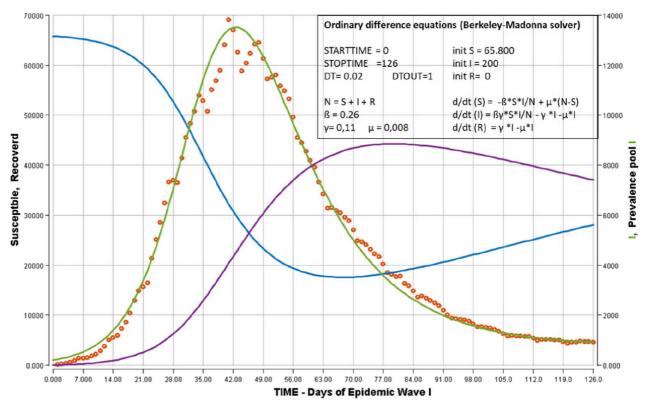
## **Foundations of Data Science**

Lecture 1: Build, compute, critique, repeat

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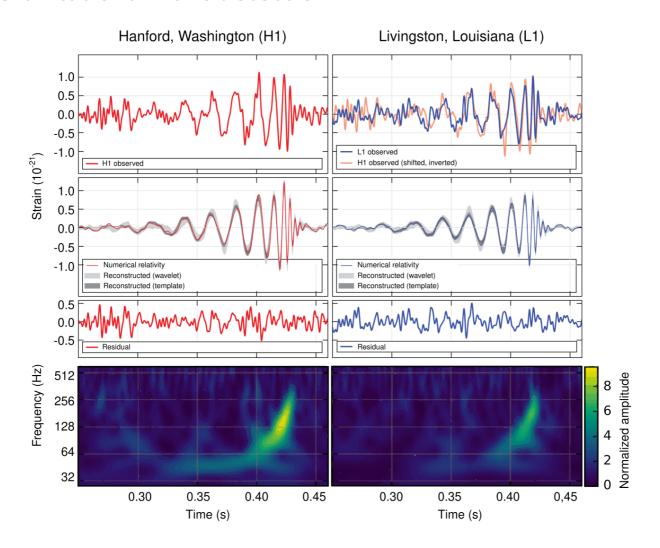
#### **COVID-19** epidemiological models



Open SIR model fitted to observations of the first Covid-19 epidemic wave – Belgium. The evolution of daily prevalence pool I was estimated from the daily incidence of reported cases (red circles). These observed values were fitted by ordinary differential equations (ODE) to SIR model. Left vertical axis: modelized Susceptible compartment (blue); modelized Recovered compartment (violet). Right axis: modelized daily prevalence pool I compartment. The insert contains the equations of ODE in Berkeley-Madonna language, the initial values of S, I and R compartments, the  $\beta$  and  $\gamma$  transition parameters. DT signifies that the fitting of model to observations with ODE was operated for each  $\Delta$  time = 0,02 days. DTOUT indicates the  $\Delta$  time for output printing

Predictions of the first wave of COVID-19 in Belgium, 2020. Many models failed to predict the peak and duration of the wave.

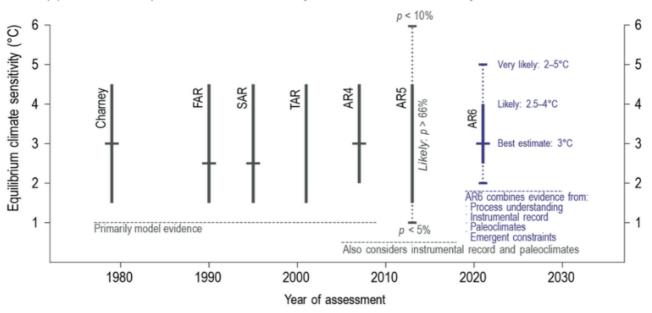
#### **Gravitational wave detection**



First direct detection of gravitational waves, LIGO, 2015. Many false alarms before the first confirmed detection.

## **Equilibrium climate sensitivity**





What is the Earth's temperature increase if we double atmospheric CO2? Over 40 years, uncertainty narrowed from 3°C range to 1.5°C range.

# **Box's loop**

All models are wrong, but some are useful. -- George Box.

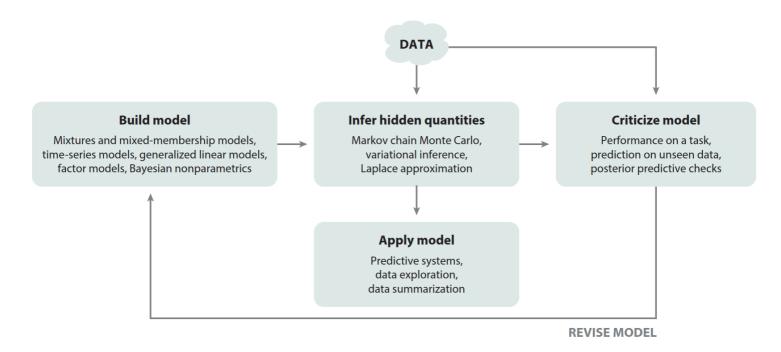


#### What is data science?

Data science is the discipline of **extracting knowledge** from data through the iterative application of the **scientific method**.



