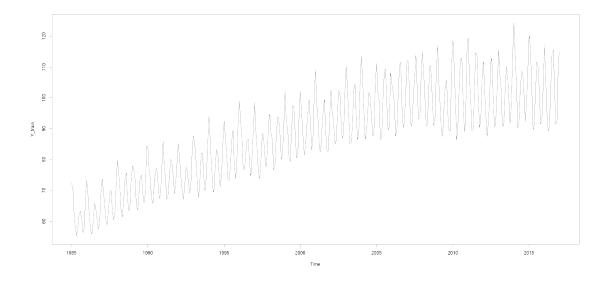
# Trabalho5

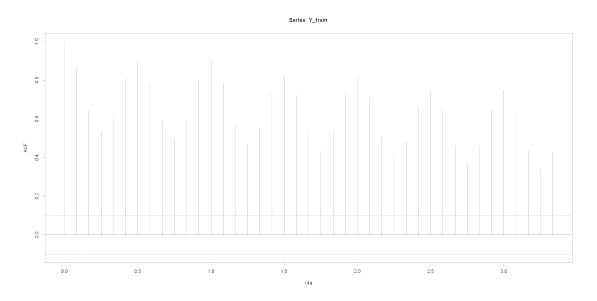
### May 26, 2025

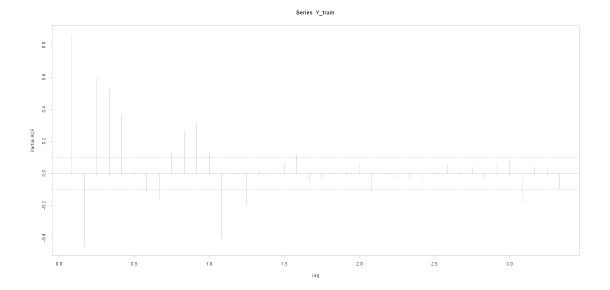
```
[2]: library(pacman)
      p_load(ggplot2,dplyr,lmtest,forecast,dlm)
[14]: options(repr.plot.width=20, repr.plot.height=10) # Ajuste dos gráficos
      options(warn=-1)
[15]: rm(list=ls())
[16]: setwd("C:\\Users\\Marcelo\\OneDrive\\Área de Trabalho\\ts\\trabalho5\\")
      getwd()
     'C:/Users/Marcelo/OneDrive/Área de Trabalho/ts/trabalho5'
     0.0.1 1)A)
     Série temporal de produção de energia, jan/1985 até jan/2018. Vinda do kaggle.
[17]: data<- read.csv("Electric_Production.csv")
      Y<-data$IPG2211A2N
     0.0.2 1)B)
[18]: H=12
[19]: n<-length(Y)
[20]: Y_train<-ts(Y[1:(n-H)],start=c(1985,1),frequency=12)
[21]: Y_{test} \leftarrow Y[(n-H+1):n]
     0.0.3 1)C)
[22]: plot(Y_train)
```



série com tendencia crescente, sazonalidade clara e possivelmente variância não constante.

## 0.0.4 2)a)

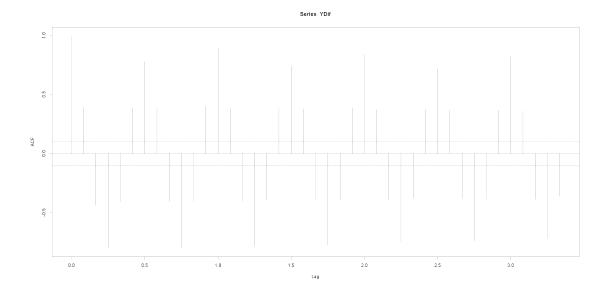




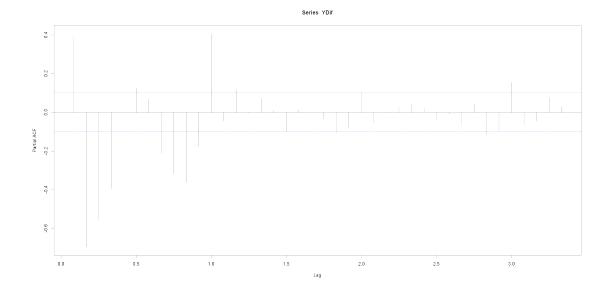
## Série não estacionária

[25]: log\_Y<-log(Y\_train)
YDif<-diff(log\_Y)</pre>

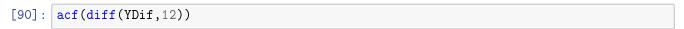
[30]: acf(YDif, lag = 40)

