Larry's Array

Larry has a permutation of N numbers, A, whose unique elements range from 1 to N (i.e.: $A = \{a_1, a_2, \dots, a_{N-1}, a_{N}\}$). He wants A to be sorted, so he delegates the task of doing so to his robot. The robot can perform the following operation as many times as it wants:

• Choose any \$3\$ consecutive indices and rotate their elements in such a way that \$A B C\$ rotates to \$B C A\$, which rotates to \$C A B\$, which rotates back to \$A B C\$.

For example: if $A = \{1,6,5,2,4,3\}$ and the robot rotates (6,5,2), A becomes $\{1,\text{textbf}\{5, 2, 6\},4,3\}$.

On a new line for each test case, print \$\scriptsize{\texttt{YES}}\$ if the robot can fully sort \$A\$; otherwise, print \$\scriptsize{\texttt{NO}}\$.

Input Format

The first line contains an integer, \$T\$, the number of test cases. The \$2T\$ subsequent lines each describe a test case over \$2\$ lines:

- 1. An integer, \$N\$, denoting the size of \$A\$.
- 2. \$N\$ space-separated integers describing \$A\$, where the \$i^{th}\$ value describes element \$a i\$.

Constraints

- \$1 \le T \le 10\$
- \$3 \le N \le 1000\$
- \$1 \le a i \le N \text{, where every element } a i \text{ is unique.}\$

Output Format

On a new line for each test case, print \$\scriptsize{\texttt{YES}}\$ if the robot can fully sort \$A\$; otherwise, print \$\scriptsize{\texttt{NO}}\$.

Sample Input

```
3
3
3 1 2
4
1 3 4 2
5
1 2 3 5 4
```

Sample Output

```
YES
YES
NO
```

Explanation

In the explanation below, the subscript of \$A\$ denotes the number of operations performed.

Test Case 0:

 $A_0=\{3,1,2} \rightarrow A_1=\{1,2,3}$ \$A\$ is now sorted, so we print $\$ on a new line.

Test Case 1:

 $A_0 = \{1,3,4,2\} \operatorname{text}\{rotate\}(3,4,2) \operatorname{text}\{n,4,2,3\} . \\ A_1 = \{1,4,2,3\} \operatorname{text}\{rotate\}(4,2,3) \operatorname{text}\{n,2,3,4\} . \\ A_1 = \{1,4,2,3\} \operatorname{text}\{rotate\}(4,2,3) \operatorname{text}\{n,2,3,4\} . \\ A_1 = \{1,4,2,3\} \operatorname{text}\{n,2,3,4\} . \\ A_2 = \{1,2,3,4\} . \\ A_3 = \{1,2,3,4\} . \\ A_4 = \{1,4,2,3\} . \\ A_4 =$

Test Case 2:

No sequence of rotations will result in a sorted \$A\$. Thus, we print \$\scriptsize{\texttt{NO}}}\$ on a new line.