

Isolated Footing Design (IS 456-2000)

Design For Isolated Sloped Footing 27

Design For Isolated Sloped Footing 28

Design For Isolated Sloped Footing 29

Design For Isolated Sloped Footing 30

Design For Isolated Sloped Footing 31

Design For Isolated Sloped Footing 32

Design For Isolated Sloped Footing 33

Design For Isolated Sloped Footing 34

Design For Isolated Sloped Footing 35

Design For Isolated Sloped Footing 36

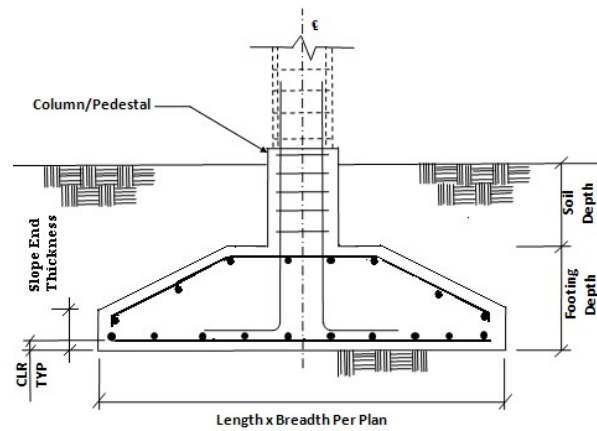
Design For Isolated Sloped Footing 37

Design For Isolated Sloped Footing 38

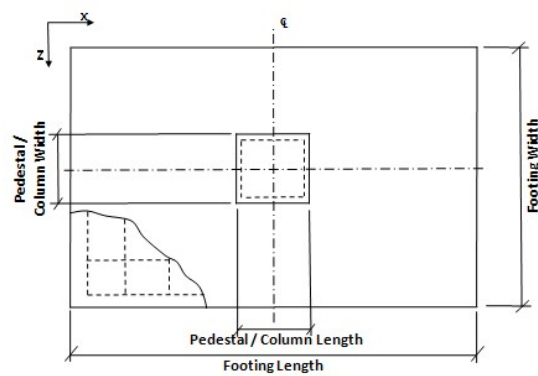
Footing No.	Group ID	Foundation Geometry			
		Length	Width	Thickness	Slope End Thickness
27	1	1.600 m	1.600 m	0.250 m	0.150 m
28	2	1.750 m	1.750 m	0.300 m	0.200 m
29	3	1.750 m	1.750 m	0.250 m	0.150 m
30	4	1.600 m	1.600 m	0.250 m	0.150 m
31	5	1.750 m	1.750 m	0.250 m	0.150 m
32	6	2.300 m	2.300 m	0.350 m	0.250 m
33	7	2.200 m	2.200 m	0.350 m	0.250 m
34	8	1.650 m	1.650 m	0.250 m	0.150 m
35	9	1.650 m	1.650 m	0.250 m	0.150 m
36	10	1.650 m	1.650 m	0.250 m	0.150 m
37	11	1.600 m	1.600 m	0.250 m	0.150 m
38	12	1.600 m	1.600 m	0.250 m	0.150 m

Footing No.	Footing Reinforcement				Pedestal Reinforcement	
	Bottom Reinforcement(M_x)	Bottom Reinforcement(M_y)	Top Reinforcement(M_x)	Top Reinforcement(M_y)	Main Steel	Trans Steel
27	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
28	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
29	Ø12 @ 230 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
30	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
31	Ø12 @ 230 mm c/c	Ø12 @ 230 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
32	Ø12 @ 195 mm c/c	Ø12 @ 195 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
33	Ø12 @ 230 mm c/c	Ø12 @ 230 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
34	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
35	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
36	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
37	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A
38	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	Ø12 @ 250 mm c/c	N/A	N/A

Isolated Footing 27



ELEVATION



PLAN

Input Values

Footing Geomtery

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m
 Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No
 Pedestal Shape : N/A
 Pedestal Height (Ph) : N/A
 Pedestal Length - X (Pl) : N/A
 Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³
 Strength of Concrete : 25.000 N/mm²
 Yield Strength of Steel : 500.000 N/mm²
 Minimum Bar Size : Ø12
 Maximum Bar Size : Ø25
 Minimum Bar Spacing : 50.000 mm
 Maximum Bar Spacing : 250.000 mm
 Pedestal Clear Cover (P, CL) : 50.000 mm
 Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained
 Unit Weight : 18.000 kN/m³
 Soil Bearing Capacity : 120.000 kN/m²
 Soil Surcharge : 0.000 kN/m²
 Depth of Soil above Footing : 1500.000 mm
 Cohesion : 0.000 kN/m²
 Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500
 Factor of Safety Against Sliding : 1.500
 Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL

202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELZ
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	132.208	-10.876	-9.265	-4.533	4.754
102	146.353	-10.430	-8.933	-4.391	4.611
103	132.208	-10.876	-9.265	-4.533	4.754
104	132.208	-10.876	-9.265	-4.533	4.754
105	117.082	-8.344	-7.147	-3.513	3.689
106	117.082	-8.344	-7.147	-3.513	3.689
107	117.082	-8.344	-7.147	-3.513	3.689

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	132.208	-10.876	-9.265	-4.533	4.754
102	146.353	-10.430	-8.933	-4.391	4.611
103	132.208	-10.876	-9.265	-4.533	4.754
104	132.208	-10.876	-9.265	-4.533	4.754
105	117.082	-8.344	-7.147	-3.513	3.689
106	117.082	-8.344	-7.147	-3.513	3.689
107	117.082	-8.344	-7.147	-3.513	3.689

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	198.312	-16.314	-13.898	-6.799	7.131
202	219.529	-15.645	-13.400	-6.587	6.917
203	140.499	-10.013	-8.576	-4.216	4.427
204	140.499	-10.013	-8.576	-4.216	4.427
205	140.499	-10.013	-8.576	-4.216	4.427
206	158.650	-13.051	-11.118	-5.439	5.705
207	158.650	-13.051	-11.118	-5.439	5.705
208	158.650	-13.051	-11.118	-5.439	5.705
209	118.987	-9.788	-8.339	-4.079	4.278
210	118.987	-9.788	-8.339	-4.079	4.278
211	118.987	-9.788	-8.339	-4.079	4.278
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)

201	198.312	-16.314	-13.898	-6.799	7.131
202	219.529	-15.645	-13.400	-6.587	6.917
203	140.499	-10.013	-8.576	-4.216	4.427
204	140.499	-10.013	-8.576	-4.216	4.427
205	140.499	-10.013	-8.576	-4.216	4.427
206	158.650	-13.051	-11.118	-5.439	5.705
207	158.650	-13.051	-11.118	-5.439	5.705
208	158.650	-13.051	-11.118	-5.439	5.705
209	118.987	-9.788	-8.339	-4.079	4.278
210	118.987	-9.788	-8.339	-4.079	4.278
211	118.987	-9.788	-8.339	-4.079	4.278

Footing Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 1.465 \text{ m}^2$

Note: A_{\min} is an initial estimation.

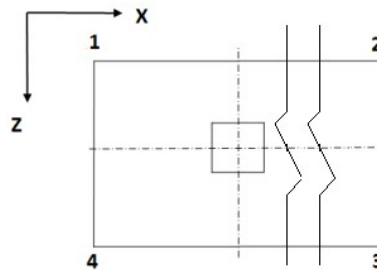
P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

Final dimensions for design

Length (L_2) =	1.600 m	Governing Load Case :	# 101
Width (W_2) =	1.600 m	Governing Load Case :	# 101
Area (A_2) =	2.560 m^2		

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	108.2676	87.1179	67.7100	88.8596	0.000
102	108.2676	87.1179	67.7100	88.8596	0.000
102	108.2676	87.1179	67.7100	88.8596	0.000
102	108.2676	87.1179	67.7100	88.8596	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative

pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	108.2676	87.1179	67.7100	88.8596
102	108.2676	87.1179	67.7100	88.8596
102	108.2676	87.1179	67.7100	88.8596
102	108.2676	87.1179	67.7100	88.8596

Details of Out-of-Contact Area
(If Any)

Governing load case = N/A
 Plan area of footing = 2.560 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A
 Plan area of footing = 2.560 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	9.879	11.597	25.101	23.006
102	10.980	12.820	27.660	25.382
103	9.879	11.597	25.101	23.006
104	9.879	11.597	25.101	23.006
105	11.971	13.977	30.156	27.673
106	11.971	13.977	30.156	27.673
107	11.971	13.977	30.156	27.673

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 101
 Governing Disturbing Force : -10.876 kN
 Governing Restoring Force : 107.449 kN
 Minimum Sliding Ratio for the Critical Load Case : 9.879
 Critical Load Case for Overturning about X-Direction : 101
 Governing Overturning Moment : -6.849 kNm
 Governing Resisting Moment : 171.915 kNm
 Minimum Overturning Ratio for the Critical Load Case : 25.101

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along Z-Direction : 101

Governing Disturbing Force :	-9.265	kN
Governing Restoring Force :	107.449	kN
Minimum Sliding Ratio for the Critical Load Case :	11.597	
Critical Load Case for Overturning about Z-Direction :	101	
Governing Overturning Moment :	7.473	kNm
Governing Resisting Moment :	171.915	kNm
Minimum Overturning Ratio for the Critical Load Case :	23.006	

Check Trial Depth against moment (w.r.t. X Axis)

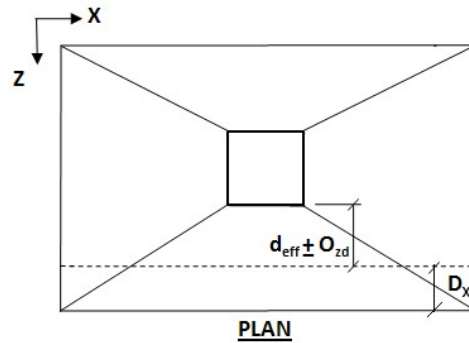
Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.094	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.463	m
Governing moment (M_u)		= 32.571	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m2
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 57.756761	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth		= 0.094	m
Effective Width		= 0.463	m
Governing moment (M_u) =		= 32.892	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m2
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 57.756761	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)

(Shear Plane Parallel To X axis)

**Critical Load Case = #202**

$$D_x = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 70.159 \text{ kN}$$

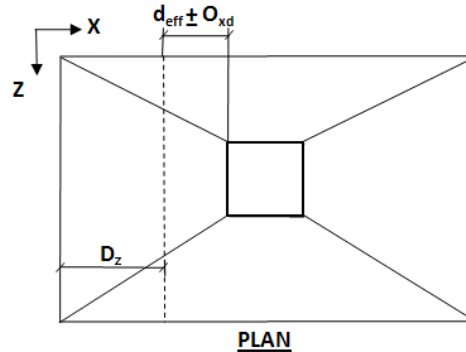
$$\text{Shear Stress}(T_v) = 257.289569 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_s) = 0.5350$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 502.517 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)(Shear Plane Parallel To Z axis)**Critical Load Case = #202**

$$D_z = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 70.841 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 259.788530 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_s) = 0.5350$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 502.517 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\begin{aligned}
 \text{Shear Force}(S) &= 198.602 && \text{kN} \\
 \text{Shear Stress}(T_v) &= 561.252 && \text{kN/m}^2 \\
 \text{As Per IS 456 2000 Clause 31.6.3.1} \\
 K_s &= \min[(0.5 + \beta), 1] = 1.000 \\
 \text{Shear Strength}(T_c) &= 0.25 \times \sqrt{f_{ck}} = 1250.0000 && \text{kN/m}^2 \\
 K_s \times T_c &= 1250.0000 && \text{kN/m}^2 \\
 T_v \leq K_s \times T_c &&& \text{hence, safe}
 \end{aligned}$$

Calculation of Maximum Bar Size

Along X Axis

$$\text{Bar diameter corresponding to max bar size } (d_b) = 12 \text{ mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \text{ m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.600 \text{ m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \text{ mm}$$

As Per IS 456 2000 Clause 26.2.1

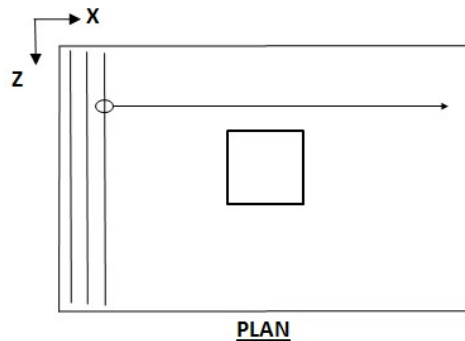
$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \text{ m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.600 \text{ m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of Reinforcement

Along Z Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

$$\text{Minimum Area of Steel } (A_{stmin}) = 480.000 \text{ mm}^2$$

Calculated Area of Steel (A_{st}) = 426.507 mm²

Provided Area of Steel ($A_{st,Provided}$) = 480.000 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

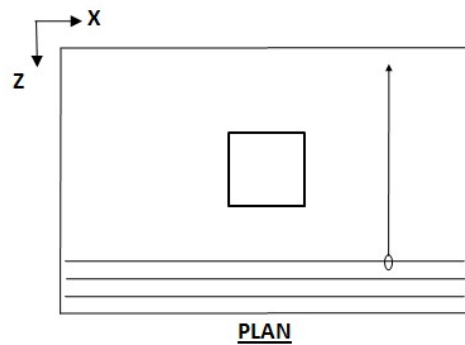
Selected spacing (S) = 250.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

[Along X Axis](#)



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 480.000 mm²

Calculated Area of Steel (A_{st}) = 431.223 mm²

Provided Area of Steel ($A_{st,Provided}$) = 480.000 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 250.000 mm

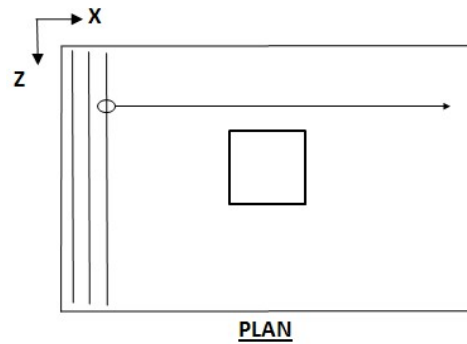
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

[Design for top reinforcement Along Z Axis](#)



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 480.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 480.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 480.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \emptyset 12$$

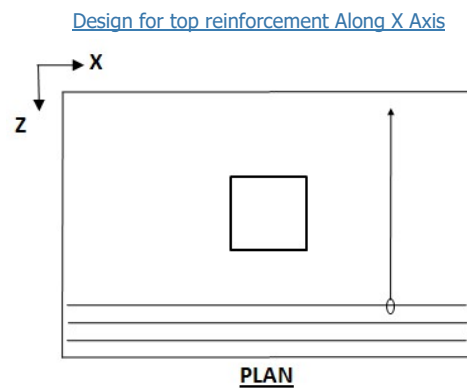
$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size} < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 480.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 480.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 480.000 \text{ mm}^2$$

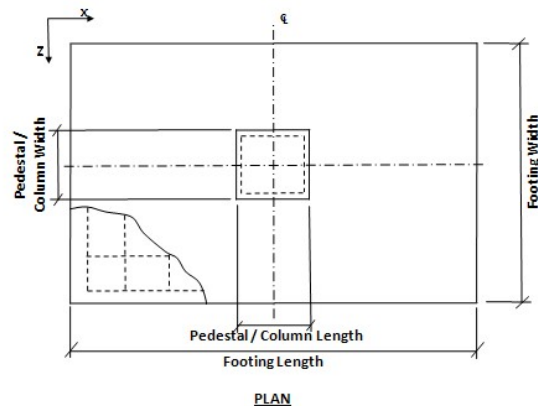
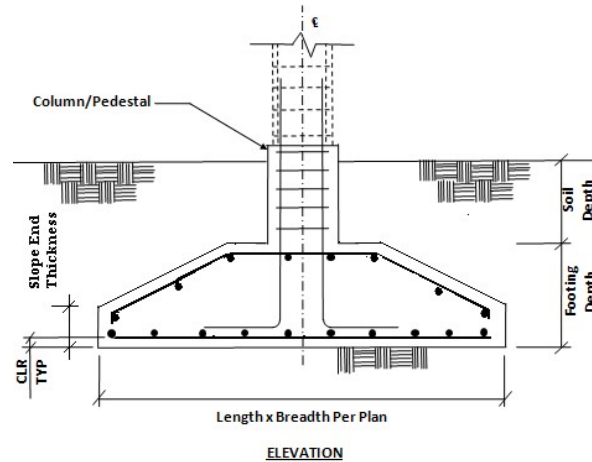
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 28



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No

Pedestal Shape : N/A

Pedestal Height (Ph) : N/A

Pedestal Length - X (Pl) : N/A

Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³

Strength of Concrete : 25.000 N/mm²

Yield Strength of Steel : 500.000 N/mm²

Minimum Bar Size : Ø12

Maximum Bar Size : Ø25

Minimum Bar Spacing : 50.000 mm

Maximum Bar Spacing : 250.000 mm

Pedestal Clear Cover (P, CL) : 50.000 mm

Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained

Unit Weight : 18.000 kN/m³

Soil Bearing Capacity : 120.000 kN/m²

Soil Surcharge : 0.000 kN/m²

Depth of Soil above Footing : 1500.000 mm

Cohesion : 0.000 kN/m²

Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500

Factor of Safety Against Sliding : 1.500

Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	224.845	-2.264	-0.757	-1.023	0.787
102	264.160	-2.496	-0.239	-0.842	0.923
103	224.845	-2.264	-0.757	-1.023	0.787
104	224.845	-2.264	-0.757	-1.023	0.787
105	211.328	-1.997	-0.191	-0.674	0.738
106	211.328	-1.997	-0.191	-0.674	0.738
107	211.328	-1.997	-0.191	-0.674	0.738

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	224.845	-2.264	-0.757	-1.023	0.787
102	264.160	-2.496	-0.239	-0.842	0.923
103	224.845	-2.264	-0.757	-1.023	0.787
104	224.845	-2.264	-0.757	-1.023	0.787
105	211.328	-1.997	-0.191	-0.674	0.738
106	211.328	-1.997	-0.191	-0.674	0.738
107	211.328	-1.997	-0.191	-0.674	0.738

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	337.268	-3.396	-1.135	-1.534	1.181
202	396.240	-3.744	-0.358	-1.263	1.384

