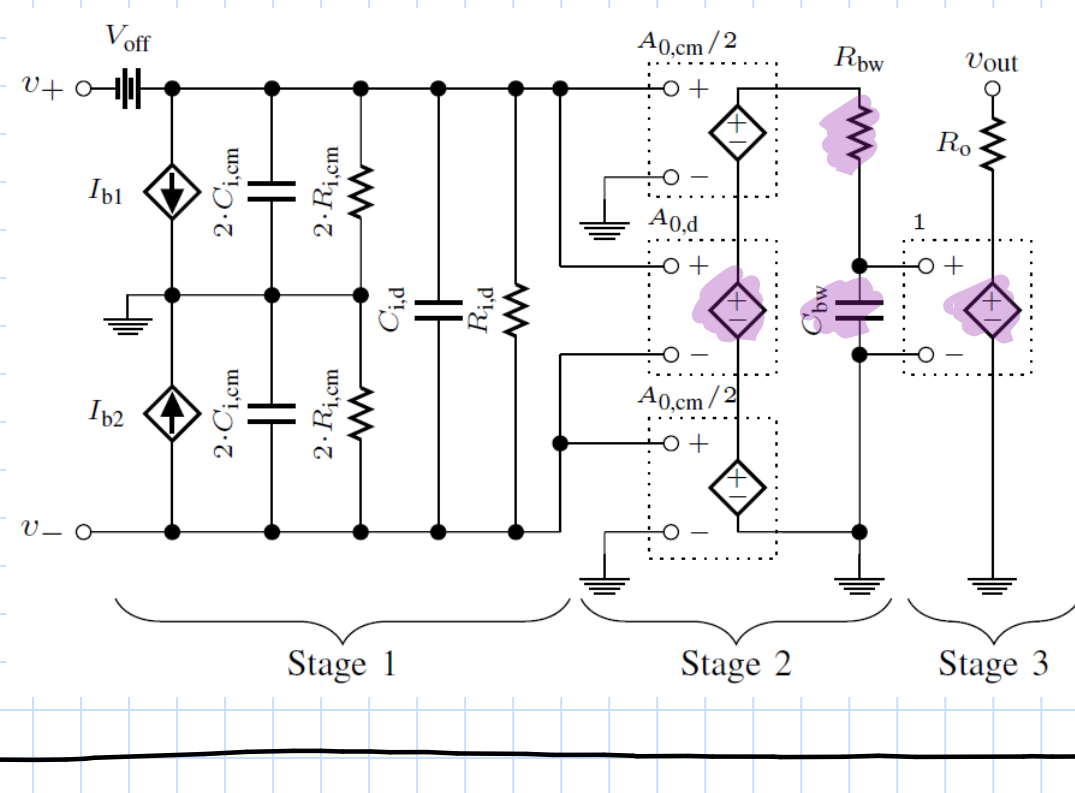
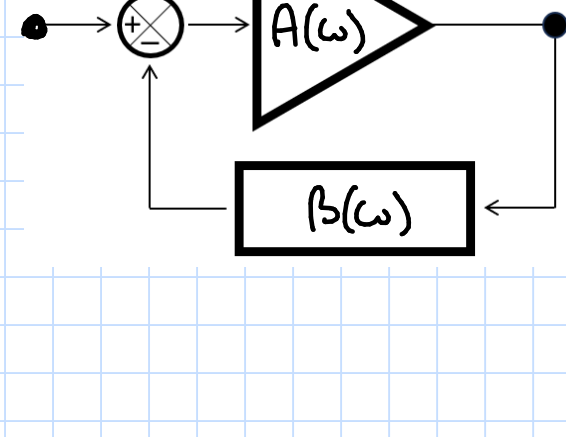


ESEMPIO CRAMP NEW



$$A(\omega) = \frac{A_0}{1+j\omega\tau_0}$$

PERCHÉ?



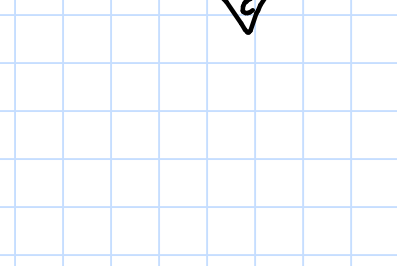
$$v_{out}(\omega) = \frac{A(\omega)}{1+\beta(\omega)A(\omega)} v_{in}(\omega)$$

SE SI ATTERA PER UN DATO ω_0

POSSIBILE AVERE OUT SOLTA IN

$$v_{out} \propto e^{j\omega_0 t}$$

ESEMPIO CRAMP (NON UN CRAMP...)



$$v_{out} = \frac{v_{in}}{1+j\omega\tau} \quad \tau = RC$$

SI ATTERA PER $\omega_0 = j/\tau$

"Polo" vedere Metodo 2.

