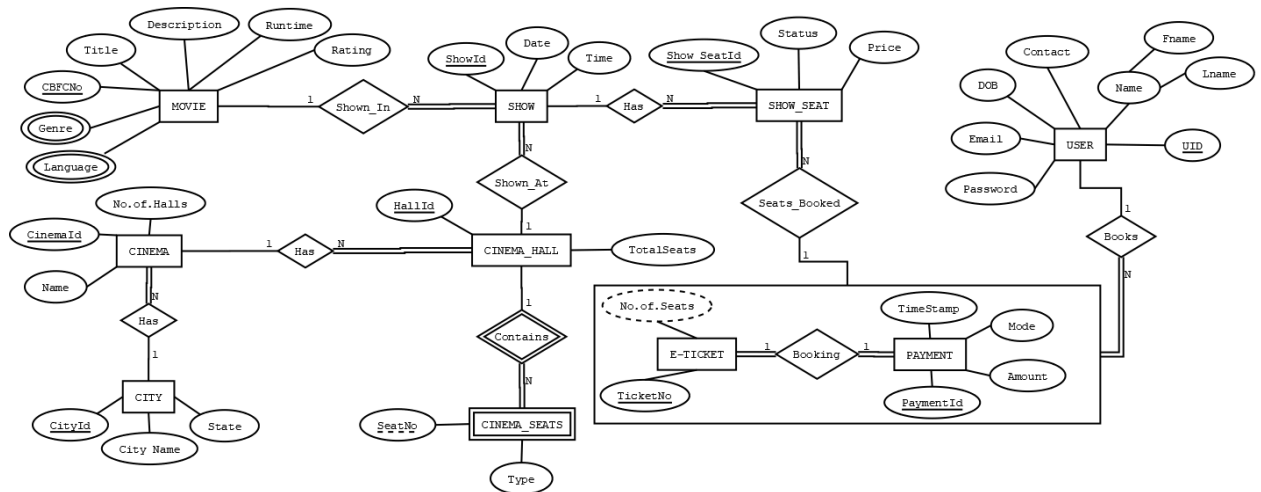


Normalization Proofs

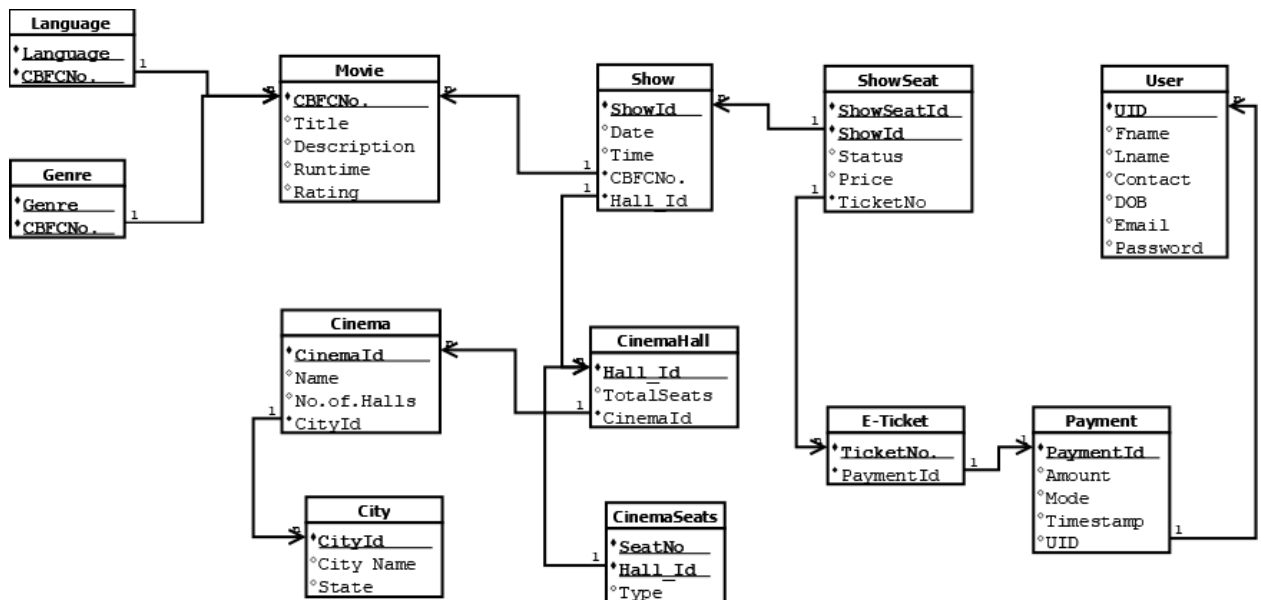
Project Title : Movie Booking System

Group Number : T604

ER Diagram



Relational Schema



Minimal FD Set

CBFC_No → Title

CBFC_No → Description

CBFC_No → Runtime

CBFC_No → Rating

Show_ID → Date

Show_ID → Time

Show_ID → CBFC_No

Show_ID → Hall_ID

Hall_ID → Total_Seats

Hall_ID → Cinema_ID

Cinema_ID → Name

Cinema_ID → No_of_Halls

Cinema_ID → City_ID

City_ID → City_Name

City_ID → State

{Seat_No, Hall_ID} → Type

{Show_Seat_ID, Show_ID} → Status

{Show_Seat_ID, Show_ID} → Price

{Show_Seat_ID, Show_ID} → Ticket_No

Ticket_No → Payment_ID

Payment_ID → Amount

Payment_ID → Mode

Payment_ID → Timestamp

Payment_ID → UID

UID → Fname

UID → Lname

UID → Contact

UID → DOB

UID → Email

UID → Password

Normalization Proof

Proof that the relations are in Boyce-Codd Normal Form (BCNF)

- **'Movie' Relation :**

- **Attributes :**

Movie {CBFC_No, Title, Description, Runtime, Rating}

- **Functional Dependencies :**

CBFC_No \rightarrow Title

CBFC_No \rightarrow Description

CBFC_No \rightarrow Runtime

CBFC_No \rightarrow Rating

Let $X = \text{CBFC_No}$

$X^+ = \{\text{CBFC_No, Title, Description, Runtime, Rating}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = CBFC_No**

