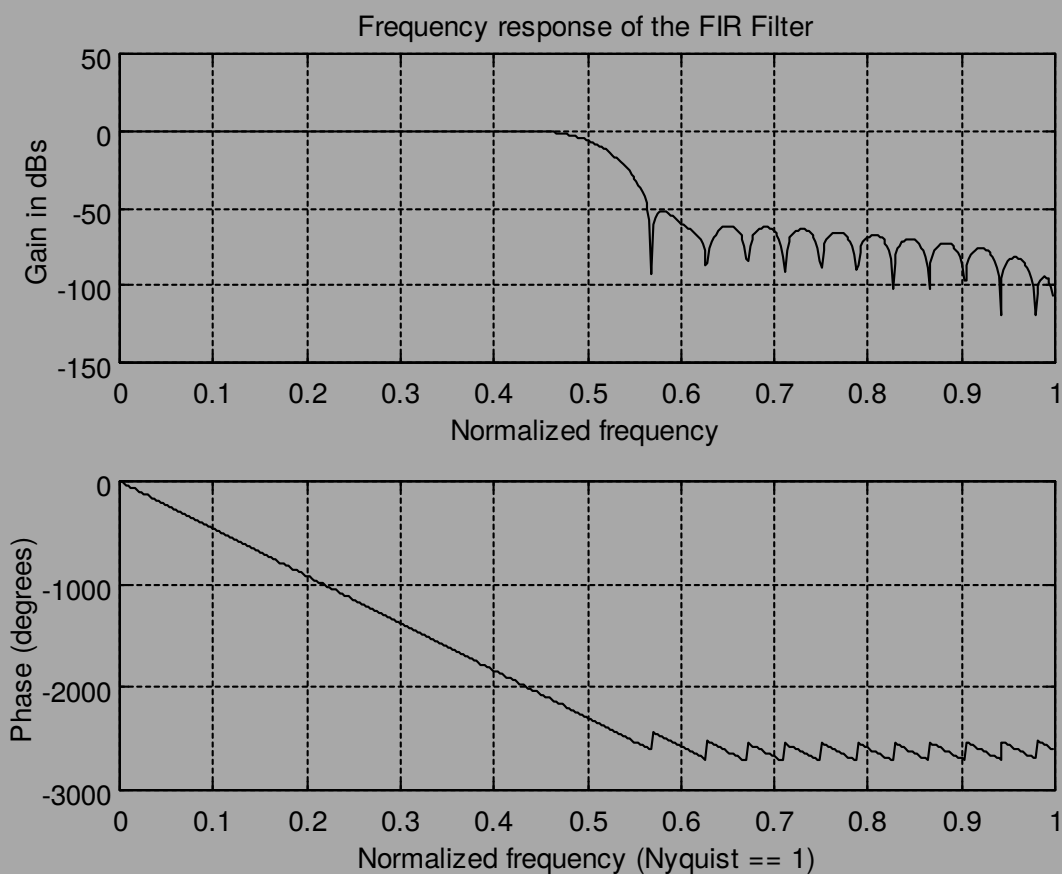
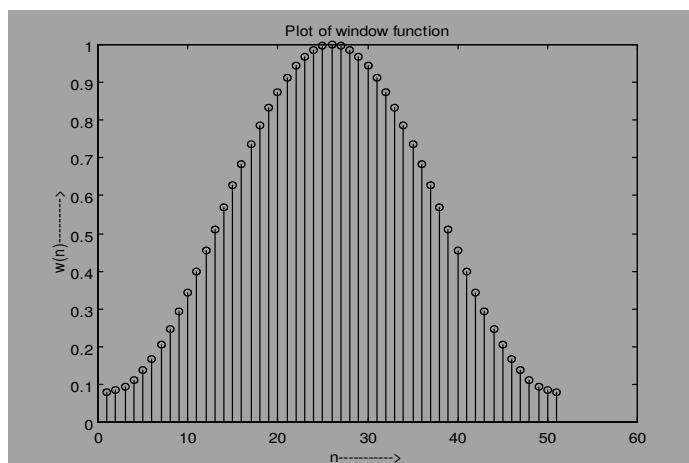
0.0007 0.0008 -0.0009 -0.0011 0.0014 0.0018 -0.0023

