



# Digital Signal Processing

Teacher: Rakhi Narang

---

Name : Manya Kaushik

Roll No : 1620008

Course : B.Sc. (H) Electronics

Semester : V

---

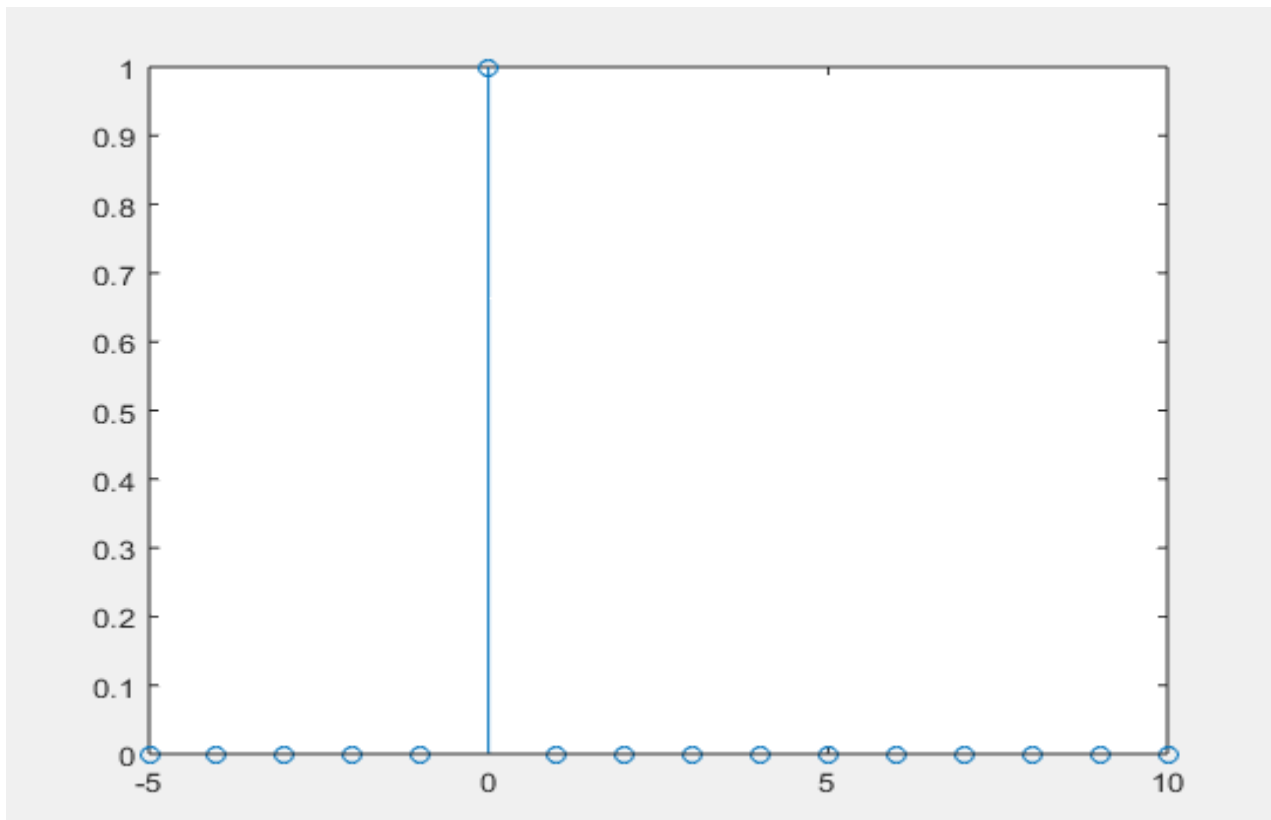
<b><u>Serial no.</u></b>	<b><u>List of experiments</u></b>
<b>1</b>	<b>Generation of function and sequence</b>
<b>2</b>	<b>Program to generate to 50hz C.T sinusoidal signal</b>
<b>3</b>	<b>Generation of shifting scaling and reversal</b>
<b>4</b>	<b>Generation of odd and even signal</b>
<b>5</b>	<b>Timescaling (downSampling and upsampling)</b>
<b>6</b>	<b>Convolution of DT signal</b>
<b>7</b>	<b>Generate and plot discrete time sequence in a given interval</b>
<b>8</b>	<b>Obtain partial fraction and plot zero pole diagram</b>
<b>9</b>	<b>Z- transform Of various signal</b>
<b>10</b>	<b>Finding inverse of Z-transform</b>
<b>11</b>	<b>Application of convolution and deconvolution in z-transform</b>
<b>12</b>	<b>Deconvolution in z-transform</b>
<b>13</b>	<b>Program on DTFT</b>
<b>14</b>	<b>Program on DFT</b>
<b>15</b>	<b>Program on IDFT</b>
<b>16</b>	<b>Program on circular convolution</b>
<b>17</b>	<b>Program on FFT</b>

# Experiment - 01

Aim - Generation of unit impulse unit step, ramp function, discrete time sequence, real exponential ,real sinusoidal sequence.

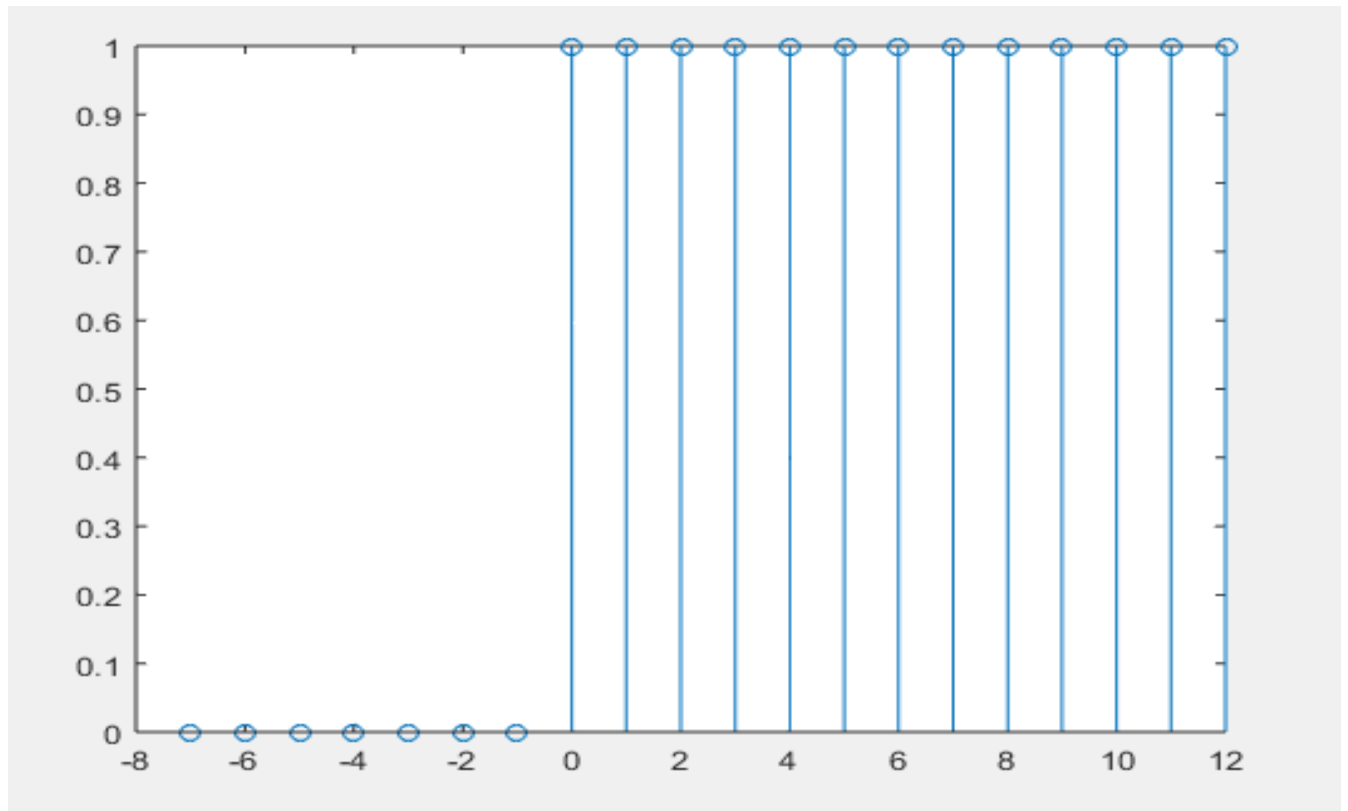
## Unit impulse.

```
n0=0  
n1=-5  
n2=10  
n=[n1:n2]  
x=[ (n-n0)==0]  
stem(n,x)
```



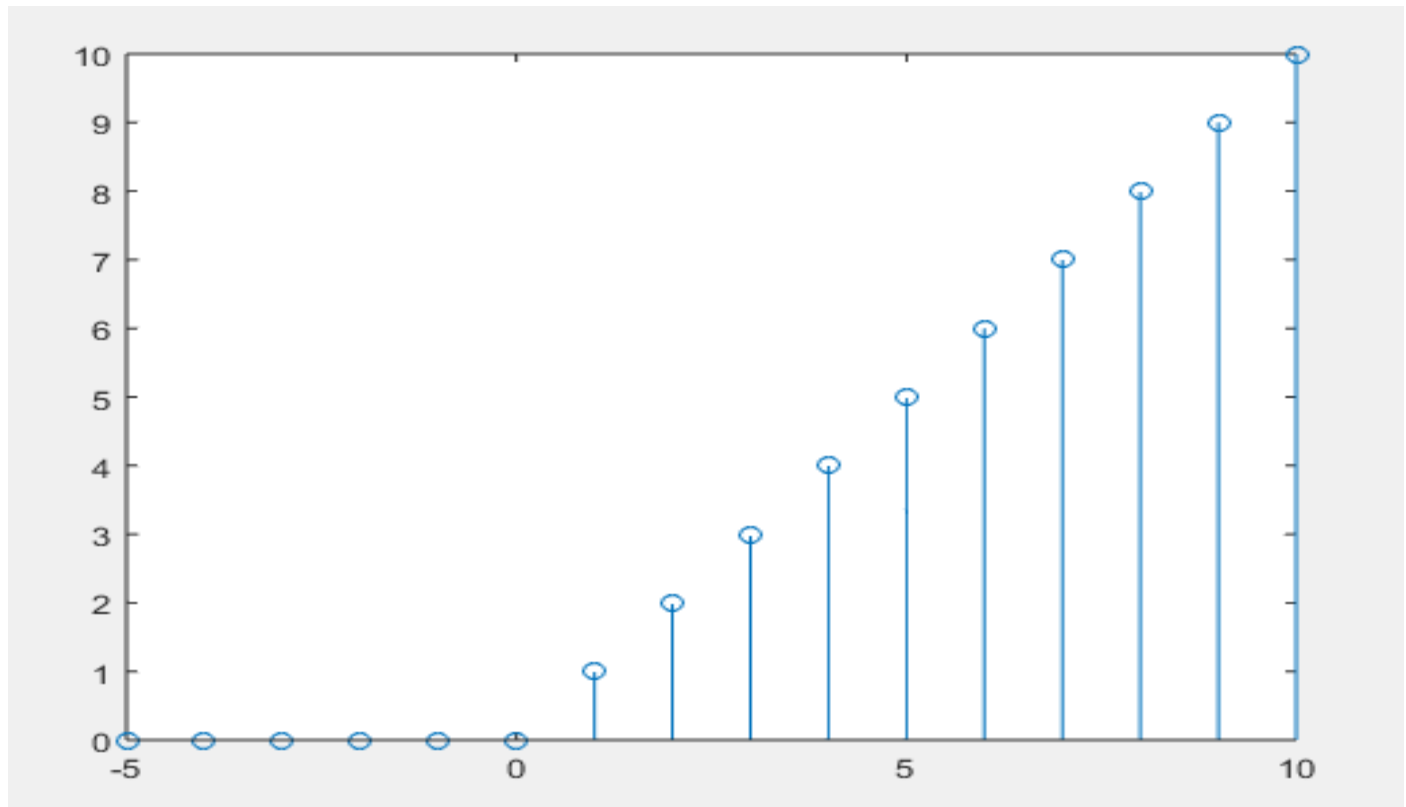
## Unit step.

```
n0=0  
n1=-7  
n2=12  
n=[n1:n2]  
x=[ (n-n0)>=0]  
stem(n,x)
```