203	253.593	-2.396	-0.229	-0.809	0.886
204	253.593	-2.396	-0.229	-0.809	0.886
205	253.593	-2.396	-0.229	-0.809	0.886
206	269.815	-2.717	-0.908	-1.227	0.945
207	269.815	-2.717	-0.908	-1.227	0.945
208	269.815	-2.717	-0.908	-1.227	0.945
209	202.361	-2.038	-0.681	-0.921	0.709
210	202.361	-2.038	-0.681	-0.921	0.709
211	202.361	-2.038	-0.681	-0.921	0.709
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	337.268	-3.396	-1.135	-1.534	1.181
202	396.240	-3.744	-0.358	-1.263	1.384
203	253.593	-2.396	-0.229	-0.809	0.886
204	253.593	-2.396	-0.229	-0.809	0.886
205	253.593	-2.396	-0.229	-0.809	0.886
206	269.815	-2.717	-0.908	-1.227	0.945
207	269.815	-2.717	-0.908	-1.227	0.945
208	269.815	-2.717	-0.908	-1.227	0.945
209	202.361	-2.038	-0.681	-0.921	0.709
210	202.361	-2.038	-0.681	-0.921	0.709
211	202.361	-2.038	-0.681	-0.921	0.709

Footing Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 2.447 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

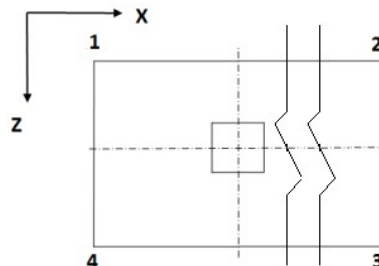
Final dimensions for design

Length (L_2) = 1.750 m Governing Load Case : # 102

Width (W_2) = 1.750 m Governing Load Case : # 102

Area (A_2) = 3.063 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	119.9548	116.4915	114.4722	117.9355	0.000
102	119.9548	116.4915	114.4722	117.9355	0.000
102	119.9548	116.4915	114.4722	117.9355	0.000
102	119.9548	116.4915	114.4722	117.9355	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	119.9548	116.4915	114.4722	117.9355
102	119.9548	116.4915	114.4722	117.9355
102	119.9548	116.4915	114.4722	117.9355
102	119.9548	116.4915	114.4722	117.9355

Details of Out-of-Contact Area
(If Any)

Governing load case = N/A

Plan area of footing = 3.063 sq.m

Area not in contact with soil = 0.000 sq.m

% of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A

Plan area of footing = 3.063 sq.m

Area not in contact with soil = 0.000 sq.m

% of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	71.601	214.219	234.069	209.616
102	72.837	761.901	352.733	205.668
103	71.601	214.219	234.069	209.616
104	71.601	214.219	234.068	209.616
105	77.816	813.978	376.842	219.725
106	77.816	813.978	376.842	219.725
107	77.816	813.979	376.843	219.725

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 101

Governing Disturbing Force : -2.264 kN

Governing Restoring Force :	162.122 kN
Minimum Sliding Ratio for the Critical Load Case :	71.601
Critical Load Case for Overturning about X-Direction :	104
Governing Overturning Moment :	-1.212 kNm
Governing Resisting Moment :	283.708 kNm
Minimum Overturning Ratio for the Critical Load Case :	234.068

Critical load case and the governing factor of safety for overturning and sliding

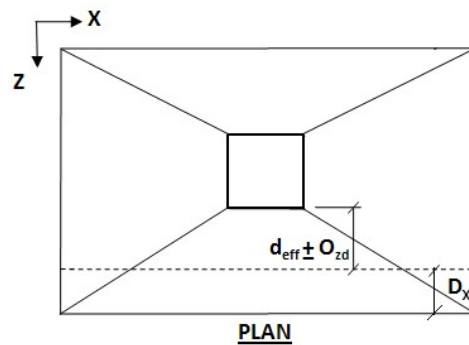
Critical Load Case for Sliding along Z-Direction :	101
Governing Disturbing Force :	-0.757 kN
Governing Restoring Force :	162.122 kN
Minimum Sliding Ratio for the Critical Load Case :	214.219
Critical Load Case for Overturning about Z-Direction :	102
Governing Overturning Moment :	1.547 kNm
Governing Resisting Moment :	318.107 kNm
Minimum Overturning Ratio for the Critical Load Case :	205.668

Check Trial Depth against moment (w.r.t. X Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.244	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.144	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.481	m
Governing moment (M_u)		= 60.010	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 95.068804	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.244	m
Effective End Depth		= 0.144	m
Effective Width		= 0.481	m
Governing moment (M_u) =		= 60.370	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 95.068804	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)(Shear Plane Parallel To X axis)**Critical Load Case = #202**

$$D_x = 0.244 \text{ m}$$

$$\text{Shear Force}(S) = 109.834 \text{ kN}$$

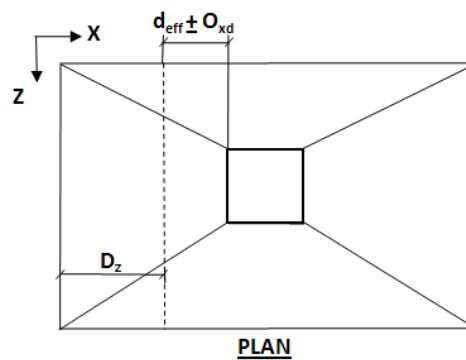
$$\text{Shear Stress}(T_v) = 239.646375 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.5435$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 505.733 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)(Shear Plane Parallel To Z axis)**Critical Load Case = #202**

$$D_z = 0.244 \text{ m}$$

$$\text{Shear Force}(S) = 110.495 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 241.088657 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.5398$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 504.338 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 357.950 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 724.116 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.675 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

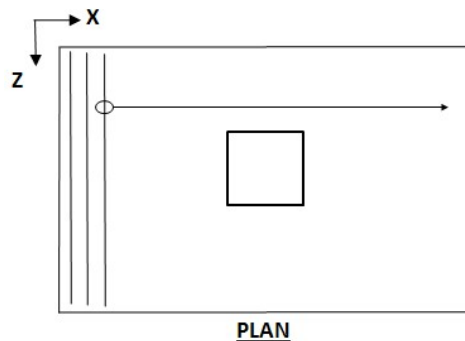
$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.675 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 630.000 mm²

Calculated Area of Steel (A_{st}) = 633.814 mm²

Provided Area of Steel ($A_{st,Provided}$) = 633.814 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

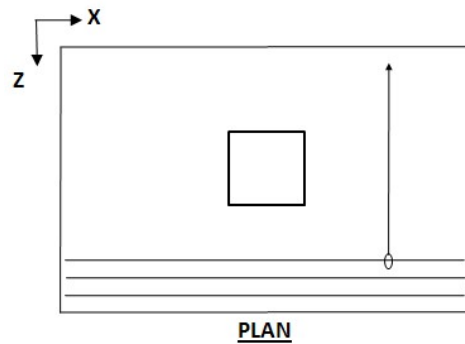
Selected spacing (S) = 250.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 630.000 mm²

Calculated Area of Steel (A_{st}) = 638.148 mm²

Provided Area of Steel ($A_{st,Provided}$) = 638.148 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 250.000 mm

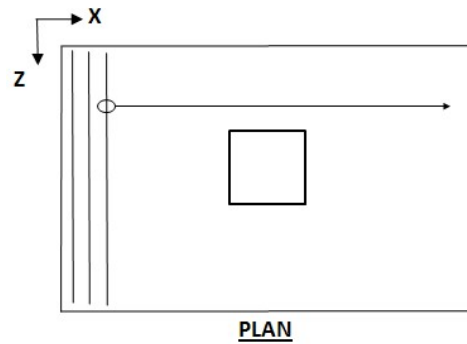
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 630.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 525.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 630.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \emptyset 12$$

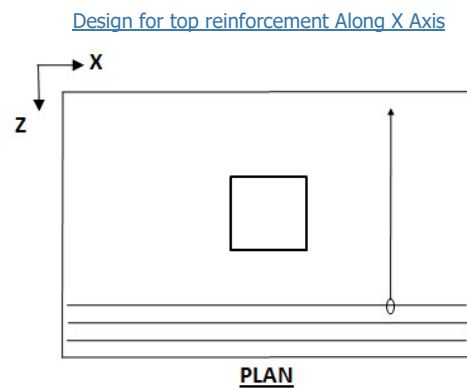
$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size} < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 630.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 525.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 630.000 \text{ mm}^2$$

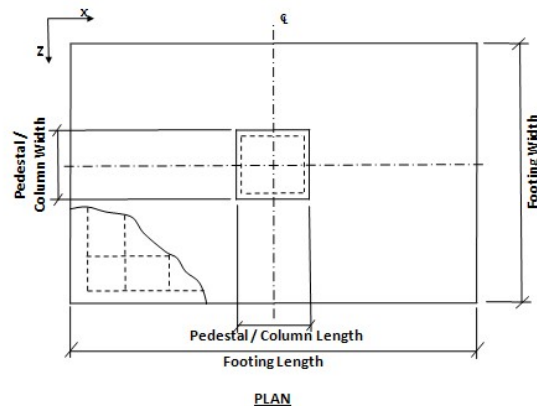
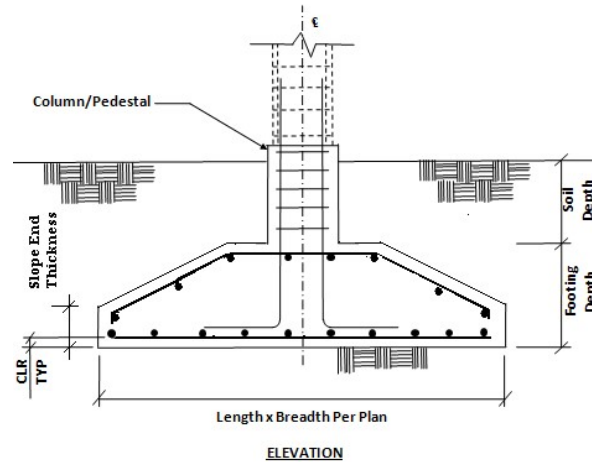
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 29



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No

Pedestal Shape : N/A

Pedestal Height (Ph) : N/A

Pedestal Length - X (Pl) : N/A

Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³

Strength of Concrete : 25.000 N/mm²

Yield Strength of Steel : 500.000 N/mm²

Minimum Bar Size : Ø12

Maximum Bar Size : Ø25

Minimum Bar Spacing : 50.000 mm

Maximum Bar Spacing : 250.000 mm

Pedestal Clear Cover (P, CL) : 50.000 mm

Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained

Unit Weight : 18.000 kN/m³

Soil Bearing Capacity : 120.000 kN/m²

Soil Surcharge : 0.000 kN/m²

Depth of Soil above Footing : 1500.000 mm

Cohesion : 0.000 kN/m²

Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500

Factor of Safety Against Sliding : 1.500

Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	206.659	5.874	-0.816	-1.032	-2.898
102	241.945	5.823	-0.294	-0.848	-2.893
103	206.659	5.874	-0.816	-1.032	-2.898
104	206.659	5.874	-0.816	-1.032	-2.898
105	193.556	4.658	-0.235	-0.678	-2.315
106	193.556	4.658	-0.235	-0.678	-2.315
107	193.556	4.658	-0.235	-0.678	-2.315

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	206.659	5.874	-0.816	-1.032	-2.898
102	241.945	5.823	-0.294	-0.848	-2.893
103	206.659	5.874	-0.816	-1.032	-2.898
104	206.659	5.874	-0.816	-1.032	-2.898
105	193.556	4.658	-0.235	-0.678	-2.315
106	193.556	4.658	-0.235	-0.678	-2.315
107	193.556	4.658	-0.235	-0.678	-2.315

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	309.988	8.811	-1.224	-1.548	-4.348
202	362.917	8.734	-0.441	-1.272	-4.340

203	232.267	5.590	-0.282	-0.814	-2.778
204	232.267	5.590	-0.282	-0.814	-2.778
205	232.267	5.590	-0.282	-0.814	-2.778
206	247.990	7.049	-0.980	-1.238	-3.478
207	247.990	7.049	-0.980	-1.238	-3.478
208	247.990	7.049	-0.980	-1.238	-3.478
209	185.993	5.287	-0.735	-0.929	-2.609
210	185.993	5.287	-0.735	-0.929	-2.609
211	185.993	5.287	-0.735	-0.929	-2.609
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	309.988	8.811	-1.224	-1.548	-4.348
202	362.917	8.734	-0.441	-1.272	-4.340
203	232.267	5.590	-0.282	-0.814	-2.778
204	232.267	5.590	-0.282	-0.814	-2.778
205	232.267	5.590	-0.282	-0.814	-2.778
206	247.990	7.049	-0.980	-1.238	-3.478
207	247.990	7.049	-0.980	-1.238	-3.478
208	247.990	7.049	-0.980	-1.238	-3.478
209	185.993	5.287	-0.735	-0.929	-2.609
210	185.993	5.287	-0.735	-0.929	-2.609
211	185.993	5.287	-0.735	-0.929	-2.609

Footing Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 2.262 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

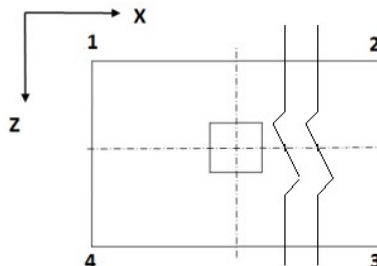
Final dimensions for design

Length (L_2) = 1.750 m Governing Load Case : # 102

Width (W_2) = 1.750 m Governing Load Case : # 102

Area (A_2) = 3.063 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	106.1223	115.8600	113.7969	104.0592	0.000
102	106.1223	115.8600	113.7969	104.0592	0.000
102	106.1223	115.8600	113.7969	104.0592	0.000
102	106.1223	115.8600	113.7969	104.0592	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	106.1223	115.8600	113.7969	104.0592
102	106.1223	115.8600	113.7969	104.0592
102	106.1223	115.8600	113.7969	104.0592
102	106.1223	115.8600	113.7969	104.0592

Details of Out-of-Contact Area (If Any)

Governing load case = N/A
 Plan area of footing = 3.063 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A
 Plan area of footing = 3.063 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	26.052	187.474	216.706	61.324
102	29.311	581.094	324.143	68.677
103	26.052	187.474	216.706	61.324
104	26.052	187.474	216.706	61.324
105	31.445	623.397	347.741	73.676
106	31.445	623.397	347.741	73.676
107	31.445	623.396	347.741	73.676

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 101
 Governing Disturbing Force : 5.874 kN

Governing Restoring Force :	153.028 kN
Minimum Sliding Ratio for the Critical Load Case :	26.052
Critical Load Case for Overturning about X-Direction :	101
Governing Overturning Moment :	-1.236 kNm
Governing Resisting Moment :	267.795 kNm
Minimum Overturning Ratio for the Critical Load Case :	216.706

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along Z-Direction :	101
Governing Disturbing Force :	-0.816 kN
Governing Restoring Force :	153.028 kN
Minimum Sliding Ratio for the Critical Load Case :	187.474
Critical Load Case for Overturning about Z-Direction :	101
Governing Overturning Moment :	-4.367 kNm
Governing Resisting Moment :	267.795 kNm
Minimum Overturning Ratio for the Critical Load Case :	61.324

Check Trial Depth against moment (w.r.t. X Axis)

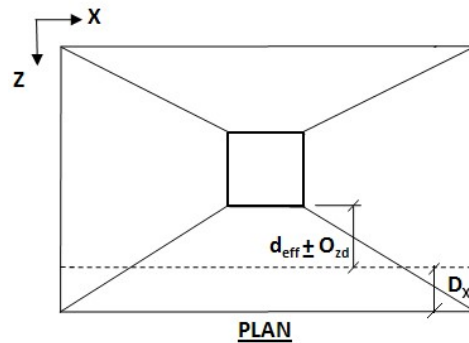
Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.094	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.481	m
Governing moment (M_u)		= 55.016	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 60.098251	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth		= 0.094	m
Effective Width		= 0.481	m
Governing moment (M_u) =		= 56.935	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 60.098251	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)

(Shear Plane Parallel To X axis)



Critical Load Case = #202

$$D_x = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 111.121 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 370.393270 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.8762$$

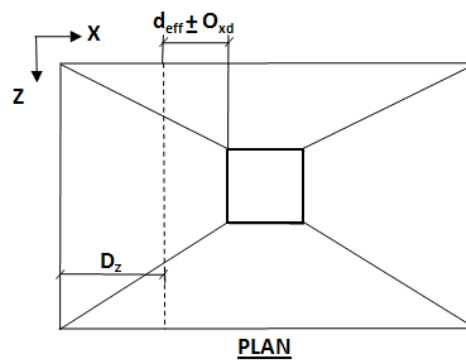
As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 610.235 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)

(Shear Plane Parallel To Z axis)



Critical Load Case = #202

$$D_z = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 114.847 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 382.812073 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.8391$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 600.245 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 333.998 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 935.814 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.675 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

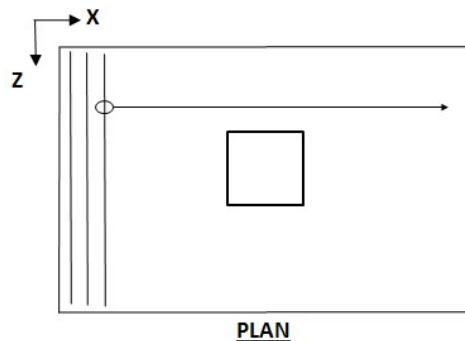
$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.675 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 525.000 mm²

Calculated Area of Steel (A_{st}) = 783.416 mm²

Provided Area of Steel ($A_{st,Provided}$) = 783.416 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

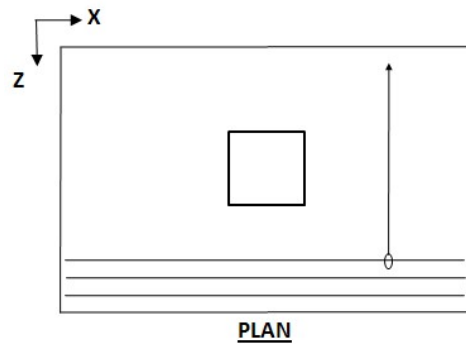
Selected spacing (S) = 250.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 525.000 mm²

Calculated Area of Steel (A_{st}) = 818.019 mm²

Provided Area of Steel ($A_{st,Provided}$) = 818.019 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 234.000 mm

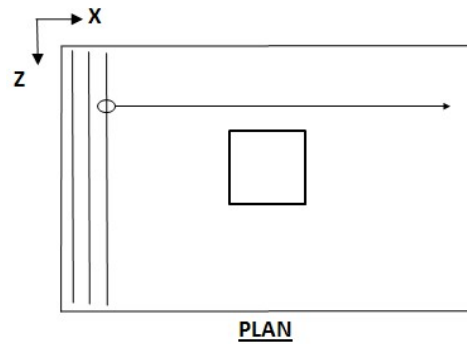
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 230.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 525.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 525.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 525.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \emptyset 12$$

