

Procedure INSERTION_SORT (A, n, ele)

Description:- This procedure inserts an element from unsorted array into the sorted array $A[1:n]$ and 'n' is the number of elements present in the array list.

Declaration:- Global integer $A(1:n), n, ele$
local integer i, j

Algorithm:-

①

For $i = 2$ to n by $+1$ do
 $ele = A(i)$

 For $j = i - 1$ to 1 by -1 do
 if $ele < A(j)$

$A(j+1) = A(j)$

 else

 exit_loop

 endif

$A(j+1) = ele$

 repeat

 repeat

end_INSERTION_SORT

Procedure BUBBLE_SORT (A, n)

Description: - This algorithm sorts elements in an array $A[]$, 'n' is the number of elements present in an array list.

Declaration: -
Global integer $A(1:n), n$
local integer $i, j, temp$.

Algorithm: -

```
For  $i = 1$  to  $n - 1$  do
  For  $j = 1$  to  $n - i - 1$  do
    if  $(A(j) > A(j+1))$ , then
      exchange( $A(j), A(j+1)$ )
    endif
  repeat
repeat
```

END - Bubble - Sort

Procedure Selection_Sort (A, n)

Description:- This procedure selects a minimum element from an array $A[]$.
' n ' is the number of elements present in an array list.

Declaration:- Global integer $A(1:n), n$
local integer i, j, \min

Algorithm:-

```
For  $i = 1$  to  $n$  by  $+1$  do
     $\min = A(i)$ 
     $\text{Pos\_min} = i$ 
    For  $j = i + 1$  to  $n$  by  $1$  do
        if  $A(j) < \min$ , then
             $\min = A(j)$ 
             $\text{Pos\_min} = j$ 
        endif
    repeat
    exchange ( $A(i), A(\text{Pos\_min})$ )
repeat
```

End_Selection_SORT

Quick sort

Procedure QUICK_SORT (P, Q)

Description:- This procedure sorts the elements $A(P)$... upto $A(Q)$ which reside in the global array $A(n)$ into the ascending order; $A(n+1)$ is consider to be define and must be greater than or equals to all the elements in $A(P:Q)$; $A(n+1) = +\infty$

Declaration:- integer P, Q
Global n, A(n)

if $P < Q$, then

$J \leftarrow Q + 1$

PARTITION(P, J)

call QUICK_SORT(P, J-1)

call QUICK_SORT(J+1, Q)

endif

END QUICK_SORT

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Procedure PARTITION (m,p)

Description:- Within $A(m), A(m+1) \dots A(p-1)$ the elements are rearrange in such a way that if initially $temp = A(m)$ then after completion $\exists A(q) = temp$ for some q between m and $(p-1)$, $A(k) \leq temp$ for $(m \leq k \leq q-1)$ and $A(k) > temp$ for $(q < k \leq p-1)$ the final value of p is q (n)

Declaration:- Global $A(m:p)$, integer m, p, i

Algorithm:- $temp \leftarrow A(m); i \leftarrow m$

loop

do

$i \leftarrow i + 1$

while $A(i) < temp$ repeat (C)

do

$p \leftarrow p - 1$

while $A(p) > temp$ repeat

if $i \leq p$, then

exchange $(A(i), A(p))$

else

exit loop

endif

repeat

$A(m) \leftarrow A(p)$

$A(p) \leftarrow temp$

End - PARTITION