Unit ramp.

```
n0=0
n1=-5
n2=10
n=[n1:n2]
x=[n>=0]
ramp=n.*x
stem(n,ramp)
```



### Real Exponential sequence=

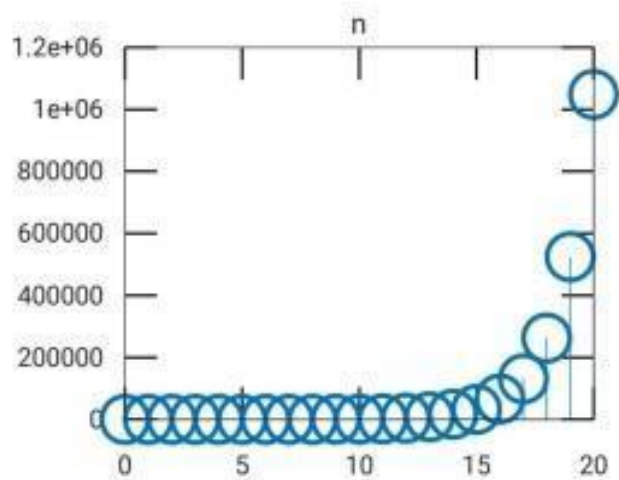
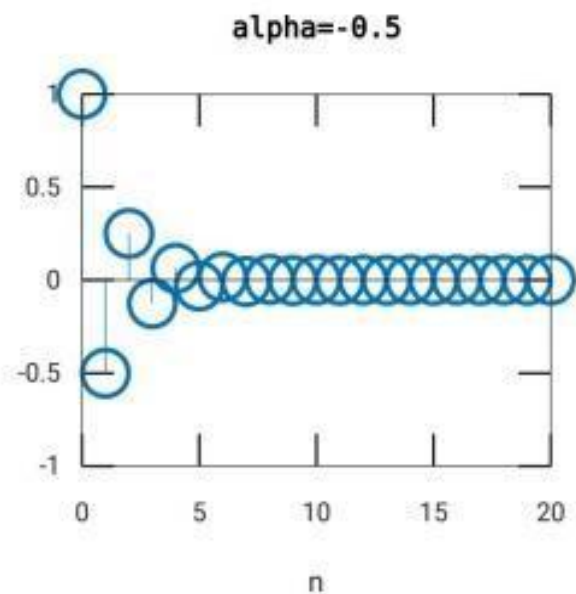
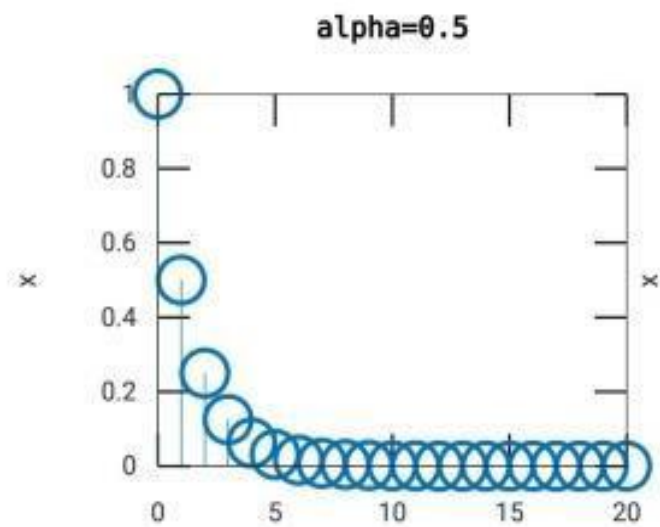
Code (DT) -

```
function[n,x]=realexp(n1,n2)
n=[n1:n2];
x1=0.5.^n;
subplot(2,2,1);
stem(n,x1);
title('alpha=0.5');
xlabel('n');
ylabel('x');
x2=(-0.5).^n;
subplot(2,2,2);
stem(n,x2);
```

```

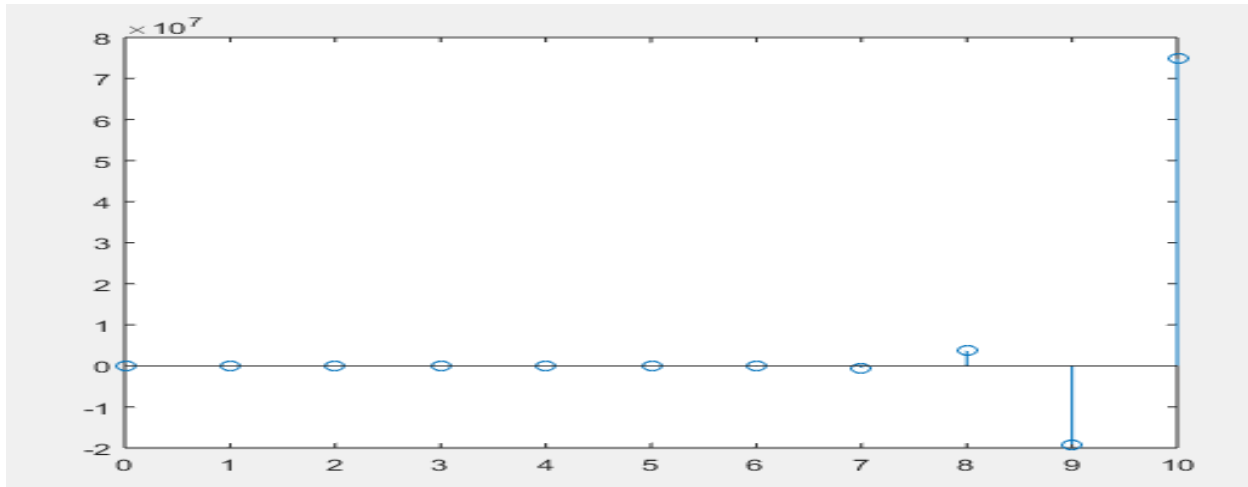
title('alpha=-0.5');
xlabel('n');
ylabel('x');
x3=2.^n;
subplot(2,2,3);
stem(n,x3);
title('alpha=2');
xlabel('n');
ylabel('x');
end

```



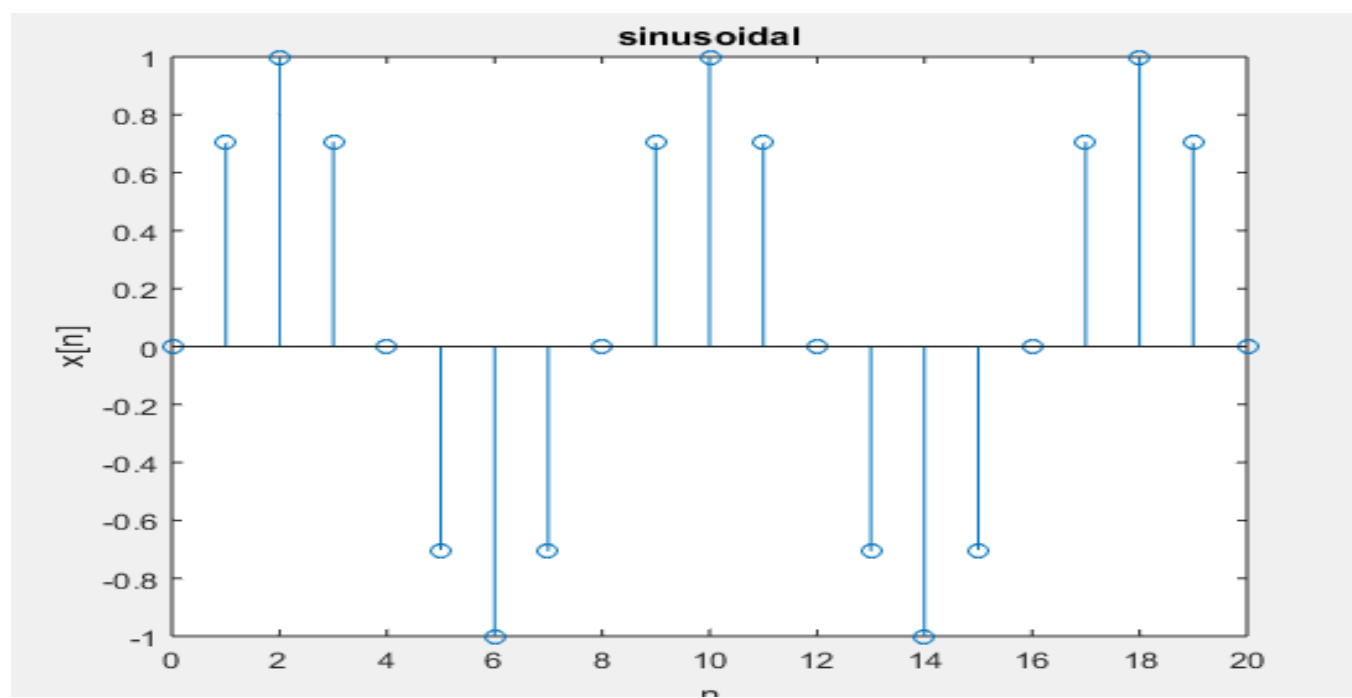
complex valued function.

```
n=[0:10];  
x=exp((2+3*j)*n);  
stem(n,x);
```