$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

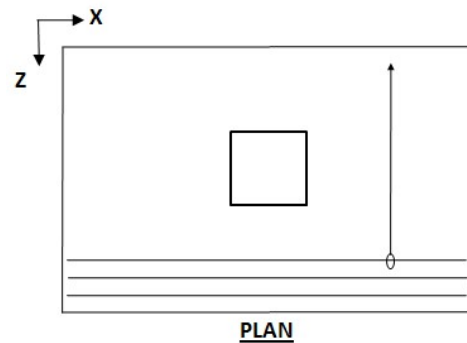
$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size} < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

[Design for top reinforcement Along X Axis](#)



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 525.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 525.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 525.000 \text{ mm}^2$$

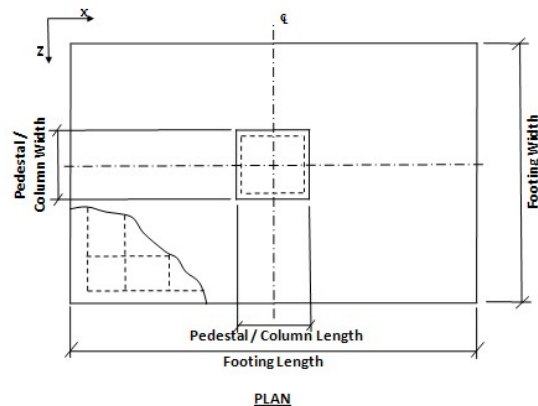
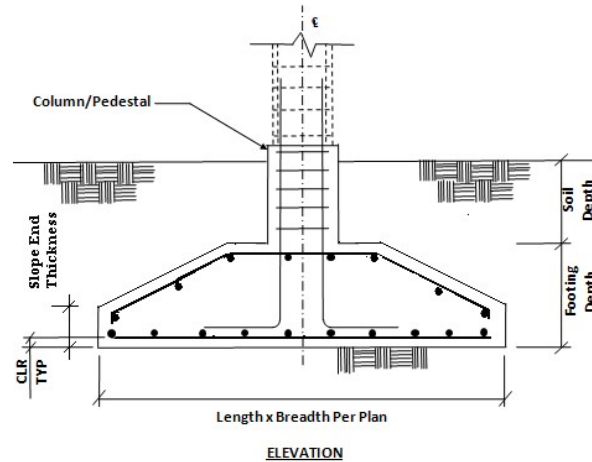
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 30



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No

Pedestal Shape : N/A

Pedestal Height (Ph) : N/A

Pedestal Length - X (Pl) : N/A

Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³

Strength of Concrete : 25.000 N/mm²

Yield Strength of Steel : 500.000 N/mm²

Minimum Bar Size : Ø12

Maximum Bar Size : Ø25

Minimum Bar Spacing : 50.000 mm

Maximum Bar Spacing : 250.000 mm

Pedestal Clear Cover (P, CL) : 50.000 mm

Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained

Unit Weight : 18.000 kN/m³

Soil Bearing Capacity : 120.000 kN/m²

Soil Surcharge : 0.000 kN/m²

Depth of Soil above Footing : 1500.000 mm

Cohesion : 0.000 kN/m²

Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500

Factor of Safety Against Sliding : 1.500

Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	116.685	7.176	-9.144	-4.451	-3.450
102	127.940	7.030	-8.786	-4.289	-3.418
103	116.685	7.176	-9.144	-4.451	-3.450
104	116.685	7.176	-9.144	-4.451	-3.450
105	102.352	5.624	-7.029	-3.431	-2.734
106	102.352	5.624	-7.029	-3.431	-2.734
107	102.352	5.624	-7.029	-3.431	-2.734

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	116.685	7.176	-9.144	-4.451	-3.450
102	127.940	7.030	-8.786	-4.289	-3.418
103	116.685	7.176	-9.144	-4.451	-3.450
104	116.685	7.176	-9.144	-4.451	-3.450
105	102.352	5.624	-7.029	-3.431	-2.734
106	102.352	5.624	-7.029	-3.431	-2.734
107	102.352	5.624	-7.029	-3.431	-2.734

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	175.027	10.764	-13.715	-6.676	-5.176
202	191.910	10.546	-13.179	-6.433	-5.127

203	122.823	6.749	-8.434	-4.117	-3.281
204	122.823	6.749	-8.434	-4.117	-3.281
205	122.823	6.749	-8.434	-4.117	-3.281
206	140.022	8.611	-10.972	-5.341	-4.141
207	140.022	8.611	-10.972	-5.341	-4.141
208	140.022	8.611	-10.972	-5.341	-4.141
209	105.016	6.458	-8.229	-4.006	-3.105
210	105.016	6.458	-8.229	-4.006	-3.105
211	105.016	6.458	-8.229	-4.006	-3.105
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	175.027	10.764	-13.715	-6.676	-5.176
202	191.910	10.546	-13.179	-6.433	-5.127
203	122.823	6.749	-8.434	-4.117	-3.281
204	122.823	6.749	-8.434	-4.117	-3.281
205	122.823	6.749	-8.434	-4.117	-3.281
206	140.022	8.611	-10.972	-5.341	-4.141
207	140.022	8.611	-10.972	-5.341	-4.141
208	140.022	8.611	-10.972	-5.341	-4.141
209	105.016	6.458	-8.229	-4.006	-3.105
210	105.016	6.458	-8.229	-4.006	-3.105
211	105.016	6.458	-8.229	-4.006	-3.105

Footing Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 1.312 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

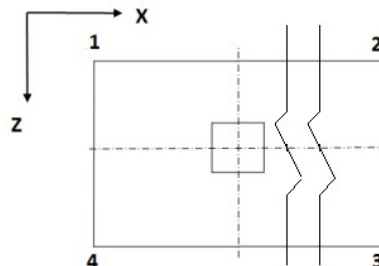
Final dimensions for design

Length (L_2) = 1.600 m Governing Load Case : # 101

Width (W_2) = 1.600 m Governing Load Case : # 101

Area (A_2) = 2.560 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	82.7146	97.8775	78.8780	63.7151	0.000
102	82.7146	97.8775	78.8780	63.7151	0.000
102	82.7146	97.8775	78.8780	63.7151	0.000
102	82.7146	97.8775	78.8780	63.7151	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	82.7146	97.8775	78.8780	63.7151
102	82.7146	97.8775	78.8780	63.7151
102	82.7146	97.8775	78.8780	63.7151
102	82.7146	97.8775	78.8780	63.7151

Details of Out-of-Contact Area
(If Any)

Governing load case = N/A
 Plan area of footing = 2.560 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A
 Plan area of footing = 2.560 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	13.892	10.903	23.676	30.413
102	14.980	11.987	25.983	32.557
103	13.892	10.903	23.676	30.413
104	13.892	10.903	23.676	30.413
105	16.450	13.163	28.533	35.753
106	16.450	13.163	28.533	35.753
107	16.450	13.163	28.533	35.753

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 103
 Governing Disturbing Force : 7.176 kN

Governing Restoring Force :	99.687 kN
Minimum Sliding Ratio for the Critical Load Case :	13.892
Critical Load Case for Overturning about X-Direction :	101
Governing Overturning Moment :	-6.737 kNm
Governing Resisting Moment :	159.497 kNm
Minimum Overturning Ratio for the Critical Load Case :	23.676

Critical load case and the governing factor of safety for overturning and sliding

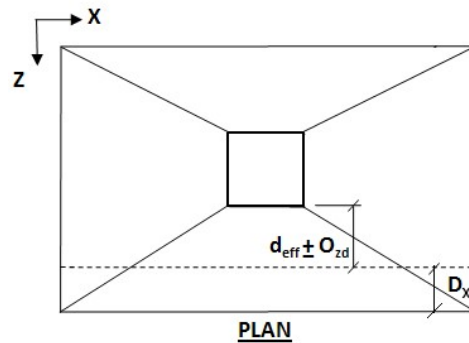
Critical Load Case for Sliding along Z-Direction :	101
Governing Disturbing Force :	-9.144 kN
Governing Restoring Force :	99.687 kN
Minimum Sliding Ratio for the Critical Load Case :	10.903
Critical Load Case for Overturning about Z-Direction :	101
Governing Overturning Moment :	-5.244 kNm
Governing Resisting Moment :	159.497 kNm
Minimum Overturning Ratio for the Critical Load Case :	30.413

Check Trial Depth against moment (w.r.t. X Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.094	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.463	m
Governing moment (M_u)		= 28.849	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 57.756761	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth		= 0.094	m
Effective Width		= 0.463	m
Governing moment (M_u) =		= 28.143	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 57.756761	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)(Shear Plane Parallel To X axis)**Critical Load Case = #202**

$$D_x = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 62.128 \text{ kN}$$

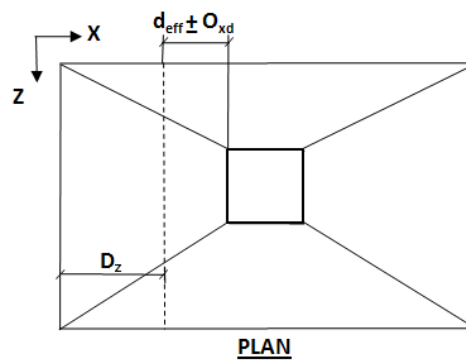
$$\text{Shear Stress}(T_v) = 227.837270 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.5350$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 502.517 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)(Shear Plane Parallel To Z axis)**Critical Load Case = #202**

$$D_z = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 60.627 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 222.332596 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.5350$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 502.517 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 173.616 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 490.641 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.600 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

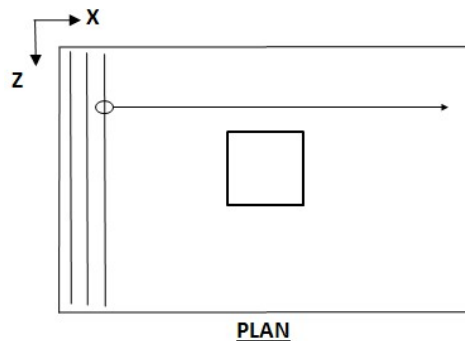
$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.600 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 480.000 mm²

Calculated Area of Steel (A_{st}) = 372.840 mm²

Provided Area of Steel ($A_{st,Provided}$) = 480.000 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

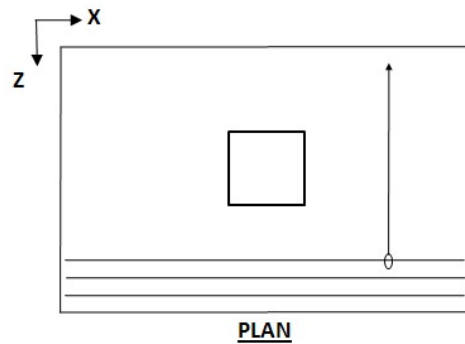
Selected spacing (S) = 250.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 480.000 mm²

Calculated Area of Steel (A_{st}) = 362.840 mm²

Provided Area of Steel ($A_{st,Provided}$) = 480.000 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 250.000 mm

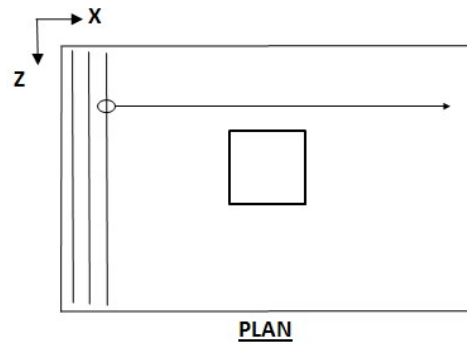
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 480.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 480.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 480.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \emptyset 12$$

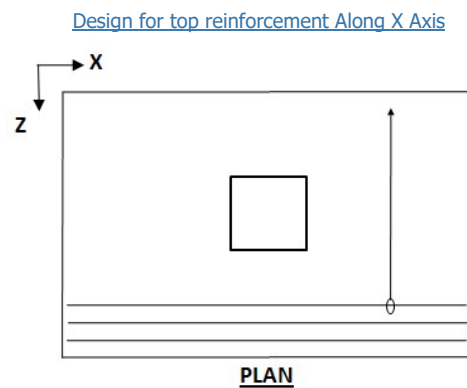
$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size} < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 480.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 480.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 480.000 \text{ mm}^2$$

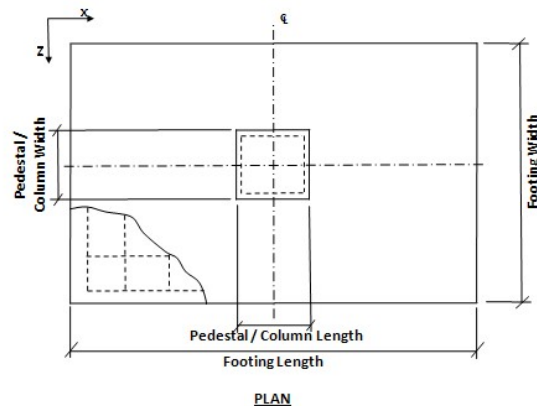
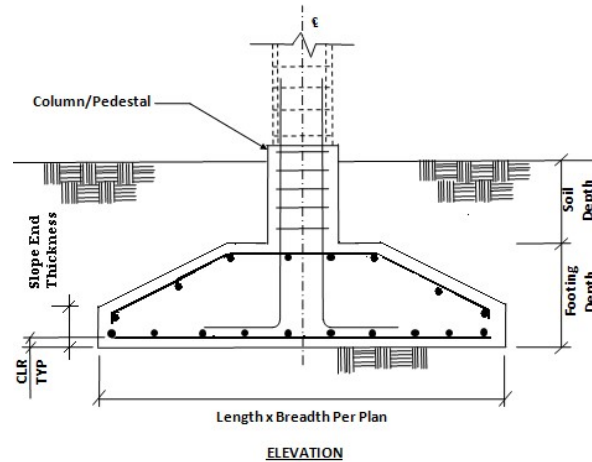
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 31



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No

Pedestal Shape : N/A

Pedestal Height (Ph) : N/A

Pedestal Length - X (Pl) : N/A

Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³

Strength of Concrete : 25.000 N/mm²

Yield Strength of Steel : 500.000 N/mm²

Minimum Bar Size : Ø12

Maximum Bar Size : Ø25

Minimum Bar Spacing : 50.000 mm

Maximum Bar Spacing : 250.000 mm

Pedestal Clear Cover (P, CL) : 50.000 mm

Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained

Unit Weight : 18.000 kN/m³

Soil Bearing Capacity : 120.000 kN/m²

Soil Surcharge : 0.000 kN/m²

Depth of Soil above Footing : 1500.000 mm

Cohesion : 0.000 kN/m²

Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500

Factor of Safety Against Sliding : 1.500

Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	210.332	0.917	-2.329	-1.342	-0.410
102	248.326	1.790	-2.210	-1.274	-0.688
103	210.332	0.917	-2.329	-1.342	-0.410
104	210.332	0.917	-2.329	-1.342	-0.410
105	198.661	1.432	-1.768	-1.019	-0.550
106	198.661	1.432	-1.768	-1.019	-0.550
107	198.661	1.432	-1.768	-1.019	-0.550

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	210.332	0.917	-2.329	-1.342	-0.410
102	248.326	1.790	-2.210	-1.274	-0.688
103	210.332	0.917	-2.329	-1.342	-0.410
104	210.332	0.917	-2.329	-1.342	-0.410
105	198.661	1.432	-1.768	-1.019	-0.550
106	198.661	1.432	-1.768	-1.019	-0.550
107	198.661	1.432	-1.768	-1.019	-0.550

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	315.498	1.376	-3.493	-2.014	-0.615
202	372.489	2.685	-3.314	-1.911	-1.032

203	238.393	1.719	-2.121	-1.223	-0.661
204	238.393	1.719	-2.121	-1.223	-0.661
205	238.393	1.719	-2.121	-1.223	-0.661
206	252.398	1.101	-2.794	-1.611	-0.492
207	252.398	1.101	-2.794	-1.611	-0.492
208	252.398	1.101	-2.794	-1.611	-0.492
209	189.299	0.826	-2.096	-1.208	-0.369
210	189.299	0.826	-2.096	-1.208	-0.369
211	189.299	0.826	-2.096	-1.208	-0.369
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	315.498	1.376	-3.493	-2.014	-0.615
202	372.489	2.685	-3.314	-1.911	-1.032
203	238.393	1.719	-2.121	-1.223	-0.661
204	238.393	1.719	-2.121	-1.223	-0.661
205	238.393	1.719	-2.121	-1.223	-0.661
206	252.398	1.101	-2.794	-1.611	-0.492
207	252.398	1.101	-2.794	-1.611	-0.492
208	252.398	1.101	-2.794	-1.611	-0.492
209	189.299	0.826	-2.096	-1.208	-0.369
210	189.299	0.826	-2.096	-1.208	-0.369
211	189.299	0.826	-2.096	-1.208	-0.369

Footing Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 2.315 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

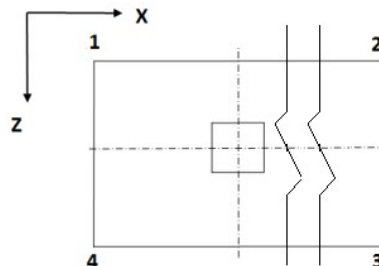
Final dimensions for design

Length (L_2) = 1.750 m Governing Load Case : # 102

Width (W_2) = 1.750 m Governing Load Case : # 102

Area (A_2) = 3.063 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	112.8167	115.3593	111.2696	108.7270	0.000
102	112.8167	115.3593	111.2696	108.7270	0.000
102	112.8167	115.3593	111.2696	108.7270	0.000
102	112.8167	115.3593	111.2696	108.7270	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	112.8167	115.3593	111.2696	108.7270
102	112.8167	115.3593	111.2696	108.7270
102	112.8167	115.3593	111.2696	108.7270
102	112.8167	115.3593	111.2696	108.7270

Details of Out-of-Contact Area
(If Any)

Governing load case = N/A

Plan area of footing = 3.063 sq.m

Area not in contact with soil = 0.000 sq.m

% of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A

Plan area of footing = 3.063 sq.m

Area not in contact with soil = 0.000 sq.m

% of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	168.836	66.506	140.823	423.805
102	97.124	78.686	166.578	267.935
103	168.836	66.506	140.823	423.805
104	168.836	66.506	140.823	423.805
105	104.064	84.310	178.482	287.083
106	104.064	84.310	178.482	287.083
107	104.064	84.310	178.482	287.083

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 102

Governing Disturbing Force : 1.790 kN

Governing Restoring Force :	173.862 kN
Minimum Sliding Ratio for the Critical Load Case :	97.124
Critical Load Case for Overturning about X-Direction :	101
Governing Overturning Moment :	-1.924 kNm
Governing Resisting Moment :	271.009 kNm
Minimum Overturning Ratio for the Critical Load Case :	140.823

Critical load case and the governing factor of safety for overturning and sliding