For a relation R to be in Boyce-Codd Normal Form, for every Functional Dependency $A \rightarrow B$ that holds on relation on R, A is its super-key.

Here, for the relation 'Movie', for every Functional Dependency, the left side is its super-key = CBFC_No.

Hence, the relation **'Movie' is in BCNF.**

- **‘Language’ Relation :**

- **Attributes :**

Language {Language, CBFC_No}

Let $X = \text{CBFC_No}$

$X^+ = \{\text{CBFC_No}\}$

This value of X does not give us all the attributes of the relation.

Therefore we take, $X = \{\text{Language, CBFC_No}\}$

$X^+ = \{\text{Language, CBFC_No}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = {Language, CBFC_No}**

According to the Normal Form Theorem, a relation having only two attributes is always in Boyce-Codd Normal Form.

Here, the relation ‘Language’ has only two attributes, namely, language and CBFC_No, Hence, the relation **‘Language’ is in BCNF.**

- **‘Genre’ Relation :**

- **Attributes :**

Genre {Genre, CBFC_No}

Let $X = \text{CBFC_No}$

$X^+ = \{\text{CBFC_No}\}$

This value of X does not give us all the attributes of the relation.

Therefore we take, $X = \{\text{Genre, CBFC_No}\}$

$X^+ = \{\text{Genre, CBFC_No}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = {Genre, CBFC_No}**

According to the Normal Form Theorem, a relation having only two attributes is always in Boyce-Codd Normal Form.