Real sinusoidal sequence.

```
n=[0:20];  
x=sin(0.25*pi*n);  
stem(n,x);  
title('sinusoidal');  
xlabel('n');  
ylabel('x[n]');
```



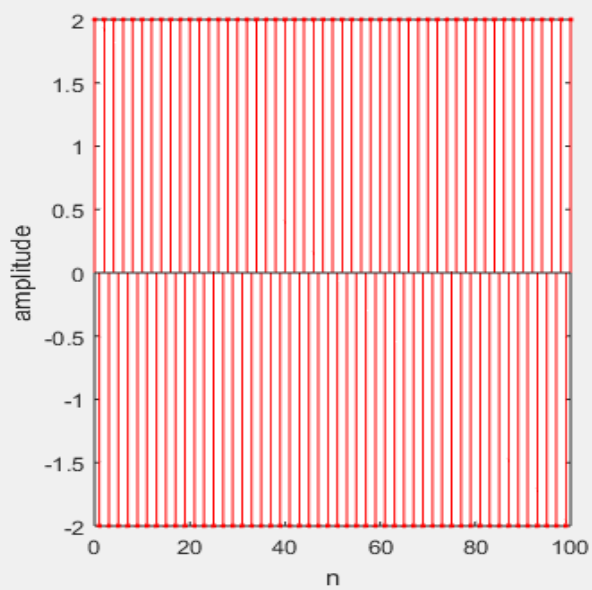
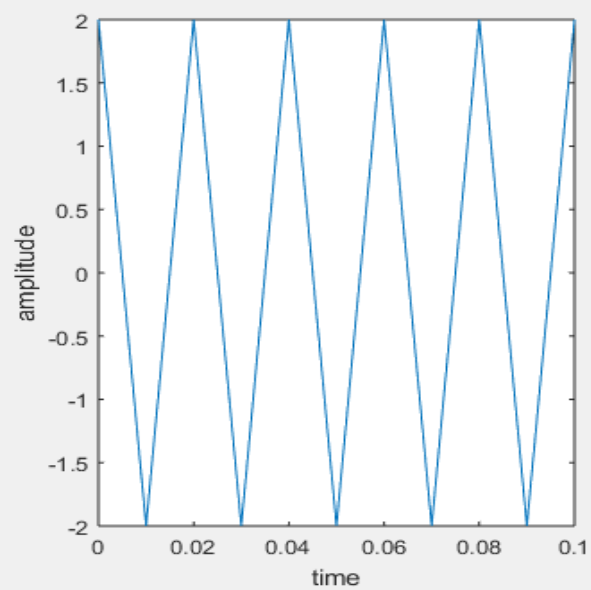


## **Experiment - 02**

**Aim** - write a program to generate to 50Hz continuous time sinusoidal signal  $x_t=A*\cos(2*\pi*50*t)$ , and its sampled version ( $nT_s$ ), where  $f=50$  and  $A= 2$  and sampling frequency  $f_s=(100 \text{ hz})$ . plot the signal using plot and stem command.

**Code -**

```
A=2;
fs=100;
T=1/fs;
t=0:T:0.1;
xt=A*cos(2*pi*50*t);
subplot(1,2,1);
plot(t,xt);
xlabel('time');
ylabel('amplitude');
n=0:100;
x1=A*cos(2*pi*50*n*T);
subplot(1,2,2);
stem(n,x1,'.r');
xlabel('n');
ylabel('amplitude');
```

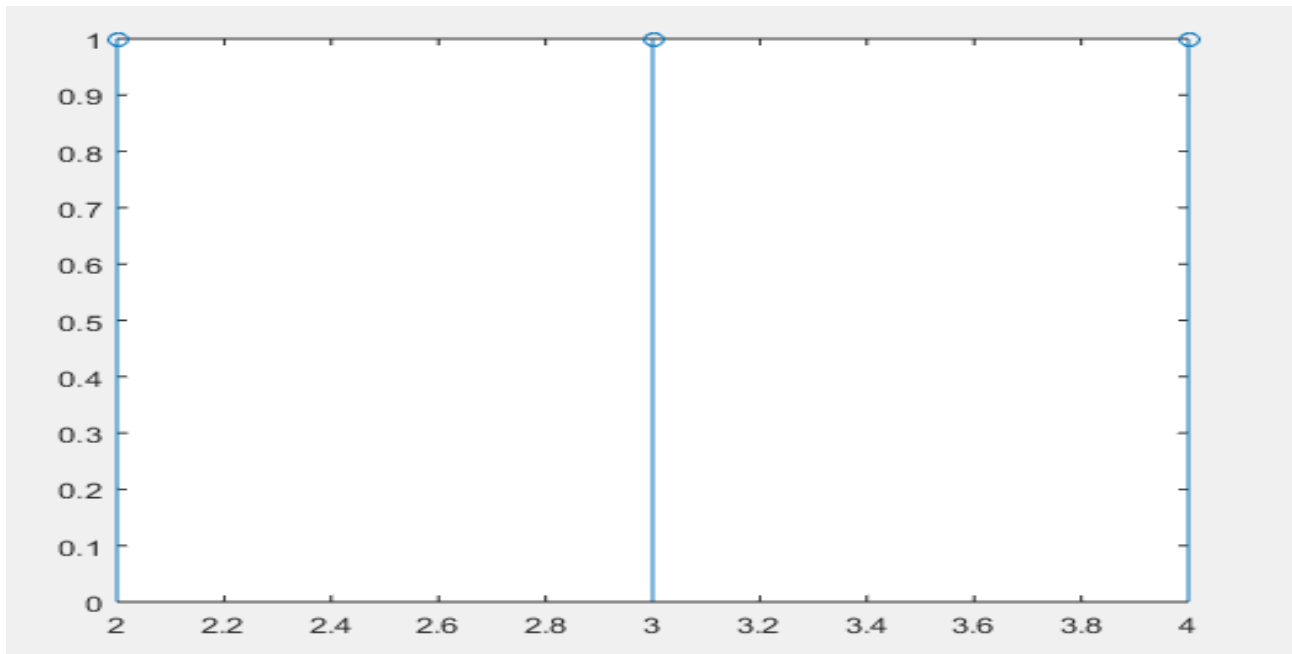


## Experiment - 03

Aim - Generation of shifting ,scaling and reversal .

Shifting -

```
function [y,n]=sigshift(x,m,k)
n=m+k;
y=x;
stem(n,y)
end
```



Scaling -

```
function [y,n]=sigscale(x,m,k)
y=x
n=m*k;
stem(n,y);
end
```

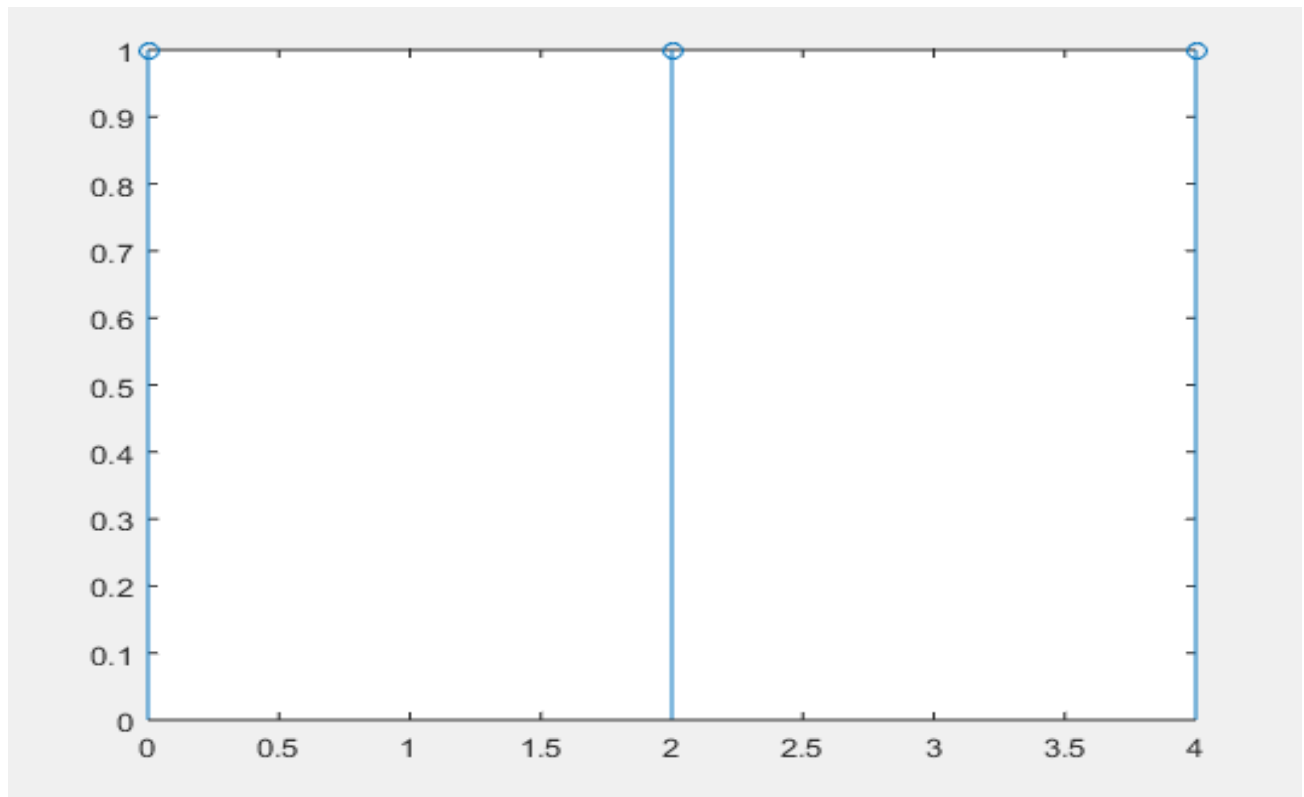
```
>> sigscale([1,1,1],[0:2],2)
```

```
y =
```

```
1      1      1
```