SOLUZIONE...

$$v_{out}(t) \propto e^{j\omega_0 t} = e^{-t/\tau}$$

IN CRAMP $\omega_0 = 1+j\beta$

SE $\beta < 0$...

RISPOSTA $v_{out} \propto e^{j\omega_0 t} e^{-\beta t}$

OBIETTIVO SE USO CRAMP (SE $\beta \in \mathbb{R}$ e $\beta < 1$)

VERIFICARE CHE NON MI ANDASSE IN AUTO-OSCILLAZIONE

$$A(\omega) = |A(\omega)| e^{j\phi(\omega)}$$

\Rightarrow MANARE DI FASE $|A(\omega)| = 1$

$$\phi(\omega) < \pi$$

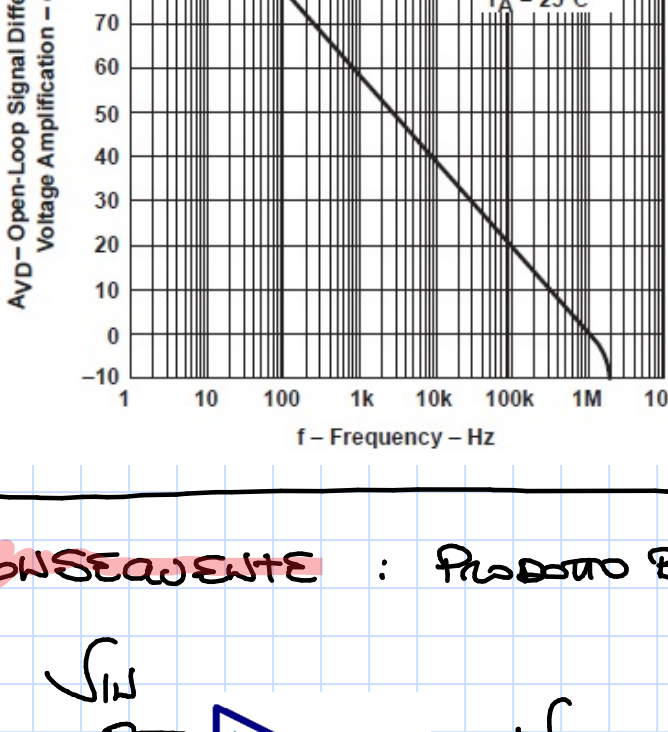
\Rightarrow MANARE DI GUADAGNO $\phi(\omega_\pi) = \pi$

$$|A(\omega_\pi)| < 1$$

SE RISULTATO... $\Rightarrow \frac{A(\omega)}{1+\beta A(\omega)}$ NON HA ω_0 CON $\text{Im}(\omega_0) < 0$