Columns 8 through 14

-0.0029 0.0037 0.0046 -0.0056 -0.0068 0.0083 0.0100

Columns 50 through 52

-0.0009 0.0008 0.0007



9DESIGN OF LOW PASS BUTTERWORTH IIR FILTER

% To design low pass Butterworth IIR filter

```

clc
clear all
f1=input('Enter the Passband frequency in Hz,f1=');
f2=input('Enter the Stopband frequency in Hz,f2=');
k1=input('Enter the Passband attenuation in dB,k1=');
k2=input('Enter the Stopband attenuation in dB,k2=');
fs=input('Enter the Sampling frequency in Hz,fs=');
T=1/fs;
w1=(2*pi*f1*T);
w2=(2*pi*f2*T);
wp=(2/T)*tan((w1)/2);
ws=(2/T)*tan((w2)/2);
[n,wn]=buttord(wp,ws,k1,k2,'s');
disp('The order of the filter is=');
disp(n);
disp('Cut off frequency is =');
disp(wn);
[nu,de]=butter(n,wn,'s');
[b,a]=bilinear(nu,de,fs);
[h,w]=freqz(b,a);
semilogx((w*fs)/(2*pi),20*log10(abs(h)));
axis([0 10000 -10 0])
xlabel('w in rads----->');
ylabel('20*abs(Hejw)----->');
title('Frequency response of the filter');
disp('The Numerator coefficients of H(s) are=');
disp(nu);
disp('The Denominator coefficients of H(s) are=');
disp(de);
disp('The Numerator coefficients of H(Z) are=');
disp(b);
disp('The Denominator coefficients of H(Z) are=');
disp(a);

```

Example:

To design a lowpass butterworth filter for the following specifications.

Passband frequency=5000Hz, Stopband frequency=25000Hz

Passband attenuation=1.5dB, Stopband attenuation=50dB

Sampling frequency=100000Hz

Result:

```

Enter the Passband frequency in Hz,f1=5000
Enter the Stopband frequency in Hz,f2=25000
Enter the Passband attenuation in dB,k1=1.5
Enter the Stopband attenuation in dB,k2=50
Enter the Sampling frequency in Hz,fs=100000
The order of the filter is=