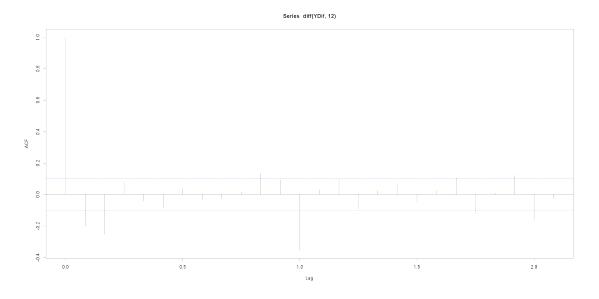


[31]: pacf(YDif, lag = 40)



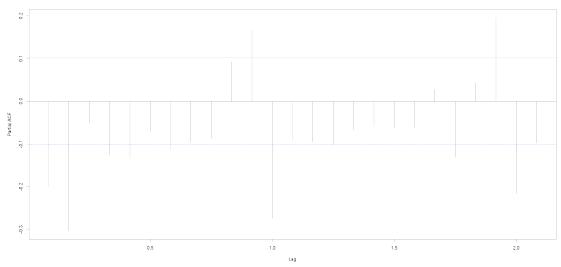
Ainda está não estacionária. Suspeito da necessidade de integrar a parte sazonal.





[91]: pacf(diff(YDif,12))





#### 0.0.5 2)B)

#### z test of coefficients:

```
Estimate Std. Error z value Pr(>|z|)
ar1 0.513454 0.054303 9.4554 < 2.2e-16 ***
ma1 -0.923166 0.024111 -38.2883 < 2.2e-16 ***
sma1 -0.814404 0.033575 -24.2563 < 2.2e-16 ***
---
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

### -1701.74766764675

#### z test of coefficients:

```
Estimate Std. Error z value Pr(>|z|)
ar1 0.518378 0.054024 9.5953 <2e-16 ***
ma1 -0.924708 0.023740 -38.9512 <2e-16 ***
sar1 0.081978 0.062869 1.3040 0.1923
```

```
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
     -1701.46383849794
[173]: M3 < -arima(log_Y, order = c(1, 1, 1), seasonal = list(order = c(0, 1, 2)))
      coeftest (M3)
      AIC(M3)
     Call:
     arima(x = log_Y, order = c(1, 1, 1), seasonal = list(order = c(0, 1, 2)))
     Coefficients:
             ar1
                     ma1
                            sma1
                                     sma2
           0.5203 -0.9254 -0.7262 -0.0991
     s.e. 0.0538
                  0.0236 0.0627
                                   0.0610
     sigma^2 estimated as 0.0005643: log likelihood = 856.16, aic = -1702.33
     z test of coefficients:
          Estimate Std. Error z value Pr(>|z|)
          0.520320 0.053843
                             9.6636 <2e-16 ***
     ar1
     ma1 -0.925422 0.023562 -39.2759 <2e-16 ***
     sma2 -0.099113
                   0.060970 -1.6256
                                      0.104
     Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
     -1702.32698460546
[174]: M4 < -arima(log_Y, order = c(2, 1, 1), seasonal = list(order = c(1, 1, 2)))
      coeftest(M4)
      AIC(M4)
     z test of coefficients:
          Estimate Std. Error z value Pr(>|z|)
          0.533024 0.057342
                             9.2956 < 2.2e-16 ***
     ar1
                   0.056249 -0.6745 0.500007
     ar2 -0.037939
     ma1 -0.919867 0.026666 -34.4953 < 2.2e-16 ***
     sar1 -0.457070  0.212847  -2.1474  0.031760 *
     sma1 -0.261031 0.197872 -1.3192 0.187104
```

```
sma2 -0.482504   0.156762   -3.0779   0.002084 **
---
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

#### -1701.74401091749

#### z test of coefficients:

```
Estimate Std. Error z value Pr(>|z|)
                0.057522
                           9.0841
                                    <2e-16 ***
     0.522536
ar1
   -0.030988
                0.056196 -0.5514
                                    0.5813
ar2
ma1
    -0.918021
                0.027454 -33.4387
                                    <2e-16 ***
sma1 -0.815885
               0.033687 -24.2195
                                    <2e-16 ***
               0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Signif. codes:
```

#### -1700.05128780756

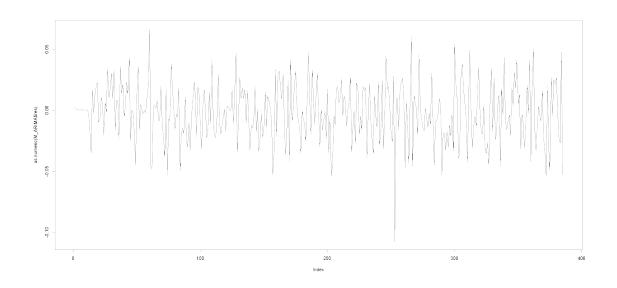
Melhor modelo: Arima(1,1,1)(0,1,1)

Melhor modelo pois é tem todas as variávei significativas e é o menor AIC.