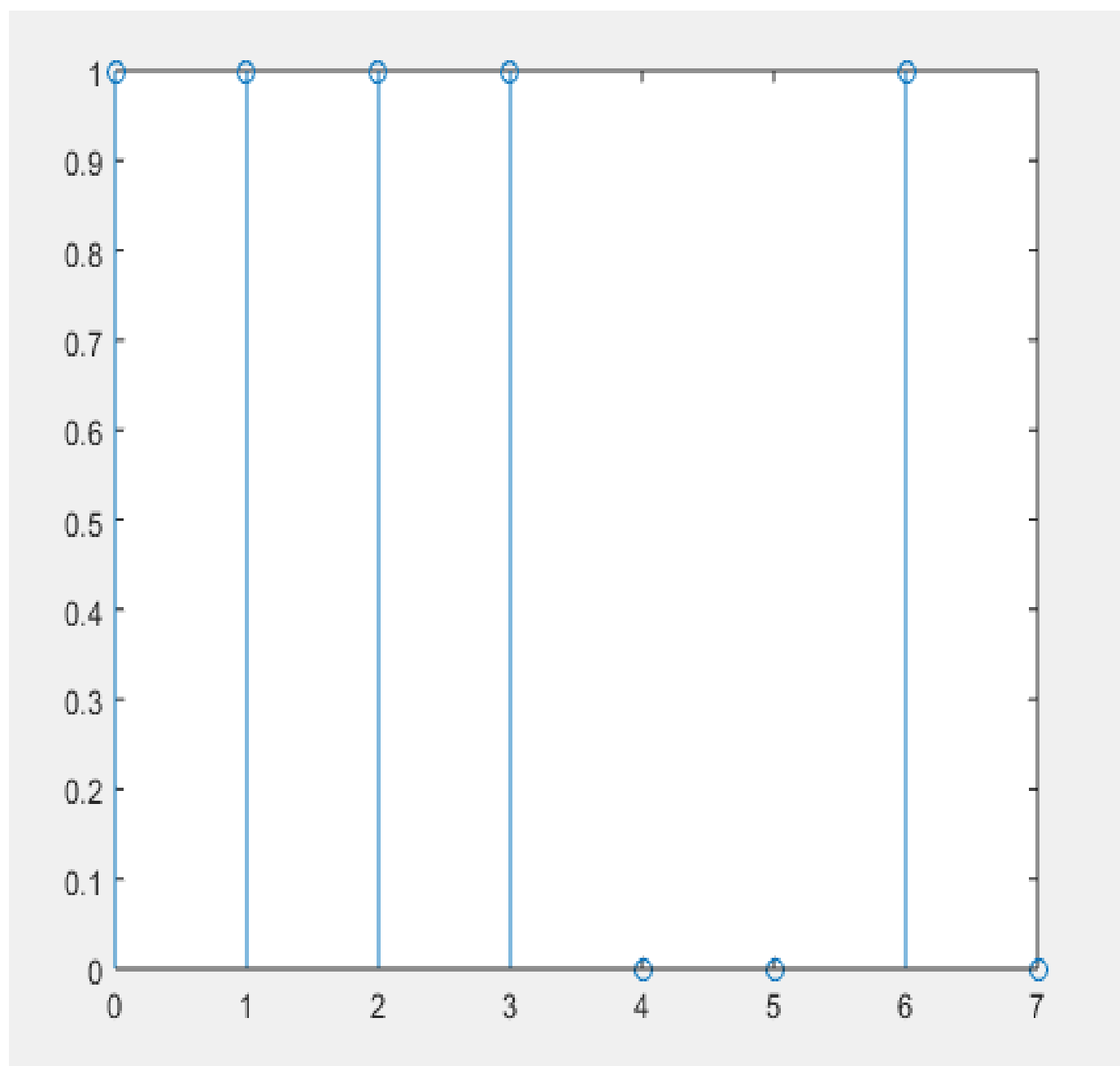
ans =

1      1      1



**Reversal -**

```
function [y,n]=sigfold(x,n)
y=fliplr(x)
n=fliplr(n);
stem(n,y);
end
```

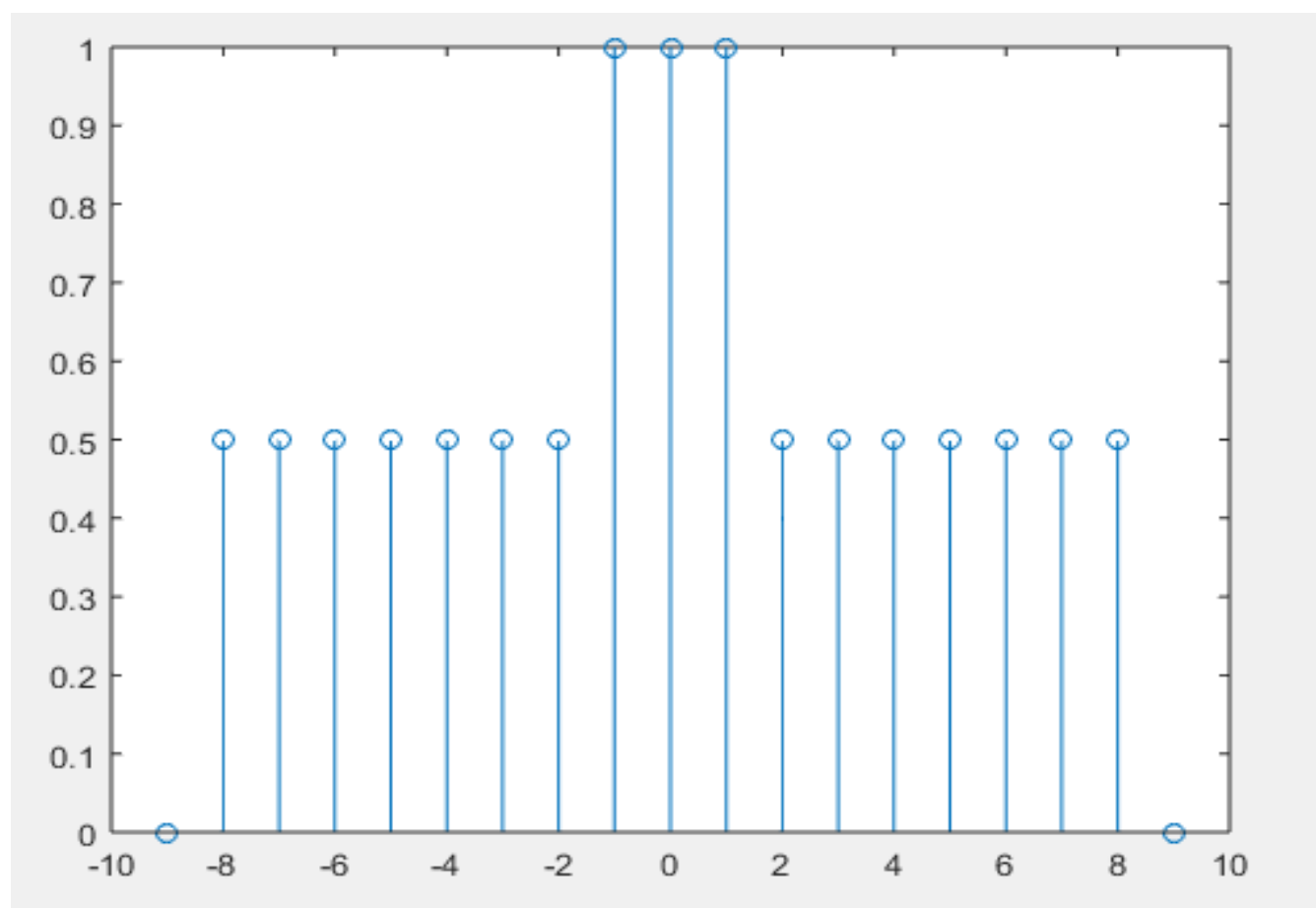


## **Experiment – 04**

**Aim –** Generation of odd and even signal.

**Odd signal –**

```
function [xe, xo, m] = evenodd(x, n)
m = -fliplr(n);
m1 = min([m, n]);
m2 = max([m, n]);
m = m1:m2;
nm = n(1) - m(1);
n1 = 1:length(n);
x1 = zeros(1, length(m));
x1(n+nm) = x;
x = x1;
xe = 0.5 * (x + fliplr(x));
xo = 0.5 * (x - fliplr(x));
stem(m, xe)
end
```



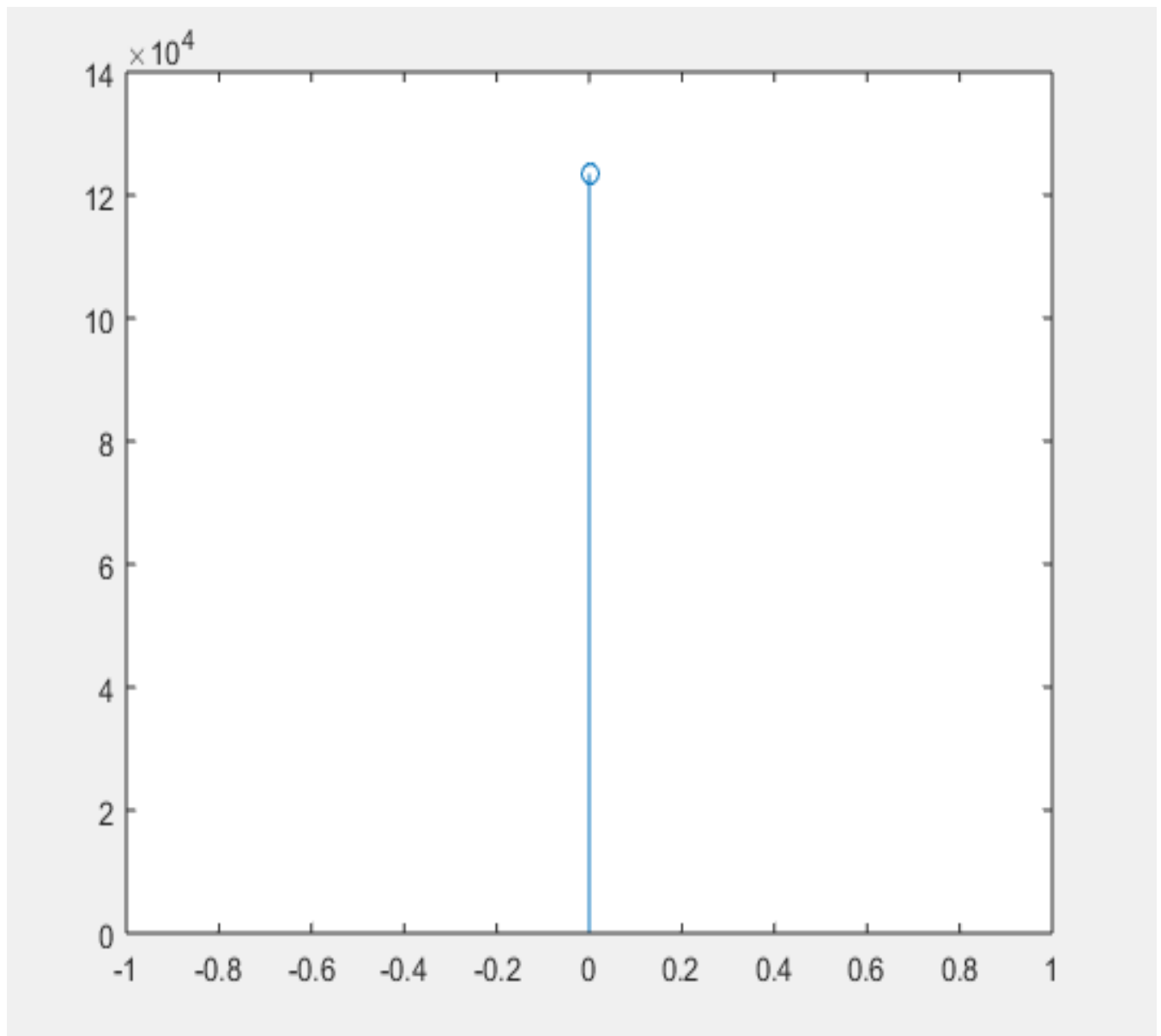
## **Experiment – 05**

Aim – Time scaling (down sampling and up sampling).