```

Cut off frequency is =
4.7428e+004

The Numerator coefficients of $H(s)$ are=
1.0e+018 *

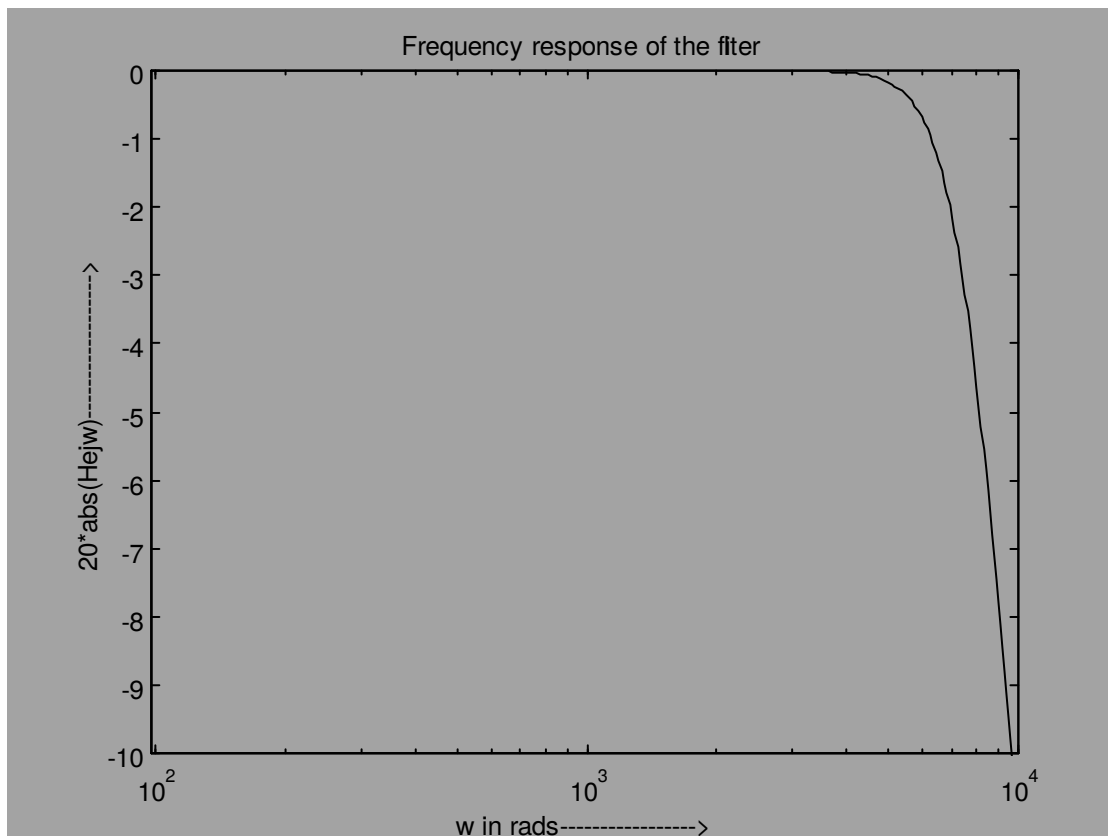
0 0 0 0 5.0597

The Denominator coefficients of $H(s)$ are=
1.0e+018 *

0.0000 0.0000 0.0000 0.0003 5.0597

The Numerator coefficients of $H(Z)$ are=
0.0017 0.0068 0.0103 0.0068 0.0017

The Denominator coefficients of $H(Z)$ are=
1.0000 -2.7881 3.0465 -1.5234 0.2923



10DESIGN LOW PASS TYPE-I CHEBYSHEV IIR FILTER

```
% To design low pass type-i chebyshev iir filter
clc
clear all
f1=input('Enter the Passband frequency in Hz,f1=');
f2=input('Enter the Stopband frequency in Hz,f2=');
k1=input('Enter the Passband attenuation in dB,k1=');
k2=input('Enter the Stopband attenuation in dB,k2=');
fs=input('Enter the Sampling frequency in Hz,fs=');
T=1/fs;
w1=(2*pi*f1*T);
w2=(2*pi*f2*T);
wp=(2/T)*tan((w1)/2);disp(wp);
ws=(2/T)*tan((w2)/2);disp(ws);
[n,wn]=cheb1ord(wp,ws,k1,k2,'s');
disp('The order of the filter is=');
disp(n);
disp('Cut off frequency is =');
disp(wn);
[nu,de]=cheby1(n,k1,wn,'s');
[b,a]=bilinear(nu,de,fs);
[h,w]=freqz(b,a);
semilogx((w*fs)/(2*pi),20*log10(abs(h)));
axis([0 10000 -10 0])
xlabel('w in rads----->');
ylabel('20*abs(Hejw)----->');
title('Frequency response of the filter');
disp('The Numerator coefficients of H(s) are=');
disp(nu);
disp('The Denominator coefficients of H(s) are=');
disp(de);
disp('The Numerator coefficients of H(Z) are=');
disp(b);
disp('The Denominator coefficients of H(Z) are=');
disp(a);
```

Example:

To design a lowpass butterworth filter for the following specifications.

Passband frequency=5000Hz, Stopband frequency=25000Hz

Passband attenuation=1.5dB, Stopband attenuation=50dB

Sampling frequency=100000Hz

Result:

Enter the Passband frequency in Hz,f1=5000

Enter the Stopband frequency in Hz,f2=25000

Enter the Passband attenuation in dB,k1=1.5

Enter the Stopband attenuation in dB,k2=50

Enter the Sampling frequency in Hz,fs=100000

3.1677e+004

2.0000e+005

The order of the filter is=

3

Cut off frequency is =

3.1677e+004

The Numerator coefficients of H(s) are=

1.0e+013 *

0 0 0 1.2372

The Denominator coefficients of H(s) are=

1.0e+013 *

0.0000 0.0000 0.0001 1.2372

The Numerator coefficients of H(Z) are=

0.0013 0.0040 0.0040 0.0013

The Denominator coefficients of H(Z) are=

1.0000 -2.6678 2.4468 -0.7683