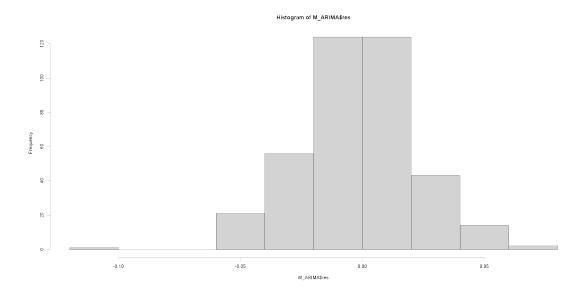
```
[177]: M_ARIMA<-M1
```

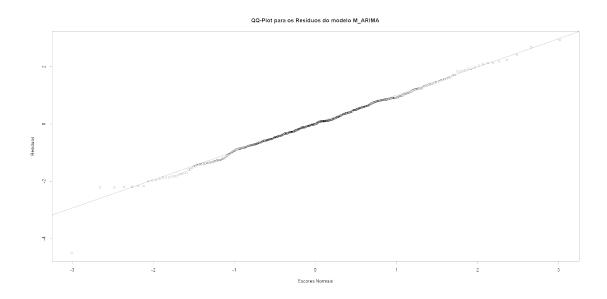
#### 0.0.6 2)c)

```
[178]: plot(as.numeric(M_ARIMA$res),type='l')
```

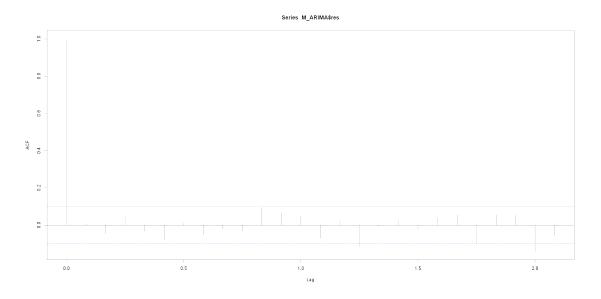


## [179]: hist(M\_ARIMA\$res)

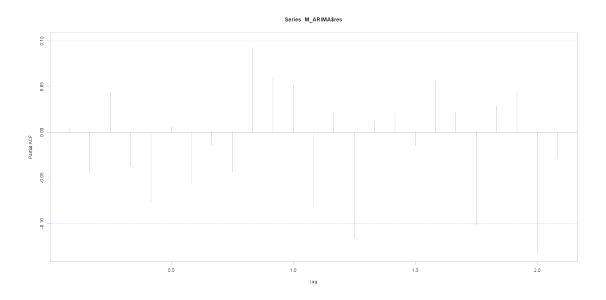




# [182]: acf(M\_ARIMA\$res)



# [183]: pacf(M\_ARIMA\$res)



## [184]: shapiro.test(M\_ARIMA\$res)

```
Shapiro-Wilk normality test
```

```
data: M_ARIMA$res
W = 0.99287, p-value = 0.06405

[185]: Box.test(M_ARIMA$resid, lag = 12, type = c("Box-Pierce", "Ljung-Box"))
```

```
Box-Pierce test

data: M_ARIMA$resid

X-squared = 12.008, df = 12, p-value = 0.445
```

Rejeitamos a hipótese de normalidade para o nível de 10%. Não rejeitamos a hipótese de independência dos resíduos. Não consegui um modelo melhor que esse, mesmo não conseguindo normalidade nos resíduos.