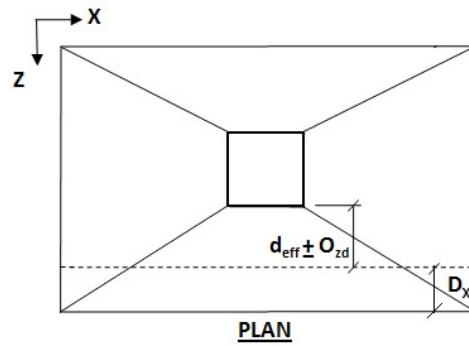
Critical Load Case for Sliding along Z-Direction :	101
Governing Disturbing Force :	-2.329 kN
Governing Restoring Force :	154.865 kN
Minimum Sliding Ratio for the Critical Load Case :	66.506
Critical Load Case for Overturning about Z-Direction :	102
Governing Overturning Moment :	-1.136 kNm
Governing Resisting Moment :	304.253 kNm
Minimum Overturning Ratio for the Critical Load Case :	267.935

Check Trial Depth against moment (w.r.t. X Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.094	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.481	m
Governing moment (M_u)		= 56.960	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 60.098251	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth		= 0.094	m
Effective Width		= 0.481	m
Governing moment (M_u) =		= 56.574	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 60.098251	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)(Shear Plane Parallel To X axis)**Critical Load Case = #202**

$$D_x = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 115.009 \text{ kN}$$

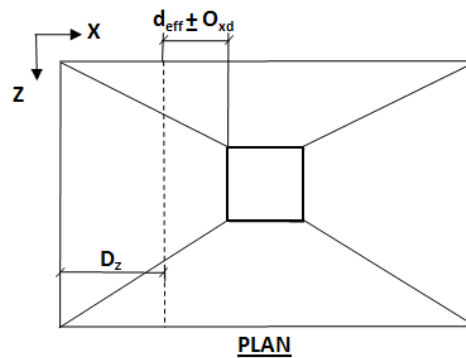
$$\text{Shear Stress}(T_v) = 383.353287 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.8691$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 608.365 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)(Shear Plane Parallel To Z axis)**Critical Load Case = #202**

$$D_z = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 114.258 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 380.849798 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.8767$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 610.364 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 342.807 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 960.495 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.675 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

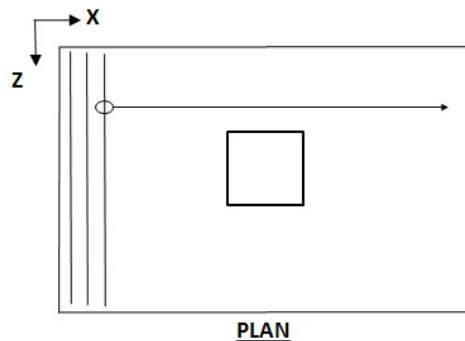
$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.675 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 525.000 mm²

Calculated Area of Steel (A_{st}) = 818.473 mm²

Provided Area of Steel ($A_{st,Provided}$) = 818.473 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

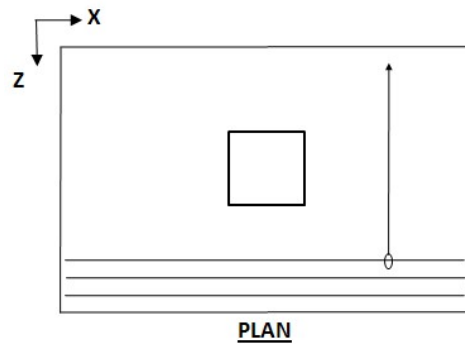
Selected spacing (S) = 234.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 230.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 525.000 mm²

Calculated Area of Steel (A_{st}) = 811.456 mm²

Provided Area of Steel ($A_{st,Provided}$) = 811.456 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 234.000 mm

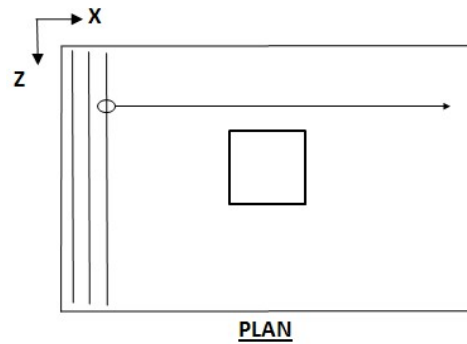
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 230.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 525.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 525.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 525.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \emptyset 12$$

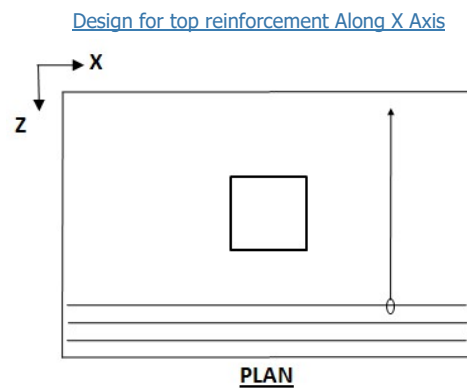
$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size } < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 525.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 525.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 525.000 \text{ mm}^2$$

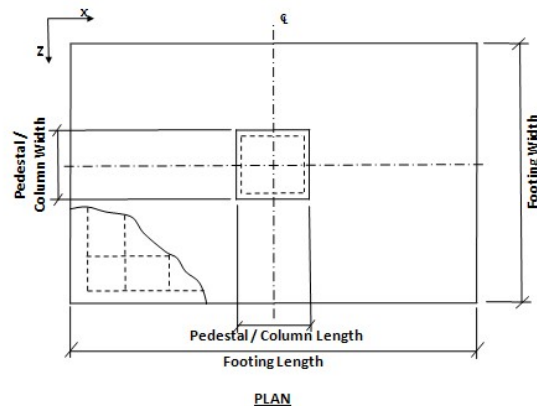
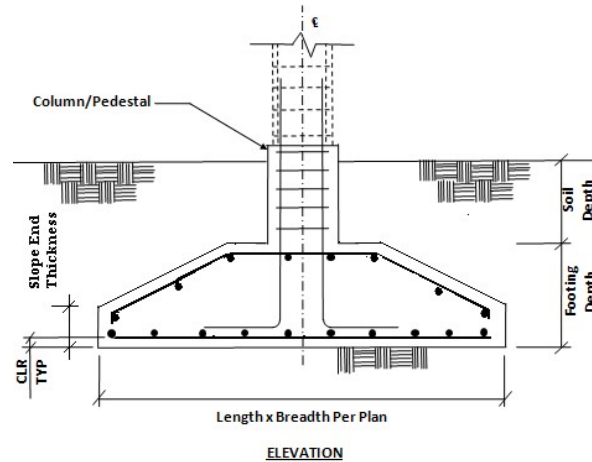
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 32



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No

Pedestal Shape : N/A

Pedestal Height (Ph) : N/A

Pedestal Length - X (Pl) : N/A

Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³

Strength of Concrete : 25.000 N/mm²

Yield Strength of Steel : 500.000 N/mm²

Minimum Bar Size : Ø12

Maximum Bar Size : Ø25

Minimum Bar Spacing : 50.000 mm

Maximum Bar Spacing : 250.000 mm

Pedestal Clear Cover (P, CL) : 50.000 mm

Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained

Unit Weight : 18.000 kN/m³

Soil Bearing Capacity : 120.000 kN/m²

Soil Surcharge : 0.000 kN/m²

Depth of Soil above Footing : 1500.000 mm

Cohesion : 0.000 kN/m²

Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500

Factor of Safety Against Sliding : 1.500

Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	331.013	-13.098	-10.558	-5.580	6.042
102	410.405	-13.805	-10.671	-5.649	6.429
103	331.013	-13.098	-10.558	-5.580	6.042
104	331.013	-13.098	-10.558	-5.580	6.042
105	328.324	-11.044	-8.537	-4.520	5.143
106	328.324	-11.044	-8.537	-4.520	5.143
107	328.324	-11.044	-8.537	-4.520	5.143

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	331.013	-13.098	-10.558	-5.580	6.042
102	410.405	-13.805	-10.671	-5.649	6.429
103	331.013	-13.098	-10.558	-5.580	6.042
104	331.013	-13.098	-10.558	-5.580	6.042
105	328.324	-11.044	-8.537	-4.520	5.143
106	328.324	-11.044	-8.537	-4.520	5.143
107	328.324	-11.044	-8.537	-4.520	5.143

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	496.519	-19.647	-15.837	-8.370	9.063
202	615.608	-20.708	-16.007	-8.474	9.643

203	393.989	-13.253	-10.244	-5.423	6.172
204	393.989	-13.253	-10.244	-5.423	6.172
205	393.989	-13.253	-10.244	-5.423	6.172
206	397.215	-15.718	-12.669	-6.696	7.251
207	397.215	-15.718	-12.669	-6.696	7.251
208	397.215	-15.718	-12.669	-6.696	7.251
209	297.911	-11.788	-9.502	-5.022	5.438
210	297.911	-11.788	-9.502	-5.022	5.438
211	297.911	-11.788	-9.502	-5.022	5.438
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	496.519	-19.647	-15.837	-8.370	9.063
202	615.608	-20.708	-16.007	-8.474	9.643
203	393.989	-13.253	-10.244	-5.423	6.172
204	393.989	-13.253	-10.244	-5.423	6.172
205	393.989	-13.253	-10.244	-5.423	6.172
206	397.215	-15.718	-12.669	-6.696	7.251
207	397.215	-15.718	-12.669	-6.696	7.251
208	397.215	-15.718	-12.669	-6.696	7.251
209	297.911	-11.788	-9.502	-5.022	5.438
210	297.911	-11.788	-9.502	-5.022	5.438
211	297.911	-11.788	-9.502	-5.022	5.438

Footing Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 3.666 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

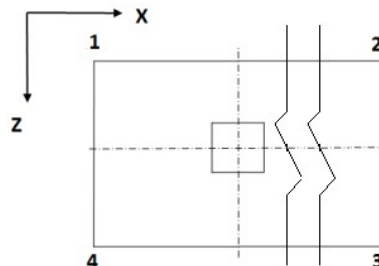
Final dimensions for design

Length (L_2) = 2.300 m Governing Load Case : # 102

Width (W_2) = 2.300 m Governing Load Case : # 102

Area (A_2) = 5.290 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	117.8022	108.0574	99.8542	109.5990	0.000
102	117.8022	108.0574	99.8542	109.5990	0.000
102	117.8022	108.0574	99.8542	109.5990	0.000
102	117.8022	108.0574	99.8542	109.5990	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	117.8022	108.0574	99.8542	109.5990
102	117.8022	108.0574	99.8542	109.5990
102	117.8022	108.0574	99.8542	109.5990
102	117.8022	108.0574	99.8542	109.5990

Details of Out-of-Contact Area
(If Any)

Governing load case = N/A
 Plan area of footing = 5.290 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A
 Plan area of footing = 5.290 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	19.257	23.891	70.579	62.268
102	21.146	27.357	80.728	67.957
103	19.257	23.891	70.579	62.268
104	19.257	23.891	70.579	62.268
105	22.717	29.389	86.724	73.005
106	22.717	29.389	86.724	73.005
107	22.717	29.389	86.724	73.005

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 101
 Governing Disturbing Force : -13.098 kN

Governing Restoring Force :	252.238 kN
Minimum Sliding Ratio for the Critical Load Case :	19.257
Critical Load Case for Overturning about X-Direction :	104
Governing Overturning Moment :	-8.220 kNm
Governing Resisting Moment :	580.136 kNm
Minimum Overturning Ratio for the Critical Load Case :	70.579

Critical load case and the governing factor of safety for overturning and sliding

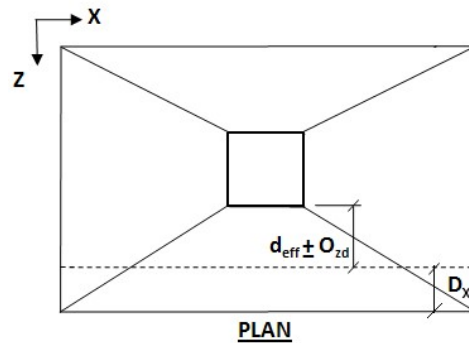
Critical Load Case for Sliding along Z-Direction :	101
Governing Disturbing Force :	-10.558 kN
Governing Restoring Force :	252.238 kN
Minimum Sliding Ratio for the Critical Load Case :	23.891
Critical Load Case for Overturning about Z-Direction :	103
Governing Overturning Moment :	9.317 kNm
Governing Resisting Moment :	580.136 kNm
Minimum Overturning Ratio for the Critical Load Case :	62.268

Check Trial Depth against moment (w.r.t. X Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.294	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.550	m
Governing moment (M_u)		= 138.848	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m2
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 157.741143	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.294	m
Effective End Depth		= 0.194	m
Effective Width		= 0.550	m
Governing moment (M_u) =		= 139.792	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m2
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 157.741143	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)(Shear Plane Parallel To X axis)**Critical Load Case = #202**

$$D_x = 0.294 \text{ m}$$

$$\text{Shear Force}(S) = 195.889 \text{ kN}$$

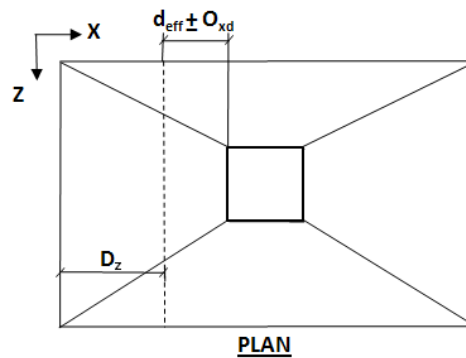
$$\text{Shear Stress}(T_v) = 224.251574 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.8059$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 590.999 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)(Shear Plane Parallel To Z axis)**Critical Load Case = #202**

$$D_z = 0.294 \text{ m}$$

$$\text{Shear Force}(S) = 197.190 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 225.741102 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.7992$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 589.093 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 574.548 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 865.782 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 16 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.777 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.950 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

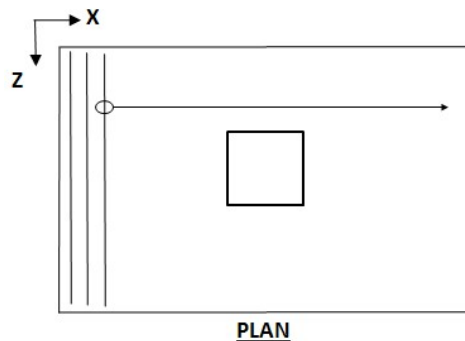
$$\text{Bar diameter corresponding to max bar size}(d_b) = 16 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.777 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.950 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 966.000 mm²

Calculated Area of Steel (A_{st}) = 1292.247 mm²

Provided Area of Steel ($A_{st,Provided}$) = 1292.247 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

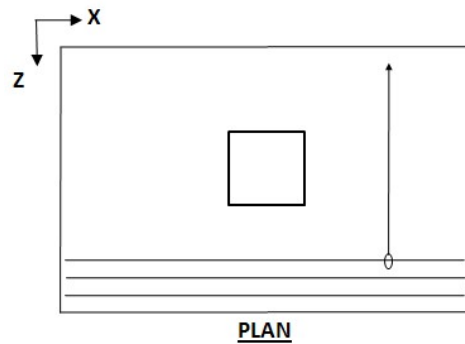
Selected spacing (S) = 198.909 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 195.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 966.000 mm²

Calculated Area of Steel (A_{st}) = 1303.117 mm²

Provided Area of Steel ($A_{st,Provided}$) = 1303.117 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 198.909 mm

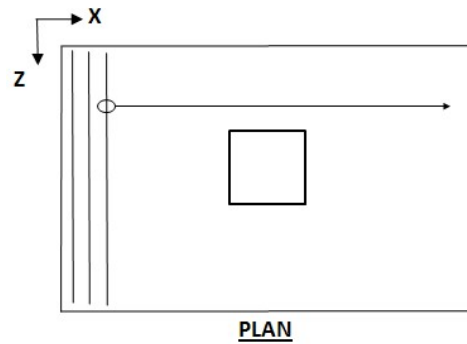
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 195.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 966.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 690.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 966.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \emptyset 12$$

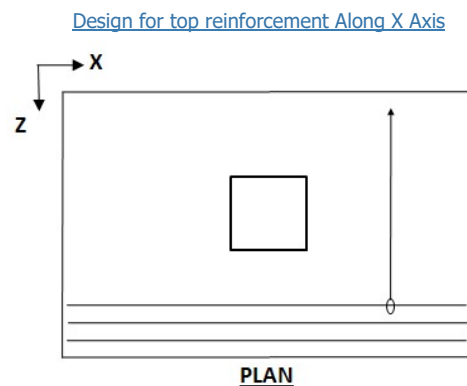
$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size} < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 966.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 991.819 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 991.819 \text{ mm}^2$$

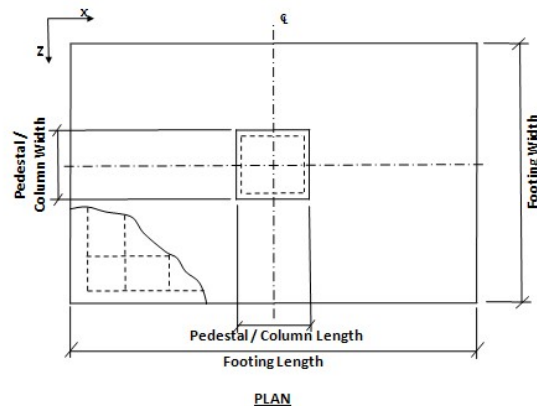
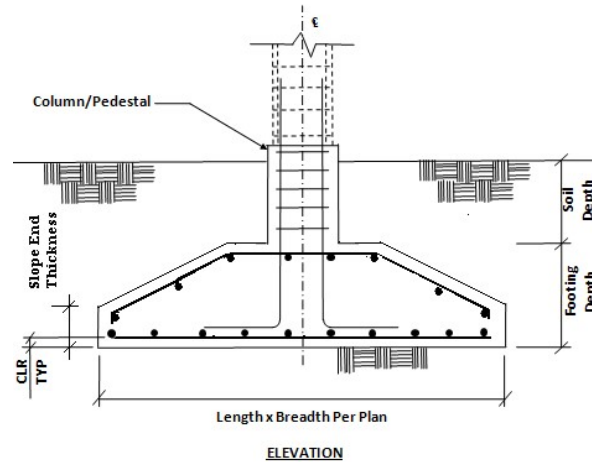
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 33



