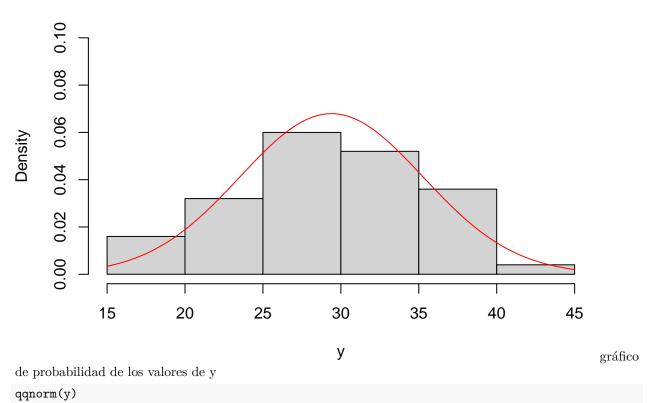
Ejercicios de repaso

Ejercicio 1

```
set.seed(1)
n <- 50
y <- rchisq(n, 30)
x \leftarrow rnorm(n, 30, 5)
  1. media, desviación típica y 3 cuartiles de y:
mean(y)
## [1] 29.39873
sd(y)
## [1] 5.872935
quantile(y)
##
         0%
                  25%
                            50%
                                      75%
                                              100%
## 15.82831 25.51818 28.78737 33.84948 40.01163
histograma
hist(y, freq=FALSE, ylim=c(0, 0.1))
curve(dnorm(x,mean=mean(y), sd=sd(y)), col="red", add=TRUE)
```

Histogram of y



Normal Q-Q Plot

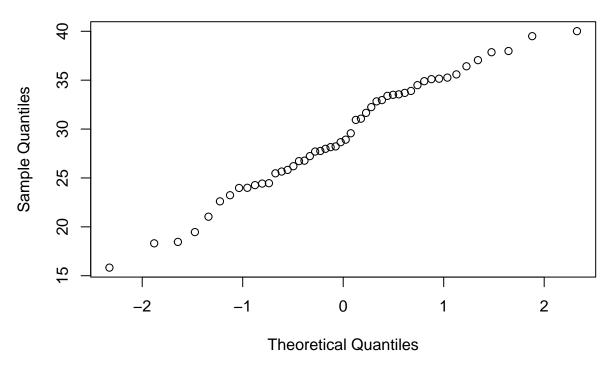


Gráfico de cajas de los valores de y

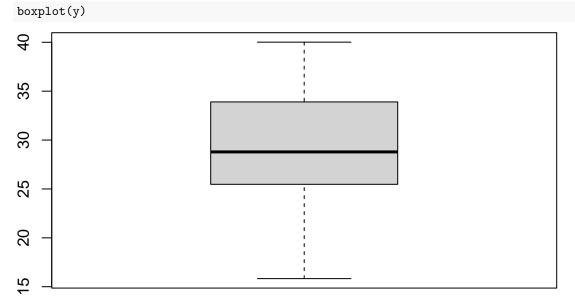


Gráfico de cajas múltiples para comparar distribución de \mathbf{x} e y

boxplot(x,y, names=c("x", "y"))

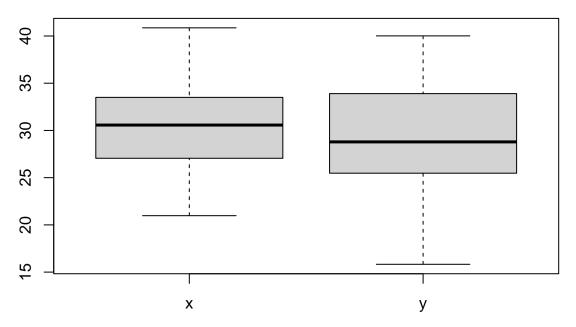
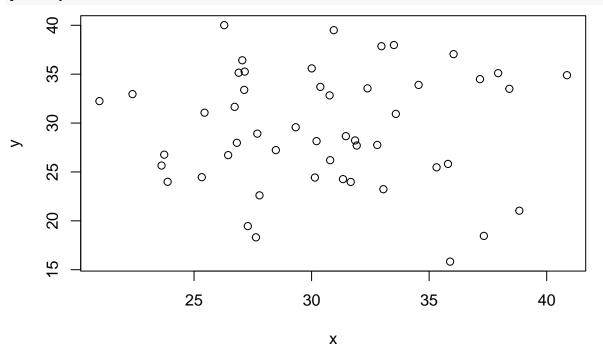