PERCHÉ? \Rightarrow Metodo 2

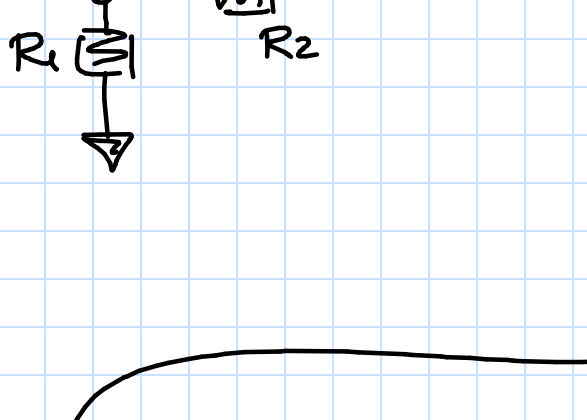
COMPENSAZIONE IN FREQUENZA



$$A(\omega) \approx \frac{A_0}{1+j\omega\tau_0}$$

approx di Polo DOMINANTE

CONSEQUENTE: PRODOTTO BANDA-GUADAGNO



$$\beta = \frac{R_1}{R_1+R_2}$$

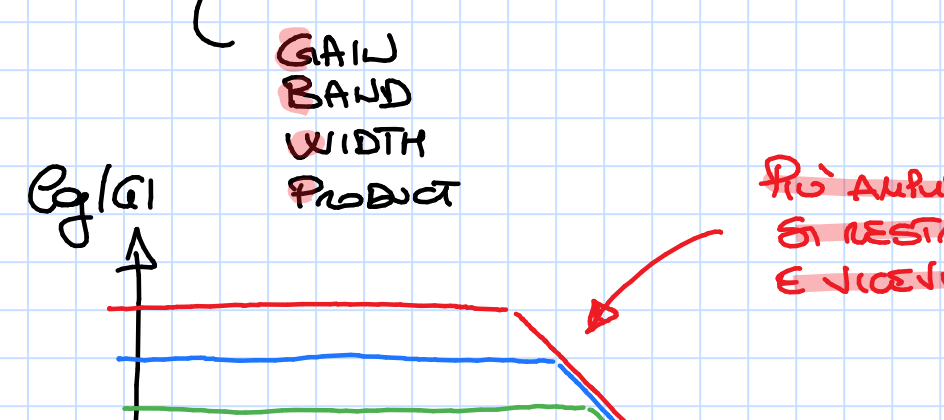
$$G(\omega) = \frac{A(\omega)}{1+\beta A(\omega)} = \frac{A_0}{1+j\omega\tau_0 + \beta A_0}$$

$$= \frac{A_0}{1+j\omega\tau_0 + \beta A_0} = \frac{A_0}{1+\beta A_0} \cdot \frac{1}{1+j\omega \frac{\tau_0}{1+\beta A_0}} = \frac{A_0}{1+\beta A_0} \cdot \frac{1}{1+j\omega \frac{\tau_0}{1+\beta A_0}}$$



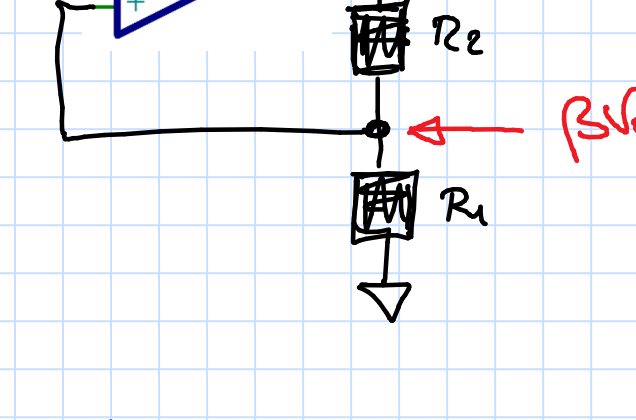
$$G(\omega)f_c = \frac{A_0}{1+\beta A_0} \cdot \frac{1}{2\pi} \cdot \frac{1+\beta A_0}{\tau_0} = \frac{A_0}{2\pi\tau_0}$$

GAU BAND WIDTH PRODUCT



PRODOTTO BANDA-GUADAGNO... PRODOTTO BANDA-GUADAGNO... ENGENGNERIA...

FEEDBACK POSITIVO \Rightarrow NO RULES D'ORO...



