## Comments on the specs02.pdf

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**SEPTEMBER 1, 2021** 

In order to assure consistency between the problem formulation and the corresponding model, I would consider replacement of the obviously incorrect inequality (9) by:

1. Equation defining the amounts of each of the fuels as a function of the activities of the applied technologies:

$$\sum_{i \in I} a_{ji} \cdot ACT_i^t = x_j^t, \quad j \in J, \ t \in T$$
 (1)

where:

- j denotes fuel type,  $J = \{gasoline, diesel\},\$
- $\bullet$   $a_{ji}$  relates the amount of j-th fuel produced by the unit of i-th ACT,
- $x_j^t$  stands for the amount of j-th fuel produced jointly by all considered technologies at period t.
- 2. Adding the supply-demand constraint, specification of which depends on the chosen definition of demand. Here we can consider one of the following two options:
  - 1. If the demand is given for each fuel type, i.e., as  $d_i^t$ , then:

$$x_j^t \ge d_j^t, \quad j \in J, \ t \in T. \tag{2}$$

2. If the demand is given for a linear aggregation of  $d_j^t$ , e.g., by coefficients  $\alpha_j$  conforming to:

$$0 \le \alpha_j \le 1, \ \forall j \in J; \quad \sum_{j \in J} \alpha_j = 1. \tag{3}$$

Thus, the demand is given for a *virtual* (i.e., not actually existing) fuel:

$$d^t = \sum_{j \in J} \alpha_j \cdot d_j^t, \quad t \in T.$$
 (4)

In such a case instead constraint (2) one shall add constraint:

$$\sum_{j \in J} \alpha_j \cdot x_j^t \ge d^t, \quad t \in T.$$
 (5)