Down sampling –

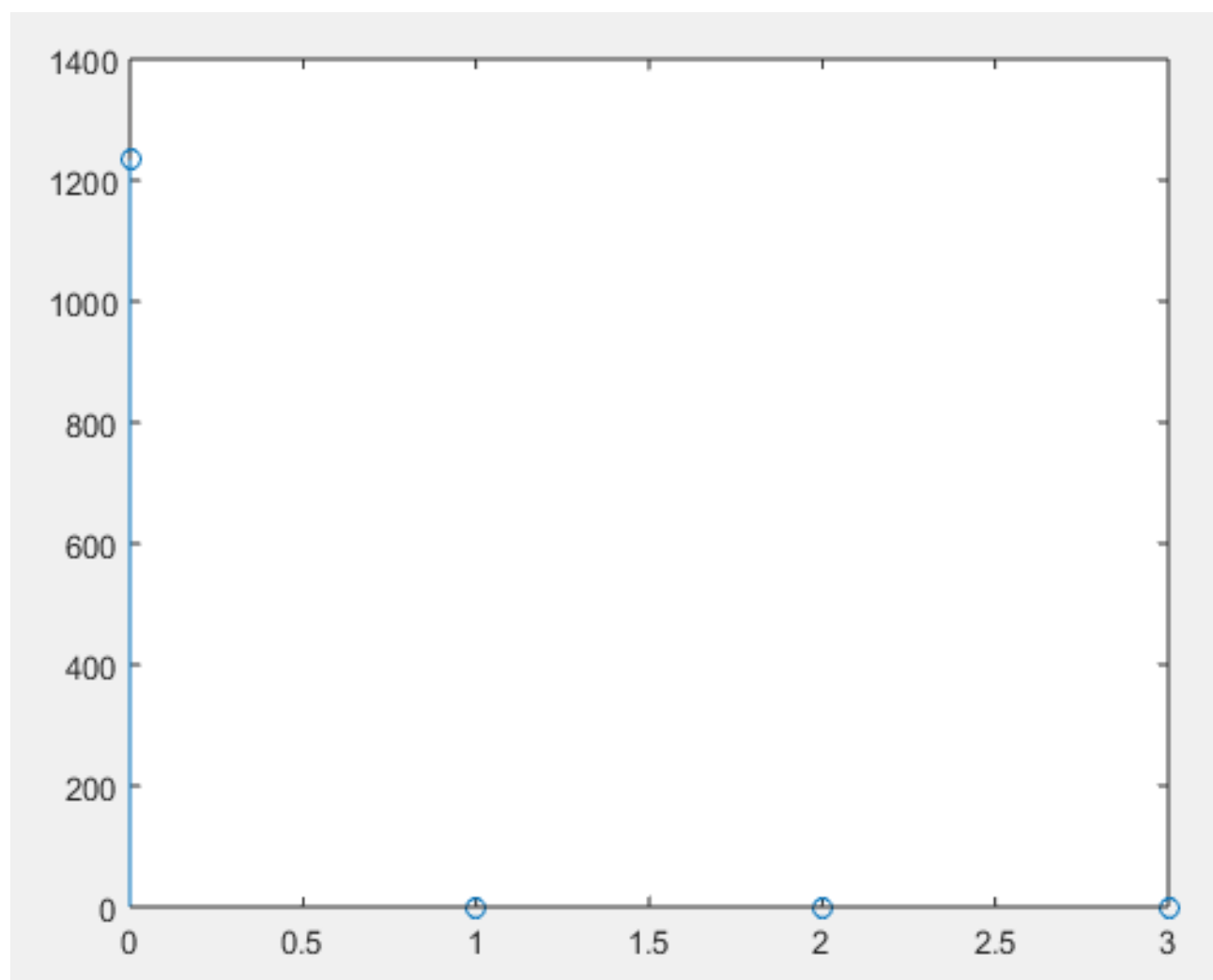
```
x=[0123456];  
n=0:length(x)-1;  
new=mod(n,3);  
new=(new==0);  
x1=x(find(new==1));  
n1=0:length(x1)-1;  
stem(n1,x1)
```





### Up sampling -

```
x=[01234];  
scale=4;  
xlen=length(x);  
new=xlen*scale;  
x1=zeros(new,1);  
x1(1:scale:new)=x;  
n1=0:(new-1);  
stem(n1,x1)
```



## **Experiment – 06**

**Aim – Convolution of DT signals.**

`X[n]=[1,0,0,1],[0:3]`

`H[n]=[0,0,1,1],[0:3]`

**Code –**

```
function[y,ny]=conv_mod(x,nx,h,nh);
nyl=nx(1)+nh(1)
nyr=nx(length(x))+nh(length(h));
ny=nyl:nyr;
y=conv(x,h);
subplot(2,2,1);
stem(ny,y)
title('y[n]');
subplot(2,2,2);
stem(nx,x)
title('n[x]');
subplot(2,2,3);
stem(nh,h)
title('n[h]');
end
```

**Output –**

```
conv_mod([1,0,0,1],[0:3],[0,0,1,1],[0:3])
```

```
nyl =
```

```
0
```

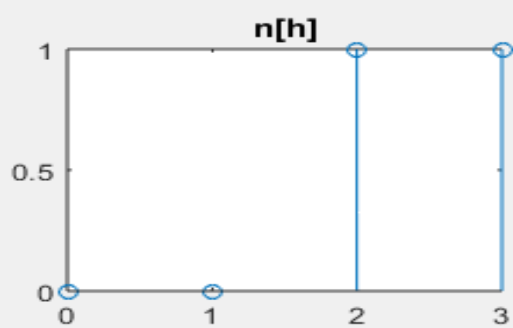
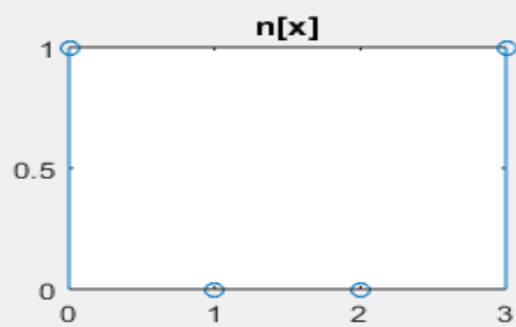
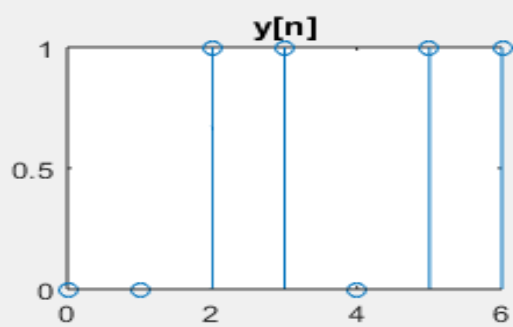
```
ans =
```

```
Columns 1 through 5
```

```
0    0    1    1    0
```

```
Columns 6 through 7
```

```
1    1
```



## Experiment - 07

Aim - Generate and plot discrete time sequence in a given interval.

$X=[0 \ 1 \ 2 \ 3 \ 0 \ 0 \ 1 \ 1]$

$m=-3:4$

code -

A)  $X[2n-3]$

Code:

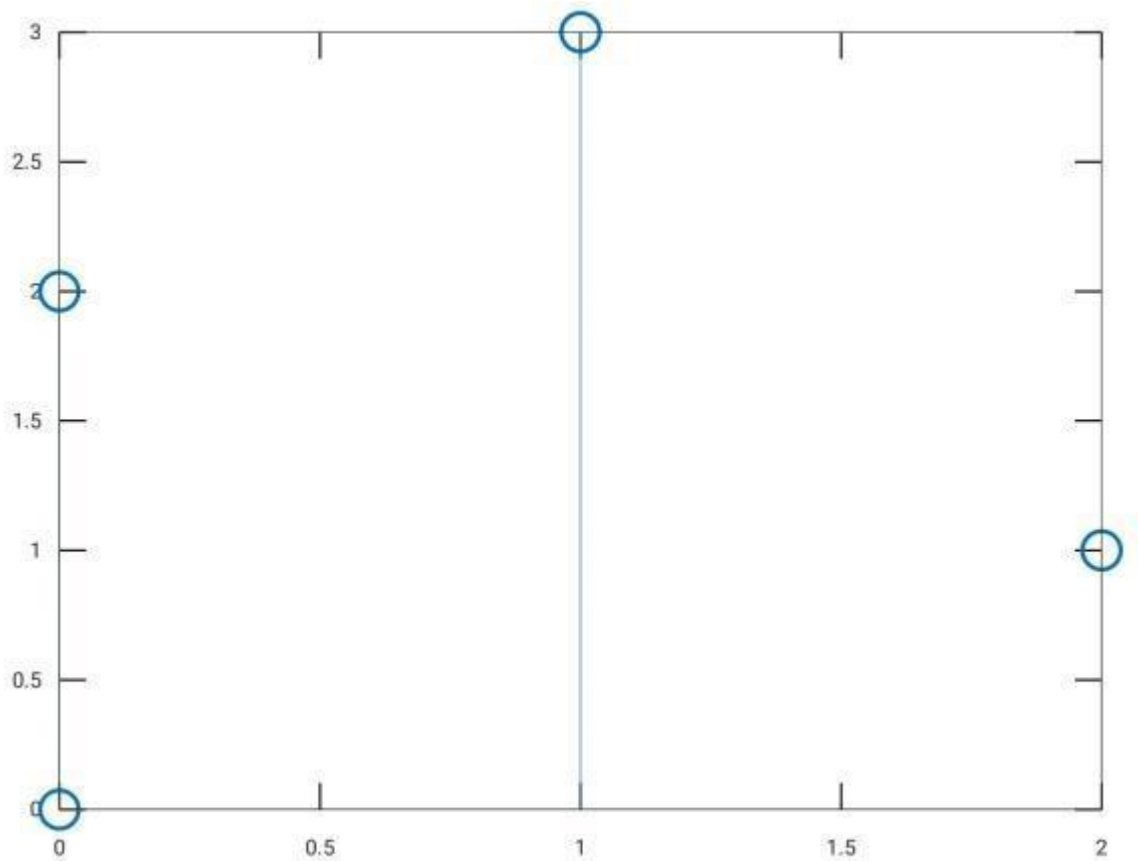
```
x=[0 1 2 3 0 0 1 1];
```

```
m=-3:4;
```

```
[y,n]=sigshift(x,m,3);
```

```
[x2,n2]=sigdownscale(y,n,2);
```

```
stem(x2,n2)
```