$$v_{in} = \beta v_{out}$$

SOLUZIONE INSTABILE

INVENGNERIA SATURAZIONE

CHE ANDUTTAVE QUESTI CRAMP

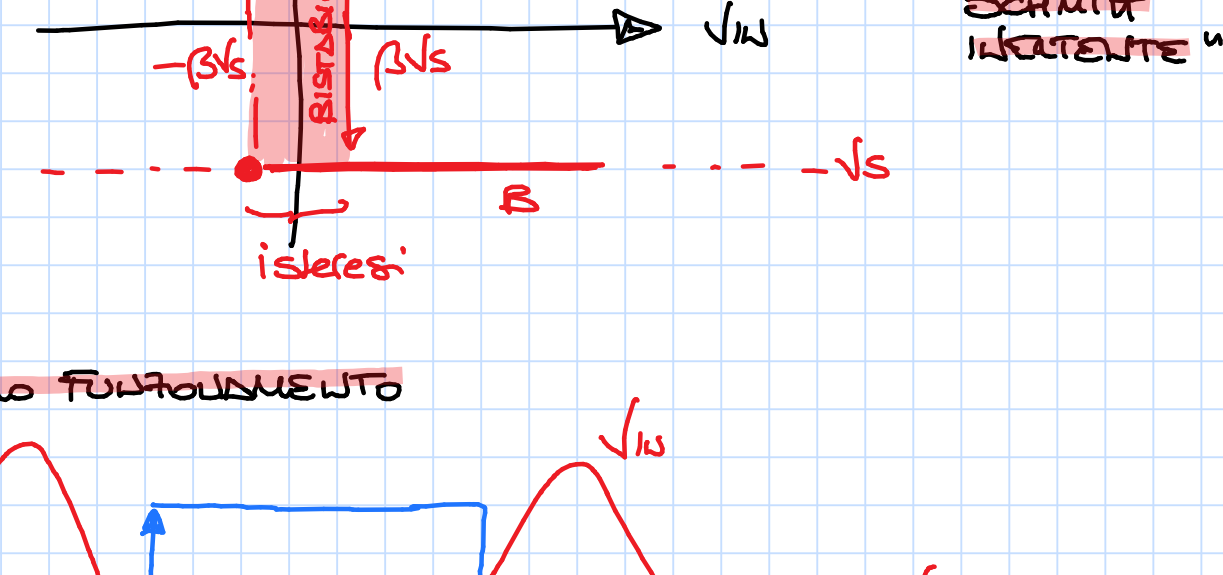
- 1) INSTABILE SATURAZIONE
- 2) VERIFICARE A QUALI CONDIZIONI SI AUTOSOSTENTIVA

OPZIONE A $v_{out} = +V_s$

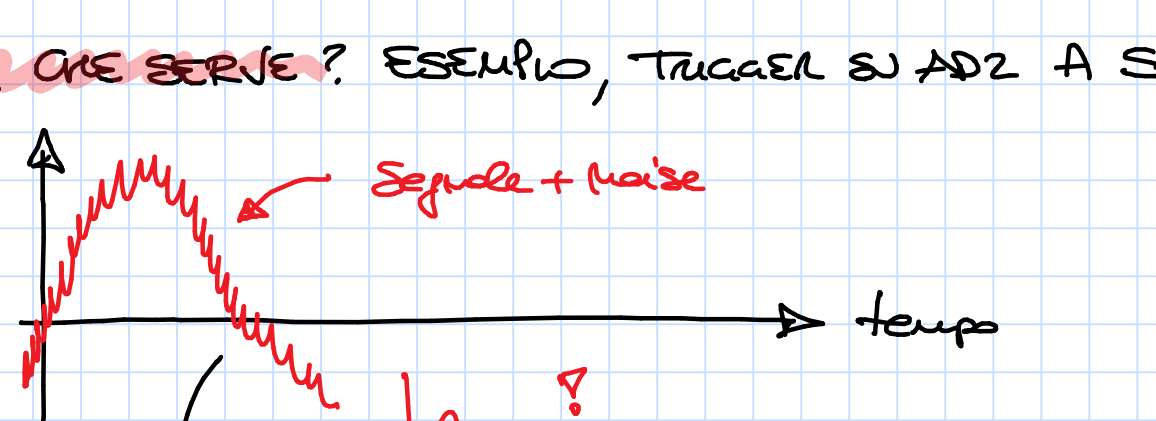
$$\text{RICHIEDE... } v_{in} < \beta v_{out} = +\beta V_s$$

OPZIONE B $v_{out} = -V_s$

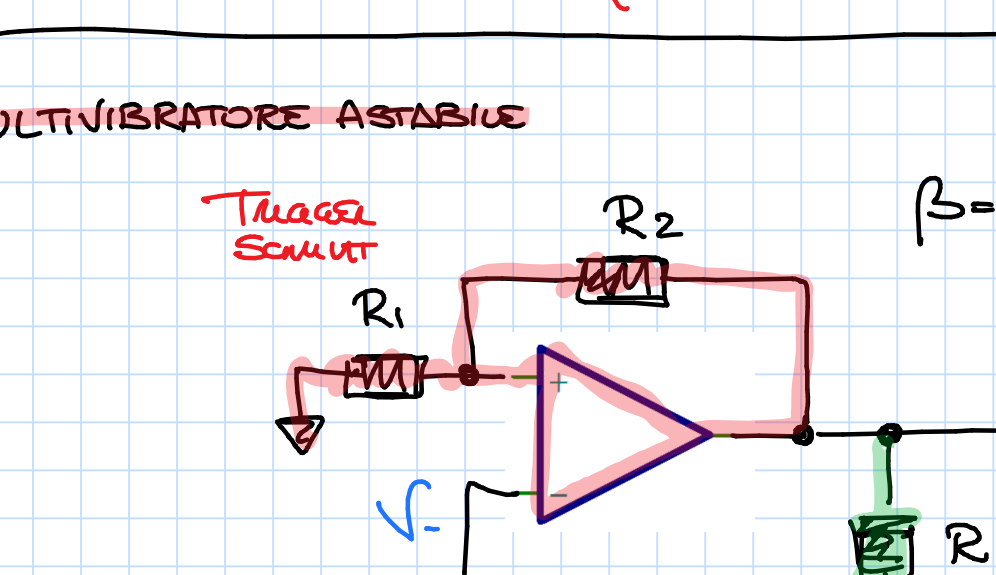
$$\text{RICHIEDE... } v_{in} > \beta v_{out} = -\beta V_s$$