### **Box's loop**



Scientific inquiry as an iterative process: build, compute, critique, repeat.

Credits: Blei, 2014.



#### Step 1: Build

The first step to understanding a phenomenon is to **build a model** of it, as a simplified representation that captures its essential aspects.

- A model specifies assumptions about the data generating process.
- It encodes domain knowledge and constraints.
- It is formulated within an appropriate mathematical abstraction.
- It defines what you observe and what you do not observe but assume exists.



#### **Step 2: Compute**

The next step is to **compute** what the data tells you about the phenomenon of interest under the assumptions of your model.

- Fitting the model to data involves solving an optimization problem.
- Inference is used to answer questions about unobserved quantities.
- Prediction is used to answer questions about future or unseen data.



#### **Step 3: Critique**

The third step is to **critique** the model and its predictions, to assess whether they are consistent with the data and domain knowledge.

- Compare predictions to observed data.
- Diagnose model fit and identify discrepancies.
- Scientific diagnostics: does it make sense?



#### **Step 4: Repeat**

What you learn from the critique step informs how to **repeat** the process.

- Add complexity to the model to address its shortcomings.
- Simplify the model to improve interpretability.
- Change the model to explore alternative hypotheses.

### Why this approach matters?

The Fourth paradigm of science emphasizes the importance of data-intensive scientific discovery. However, data alone is not enough.

- Data without theory leads to spurious correlations.
- Theory without data leads to ungrounded speculation.
- Together, they enable robust scientific inquiry.

This principled approach contrasts with ad-hoc data analysis practices that often lead to unreliable results.

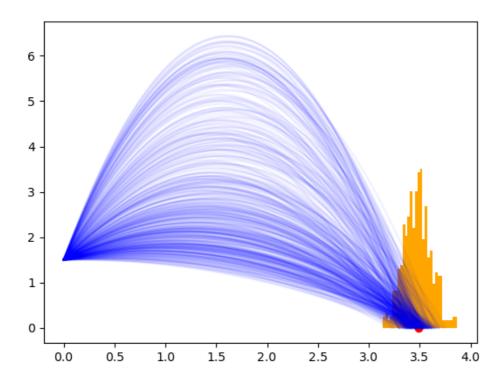
- Throw algorithms at data and see what sticks.
- Focus only on prediction accuracy.
- Treat models as black boxes.
- Stop at the first somewhat satisfactory result.

#### Box's loop encourages

- transparent reasoning about assumptions,
- understanding mechanisms behind data, not just correlations,
- honest assessment of model limitations,
- continuous improvement and learning.

## **Today's example: Projectile motion**

A ball is thrown and lands at some measured distance x. What can infer about the initial velocity v and angle  $\alpha$  of the throw?



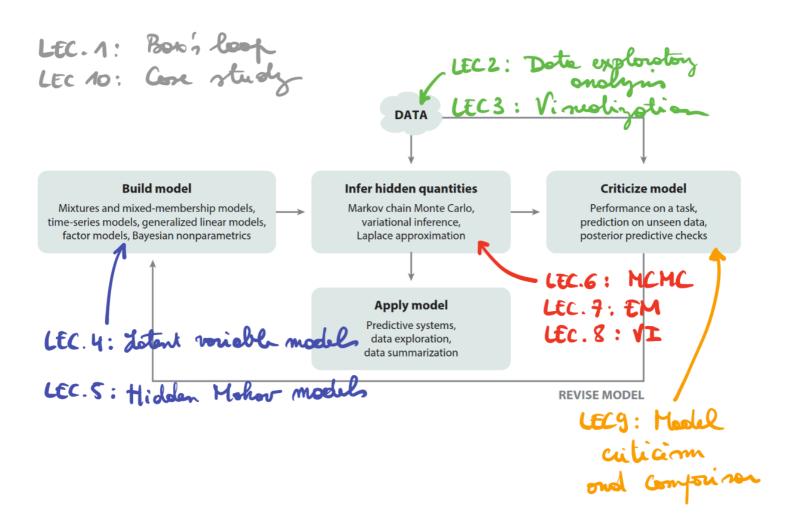
#### Let's code!

- Open a Jupyter notebook and follow along (or check nb01.ipynb after the lecture).
- Implement Box's loop step by step:
  - 1. Build a simple physical model of projectile motion.
  - 2. Compute estimates of v and  $\alpha$  from data.
  - 3. Critique the model fit and predictions.
  - 4. Repeat by refining the model to account for more realistic factors.

# **DATS0001**

## **Outline**

- Lecture 1: Build, compute, critique, repeat
- Lecture 2: Data and exploratory analysis
- Lecture 3: Visualization
- Lecture 4: Latent variable models
- Lecture 5: Hidden Markov models
- Lecture 6: Markov Chain Monte Carlo
- Lecture 7: Expectation-Maximization
- Lecture 8: Variational Inference
- Lecture 9: Model criticism and validation
- Lecture 10: Case study



## My mission

Teach you how to think like a scientist in the age of data.

By the end of this course, you will be able to explore, model, and reason about data in a principled way, but also to communicate your findings effectively.

The end.