B .  $X[2n-3]+2*X[3n+2]$

**Code:**

```
x=[01230011];  
m=-3:4;  
[x1,n1]=sigshift(x,m,3);  
[x2,n2]=sigdownscale(x1,n1,2);  
[x3,n3]=sigshift(x,m,  
-2);  
[x4,n4]=sigdownscale(x3,n3,3);  
[x5,n5]=sigadd(x2,n2,2.*x4,n4);  
stem(n5,x5)
```

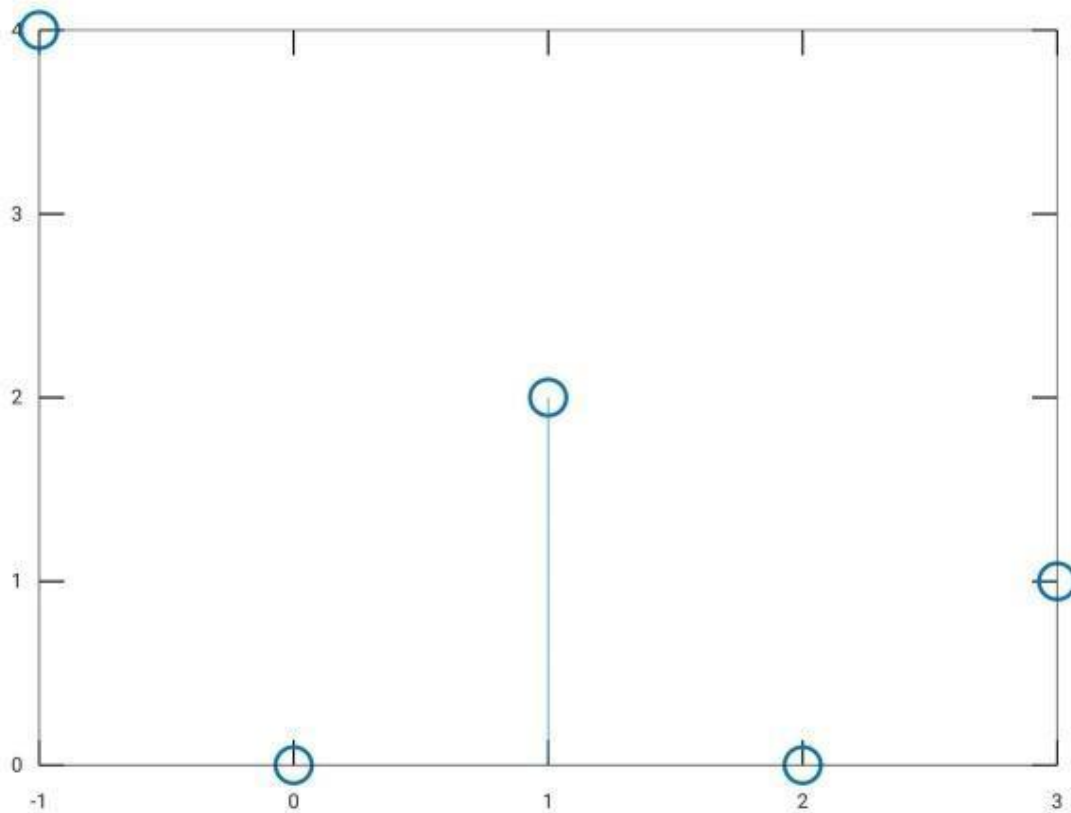
**Output -**

```
y1 =
```

```
0 0 2 0 1
```

```
y =
```

```
4 0 2 0 1
```



## **Experiment – 08**

**Aim – Obtain partial fraction and plot zero pole diagram**

### **Code –**

```
b=[1,-1,-2];  
a=[1,-1.75,1.25,-0.375];  
[R,p,C]=residuez(b,a);  
zplane(b,a);  
disp(R);  
disp(p);  
disp(C);
```

### **Output –**

dsp8a

-7.0000 + 0.0000i

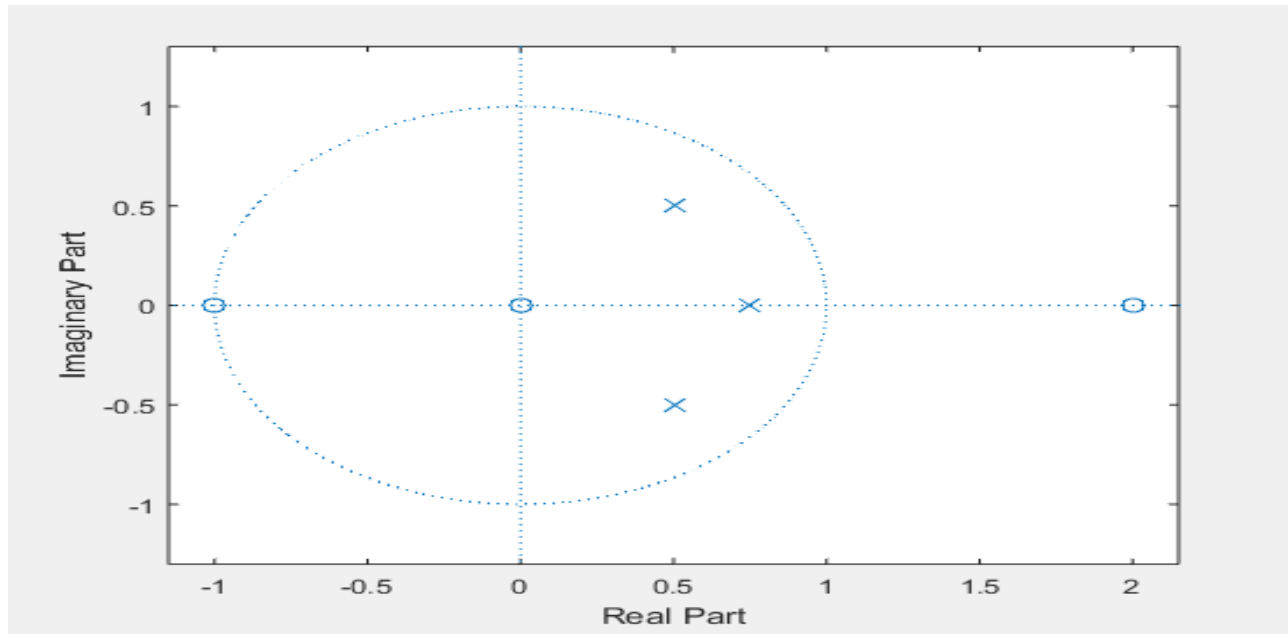
4.0000 - 2.0000i

4.0000 + 2.0000i

0.7500 + 0.0000i

0.5000 + 0.5000i

0.5000 - 0.5000i



**Code -**

```
b=[1,2,1];  
a=[1,-1.5,0.5];  
[R,p,C]=residuez(b,a);  
zplane(b,a);  
disp(R);  
disp(p);  
disp(C);
```



Output -

dsp8b

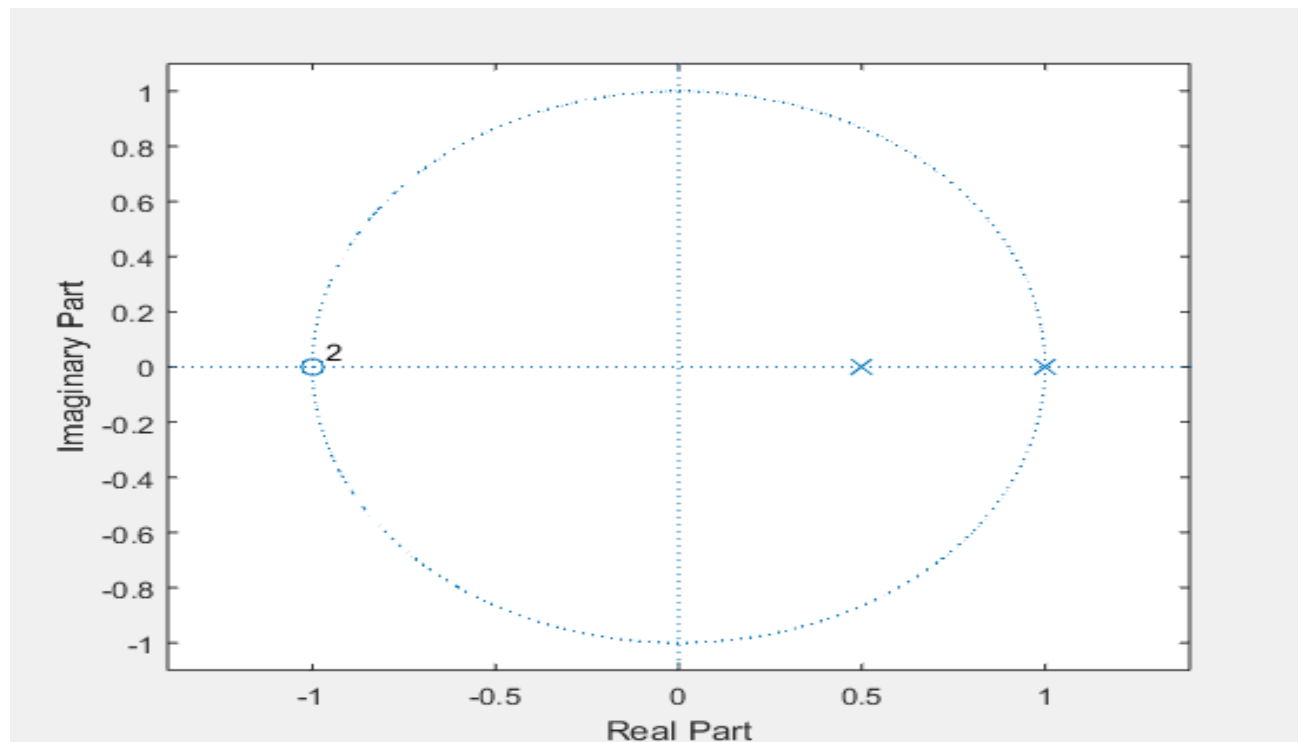
8

-9

1.0000

0.5000

2



## **Experiment - 09**

Aim - : Z transform of various signals .