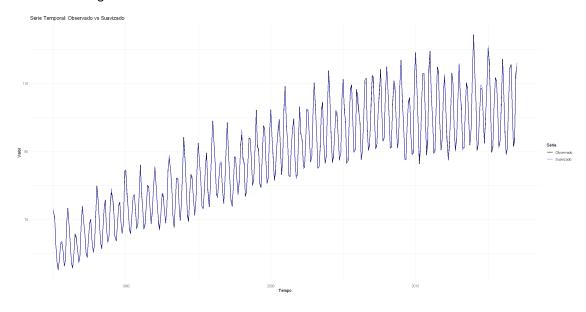
#### 0.0.7 2)d)

Modelo com tendência e sazonalidade

scale\_color\_manual(name = "Série",

```
[186]: buildmod<-function(par){
           trend <- dlmModPoly(order=2,dV=exp(par[1]),dW=exp(par[2:3]))</pre>
           seasonal <- dlmModSeas(frequency=12,dV=0,dW=c(exp(par[4]),rep(0,10)))</pre>
           model <- trend+seasonal
           return(model)
       }
[187]: fit<-dlmMLE(Y_train,parm=rep(0,4),build=buildmod)
[188]: smoothed <- dlmSmooth(dlmFilter(Y_train, buildmod(exp(fit$par))))
[189]: plot_data <- data.frame(
         Data = time(Y_train),
         Observado = as.numeric(Y_train),
         Suavizado = smoothed$s[-1,1] + smoothed$s[-1,3], # Nível + sazonalidade
         Tendencia = smoothed$s[-1,1],
         Sazonalidade = smoothed$s[-1,3]
       )
[190]: ggplot(plot_data, aes(x = Data)) +
         geom_line(aes(y = Observado, color = "Observado"), linewidth = 0.7) +
         geom_line(aes(y = Suavizado, color = "Suavizado"), linewidth = 0.5) +
         labs(title = "Série Temporal: Observado vs Suavizado",
              v = "Valor",
              x = "Tempo") +
```

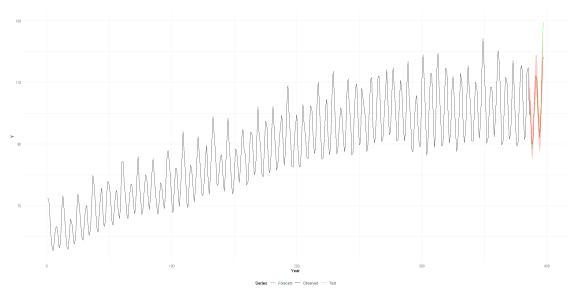
Don't know how to automatically pick scale for object of type  $\langle ts \rangle$ . Defaulting to continuous.



### 0.0.8 3)

Previsão e erro quadrático médio do modelo arima

```
[191]: Prev=forecast(M_ARIMA, H, level=c(95))
[192]: time_index <- time(Y)
[193]: df <- data.frame(
        Time = time_index,
        Observed = as.numeric(Y),
        Test = c(rep(NA, n-H), Y_test),
        Forecast = rep(NA, n),
        Lower = rep(NA, n),
        Upper = rep(NA, n)
)
[194]: for(i in 1:H) {
        df$Forecast[n-H+i] <- exp(Prev$mean[i])
        df$Lower[n-H+i] <- exp(Prev$lower[i])
        df$Upper[n-H+i] <- exp(Prev$upper[i])
}</pre>
```



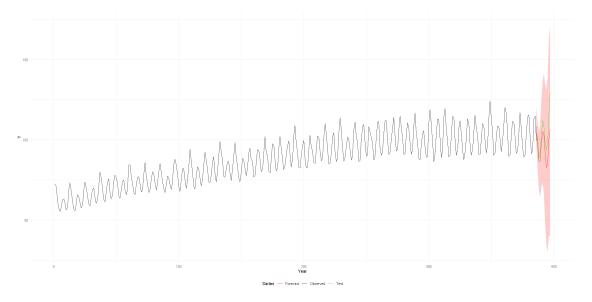
```
[196]: # Calculo do EQMP
EQMP <- sum((as.numeric(Y_test)-exp(Prev$mean))^2)/H
EQMP</pre>
```

#### 20.4151575086912

Previsão para o modelo de espaço de estado

```
[197]: fit<-dlmFilter(Y_train,buildmod(exp(fit$par)))
[198]: forecast<-dlmForecast(fit,nAhead=12)
[199]: q_value <- qnorm(0.975)
    lower <- forecast$f - q_value * sqrt(unlist(forecast$Q))
    upper <- forecast$f + q_value * sqrt(unlist(forecast$Q))</pre>
```

```
[200]: df2<- data.frame(
    Time = time(Y),
    Observed = as.numeric(Y),
    Test = c(rep(NA, n-H), Y_test),
    Forecast = c(rep(NA, n-H), as.numeric(forecast$f)),
    Lower = c(rep(NA, n-H), lower),
    Upper = c(rep(NA, n-H), upper)
)</pre>
```



```
[202]: EQMP <- sum((as.numeric(Y_test)-forecast$f)^2)/H
EQMP
```

105.82502639787