

# Computing Methods for Experimental Physics and Data Analysis

## Data Analysis in Medical Physics

Lecture 5a (Hands-on): Defining function, Code vectorization; interpolation methods for image transformation and resizing

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# Performance issues in Matlab

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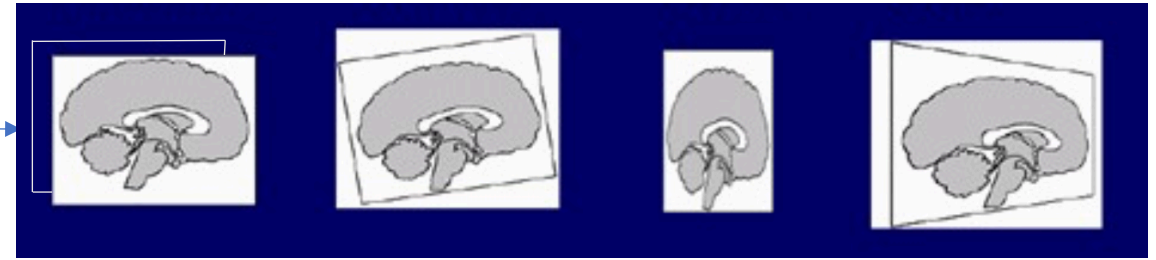
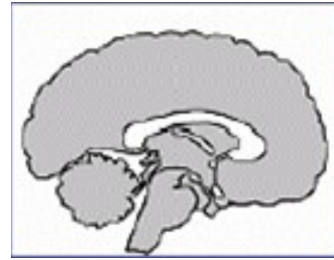
- MATLAB is:
  - very fast on vector and matrix operations
  - correspondingly slow with loops
- MATLAB is a matrix-based language. Avoiding for loops, and using matrices is useful:
  - sometimes for speed
  - sometimes to improve code readability and easy maintenance
- Thus:
  - Try to avoid loops
  - Try to vectorize your code

See demo code:

- show\_diamond.m
  - diamond.m
  - (diamond\_bad.m)

# Image transformations

- Geometric transformations: translation, rotation, scaling, shear

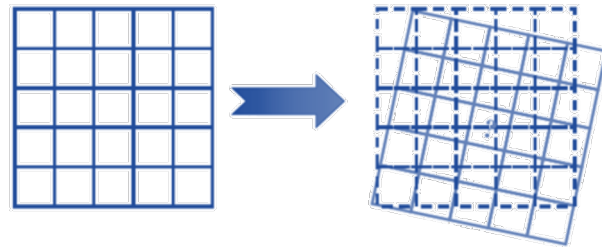


Translation

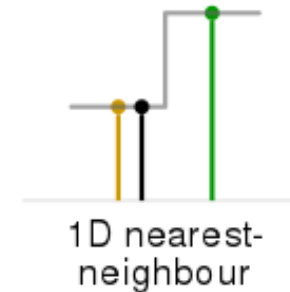
Rotation

Scaling

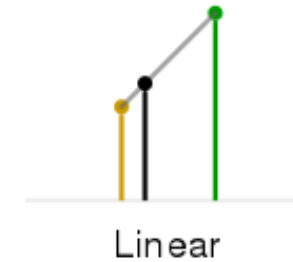
Shear



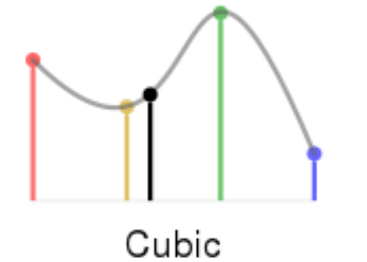
- Transformed images often need resampling; an interpolation method should be specified, e.g.:
  - Nearest neighbor
  - Bilinear interpolation
  - Bicubic interpolation



1D nearest-neighbour



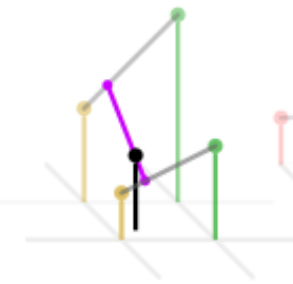
Linear



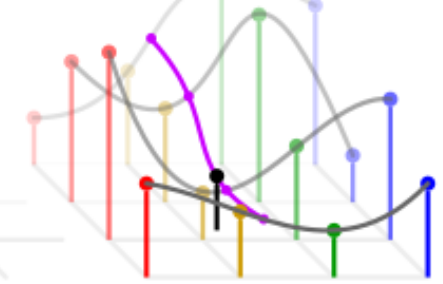
Cubic



2D nearest-neighbour



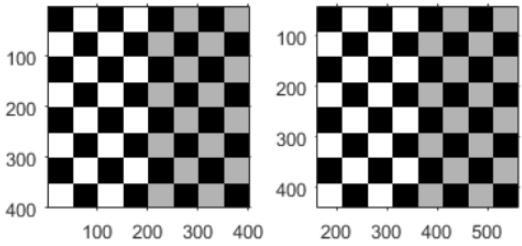
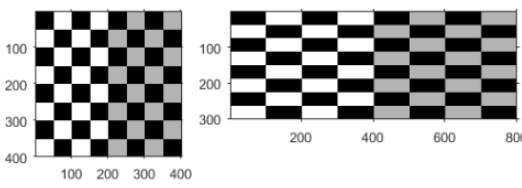
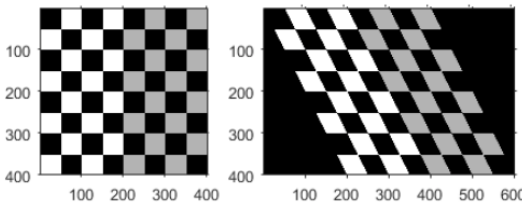
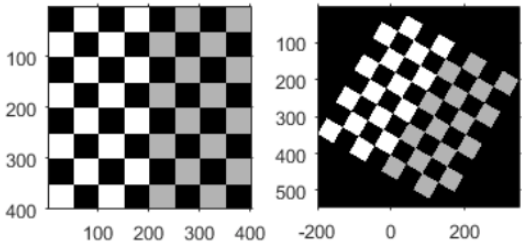
Bilinear



Bicubic

Exercise: Lecture5\_exercise.m

# 2D affine transformation

2-D Affine Transformation	Example (Original and Transformed Image)	Transformation Matrix	
Translation		$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ t_x & t_y & 1 \end{bmatrix}$	<p><math>t_x</math> specifies the displacement along the x axis</p> <p><math>t_y</math> specifies the displacement along the y axis.</p> <p>For more information about pixel coordinates, see <a href="#">Image Coordinate Systems</a>.</p>
Scale		$\begin{bmatrix} s_x & 0 & 0 \\ 0 & s_y & 0 \\ 0 & 0 & 1 \end{bmatrix}$	<p><math>s_x</math> specifies the scale factor along the x axis</p> <p><math>s_y</math> specifies the scale factor along the y axis.</p>
Shear		$\begin{bmatrix} 1 & sh_y & 0 \\ sh_x & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$	<p><math>sh_x</math> specifies the shear factor along the x axis</p> <p><math>sh_y</math> specifies the shear factor along the y axis.</p>
Rotation		$\begin{bmatrix} \cos(q) & \sin(q) & 0 \\ -\sin(q) & \cos(q) & 0 \\ 0 & 0 & 1 \end{bmatrix}$	<p><math>q</math> specifies the angle of rotation about the origin.</p>

Exercise:  
- Lecture5\_exercise.m