Signal- $x[n] = (1/4)^n u[n]$

Code-

```
syms z n
ztrans(1/4^n)
```

output -

```
ztrans
ans =
z/(z - 1/4)
```

## **Experiment - 10**

Aim - To find inverse z transform.

1)  $X(z) = 2z/(2z-1)$

Code-

```
syms z n;  
iztrans(2*z/(2*z-1))
```

Output -

```
iztrans
```

ans =

$(1/2)^n$

2)  $X(z) = 1/(z-1)$

Code-

```
syms z n  
iztrans(2*z/(2*z-1))
```

Output -

```
iztransb
```

ans =

$(1/2)^n$

# **Experiment - 11**

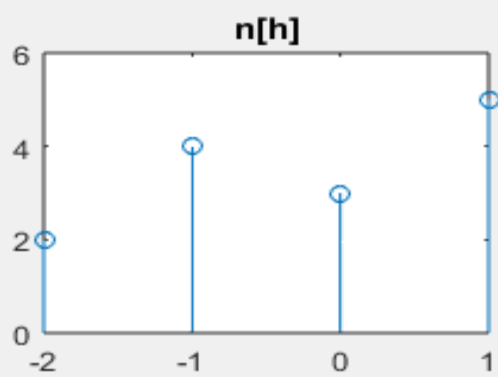
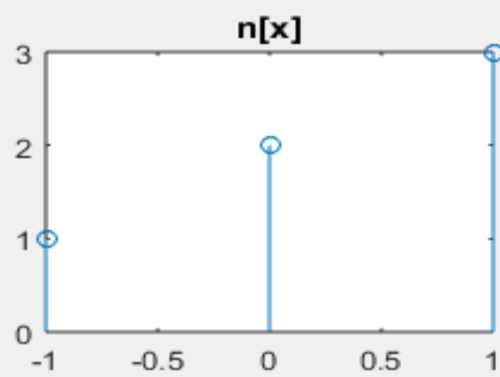
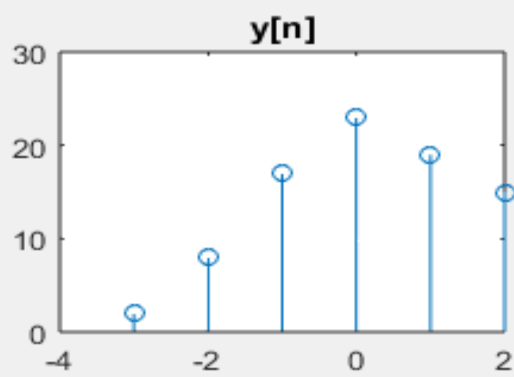
**Aim - convolution in z transform.**

**Code -**

```
x1=[2,3,4];  
x2=[3,4,5,6];  
x3=conv(x1,x2)  
conv_mod([1,2,3],[-1:1],[2,4,3,5],[-2:1])
```

**Output -**

```
x3 =  
Columns 1 through 5  
      6      17      34      43      38  
  
Column 6  
      24  
  
nyl =  
      -3  
  
ans =  
Columns 1 through 5  
      2      8      17      23      19  
  
Column 6  
      15
```



# **Experiment - 12**

**Aim - Deconvolution in z transform.**

**Code -**

```
x3=[6,17,34,43,38,24];  
x1=[2,3,4];  
[x2,r]=deconv(x3,x1)
```

**Output -**

dsp12

x2 =

3      4      5      6

r =

**Columns 1 through 5**

0   0   0   0   0

**Column 6**

0

## **Experiment - 13**

Aim - program on DTFT

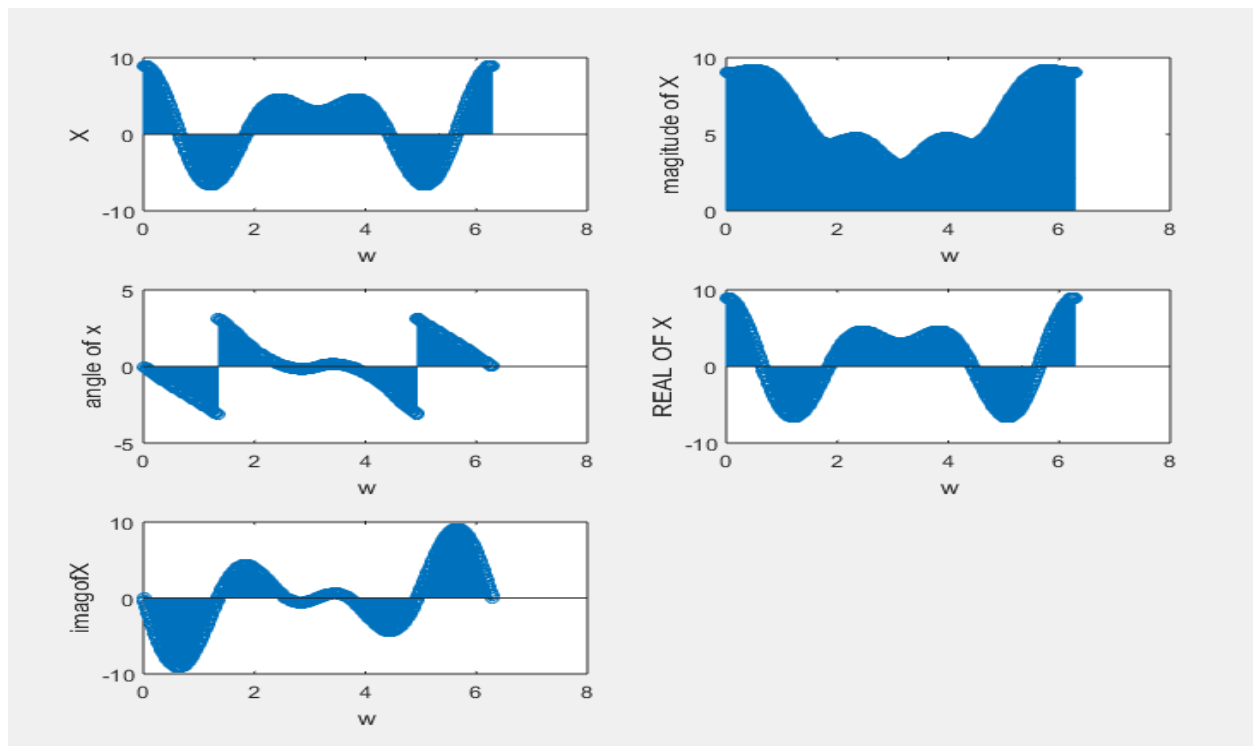
Code -

```
n=-1:3;
x=[-1,1,0,5,4];
k=0:500;
w=(2*pi*k)/500;
X=x*(exp(-j*2*pi/500)).^(n'*k);
subplot(3,2,1);
stem(w,X);
ylabel('X');
xlabel('w');
magX=abs(X);
subplot(3,2,2);
stem(w,magX);
ylabel('magnitude of X')
xlabel('w')
angX=angle(X);
subplot(3,2,3);
stem(w,angX);
ylabel('angle of x');
xlabel('w');
realX=real(X);
subplot(3,2,4);
stem(w,realX);
```

```

ylabel('REAL OF X');
xlabel('w');
imagX=imag(X);
subplot(3,2,5);
stem(w,imagX);
ylabel('imagofX');
xlabel('w');

```



## Rectangular pulse –

```

N=5;
n=[0:4];
x=[11111];
w=(-3*pi):0.01:3*pi;
X=(sin(w.*(N+1/2)))/(sin(w./2));
magx=abs(X);
angx=angle(X);

```

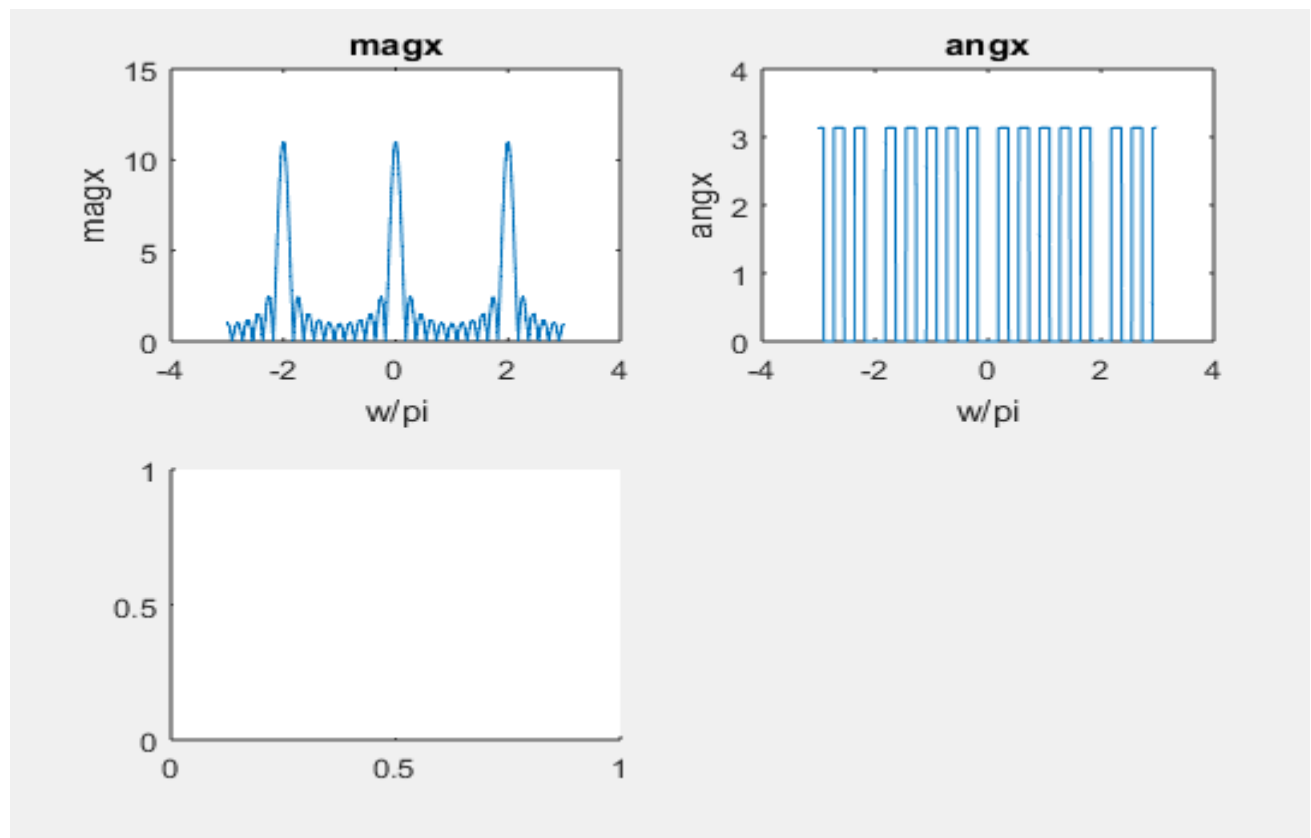


```

subplot(2,2,1);
plot((w/pi),magx);
title('magx');
xlabel('w/pi');
ylabel('magx');
subplot(2,2,2);
plot((w/pi),angx);
title('angx');
xlabel('w/pi');
ylabel('angx');
subplot(2,2,3)
stem(n,x)
title('x[n]');
xlabel('n');
ylabel('x');

```

output -



# **Experiment - 14**

Aim - program on DFT.