Here, the relation ‘Genre’ has only two attributes, namely, genre and CBFC_No, Hence, the relation **‘Genre’ is in BCNF.**

- **‘Show’ Relation :**

- **Attributes :**

Show {Show_ID, Date, Time, CBFC_No, Hall_ID}

- **Functional Dependencies :**

Show_ID \rightarrow Date

Show_ID \rightarrow Time

Show_ID \rightarrow CBFC_No

Show_ID \rightarrow Hall_ID

Let $X = \text{Show_ID}$

$X^+ = \{\text{Show_ID}, \text{Date}, \text{Time}, \text{CBFC_No}, \text{Hall_ID}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = Show_ID**

For a relation R to be in Boyce-Codd Normal Form, for every Functional Dependency $A \rightarrow B$ that holds on relation on R, A is its super-key.

Here, for the relation ‘Show’, for every Functional Dependency, the left side is its super-key = Show_ID.

Hence, the relation **‘Show’ is in BCNF.**

- **‘Cinema Hall’ Relation :**

- **Attributes :**

Cinema Hall {Hall_ID, Total_Seats, Cinema_ID}

- **Functional Dependencies :**

Hall_ID \rightarrow Total_Seats

Hall_ID \rightarrow Cinema_ID

Let $X = \text{Hall_ID}$

$X^+ = \{\text{Hall_ID}, \text{Total_Seats}, \text{Cinema_ID}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = Hall_ID**

For a relation R to be in Boyce-Codd Normal Form, for every Functional Dependency $A \rightarrow B$ that holds on relation on R, A is its super-key.

Here, for the relation ‘Cinema Hall’, for every Functional Dependency, the left side is its super-key = Hall_ID.

Hence, the relation **‘Cinema Hall’ is in BCNF.**

- **‘Cinema’ Relation :**

- **Attributes :**

Cinema {Cinema_ID, Name, No_of_Halls, City_ID}

- **Functional Dependencies :**

Cinema_ID \rightarrow Name

Cinema_ID \rightarrow No_of_Halls

Cinema_ID \rightarrow City_ID

Let $X = \text{Cinema_ID}$

$X^+ = \{\text{Cinema_ID}, \text{Name}, \text{No_of_Halls}, \text{City_ID}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = Cinema_ID**

For a relation R to be in Boyce-Codd Normal Form, for every Functional Dependency $A \rightarrow B$ that holds on relation on R, A is its super-key.

Here, for the relation ‘Cinema’, for every Functional Dependency, the left side is its super-key = Cinema_ID.

Hence, the relation **‘Cinema’ is in BCNF.**

- **‘City’ Relation :**

- **Attributes :**

City {City_ID, City_Name, State}

- **Functional Dependencies :**

City_ID \rightarrow City_Name

City_ID \rightarrow State

Let $X = \text{City_ID}$

$X^+ = \{\text{City_ID}, \text{City_Name}, \text{State}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = City_ID**

For a relation R to be in Boyce-Codd Normal Form, for every Functional Dependency $A \rightarrow B$ that holds on relation on R, A is its super-key.

Here, for the relation ‘Cinema Hall’, for every Functional Dependency, the left side is its super-key = City_ID.

Hence, the relation **‘City’ is in BCNF.**

- **‘Cinema Seats’ Relation :**

- **Attributes :**

Cinema Seats {Seat_No, Hall_ID, Type}

- **Functional Dependencies :**

{Seat_No, Hall_ID} \rightarrow Type

Let X = Seat_No

$X^+ = \{\text{Seat_No}\}$

This value of X does not give us all the attributes of the relation.

Therefore we take, $X = \{\text{Seat_No, Hall_ID}\}$

$X^+ = \{\text{Seat_No, Hall_ID, Type}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = {Seat_No, Hall_ID}**

For a relation R to be in Boyce-Codd Normal Form, for every Functional Dependency $A \rightarrow B$ that holds on relation on R, A is its super-key.