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No

Pedestal Shape : N/A

Pedestal Height (Ph) : N/A

Pedestal Length - X (Pl) : N/A

Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³

Strength of Concrete : 25.000 N/mm²

Yield Strength of Steel : 500.000 N/mm²

Minimum Bar Size : Ø12

Maximum Bar Size : Ø25

Minimum Bar Spacing : 50.000 mm

Maximum Bar Spacing : 250.000 mm

Pedestal Clear Cover (P, CL) : 50.000 mm

Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained

Unit Weight : 18.000 kN/m³

Soil Bearing Capacity : 120.000 kN/m²

Soil Surcharge : 0.000 kN/m²

Depth of Soil above Footing : 1500.000 mm

Cohesion : 0.000 kN/m²

Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500

Factor of Safety Against Sliding : 1.500

Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	312.743	13.049	-10.478	-5.526	-6.183
102	383.917	13.199	-10.595	-5.596	-6.261
103	312.743	13.049	-10.478	-5.526	-6.183
104	312.743	13.049	-10.478	-5.526	-6.183
105	307.133	10.559	-8.476	-4.477	-5.009
106	307.133	10.559	-8.476	-4.477	-5.009
107	307.133	10.559	-8.476	-4.477	-5.009

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	312.743	13.049	-10.478	-5.526	-6.183
102	383.917	13.199	-10.595	-5.596	-6.261
103	312.743	13.049	-10.478	-5.526	-6.183
104	312.743	13.049	-10.478	-5.526	-6.183
105	307.133	10.559	-8.476	-4.477	-5.009
106	307.133	10.559	-8.476	-4.477	-5.009
107	307.133	10.559	-8.476	-4.477	-5.009

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	469.114	19.574	-15.717	-8.288	-9.275
202	575.875	19.798	-15.893	-8.394	-9.392

203	368.560	12.671	-10.171	-5.372	-6.011
204	368.560	12.671	-10.171	-5.372	-6.011
205	368.560	12.671	-10.171	-5.372	-6.011
206	375.291	15.659	-12.574	-6.631	-7.420
207	375.291	15.659	-12.574	-6.631	-7.420
208	375.291	15.659	-12.574	-6.631	-7.420
209	281.469	11.744	-9.430	-4.973	-5.565
210	281.469	11.744	-9.430	-4.973	-5.565
211	281.469	11.744	-9.430	-4.973	-5.565
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	469.114	19.574	-15.717	-8.288	-9.275
202	575.875	19.798	-15.893	-8.394	-9.392
203	368.560	12.671	-10.171	-5.372	-6.011
204	368.560	12.671	-10.171	-5.372	-6.011
205	368.560	12.671	-10.171	-5.372	-6.011
206	375.291	15.659	-12.574	-6.631	-7.420
207	375.291	15.659	-12.574	-6.631	-7.420
208	375.291	15.659	-12.574	-6.631	-7.420
209	281.469	11.744	-9.430	-4.973	-5.565
210	281.469	11.744	-9.430	-4.973	-5.565
211	281.469	11.744	-9.430	-4.973	-5.565

Footings Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 3.445 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

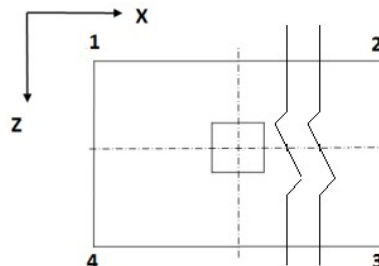
Final dimensions for design

Length (L_2) = 2.200 m Governing Load Case : # 102

Width (W_2) = 2.200 m Governing Load Case : # 102

Area (A_2) = 4.840 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	106.2443	116.3169	107.6311	97.5584	0.000
102	106.2443	116.3169	107.6311	97.5584	0.000
102	106.2443	116.3169	107.6311	97.5584	0.000
102	106.2443	116.3169	107.6311	97.5584	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	106.2443	116.3169	107.6311	97.5584
102	106.2443	116.3169	107.6311	97.5584
102	106.2443	116.3169	107.6311	97.5584
102	106.2443	116.3169	107.6311	97.5584

Details of Out-of-Contact Area
(If Any)

Governing load case = N/A

Plan area of footing = 4.840 sq.m

Area not in contact with soil = 0.000 sq.m

% of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A

Plan area of footing = 4.840 sq.m

Area not in contact with soil = 0.000 sq.m

% of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	18.056	22.487	63.641	54.877
102	20.548	25.598	72.368	62.404
103	18.056	22.487	63.641	54.877
104	18.056	22.487	63.641	54.877
105	22.049	27.468	77.655	66.963
106	22.049	27.468	77.655	66.963
107	22.049	27.468	77.655	66.963

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 103

Governing Disturbing Force : 13.049 kN

Governing Restoring Force :	235.621 kN
Minimum Sliding Ratio for the Critical Load Case :	18.056
Critical Load Case for Overturning about X-Direction :	104
Governing Overturning Moment :	-8.145 kNm
Governing Resisting Moment :	518.358 kNm
Minimum Overturning Ratio for the Critical Load Case :	63.641

Critical load case and the governing factor of safety for overturning and sliding

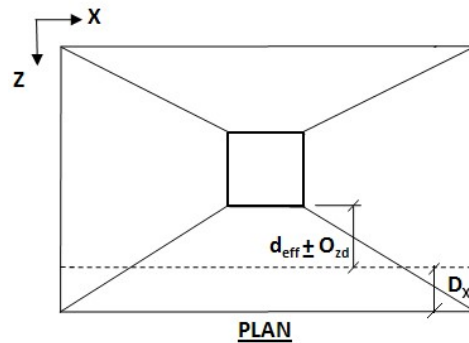
Critical Load Case for Sliding along Z-Direction :	101
Governing Disturbing Force :	-10.478 kN
Governing Restoring Force :	235.621 kN
Minimum Sliding Ratio for the Critical Load Case :	22.487
Critical Load Case for Overturning about Z-Direction :	103
Governing Overturning Moment :	-9.446 kNm
Governing Resisting Moment :	518.358 kNm
Minimum Overturning Ratio for the Critical Load Case :	54.877

Check Trial Depth against moment (w.r.t. X Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.294	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.538	m
Governing moment (M_u)		= 123.043	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 154.156117	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.294	m
Effective End Depth		= 0.194	m
Effective Width		= 0.538	m
Governing moment (M_u) =		= 123.835	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 154.156117	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)(Shear Plane Parallel To X axis)**Critical Load Case = #202**

$$D_x = 0.294 \text{ m}$$

$$\text{Shear Force}(S) = 178.774 \text{ kN}$$

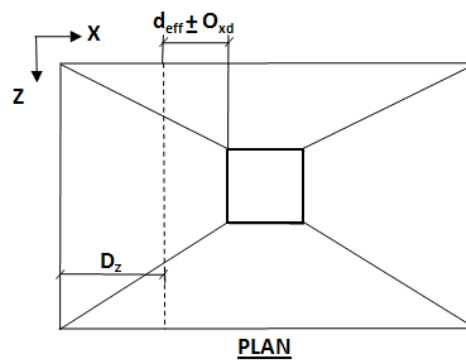
$$\text{Shear Stress}(T_v) = 214.577085 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.7150$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 564.154 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)(Shear Plane Parallel To Z axis)**Critical Load Case = #202**

$$D_z = 0.294 \text{ m}$$

$$\text{Shear Force}(S) = 179.901 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 215.929731 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.7095$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 562.454 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 533.894 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 806.756 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 16 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.777 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.900 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

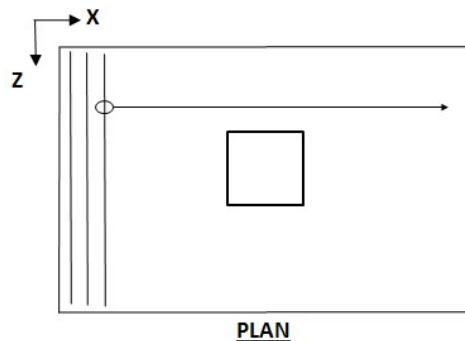
$$\text{Bar diameter corresponding to max bar size}(d_b) = 16 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.777 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.900 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 924.000 mm²

Calculated Area of Steel (A_{st}) = 1121.220 mm²

Provided Area of Steel ($A_{st,Provided}$) = 1121.220 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

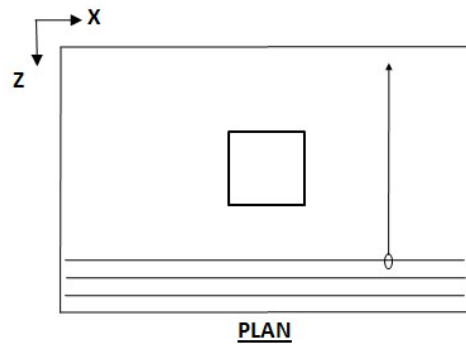
Selected spacing (S) = 232.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 230.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 924.000 mm²

Calculated Area of Steel (A_{st}) = 1129.885 mm²

Provided Area of Steel ($A_{st,Provided}$) = 1129.885 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 232.000 mm

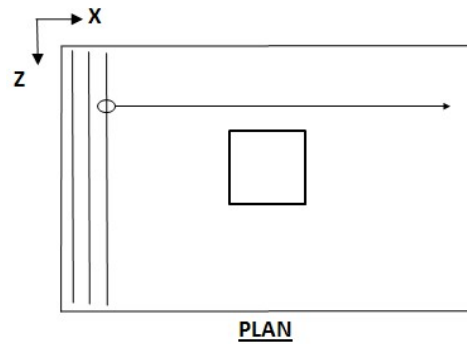
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 230.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 924.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 660.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 924.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \emptyset 12$$

$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

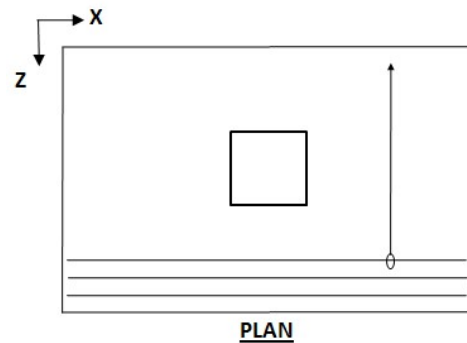
$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size} < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

[Design for top reinforcement Along X Axis](#)



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 924.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 869.183 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 924.000 \text{ mm}^2$$

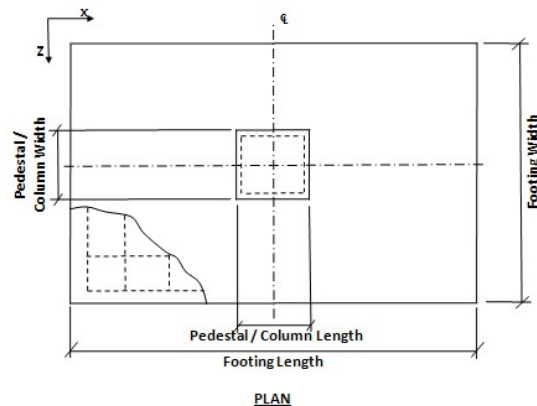
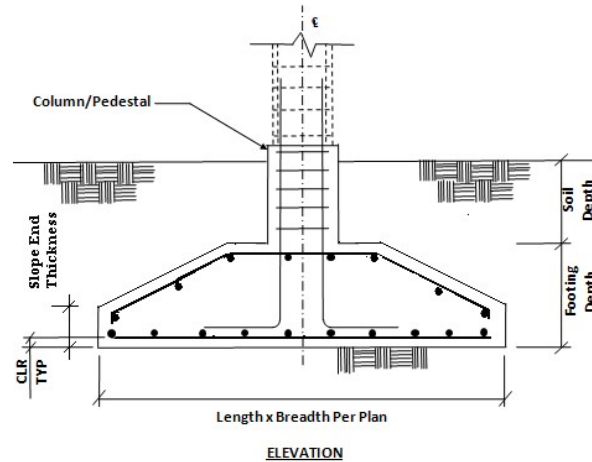
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 34



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No

Pedestal Shape : N/A

Pedestal Height (Ph) : N/A

Pedestal Length - X (Pl) : N/A

Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³

Strength of Concrete : 25.000 N/mm²

Yield Strength of Steel : 500.000 N/mm²

Minimum Bar Size : Ø12

Maximum Bar Size : Ø25

Minimum Bar Spacing : 50.000 mm

Maximum Bar Spacing : 250.000 mm

Pedestal Clear Cover (P, CL) : 50.000 mm

Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained

Unit Weight : 18.000 kN/m³

Soil Bearing Capacity : 120.000 kN/m²

Soil Surcharge : 0.000 kN/m²

Depth of Soil above Footing : 1500.000 mm

Cohesion : 0.000 kN/m²

Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500

Factor of Safety Against Sliding : 1.500

Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	195.254	-1.067	-2.348	-1.326	0.396
102	227.299	-1.484	-2.222	-1.246	0.549
103	195.254	-1.067	-2.348	-1.326	0.396
104	195.254	-1.067	-2.348	-1.326	0.396
105	181.839	-1.187	-1.778	-0.997	0.440
106	181.839	-1.187	-1.778	-0.997	0.440
107	181.839	-1.187	-1.778	-0.997	0.440

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	195.254	-1.067	-2.348	-1.326	0.396
102	227.299	-1.484	-2.222	-1.246	0.549
103	195.254	-1.067	-2.348	-1.326	0.396
104	195.254	-1.067	-2.348	-1.326	0.396
105	181.839	-1.187	-1.778	-0.997	0.440
106	181.839	-1.187	-1.778	-0.997	0.440
107	181.839	-1.187	-1.778	-0.997	0.440

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	292.881	-1.601	-3.522	-1.989	0.595
202	340.948	-2.225	-3.333	-1.869	0.824

203	218.207	-1.424	-2.133	-1.196	0.528
204	218.207	-1.424	-2.133	-1.196	0.528
205	218.207	-1.424	-2.133	-1.196	0.528
206	234.305	-1.281	-2.817	-1.591	0.476
207	234.305	-1.281	-2.817	-1.591	0.476
208	234.305	-1.281	-2.817	-1.591	0.476
209	175.729	-0.961	-2.113	-1.193	0.357
210	175.729	-0.961	-2.113	-1.193	0.357
211	175.729	-0.961	-2.113	-1.193	0.357
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	292.881	-1.601	-3.522	-1.989	0.595
202	340.948	-2.225	-3.333	-1.869	0.824
203	218.207	-1.424	-2.133	-1.196	0.528
204	218.207	-1.424	-2.133	-1.196	0.528
205	218.207	-1.424	-2.133	-1.196	0.528
206	234.305	-1.281	-2.817	-1.591	0.476
207	234.305	-1.281	-2.817	-1.591	0.476
208	234.305	-1.281	-2.817	-1.591	0.476
209	175.729	-0.961	-2.113	-1.193	0.357
210	175.729	-0.961	-2.113	-1.193	0.357
211	175.729	-0.961	-2.113	-1.193	0.357

Footing Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 2.140 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

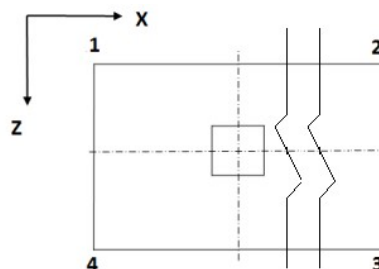
Final dimensions for design

Length (L_2) = 1.650 m Governing Load Case : # 102

Width (W_2) = 1.650 m Governing Load Case : # 102

Area (A_2) = 2.723 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	117.9943	115.5356	110.7234	113.1822	0.000
102	117.9943	115.5356	110.7234	113.1822	0.000
102	117.9943	115.5356	110.7234	113.1822	0.000
102	117.9943	115.5356	110.7234	113.1822	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	117.9943	115.5356	110.7234	113.1822
102	117.9943	115.5356	110.7234	113.1822
102	117.9943	115.5356	110.7234	113.1822
102	117.9943	115.5356	110.7234	113.1822

Details of Out-of-Contact Area
(If Any)

Governing load case = N/A
 Plan area of footing = 2.723 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A
 Plan area of footing = 2.723 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	132.730	60.342	122.197	352.411
102	106.289	70.973	144.442	282.698
103	132.730	60.342	122.197	352.411
104	132.730	60.342	122.197	352.411
105	113.711	75.929	154.528	302.438
106	113.711	75.929	154.528	302.438
107	113.711	75.929	154.528	302.438

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 102
 Governing Disturbing Force : -1.484 kN

Governing Restoring Force :	157.696 kN
Minimum Sliding Ratio for the Critical Load Case :	106.289
Critical Load Case for Overturning about X-Direction :	101
Governing Overturning Moment :	-1.913 kNm
Governing Resisting Moment :	233.757 kNm
Minimum Overturning Ratio for the Critical Load Case :	122.197

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along Z-Direction :	101
Governing Disturbing Force :	-2.348 kN
Governing Restoring Force :	141.674 kN
Minimum Sliding Ratio for the Critical Load Case :	60.342
Critical Load Case for Overturning about Z-Direction :	102
Governing Overturning Moment :	0.920 kNm
Governing Resisting Moment :	260.194 kNm
Minimum Overturning Ratio for the Critical Load Case :	282.698

Check Trial Depth against moment (w.r.t. X Axis)

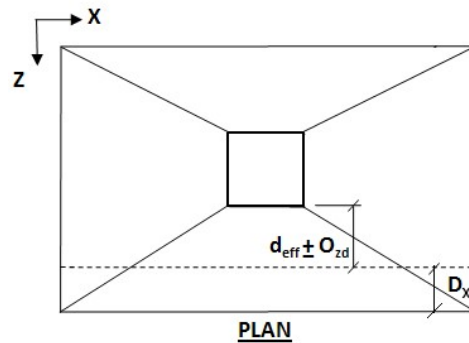
Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.094	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.469	m
Governing moment (M_u)		= 48.060	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 58.537258	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth		= 0.094	m
Effective Width		= 0.469	m
Governing moment (M_u) =		= 47.577	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 58.537258	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)

(Shear Plane Parallel To X axis)



Critical Load Case = #202

$$D_x = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 101.421 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 359.862996 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.7251$$

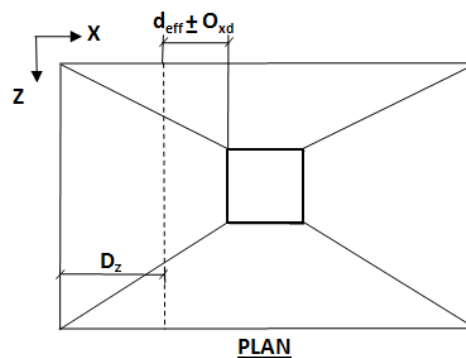
As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 567.269 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)

(Shear Plane Parallel To Z axis)



Critical Load Case = #202

$$D_z = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 100.428 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 356.341464 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.7340$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 569.971 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 310.387 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 874.457 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.625 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

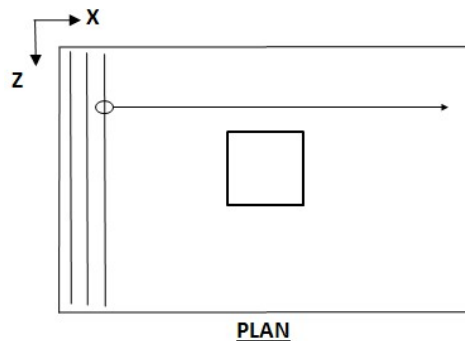
$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.625 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 495.000 mm²