Code -

```
N=4;
n= [0:1: N-1];
x= (-1).^n;
X=dft(x,N);
magX=abs(X);
phaX=angle(X)*180/pi;
subplot(2,1,1);
stem(n,magX);
title('magnitude');
subplot(2,1,2);
stem(n,phaX);
title('angle');
```

Output -

n =    0            1            2            3

Xk =

Column 1

0.0000 + 0.0000i

Column 2

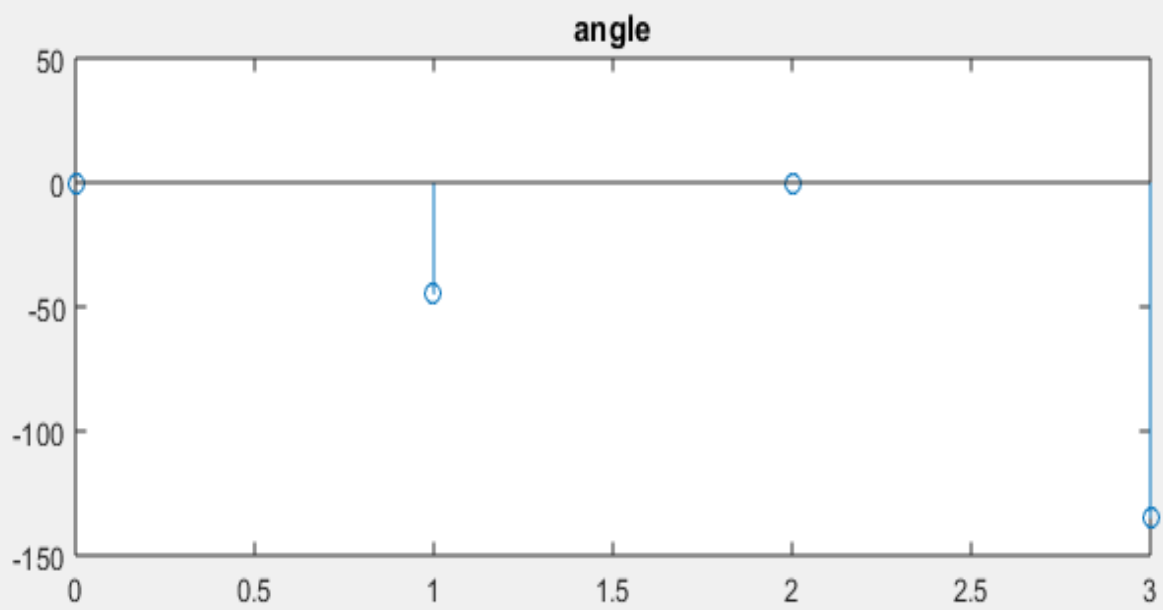
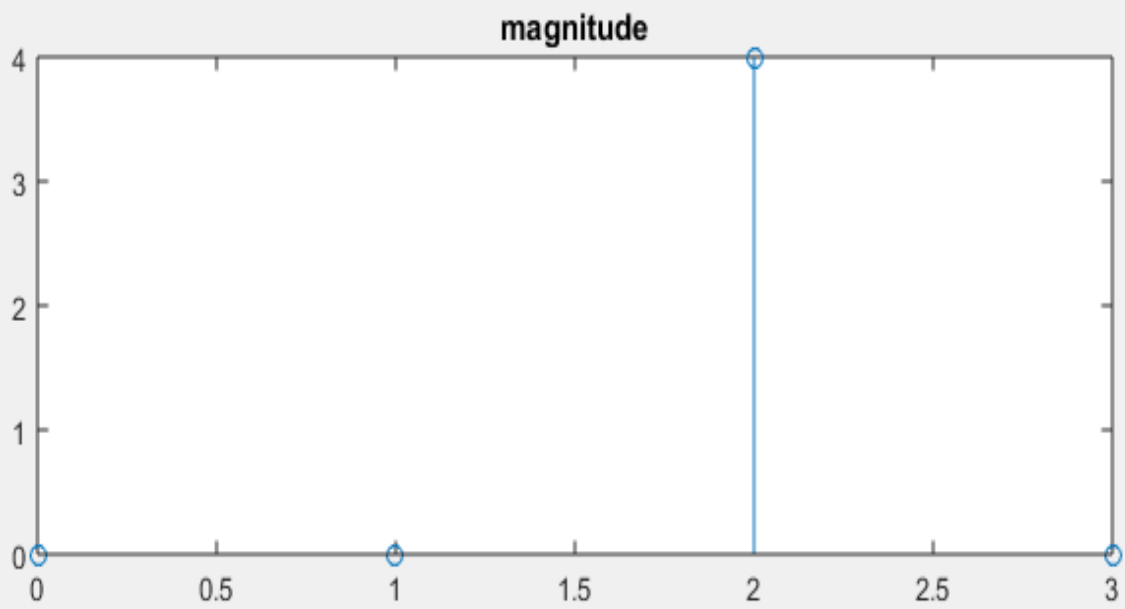
0.0000 - 0.0000i

Column 3

4.0000 + 0.0000i

**Column 4**

-0.0000 - 0.0000i



# **Experiment - 15**

Aim - program on IDFT.

Code-

```
function [xn]= idft(Xk,N)
%Computes Inverse Discrete Transform
n=[0:1:N-1]; % row vector for n
k=[0:1:N-1]; % row vector for k
WN=exp(-j*2*pi/N); %WN
nk=n'*k; % create a N by MATRIX of nk values
WNNk=WN.^(-nk); % idft matrix
xn=(Xk*WNNk)/N; % row vector for idft values
end
```

output -

```
>> idft([1,2,3,4,5,6],6)
ans =
    3.5000 + 0.0000i   -0.5000 - 0.8660i   -0.5000 - 0.2887i   -0.5000 + 0.0000i   -0.5000 + 0.2887i   -0.5000 + 0.8660i
..

```

Activate Windows  
Go to Settings to activate Windows.

## **Experiment - 16**

**Aim - Program on circular convolution.**

Code -

```
% Circular convolution
a=[1,2,3,4,5]; %x[N]
n=[0:1:4]; % number of samples
b=[5,4,3,2,1]; % y[n]
c=cconv(a,b,5) % circular conv
stem(n,c) % plotting the graph
```

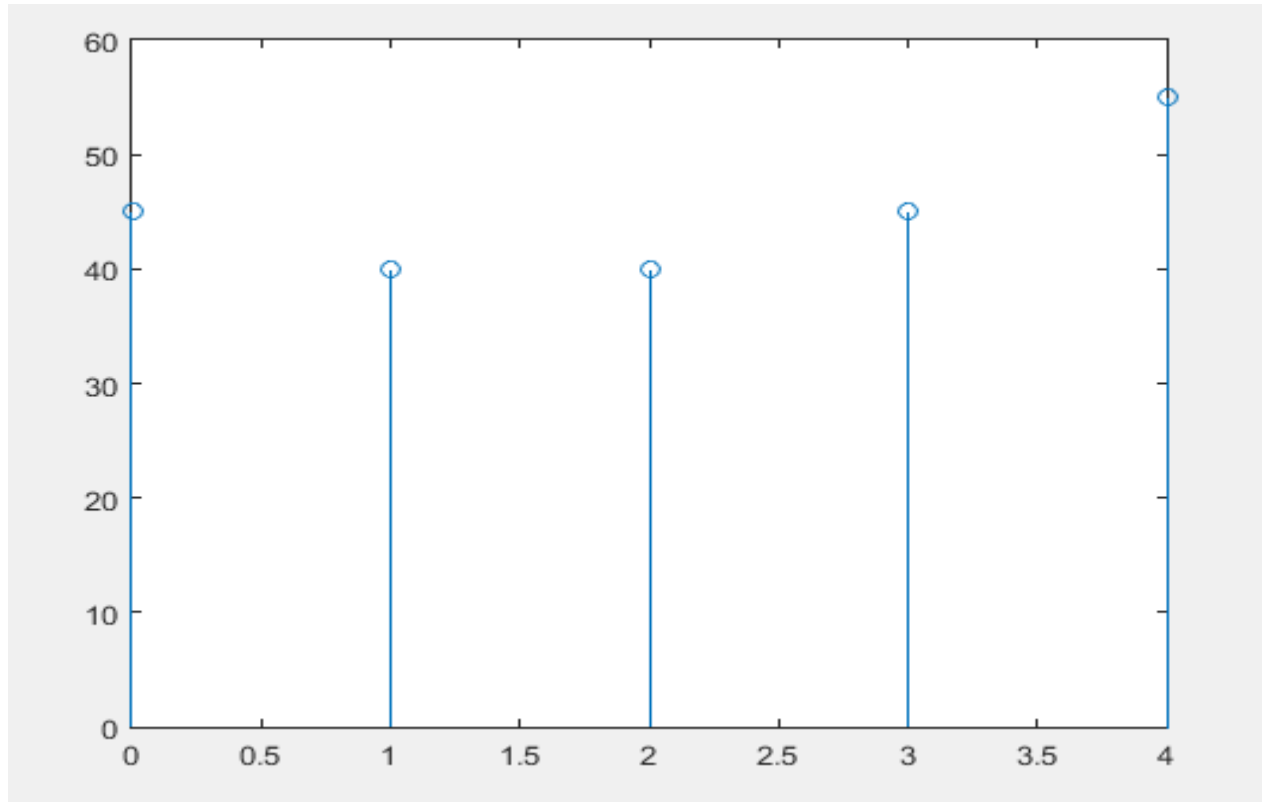
**output -**

```
>> circularconv
```

```
c =
```

```
    45    40    40    45    55
```

Graph-



# Experiment - 17

Aim - Program on FFT

## Code -

```
x=[1,2,3,4,5,6,7,8]; % sample  
n=[0:1:7] % number of samples  
y=fft(x,8) % output  
mag=abs(y); %magnitude  
subplot(1,2,1);  
stem(mag)  
phase=angle(y) % phase  
subplot(1,2,2);  
stem(phase)
```

## output -

