

19-11-2024

WEEK-7

Preposition Logic

ALGORITHM-

ALGORITHM 1

Input: Premise and conclusion as logical expressions

Variables: J (is stupid), L (is lazy)

Output: Truth table and validity of the argument

For each combination of J, L in {true, false}:

 compute $\neg J = \text{NOT } J$

 compute $\neg J \wedge L = (\text{NOT } J \text{ AND } L)$

 compute Premise 1 := $(\neg J \wedge L) \vee J$

 compute Premise 2 := J

 compute conclusion := $\neg L$

If Premise 1 AND Premise 2 are True and conclusion is False:

 Mark argument as INVALID

else:

 Continue checking for other combinations

Output truth table and whether the argument is valid.

CODE-

```
import itertools
```

```
def truth_table_part1():
```

```
    print("Part 1: Truth Table for Argument Validity")
```

```
    print("| J | L |  $\neg J$  |  $\neg J \wedge L$  |  $(\neg J \wedge L) \vee J$  | Premise 1 | Premise 2 |  $\neg L$  | Conclusion |")
```

```
    print("|---|---|---|-----|-----|-----|---|-----|")
```

```
    for J, L in itertools.product([True, False], repeat=2):
```

```
        not_J = not J
```

```
        not_L = not L
```

```
        not_J_and_L = not_J and L
```

```
        premise1 = not_J_and_L or J
```

```
        premise2 = J
```

```
        conclusion = not L
```

```
        valid = premise1 and premise2 <= conclusion
```

```
    print(f"| {J} | {L} | {not_J} | {not_J_and_L} | {premise1} | {premise1} | {premise2} |  
    {not_L} | {valid} |")
```

```
def ternary_operation(P, Q, R):
```

```
    return Q if P else R
```

```
def truth_table_part2():
```

```
    print("\nPart 2: Truth Table for Ternary Boolean Operation")
```

```
    print("| P | Q | R | if P then Q else R |")
```

```
    print("|---|---|---|-----|")
```

```
    for P, Q, R in itertools.product([True, False], repeat=3):
```

```
        result = ternary_operation(P, Q, R)
```

```
        print(f"| {P} | {Q} | {R} | {result} |")
```

```
truth_table_part1()
```

```
truth_table_part2()
```

OUTPUT-

Part 1: Truth Table for Argument Validity

J	L	$\neg J$	$\neg J \wedge L$	$(\neg J \wedge L) \vee J$	Premise 1	Premise 2	$\neg L$	Conclusion
True	True	False	False	True	True	True	False	False
True	False	False	False	True	True	True	True	True
False	True	True	True	True	True	False	False	True
False	False	True	False	False	False	False	True	False

Part 2: Truth Table for Ternary Boolean Operation

P	Q	R	if P then Q else R
True	True	True	True
True	True	False	True
True	False	True	False
True	False	False	False
False	True	True	True
False	True	False	False
False	False	True	True
False	False	False	False