Calculated Area of Steel (A_{st}) = 667.494 mm²

Provided Area of Steel ($A_{st,Provided}$) = 667.494 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

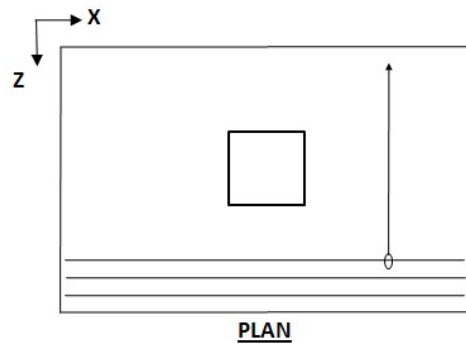
Selected spacing (S) = 250.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 495.000 mm²

Calculated Area of Steel (A_{st}) = 659.423 mm²

Provided Area of Steel ($A_{st,Provided}$) = 659.423 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 250.000 mm

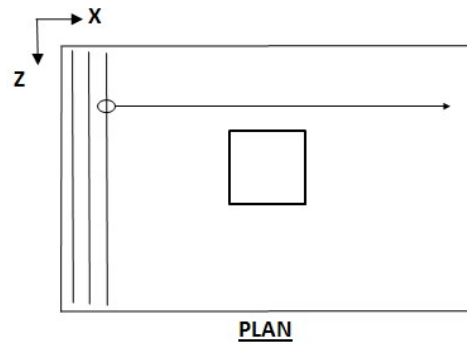
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 495.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 495.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 495.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \emptyset 12$$

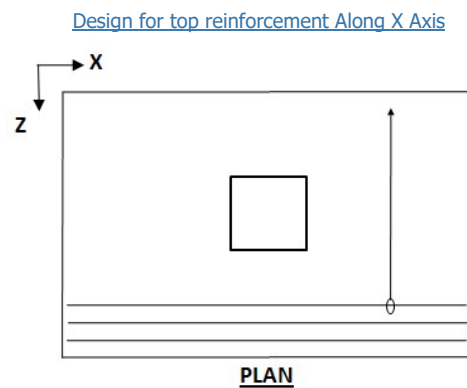
$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size} < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 495.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 495.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 495.000 \text{ mm}^2$$

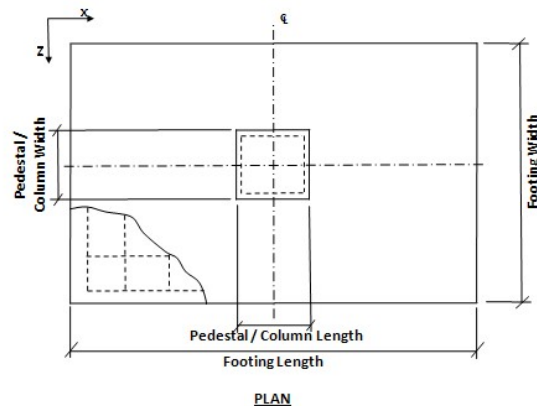
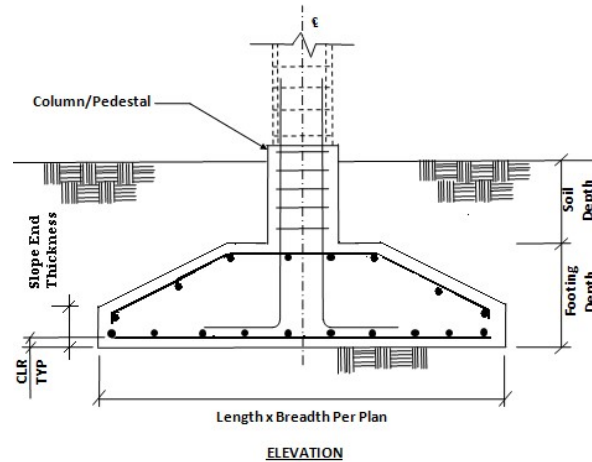
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 35



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No

Pedestal Shape : N/A

Pedestal Height (Ph) : N/A

Pedestal Length - X (Pl) : N/A

Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³

Strength of Concrete : 25.000 N/mm²

Yield Strength of Steel : 500.000 N/mm²

Minimum Bar Size : Ø12

Maximum Bar Size : Ø25

Minimum Bar Spacing : 50.000 mm

Maximum Bar Spacing : 250.000 mm

Pedestal Clear Cover (P, CL) : 50.000 mm

Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained

Unit Weight : 18.000 kN/m³

Soil Bearing Capacity : 120.000 kN/m²

Soil Surcharge : 0.000 kN/m²

Depth of Soil above Footing : 1500.000 mm

Cohesion : 0.000 kN/m²

Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500

Factor of Safety Against Sliding : 1.500

Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	149.726	-13.556	11.230	4.949	6.201
102	167.558	-12.411	10.813	4.801	5.699
103	149.726	-13.556	11.230	4.949	6.201
104	149.726	-13.556	11.230	4.949	6.201
105	134.047	-9.929	8.650	3.841	4.559
106	134.047	-9.929	8.650	3.841	4.559
107	134.047	-9.929	8.650	3.841	4.559

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	149.726	-13.556	11.230	4.949	6.201
102	167.558	-12.411	10.813	4.801	5.699
103	149.726	-13.556	11.230	4.949	6.201
104	149.726	-13.556	11.230	4.949	6.201
105	134.047	-9.929	8.650	3.841	4.559
106	134.047	-9.929	8.650	3.841	4.559
107	134.047	-9.929	8.650	3.841	4.559

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	224.590	-20.334	16.845	7.423	9.302
202	251.338	-18.617	16.219	7.201	8.548

203	160.856	-11.915	10.380	4.609	5.471
204	160.856	-11.915	10.380	4.609	5.471
205	160.856	-11.915	10.380	4.609	5.471
206	179.672	-16.267	13.476	5.939	7.441
207	179.672	-16.267	13.476	5.939	7.441
208	179.672	-16.267	13.476	5.939	7.441
209	134.754	-12.200	10.107	4.454	5.581
210	134.754	-12.200	10.107	4.454	5.581
211	134.754	-12.200	10.107	4.454	5.581
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	224.590	-20.334	16.845	7.423	9.302
202	251.338	-18.617	16.219	7.201	8.548
203	160.856	-11.915	10.380	4.609	5.471
204	160.856	-11.915	10.380	4.609	5.471
205	160.856	-11.915	10.380	4.609	5.471
206	179.672	-16.267	13.476	5.939	7.441
207	179.672	-16.267	13.476	5.939	7.441
208	179.672	-16.267	13.476	5.939	7.441
209	134.754	-12.200	10.107	4.454	5.581
210	134.754	-12.200	10.107	4.454	5.581
211	134.754	-12.200	10.107	4.454	5.581

Footings Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 1.642 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

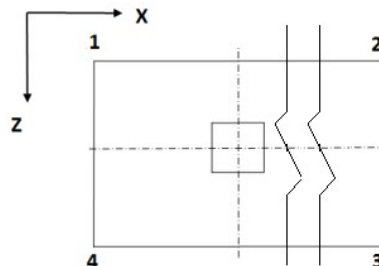
Final dimensions for design

Length (L_2) = 1.650 m Governing Load Case : # 102

Width (W_2) = 1.650 m Governing Load Case : # 102

Area (A_2) = 2.723 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	94.1488	70.6365	90.6824	114.1947	0.000
102	94.1488	70.6365	90.6824	114.1947	0.000
102	94.1488	70.6365	90.6824	114.1947	0.000
102	94.1488	70.6365	90.6824	114.1947	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	94.1488	70.6365	90.6824	114.1947
102	94.1488	70.6365	90.6824	114.1947
102	94.1488	70.6365	90.6824	114.1947
102	94.1488	70.6365	90.6824	114.1947

Details of Out-of-Contact Area (If Any)

Governing load case = N/A
 Plan area of footing = 2.723 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A
 Plan area of footing = 2.723 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	8.772	10.588	25.295	20.458
102	10.299	11.822	28.106	23.963
103	8.772	10.588	25.295	20.458
104	8.772	10.588	25.295	20.458
105	11.186	12.840	30.528	26.027
106	11.186	12.840	30.528	26.027
107	11.186	12.840	30.528	26.027

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 101
 Governing Disturbing Force : -13.556 kN

Governing Restoring Force :	118.910 kN
Minimum Sliding Ratio for the Critical Load Case :	8.772
Critical Load Case for Overturning about X-Direction :	101
Governing Overturning Moment :	7.756 kNm
Governing Resisting Moment :	196.198 kNm
Minimum Overturning Ratio for the Critical Load Case :	25.295

Critical load case and the governing factor of safety for overturning and sliding

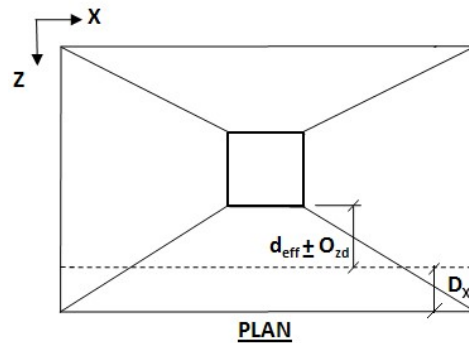
Critical Load Case for Sliding along Z-Direction :	101
Governing Disturbing Force :	11.230 kN
Governing Restoring Force :	118.910 kN
Minimum Sliding Ratio for the Critical Load Case :	10.588
Critical Load Case for Overturning about Z-Direction :	101
Governing Overturning Moment :	9.590 kNm
Governing Resisting Moment :	196.198 kNm
Minimum Overturning Ratio for the Critical Load Case :	20.458

Check Trial Depth against moment (w.r.t. X Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.094	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.469	m
Governing moment (M_u)		= 38.815	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 58.537258	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth		= 0.094	m
Effective Width		= 0.469	m
Governing moment (M_u) =		= 39.520	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 58.537258	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)(Shear Plane Parallel To X axis)**Critical Load Case = #202**

$$D_x = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 81.722 \text{ kN}$$

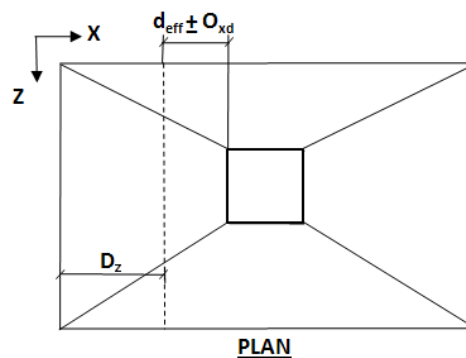
$$\text{Shear Stress}(T_v) = 289.968406 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.5830$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 520.250 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)(Shear Plane Parallel To Z axis)**Critical Load Case = #202**

$$D_z = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 83.184 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 295.155281 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.5710$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 515.933 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 228.809 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 644.625 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.625 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

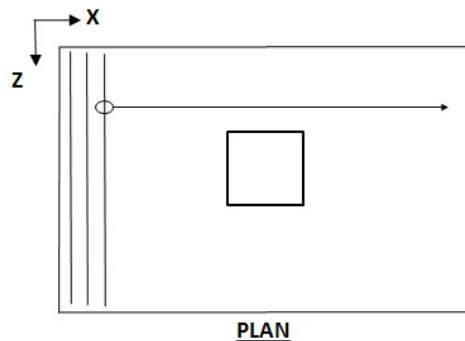
$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.625 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 495.000 mm²

Calculated Area of Steel (A_{st}) = 519.252 mm²

Provided Area of Steel ($A_{st,Provided}$) = 519.252 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

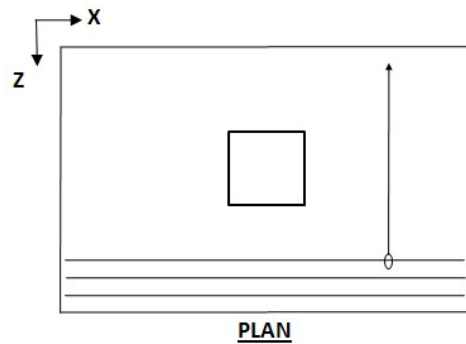
Selected spacing (S) = 250.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 495.000 mm²

Calculated Area of Steel (A_{st}) = 530.121 mm²

Provided Area of Steel ($A_{st,Provided}$) = 530.121 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 250.000 mm

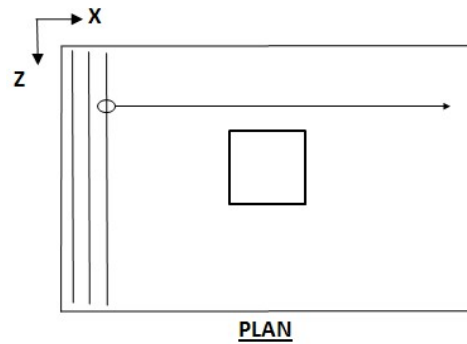
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 495.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 495.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 495.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \emptyset 12$$

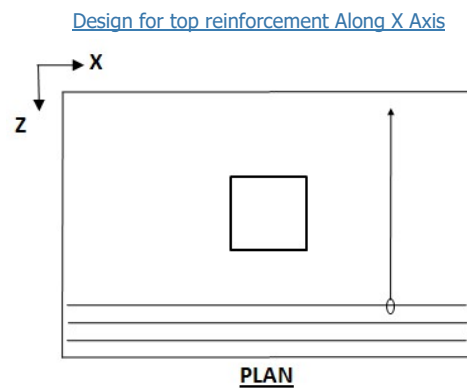
$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size } < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 495.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 495.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 495.000 \text{ mm}^2$$

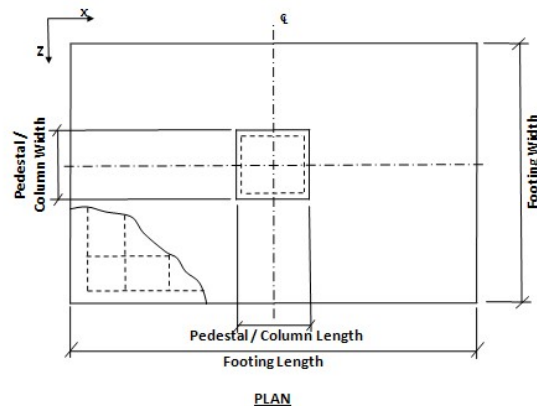
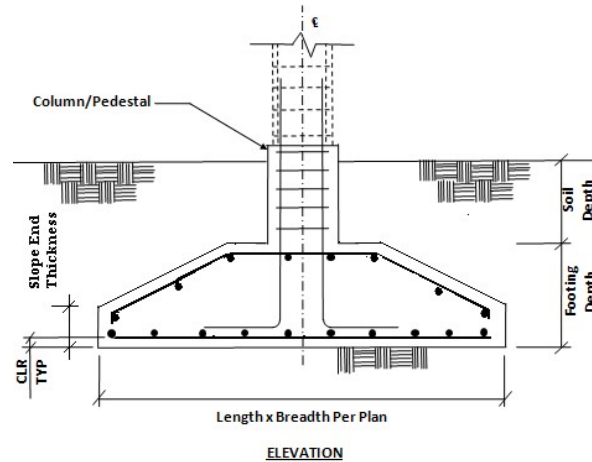
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 36



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No

Pedestal Shape : N/A

Pedestal Height (Ph) : N/A

Pedestal Length - X (Pl) : N/A

Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³

Strength of Concrete : 25.000 N/mm²

Yield Strength of Steel : 500.000 N/mm²

Minimum Bar Size : Ø12

Maximum Bar Size : Ø25

Minimum Bar Spacing : 50.000 mm

Maximum Bar Spacing : 250.000 mm

Pedestal Clear Cover (P, CL) : 50.000 mm

Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained

Unit Weight : 18.000 kN/m³

Soil Bearing Capacity : 120.000 kN/m²

Soil Surcharge : 0.000 kN/m²

Depth of Soil above Footing : 1500.000 mm

Cohesion : 0.000 kN/m²

Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500

Factor of Safety Against Sliding : 1.500

Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	159.264	13.599	11.563	4.784	-6.513
102	178.748	12.433	11.099	4.595	-5.997
103	159.264	13.599	11.563	4.784	-6.513
104	159.264	13.599	11.563	4.784	-6.513
105	142.998	9.946	8.879	3.676	-4.798
106	142.998	9.946	8.879	3.676	-4.798
107	142.998	9.946	8.879	3.676	-4.798

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	159.264	13.599	11.563	4.784	-6.513
102	178.748	12.433	11.099	4.595	-5.997
103	159.264	13.599	11.563	4.784	-6.513
104	159.264	13.599	11.563	4.784	-6.513
105	142.998	9.946	8.879	3.676	-4.798
106	142.998	9.946	8.879	3.676	-4.798
107	142.998	9.946	8.879	3.676	-4.798

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	238.896	20.398	17.345	7.177	-9.770
202	268.122	18.649	16.649	6.892	-8.996

203	171.598	11.936	10.655	4.411	-5.757
204	171.598	11.936	10.655	4.411	-5.757
205	171.598	11.936	10.655	4.411	-5.757
206	191.117	16.319	13.876	5.741	-7.816
207	191.117	16.319	13.876	5.741	-7.816
208	191.117	16.319	13.876	5.741	-7.816
209	143.338	12.239	10.407	4.306	-5.862
210	143.338	12.239	10.407	4.306	-5.862
211	143.338	12.239	10.407	4.306	-5.862
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	238.896	20.398	17.345	7.177	-9.770
202	268.122	18.649	16.649	6.892	-8.996
203	171.598	11.936	10.655	4.411	-5.757
204	171.598	11.936	10.655	4.411	-5.757
205	171.598	11.936	10.655	4.411	-5.757
206	191.117	16.319	13.876	5.741	-7.816
207	191.117	16.319	13.876	5.741	-7.816
208	191.117	16.319	13.876	5.741	-7.816
209	143.338	12.239	10.407	4.306	-5.862
210	143.338	12.239	10.407	4.306	-5.862
211	143.338	12.239	10.407	4.306	-5.862

Footing Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 1.735 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

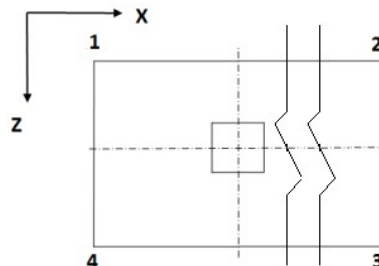
Final dimensions for design

Length (L_2) = 1.650 m Governing Load Case : # 102

Width (W_2) = 1.650 m Governing Load Case : # 102

Area (A_2) = 2.723 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	74.5201	98.8438	118.5311	94.2074	0.000
102	74.5201	98.8438	118.5311	94.2074	0.000
102	74.5201	98.8438	118.5311	94.2074	0.000
102	74.5201	98.8438	118.5311	94.2074	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	74.5201	98.8438	118.5311	94.2074
102	74.5201	98.8438	118.5311	94.2074
102	74.5201	98.8438	118.5311	94.2074
102	74.5201	98.8438	118.5311	94.2074