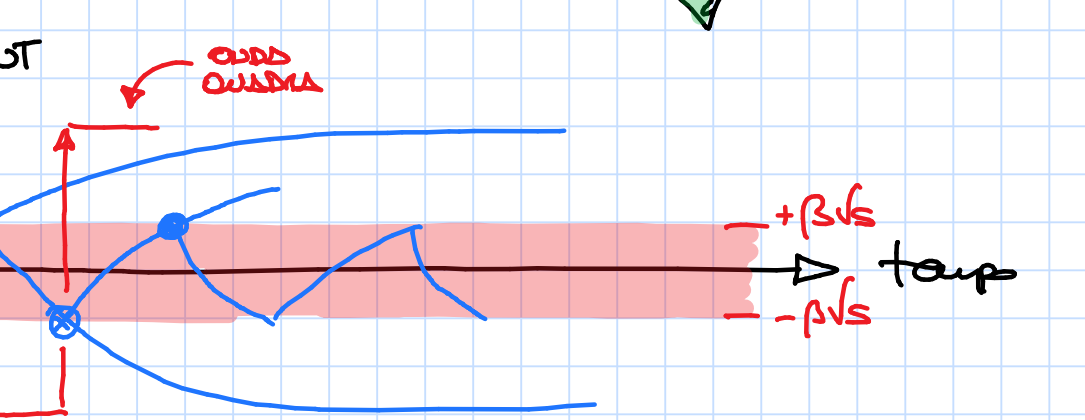
ESEMPIO FUZZING



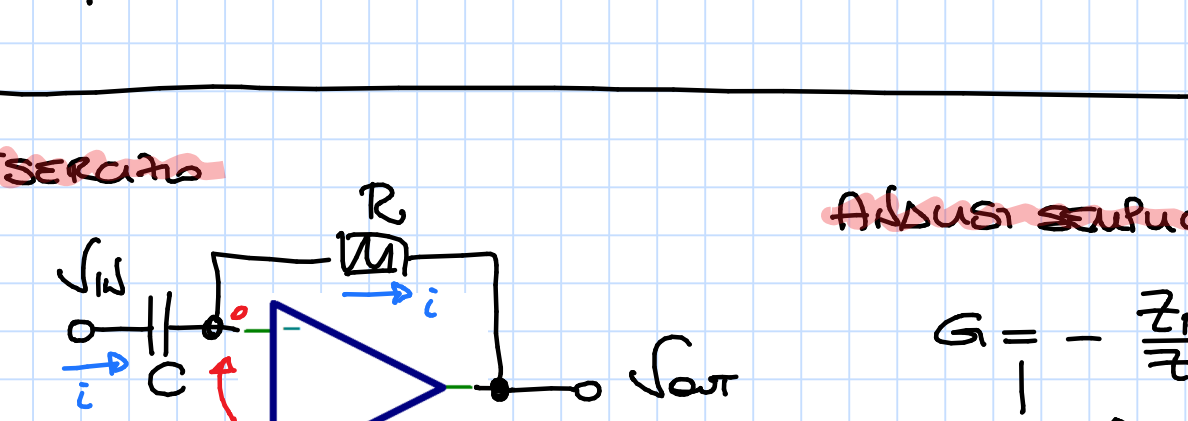
A CHE SERVE? ESEMPIO, TRIGGER SU AD2 A SARE