Here, for the relation ‘Cinema Seats’, for every Functional Dependency, the left side is its super-key = {Seat_No, Hall_ID}.

Hence, the relation **‘Cinema Seats’ is in BCNF.**

- **‘Show Seat’ Relation :**

- **Attributes :**

Show Seat {Show_Seat_ID, Show_ID, Status, Price, Ticket_No}

- **Functional Dependencies :**

{Show_Seat_ID, Show_ID} \rightarrow Status

{Show_Seat_ID, Show_ID} \rightarrow Price

{Show_Seat_ID, Show_ID} \rightarrow Ticket_No

Let $X = \text{Show_Seat_No}$

$X^+ = \{\text{Show_Seat_No}\}$

This value of X does not give us all the attributes of the relation.

Therefore we take, $X = \{\text{Show_Seat_No}, \text{Show_ID}\}$

$X^+ = \{\text{Show_Seat_ID}, \text{Show_ID}, \text{Status}, \text{Price}, \text{Ticket_No}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key** = {**Show_Seat_No, Show_ID**}

For a relation R to be in Boyce-Codd Normal Form, for every Functional Dependency $A \rightarrow B$ that holds on relation on R, A is its super-key.

Here, for the relation ‘Show Seat’, for every Functional Dependency, the left side is its super-key = {Show_Seat_No, Show_ID}

Hence, the relation **‘Show Seat’ is in BCNF.**

- **‘E Ticket’ Relation :**

- **Attributes :**

E Ticket {Ticket_No, Payment_ID}

- **Functional Dependencies :**

Ticket_No \rightarrow Payment_ID

Let $X = \text{Ticket_No}$

$X^+ = \{\text{Ticket_No}, \text{Payment_ID}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = Ticket_No**

For a relation R to be in Boyce-Codd Normal Form, for every Functional Dependency $A \rightarrow B$ that holds on relation on R, A is its super-key.

Here, for the relation ‘E Ticket’, for every Functional Dependency, the left side is its super-key = Ticket_No.

Also, according to the Normal Form Theorem, a relation having only two attributes is always in Boyce-Codd Normal Form.

Here, the relation ‘E Ticket’ has only two attributes, namely, Ticket_No and Payment_ID.

Hence, the relation **‘E Ticket’ is in BCNF.**

- **‘Payment’ Relation :**

- **Attributes :**

Payment {Payment_ID, Amount, Mode, Timestamp, UID}

- Functional Dependencies :

Payment_ID \rightarrow Amount

Payment_ID \rightarrow Mode

Payment_ID \rightarrow Timestamp

Payment_ID \rightarrow UID

Let $X = \text{Payment_ID}$

$X^+ = \{\text{Payment_ID}, \text{Amount}, \text{Mode}, \text{Timestamp}, \text{UID}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = Payment_ID**

For a relation R to be in Boyce-Codd Normal Form, for every Functional Dependency $A \rightarrow B$ that holds on relation on R, A is its super-key.

Here, for the relation ‘Payment’, for every Functional Dependency, the left side is its super-key = Payment_ID.

Hence, the relation **‘Payment’ is in BCNF.**

- **‘User’ Relation :**

- **Attributes :**

User {UID, Fname, Name, Contact, DOB, Email, Password}

- **Functional Dependencies :**

UID → Fname

UID → Lname

UID → Contact

UID → DOB

UID → Email

UID → Password

Let $X = \text{UID}$

$X^+ = \{\text{UID, Fname, Name, Contact, DOB, Email, Password}\}$

So we can Say That X is the Primary Key for the given relation.

Hence, **Primary Key = UID**

For a relation R to be in Boyce-Codd Normal Form, for every Functional Dependency $A \rightarrow B$ that holds on relation on R, A is its super-key.

Here, for the relation ‘User’, for every Functional Dependency, the left side is its super-key = UID.

Hence, the relation **‘User’ is in BCNF.**