# Manage the check-in queue



Empowering people to experience the world doesn't just mean providing somewhere to stay! We need you to act as the Chief Queue Manager for the B.Awesome Airline at PlanetBooking Airport. Are you up for it?

The airline has  $\mathbf{N}$  check-in desks ( $c_1$ ,  $c_2$ , ...,  $c_N$ ). Each of them has a member of check-in staff  $c_i$  who has a speed of  $s_i$ , meaning they can process  $s_i$  customers in one minute.

When you start your shift, check-in hasn't opened yet, so currently there are no staff processing customers. But there are some already waiting...

There are  $x_i$  customers waiting in a queue at a desk to be checked in by a member of staff  $c_i$ . There are also  $\mathbf{M}$  customers waiting to be assigned to a check-in desk. Your job is to assign each of these  $\mathbf{M}$  customers to a check-in desk in a way that minimizes the total time needed to process all customers (the ones that are already assigned to a member of check-in staff, plus the  $\mathbf{M}$  ones that are not yet assigned).

You are not allowed to reassign any customer that is already waiting in a queue.

You're always looking for ways to improve the customer experience of flying with B.Awesome Airline, so we need you to return the minimum number of **whole** minutes needed to process all customers.

# **Input Format**

The first line contains two integer  $\mathbf{N}$  and  $\mathbf{M}$  indicating the number of check-in desks and the number of customers waiting unassigned. Each of the next  $\mathbf{N}$  lines contains two integers  $\mathbf{s}_i$  and  $\mathbf{x}_i$  specifying the speed and number of customers already waiting for each member of check-in staff.

# **Constraints**

 $1 \le N \le 1000$ 

 $0 <= M <= 10^9$ 

 $1 \le s_i \le 1000$ 

 $0 \le x_i \le 10000$ 

# **Output Format**

A single line with the minimum number of whole minutes needed to process all customers

#### Sample Input 0

3 10 3 8

15

#### **Sample Output 0**

5

### Sample Input 1

1 0 1000 1001

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