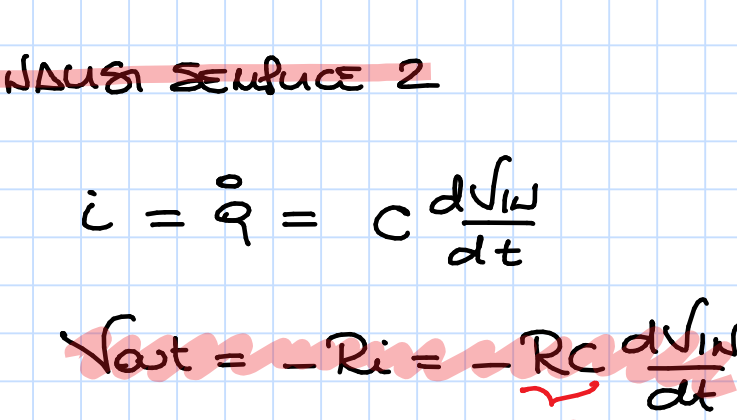
MULTIVIBRATORE ASTABILE



$$\beta = \frac{R_1}{R_1+R_2}$$



ESEMPIO



ANALISI SECONDA 1

$$G = -\frac{Z_R}{Z_C} = -j\omega RC$$

$$= -j\omega\tau$$

$$v_{out}(\omega) = -j\omega\tau v_{in}(\omega)$$

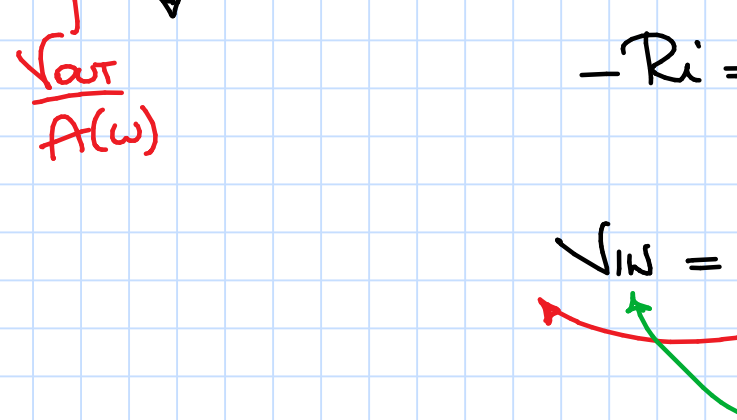
-T derivata?

ANALISI SECONDA 2

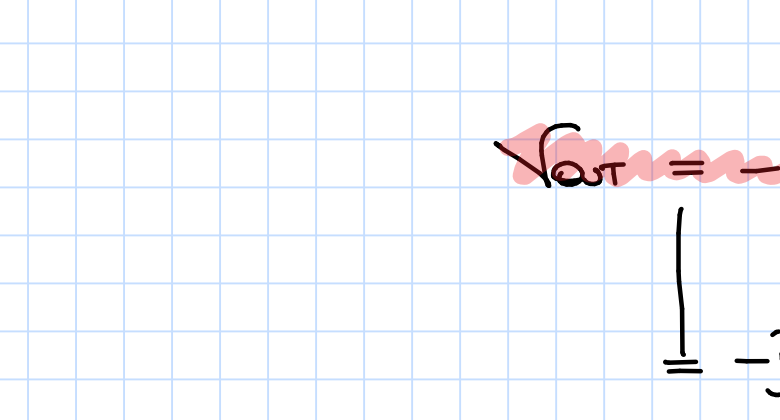
$$i = \dot{q} = C \frac{dv_{in}}{dt}$$

$$v_{out} = -R_i = -RC \frac{dv_{in}}{dt}$$

IDEALMENTE...



ANALISI + ACCURATA CON A(omega)



$$\begin{cases} v_{out} = -\frac{v_{in}}{A(\omega)} - R_i \\ v_{in} = \frac{i}{j\omega C} - \frac{v_{out}}{A(\omega)} \end{cases}$$

$$-R_i = \frac{1+A(\omega)}{A(\omega)} v_{out}$$

$$v_{in} = -\frac{1}{j\omega C} \cdot \frac{1+A(\omega)}{A(\omega)} v_{out} - \frac{v_{out}}{A(\omega)}$$

$$j\omega C A(\omega) v_{in} = -[1+A(\omega)] v_{out} - j\omega C v_{out}$$

$$= -[(1+j\omega\tau) + A(\omega)] v_{out}$$

$$v_{out} = -j\omega\tau \frac{A(\omega)}{(1+j\omega\tau) + A(\omega)} v_{in}$$

$$= -j\omega\tau \frac{A_0 v_{in}}{(1+j\omega\tau)(1+j\omega\tau_0) + A_0}$$

Il grado...

$$1+A_0 + j\omega(\tau+\tau_0) - \omega^2\tau\tau_0$$

nel limite $\rightarrow \infty$...

RISULTATO

$$\omega^2 = \frac{A_0}{\tau\tau_0}$$

$$f^2 = \frac{\omega^2}{(2\pi)^2} = \frac{1}{2\pi\tau} \cdot \text{GBWP}$$