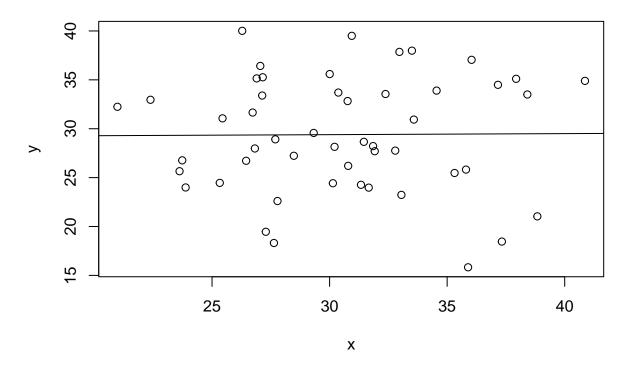
Diagrama de dispersión de valores de x frente a los de y





Regresion lineal

fit <- lm(y~x)
plot(x,y)
abline(fit)</pre>



Ejercicio 2

```
tirardados <- function(n=4){</pre>
  tiradas <- sample(1:6, n, replace=TRUE)</pre>
  res <- FALSE
  if (sum(tiradas==6) > 0)
    res <- TRUE
  return(res)
}
tirardados(10)
## [1] TRUE
nsim <- 10000
lanzamientos <- numeric(length = nsim)</pre>
for (i in 1:nsim){
  lanzamientos[i] <- tirardados()</pre>
}
print(mean(lanzamientos))
## [1] 0.5159
print(1-(5/6)^4)
## [1] 0.5177469
```

Ejercicio 3

```
nsim <- 1000
a <- 5
b <- 4

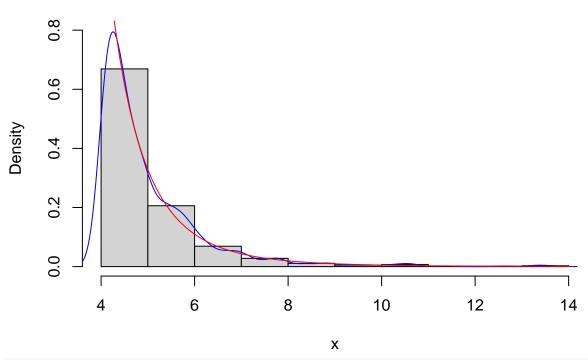
u <- runif(nsim)
x <- b/( (1-u)^(1/a) )

pareto <- function(x,a,b){
    return((a*b^a)/(x^(a+1)))
}

paretodist <- function(x,a,b){
    return((1-(b/x)^a)*(x >= b))
}

hist(x, freq=FALSE, ylim=c(0,0.8))
lines(density(x), col="blue")
curve(pareto(x,a,b), col="red", add=TRUE)
```

Histogram of x



```
ks.test(x,paretodist, a=a,b=b)
```

```
##
## One-sample Kolmogorov-Smirnov test
##
## data: x
## D = 0.017746, p-value = 0.9112
## alternative hypothesis: two-sided
```

Ejercicio 4

```
nsim <- 1000
f <- function(x){</pre>
  res <- (1/(1+x^2)) *(x >= 0 & x <= 1)
  return(res)
}
x <- runif(nsim)
fx <- sapply(x, f)</pre>
mean(fx)
## [1] 0.7786068
pi/4
## [1] 0.7853982
estim <- cumsum(fx)/1:nsim</pre>
estim.err <- sqrt(cumsum((fx-estim)^2))/1:nsim</pre>
plot(1:nsim,estim,type='l',ylab='Aproximación y límites de error',
xlab='Número de simulaciones')
z<-qnorm(0.025,lower.tail = FALSE)</pre>
lines(estim - z*estim.err,col='blue',lwd=2,lty=3)
lines(estim + z*estim.err,col='blue',lwd=2,lty=3)
abline(h=pi/4,col=2)
      0.85
Aproximación y límites de error
      0.65
      0.55
               0
                            200
                                            400
                                                           600
                                                                          800
                                                                                         1000
                                       Número de simulaciones
```