Details of Out-of-Contact Area (If Any)

Governing load case = N/A
 Plan area of footing = 2.723 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A
 Plan area of footing = 2.723 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	9.095	10.696	26.588	20.585
102	10.731	12.021	29.871	24.177
103	9.095	10.696	26.588	20.585
104	9.095	10.696	26.588	20.585
105	11.617	13.013	32.336	26.173
106	11.617	13.013	32.336	26.173
107	11.617	13.013	32.336	26.173

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 101
 Governing Disturbing Force : 13.599 kN

Governing Restoring Force :	123.679	kN
Minimum Sliding Ratio for the Critical Load Case :	9.095	
Critical Load Case for Overturning about X-Direction :	101	
Governing Overturning Moment :	7.675	kNm
Governing Resisting Moment :	204.066	kNm
Minimum Overturning Ratio for the Critical Load Case :	26.588	

Critical load case and the governing factor of safety for overturning and sliding

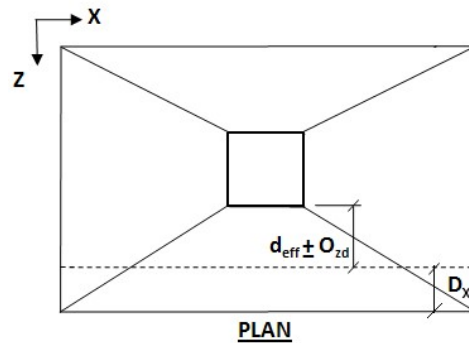
Critical Load Case for Sliding along Z-Direction :	101	
Governing Disturbing Force :	11.563	kN
Governing Restoring Force :	123.679	kN
Minimum Sliding Ratio for the Critical Load Case :	10.696	
Critical Load Case for Overturning about Z-Direction :	101	
Governing Overturning Moment :	-9.913	kNm
Governing Resisting Moment :	204.066	kNm
Minimum Overturning Ratio for the Critical Load Case :	20.585	

Check Trial Depth against moment (w.r.t. X Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.094	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.469	m
Governing moment (M_u)		= 41.059	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 58.537258	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth		= 0.094	m
Effective Width		= 0.469	m
Governing moment (M_u) =		= 42.010	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 58.537258	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)(Shear Plane Parallel To X axis)**Critical Load Case = #202**

$$D_x = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 86.464 \text{ kN}$$

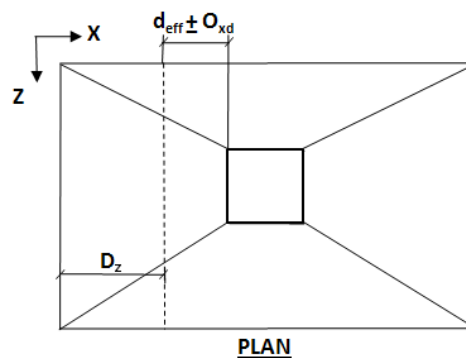
$$\text{Shear Stress}(T_v) = 306.792664 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.6257$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 535.202 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)(Shear Plane Parallel To Z axis)**Critical Load Case = #202**

$$D_z = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 88.419 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 313.730266 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.6093$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 529.538 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 244.088 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 687.673 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.625 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

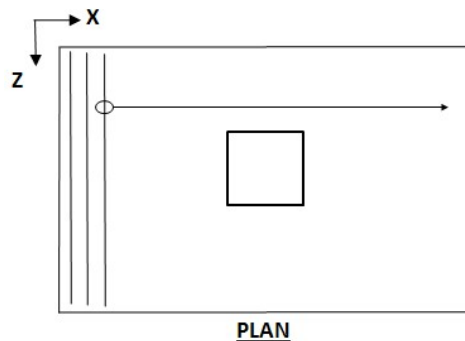
$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.625 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 495.000 mm²

Calculated Area of Steel (A_{st}) = 554.056 mm²

Provided Area of Steel ($A_{st,Provided}$) = 554.056 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

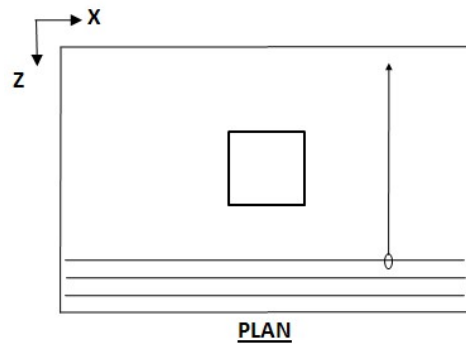
Selected spacing (S) = 250.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 495.000 mm²

Calculated Area of Steel (A_{st}) = 569.029 mm²

Provided Area of Steel ($A_{st,Provided}$) = 569.029 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 250.000 mm

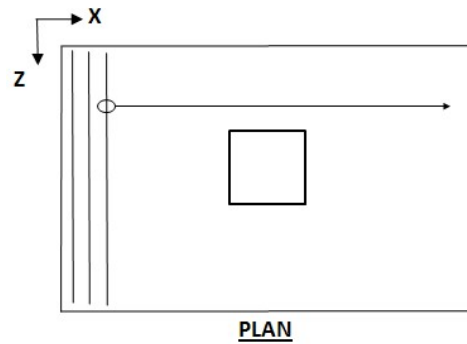
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 495.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 495.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 495.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \varnothing 12$$

$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

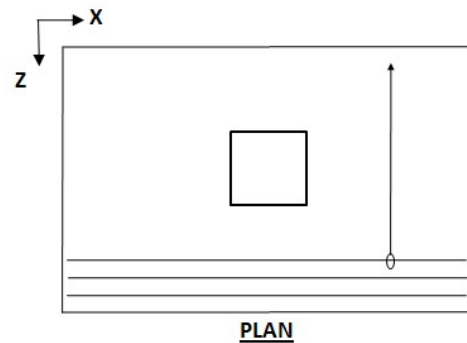
$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size} < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

[Design for top reinforcement Along X Axis](#)



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 495.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 495.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 495.000 \text{ mm}^2$$

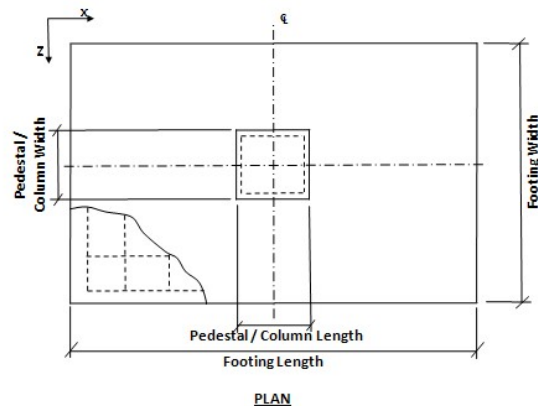
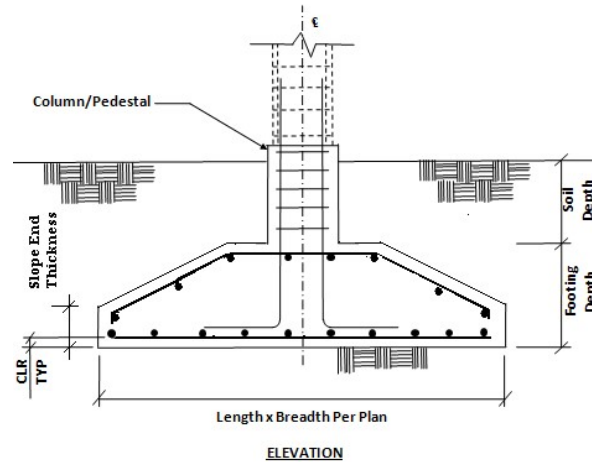
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 37



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No

Pedestal Shape : N/A

Pedestal Height (Ph) : N/A

Pedestal Length - X (Pl) : N/A

Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³

Strength of Concrete : 25.000 N/mm²

Yield Strength of Steel : 500.000 N/mm²

Minimum Bar Size : Ø12

Maximum Bar Size : Ø25

Minimum Bar Spacing : 50.000 mm

Maximum Bar Spacing : 250.000 mm

Pedestal Clear Cover (P, CL) : 50.000 mm

Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained

Unit Weight : 18.000 kN/m³

Soil Bearing Capacity : 120.000 kN/m²

Soil Surcharge : 0.000 kN/m²

Depth of Soil above Footing : 1500.000 mm

Cohesion : 0.000 kN/m²

Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500

Factor of Safety Against Sliding : 1.500

Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	143.300	-9.200	11.600	4.817	4.336
102	159.382	-8.591	11.140	4.628	4.035
103	143.300	-9.200	11.600	4.817	4.336
104	143.300	-9.200	11.600	4.817	4.336
105	127.505	-6.873	8.912	3.702	3.228
106	127.505	-6.873	8.912	3.702	3.228
107	127.505	-6.873	8.912	3.702	3.228

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	143.300	-9.200	11.600	4.817	4.336
102	159.382	-8.591	11.140	4.628	4.035
103	143.300	-9.200	11.600	4.817	4.336
104	143.300	-9.200	11.600	4.817	4.336
105	127.505	-6.873	8.912	3.702	3.228
106	127.505	-6.873	8.912	3.702	3.228
107	127.505	-6.873	8.912	3.702	3.228

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	214.949	-13.799	17.401	7.225	6.504
202	239.072	-12.887	16.709	6.942	6.053

203	153.006	-8.248	10.694	4.443	3.874
204	153.006	-8.248	10.694	4.443	3.874
205	153.006	-8.248	10.694	4.443	3.874
206	171.959	-11.039	13.921	5.780	5.203
207	171.959	-11.039	13.921	5.780	5.203
208	171.959	-11.039	13.921	5.780	5.203
209	128.970	-8.280	10.440	4.335	3.902
210	128.970	-8.280	10.440	4.335	3.902
211	128.970	-8.280	10.440	4.335	3.902
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	214.949	-13.799	17.401	7.225	6.504
202	239.072	-12.887	16.709	6.942	6.053
203	153.006	-8.248	10.694	4.443	3.874
204	153.006	-8.248	10.694	4.443	3.874
205	153.006	-8.248	10.694	4.443	3.874
206	171.959	-11.039	13.921	5.780	5.203
207	171.959	-11.039	13.921	5.780	5.203
208	171.959	-11.039	13.921	5.780	5.203
209	128.970	-8.280	10.440	4.335	3.902
210	128.970	-8.280	10.440	4.335	3.902
211	128.970	-8.280	10.440	4.335	3.902

Footings Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 1.574 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

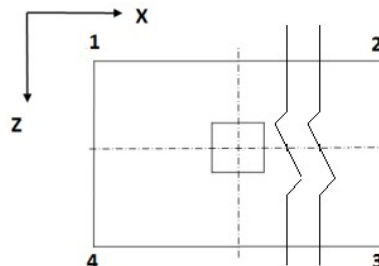
Final dimensions for design

Length (L_2) = 1.600 m Governing Load Case : # 101

Width (W_2) = 1.600 m Governing Load Case : # 101

Area (A_2) = 2.560 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	91.2764	73.1618	94.8798	112.9944	0.000
102	91.2764	73.1618	94.8798	112.9944	0.000
102	91.2764	73.1618	94.8798	112.9944	0.000
102	91.2764	73.1618	94.8798	112.9944	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	91.2764	73.1618	94.8798	112.9944
102	91.2764	73.1618	94.8798	112.9944
102	91.2764	73.1618	94.8798	112.9944
102	91.2764	73.1618	94.8798	112.9944

Details of Out-of-Contact Area (If Any)

Governing load case = N/A
 Plan area of footing = 2.560 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A
 Plan area of footing = 2.560 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	12.283	9.741	23.428	27.245
102	14.088	10.865	26.124	31.320
103	12.283	9.741	23.428	27.245
104	12.283	9.741	23.428	27.245
105	15.291	11.793	28.355	33.995
106	15.291	11.793	28.355	33.995
107	15.291	11.793	28.355	33.995

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 101
 Governing Disturbing Force : -9.200 kN

Governing Restoring Force :	112.995 kN
Minimum Sliding Ratio for the Critical Load Case :	12.283
Critical Load Case for Overturning about X-Direction :	101
Governing Overturning Moment :	7.717 kNm
Governing Resisting Moment :	180.788 kNm
Minimum Overturning Ratio for the Critical Load Case :	23.428

Critical load case and the governing factor of safety for overturning and sliding

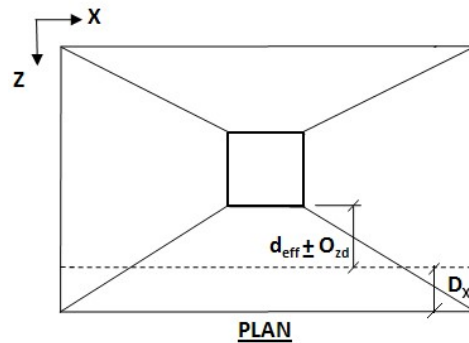
Critical Load Case for Sliding along Z-Direction :	101
Governing Disturbing Force :	11.600 kN
Governing Restoring Force :	112.995 kN
Minimum Sliding Ratio for the Critical Load Case :	9.741
Critical Load Case for Overturning about Z-Direction :	101
Governing Overturning Moment :	6.636 kNm
Governing Resisting Moment :	180.788 kNm
Minimum Overturning Ratio for the Critical Load Case :	27.245

Check Trial Depth against moment (w.r.t. X Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.094	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.463	m
Governing moment (M_u)		= 35.583	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 57.756761	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth		= 0.094	m
Effective Width		= 0.463	m
Governing moment (M_u) =		= 34.912	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 57.756761	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)(Shear Plane Parallel To X axis)**Critical Load Case = #202**

$$D_x = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 76.633 \text{ kN}$$

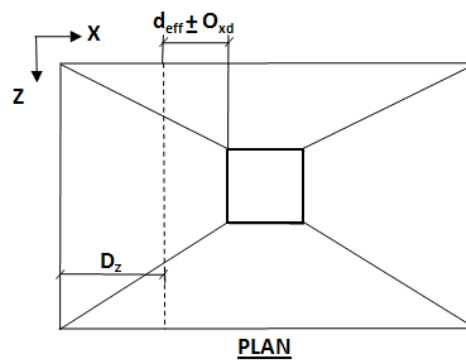
$$\text{Shear Stress}(T_v) = 281.029559 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.5350$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 502.517 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)(Shear Plane Parallel To Z axis)**Critical Load Case = #202**

$$D_z = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 75.223 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 275.859380 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.5350$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 502.517 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 216.282 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 611.216 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.600 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

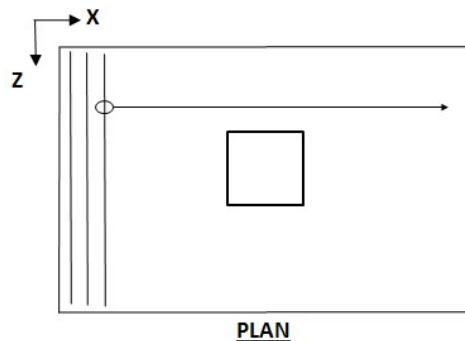
$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.600 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 480.000 mm²

Calculated Area of Steel (A_{st}) = 471.128 mm²

Provided Area of Steel ($A_{st,Provided}$) = 480.000 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

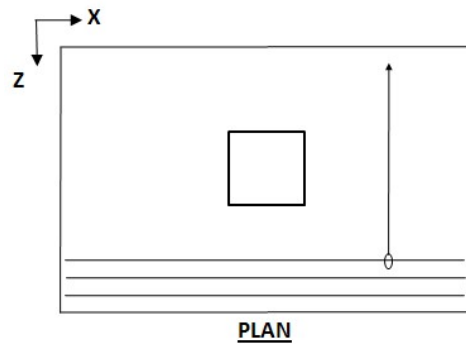
Selected spacing (S) = 250.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 480.000 mm²

Calculated Area of Steel (A_{st}) = 461.094 mm²

Provided Area of Steel ($A_{st,Provided}$) = 480.000 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 250.000 mm

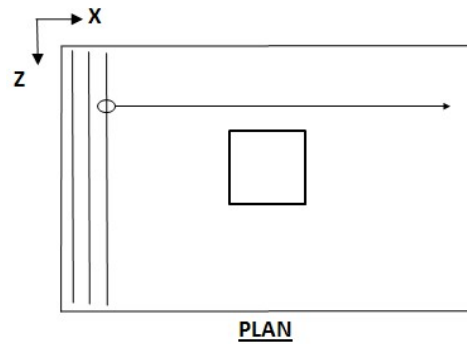
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 480.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 480.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 480.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \emptyset 12$$

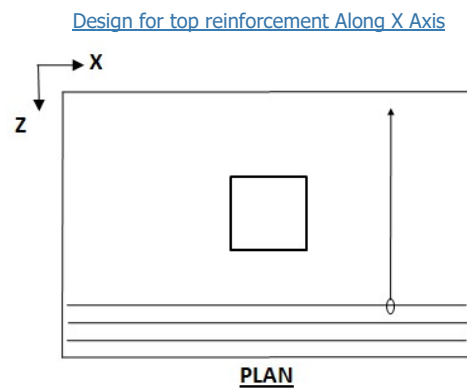
$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size} < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 480.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 480.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 480.000 \text{ mm}^2$$

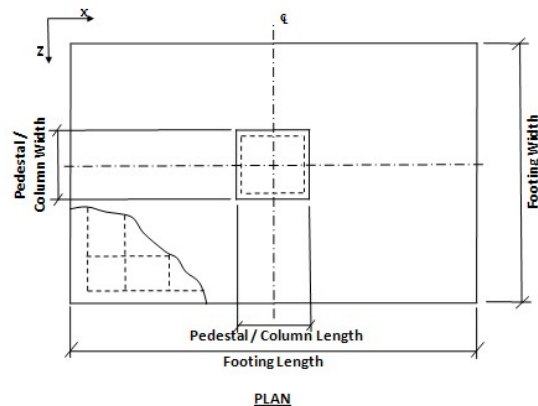
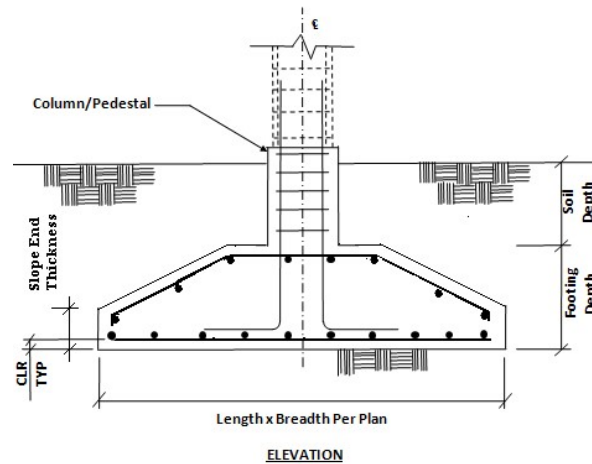
$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12
 Minimum spacing allowed (S_{min}) = 50.000 mm
 Selected spacing (S) = 250.000 mm
 $S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Isolated Footing 38



