# Mehul Pant | BSC(Hons)CS | 20211473 | Practical- 5

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Problem -1:
         x'[t] + y'[t] - x[t] = -2*t
         x'[t] + y'[t] - 3x[t] - y[t] = t*t
         SOL:
In[200]:= sol1 =
           DSolve[\{x '[t] + y '[t] - x[t] = 2 * t, x '[t] + y '[t] - 3 * x[t] - y[t] = t * t\}, \{x, y\}, t]
          particularsol = \{x[t], y[t]\} /. sol1 [1] / . \{C[1] \rightarrow 5\}
          Plot[Evaluate[particularsol], {t, -10, 10}]
Out[200]=
           "x \rightarrow Function \{t\}, -2 t - t^2 + \frac{1}{4} \cdot 4 \cdot -2 + 2 t + t^2 \cdot -e^{-t} \cdot 1^6,
             y \rightarrow Function!\{t\}, 2t+t^2+\frac{1}{2}(-4)-2+2t+t^2+e^{-t})_1^{(m)}
Out[201]=
         1 - 2 t - t^2 + \frac{1}{4} - 5 e^{-t} + 4 - 2 + 2 t + t^{2\pi}, 2 t + t^2 + \frac{1}{2} - 5 e^{-t} - 4 - 2 + 2 t + t^{2\pi}
Out[202]=
                                          200
                                          100
          10
                                        -100
                                         -200
                                         -300
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# Problem -2:

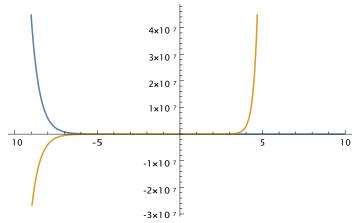
$$\label{eq:ln203} $$\inf = DSolve[\{x '[t] + y '[t] - 2 * x[t] - 4 * y[t] = Exp[t], $$ x '[t] + y '[t] - y[t] = Exp[4 * t]\}, $\{x, y\}, t]$ $$particularsol = $\{x[t], y[t]\} /. $$soll $[1]/. $\{C[1] \rightarrow 2\}$$ $$Plot[Evaluate[particularsol], $\{t, -10, 10\}]$$$

Out[203]=

$$\label{eq:constraints} \begin{split} \text{``x} &\to \text{Function'}\{t\}, \; -e^{t} - 1 + e^{3t} + \frac{1}{3} \cdot 3 \; e^{t} - 1 + e^{3t} + e^{-2t} \cdot 1^{t}, \\ \text{$y$} &\to \text{Function'}\{t\}, \; e^{t} - 1 + e^{3t} - \frac{2}{9} \cdot 3 \; e^{t} - 1 + e^{3t} + e^{-2t} \cdot 1^{t} \end{split}$$

Out[204]=

Out[205]=



In[206]:= sol1 =

DSolve[{x '[t] + y '[t] + 4 \* y[t]== Sin[t], x '[t] + y '[t] - x[t] - y[t]== 0}, {x, y}, t] particularsol = {x[t], y[t]} /. soll[1]/. {C[1] $\rightarrow$  1} Plot[Evaluate [particularsol], {t, -10, 4}]

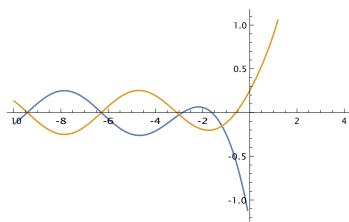
Out[206]=

$$\text{"x} \rightarrow \text{Function}(\{t\}, \quad \frac{5 e^{t} \cdot 1}{4} - \frac{\sin[t]}{4}, \text{ y} \rightarrow \text{Function}(\{t\}, -\frac{e^{t} \cdot 1}{4} + \frac{\sin[t]}{4} \cdots$$

Out[207]=

$$-\frac{5e^{t}}{4} - \frac{\sin[t]}{4}, \frac{e^{t}}{4} + \frac{\sin[t]}{4}$$

Out[208]=



#### Problem -4:

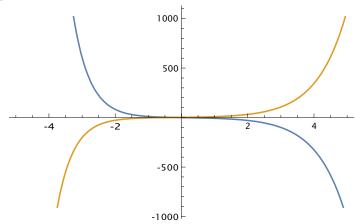
Out[209]=

$$\begin{array}{lll}
\text{"x} \to \text{Function}\{t\}, & -\frac{1}{2}e^{-2t} - 3 + e^{-3t_i}\left(\frac{e^{3t}}{2} - t\right) - \\
& \frac{3}{2}e^{-2t} - 1 + e^{-3t_i}\left(-\frac{e^{-3t}}{6} + t\right) - \frac{1}{2}e^{-2t} - 3 + e^{-3t_{i+1}} - \frac{3}{2}e^{-2t} - 1 + e^{-3t_{i+2}}, \\
\text{y} \to \text{Function}\{t\}, & \frac{1}{2}e^{-2t} - 1 + e^{-3t_i}\left(\frac{e^{-3t}}{2} - t\right) + \frac{1}{2}e^{-2t} - 1 + 3e^{-3t_{i+2}}, \\
& \frac{1}{2}e^{-2t} - 1 + e^{-3t_{i+1}} + \frac{1}{2}e^{-2t} - 1 + 3e^{-3t_{i+2}}.
\end{array}$$

$$\frac{1}{2}e^{-2t} - 3 + e^{3t_{i}} - 3e^{-2t} - 1 + e^{3t_{i}} - \frac{1}{2}e^{-2t} - 3 + e^{3t_{i}} \left(\frac{e^{3t}}{2} - t\right) - \frac{3}{2}e^{-2t} - 1 + e^{3t_{i}} \left(-\frac{e^{3t}}{6} + t\right),$$

$$\frac{1}{2}e^{-2t_{i}} - 1 + e^{3t_{i}} + e^{-2t_{i}} - 1 + 3e^{3t_{i}} + \frac{1}{2}e^{-2t_{i}} - 1 + e^{3t_{i}} \left(\frac{e^{3t}}{2} - t\right) + \frac{1}{2}e^{-2t_{i}} - 1 + 3e^{3t_{i}} \left(\frac{e^{3t}}{6} + t\right)$$

Out[211]=



## Problem -5:

$$x''[t] + y'[t] = Exp[2*t]$$
  
 $x'[t] + y'[t] - x[t] - y[t] = 0$ 

### SOL:

Out[214]=