Input Values

Footing Geometry

Design Type : Set Dimension
 Footing Thickness (Ft) : 250.000 mm
 Slope End Thickness (St) : 150.000 mm
 Footing Length - X (Fl) : 1000.000 mm
 Footing Width - Z (Fw) : 1000.000 mm
 Eccentricity along X (Oxd) : 0.000 mm
 Eccentricity along Z (Ozd) : 0.000 mm

Column Dimensions

Column Shape : Rectangular
 Column Length - X (Pl) : 0.300 m

Column Width - Z (Pw) : 0.300 m

Pedestal

Include Pedestal? No
 Pedestal Shape : N/A
 Pedestal Height (Ph) : N/A
 Pedestal Length - X (Pl) : N/A
 Pedestal Width - Z (Pw) : N/A

Design Parameters

Concrete and Rebar Properties

Unit Weight of Concrete : 25.000 kN/m³
 Strength of Concrete : 25.000 N/mm²
 Yield Strength of Steel : 500.000 N/mm²
 Minimum Bar Size : Ø12
 Maximum Bar Size : Ø25
 Minimum Bar Spacing : 50.000 mm
 Maximum Bar Spacing : 250.000 mm
 Pedestal Clear Cover (P, CL) : 50.000 mm
 Footing Clear Cover (F, CL) : 50.000 mm

Soil Properties

Soil Type : Drained
 Unit Weight : 18.000 kN/m³
 Soil Bearing Capacity : 120.000 kN/m²
 Soil Surcharge : 0.000 kN/m²
 Depth of Soil above Footing : 1500.000 mm
 Cohesion : 0.000 kN/m²
 Min Percentage of Slab : 0.000

Sliding and Overturning

Coefficient of Friction : 0.500
 Factor of Safety Against Sliding : 1.500
 Factor of Safety Against Overturning : 1.500

Footing Design Calculations

Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title
101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Service Stress Level	
Load Combination Number	Load Combination Title

101	1.000 x DL
102	1.000 x DL+1.000 x LL
103	1.000 x DL+1.000 x ELX+1.000 x ELX
104	1.000 x DL+1.000 x ELZ+1.000 x ELZ
105	0.800 x DL+0.800 x LL
106	0.800 x DL+0.800 x LL+0.800 x ELX+0.800 x ELX
107	0.800 x DL+0.800 x LL+0.800 x ELZ+0.800 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ
Load Combination/s- Strength Level	
Load Combination Number	Load Combination Title
201	1.500 x DL
202	1.500 x DL+1.500 x LL
203	0.960 x DL+0.960 x LL
204	0.960 x DL+0.960 x LL+0.960 x ELX+0.960 x ELX
205	0.960 x DL+0.960 x LL+0.960 x ELZ+0.960 x ELZ
206	1.200 x DL
207	1.200 x DL+1.200 x ELX+1.200 x ELX
208	1.200 x DL+1.200 x ELZ+1.200 x ELZ
209	0.900 x DL
210	0.900 x DL+1.200 x ELX+1.200 x ELX
211	0.900 x DL+1.200 x ELZ+1.200 x ELZ

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	134.455	9.446	11.301	5.006	-4.392
102	149.161	8.943	10.898	4.873	-4.197
103	134.455	9.446	11.301	5.006	-4.392
104	134.455	9.446	11.301	5.006	-4.392
105	119.328	7.155	8.718	3.898	-3.358
106	119.328	7.155	8.718	3.898	-3.358
107	119.328	7.155	8.718	3.898	-3.358

Applied Loads - Service Stress Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
101	134.455	9.446	11.301	5.006	-4.392
102	149.161	8.943	10.898	4.873	-4.197
103	134.455	9.446	11.301	5.006	-4.392
104	134.455	9.446	11.301	5.006	-4.392
105	119.328	7.155	8.718	3.898	-3.358
106	119.328	7.155	8.718	3.898	-3.358
107	119.328	7.155	8.718	3.898	-3.358

Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	201.683	14.170	16.951	7.509	-6.587
202	223.741	13.415	16.347	7.309	-6.296

203	143.194	8.585	10.462	4.678	-4.030
204	143.194	8.585	10.462	4.678	-4.030
205	143.194	8.585	10.462	4.678	-4.030
206	161.346	11.336	13.561	6.007	-5.270
207	161.346	11.336	13.561	6.007	-5.270
208	161.346	11.336	13.561	6.007	-5.270
209	121.010	8.502	10.171	4.506	-3.952
210	121.010	8.502	10.171	4.506	-3.952
211	121.010	8.502	10.171	4.506	-3.952
Applied Loads - Strength Level					
LC	Axial (kN)	Shear X (kN)	Shear Z (kN)	Moment X (kNm)	Moment Z (kNm)
201	201.683	14.170	16.951	7.509	-6.587
202	223.741	13.415	16.347	7.309	-6.296
203	143.194	8.585	10.462	4.678	-4.030
204	143.194	8.585	10.462	4.678	-4.030
205	143.194	8.585	10.462	4.678	-4.030
206	161.346	11.336	13.561	6.007	-5.270
207	161.346	11.336	13.561	6.007	-5.270
208	161.346	11.336	13.561	6.007	-5.270
209	121.010	8.502	10.171	4.506	-3.952
210	121.010	8.502	10.171	4.506	-3.952
211	121.010	8.502	10.171	4.506	-3.952

Footing Size

Initial Length (L_o) = 1.000 m

Initial Width (W_o) = 1.000 m

Reduction of force due to buoyancy = 0.000 kN

Effect due to adhesion = 0.000 kN

Area from initial length and width, $A_o = L_o \times W_o = 1.000 \text{ m}^2$

Min. area required from bearing pressure, $A_{\min} = P / q_{\max} = 1.489 \text{ m}^2$

Note: A_{\min} is an initial estimation.

P = Critical Factored Axial Load (without self weight/buoyancy/soil).

q_{\max} = Respective Factored Bearing Capacity.

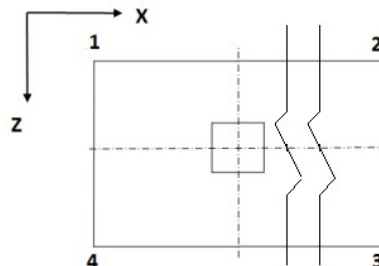
Final dimensions for design

Length (L_2) = 1.600 m Governing Load Case : # 101

Width (W_2) = 1.600 m Governing Load Case : # 101

Area (A_2) = 2.560 m^2

Pressures at Four Corner



Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)	Area of footing in uplift (A_u) (m ²)
102	68.5326	87.3801	109.6385	90.7909	0.000
102	68.5326	87.3801	109.6385	90.7909	0.000
102	68.5326	87.3801	109.6385	90.7909	0.000
102	68.5326	87.3801	109.6385	90.7909	0.000

If A_u is zero, there is no uplift and no pressure adjustment is necessary. Otherwise, to account for uplift, areas of negative pressure will be set to zero and the pressure will be redistributed to remaining corners.

Summary of adjusted Pressures at Four Corner

Load Case	Pressure at corner 1 (q_1) (kN/m ²)	Pressure at corner 2 (q_2) (kN/m ²)	Pressure at corner 3 (q_3) (kN/m ²)	Pressure at corner 4 (q_4) (kN/m ²)
102	68.5326	87.3801	109.6385	90.7909
102	68.5326	87.3801	109.6385	90.7909
102	68.5326	87.3801	109.6385	90.7909
102	68.5326	87.3801	109.6385	90.7909

Details of Out-of-Contact Area (If Any)

Governing load case = N/A
 Plan area of footing = 2.560 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Detail of Out-of-contact Area

Governing load case = N/A
 Plan area of footing = 2.560 sq.m
 Area not in contact with soil = 0.000 sq.m
 % of total area not in contact = 0.000%

Check For Stability Against Overturning And Sliding

-	Factor of safety against sliding		Factor of safety against overturning	
Load Case No.	Along X-Direction	Along Z-Direction	About X-Direction	About Z-Direction
101	11.494	9.608	22.182	25.723
102	12.962	10.638	24.413	28.831
103	11.494	9.608	22.182	25.723
104	11.494	9.608	22.182	25.723
105	14.118	11.586	26.590	31.402
106	14.118	11.586	26.590	31.402
107	14.118	11.586	26.590	31.402

Critical load case and the governing factor of safety for overturning and sliding

Critical Load Case for Sliding along X-Direction : 101
 Governing Disturbing Force : 9.446 kN

Governing Restoring Force :	108.573 kN
Minimum Sliding Ratio for the Critical Load Case :	11.494
Critical Load Case for Overturning about X-Direction :	104
Governing Overturning Moment :	7.831 kNm
Governing Resisting Moment :	173.713 kNm
Minimum Overturning Ratio for the Critical Load Case :	22.182

Critical load case and the governing factor of safety for overturning and sliding

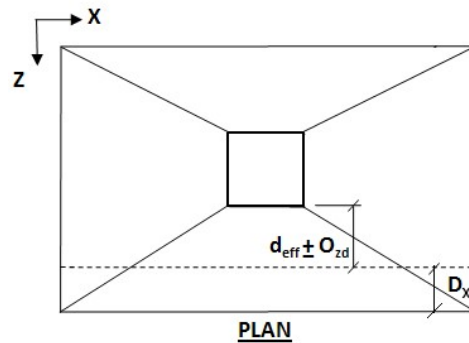
Critical Load Case for Sliding along Z-Direction :	101
Governing Disturbing Force :	11.301 kN
Governing Restoring Force :	108.573 kN
Minimum Sliding Ratio for the Critical Load Case :	9.608
Critical Load Case for Overturning about Z-Direction :	101
Governing Overturning Moment :	-6.753 kNm
Governing Resisting Moment :	173.713 kNm
Minimum Overturning Ratio for the Critical Load Case :	25.723

Check Trial Depth against moment (w.r.t. X Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth =	Initial End Depth - $D - (cc + 0.5 \times d_b)$	= 0.094	m
Effective Width of Equivalent Rectangle =	Col. Width + (Footing Width - Col. Width)/8.0	= 0.463	m
Governing moment (M_u)		= 33.658	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 57.756761	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth against moment (w.r.t. Z Axis)

Critical Load Case	= #202		
Effective Depth =	$D - (cc + 0.5 \times d_b)$	= 0.194	m
Effective End Depth		= 0.094	m
Effective Width		= 0.463	m
Governing moment (M_u) =		= 33.027	kNm
As Per IS 456 2000 ANNEX G G-1.1C			
Limiting Factor1 (K_{umax}) =	$\frac{700}{(1100 + 0.87 \times f_y)}$	= 0.456026	
Limiting Factor2 (R_{umax}) =	$0.36 \times f_{ck} \times k_{umax} \times (1 - 0.42 \times k_{umax})$	= 3318.146612	kN/m ²
Limit Moment Of Resistance (M_{umax}) =	$R_{umax} \times B \times d_e^2$	= 57.756761	kNm
$M_u \leq M_{umax}$	hence, safe		

Check Trial Depth for one way shear (Along X Axis)(Shear Plane Parallel To X axis)**Critical Load Case = #202**

$$D_x = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 72.475 \text{ kN}$$

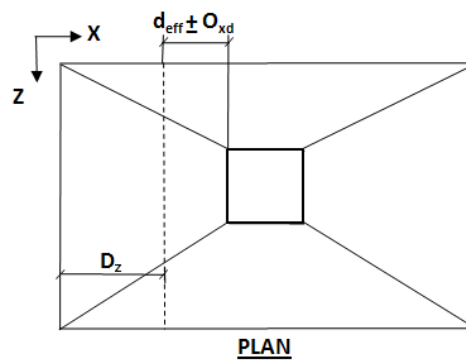
$$\text{Shear Stress}(T_v) = 265.781008 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.5350$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 502.517 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for one way shear (Along Z Axis)(Shear Plane Parallel To Z axis)**Critical Load Case = #202**

$$D_z = 0.194 \text{ m}$$

$$\text{Shear Force}(S) = 71.140 \text{ kN}$$

$$\text{Shear Stress}(T_v) = 260.887124 \text{ kN/m}^2$$

$$\text{Percentage Of Steel}(P_t) = 0.5350$$

As Per IS 456 2000 Clause 40 Table 19

$$\text{Shear Strength Of Concrete}(T_c) = 502.517 \text{ kN/m}^2$$

$$T_v < T_c \quad \text{hence, safe}$$

Check Trial Depth for two way shear**Critical Load Case = #202**

$$\text{Shear Force}(S) = 202.412 \quad \text{kN}$$

$$\text{Shear Stress}(T_v) = 572.019 \quad \text{kN/m}^2$$

As Per IS 456 2000 Clause 31.6.3.1

$$K_s = \min[(0.5 + \beta), 1] = 1.000$$

$$\text{Shear Strength}(T_c) = 0.25 \times \sqrt{f_{ck}} = 1250.0000 \quad \text{kN/m}^2$$

$$K_s \times T_c = 1250.0000 \quad \text{kN/m}^2$$

$$T_v \leq K_s \times T_c \quad \text{hence, safe}$$

Calculation of Maximum Bar SizeAlong X Axis

$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(B - b)}{2} - cc \right] = 0.600 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Along Z Axis

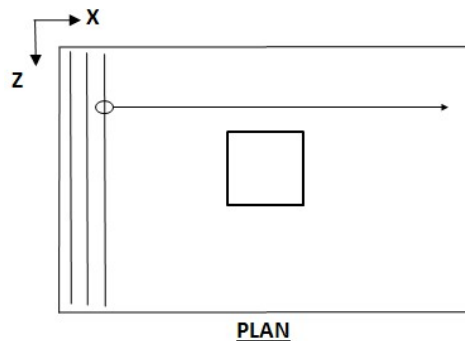
$$\text{Bar diameter corresponding to max bar size}(d_b) = 12 \quad \text{mm}$$

As Per IS 456 2000 Clause 26.2.1

$$\text{Development Length}(l_d) = \frac{d_b \times 0.87 \times f_y}{4 \times \Gamma_{bd}} = 0.583 \quad \text{m}$$

$$\text{Allowable Length}(l_{db}) = \left[\frac{(H - h)}{2} - cc \right] = 0.600 \quad \text{m}$$

$$l_{db} \geq l_d \quad \text{hence, safe}$$

Selection of ReinforcementAlong Z Axis

As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 480.000 mm²

Calculated Area of Steel (A_{st}) = 442.494 mm²

Provided Area of Steel ($A_{st,Provided}$) = 480.000 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 52.000 mm

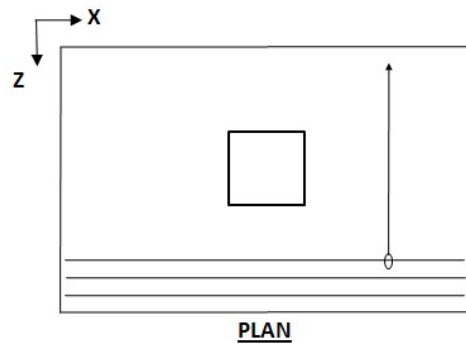
Selected spacing (S) = 250.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Along X Axis



As Per IS 456 2000 Clause 26.5.2.1

Critical Load Case = #202

Minimum Area of Steel (A_{stmin}) = 480.000 mm²

Calculated Area of Steel (A_{st}) = 433.203 mm²

Provided Area of Steel ($A_{st,Provided}$) = 480.000 mm²

$A_{stmin} \leq A_{st,Provided}$ Steel area is accepted

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 250.000 mm

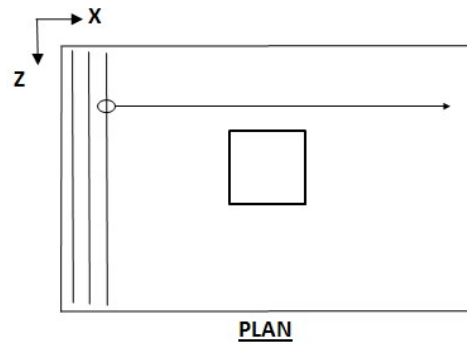
$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250.000 mm o.c.

Reinforcement is provided at bottom. Provide minimum reinf at top if depth is considerable

Design for top reinforcement Along Z Axis



Calculate the flexural reinforcement along the X direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 480.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 480.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 480.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

$$\text{Selected bar Size } (d_b) = \varnothing 12$$

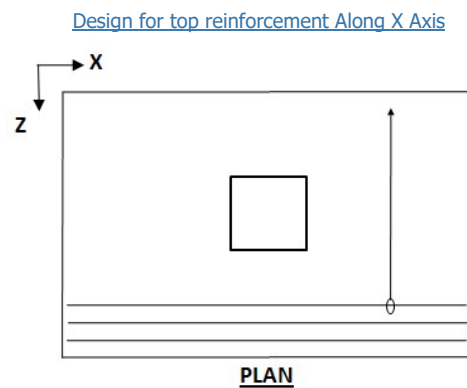
$$\text{Minimum spacing allowed } (S_{min}) = 52.000 \text{ mm}$$

$$\text{Selected spacing } (S) = 250.000 \text{ mm}$$

$$S_{min} \leq S \leq S_{max} \text{ and selected bar size} < \text{selected maximum bar size... The reinforcement is accepted.}$$

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.



Calculate the flexural reinforcement along the Z direction of the footing. Find the area of steel required

The strength values of steel and concrete used in the formulae are in ksi

$$\text{Minimum Area of Steel } (A_{stmin}) = 480.000 \text{ mm}^2$$

$$\text{Calculated Area of Steel } (A_{st}) = 480.000 \text{ mm}^2$$

$$\text{Provided Area of Steel } (A_{st,Provided}) = 480.000 \text{ mm}^2$$

$$A_{stmin} \leq A_{st,Provided} \text{ Steel area is accepted}$$

Selected bar Size (d_b) = Ø12

Minimum spacing allowed (S_{min}) = 50.000 mm

Selected spacing (S) = 250.000 mm

$S_{min} \leq S \leq S_{max}$ and selected bar size < selected maximum bar size... The reinforcement is accepted.

Based on spacing reinforcement increment; provided reinforcement is

Ø12 @ 250 mm o.c.

Print Calculation Sheet