

# Réseau écologique des étudiants de Sherbrooke

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## Intro

Texte ici

## Résultats

Section 1. texte ici

Section 2. texte ici

Section 3. texte ici

## Méthode

Section 1. texte ici

Section 2. texte ici

Section 3. Texte ici

## Discussion

Section 1. ici

Section 2. ici

Section 3. ici

## Conclusion

## Bibliographie

References should be cited in numerical order as they appear in text; this will be done automatically via bibtex, e.g. (1) and (2, 3). All references, including for the SI, should be included in the main manuscript file. References appearing in both sections should not be duplicated. SI references included in tables should be included with the main reference section.

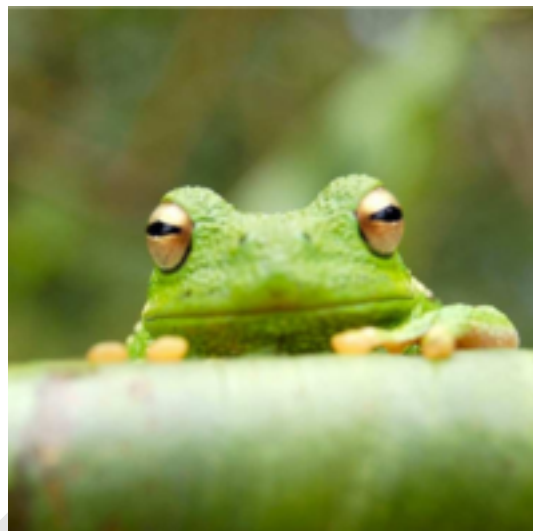
**figure et tableau.** Figures and Tables should be labelled and referenced in the standard way using the `\label{}` and `\ref{}` commands.

Figure

*fig : frog*

shows an example of how to insert a column-wide figure. To insert a figure wider than one column, please use the `\begin{figure*}...\end{figure*}` environment. Figures wider than one column should be sized to 11.4 cm or 17.8 cm wide.

$$\begin{aligned}(x+y)^3 &= (x+y)(x+y)^2 \\ &= (x+y)(x^2+2xy+y^2) \\ &= x^3+3x^2y+3xy^2+y^3.\end{aligned}$$



**Fig. 1.** Placeholder image of a frog with a long example caption to show justification setting.

1. Belkin M, Niyogi P (2002) Using manifold stucture for partially labeled classification. *Advances in Neural Information Processing Systems*, pp 929–936.
2. Bérard P, Besson G, Gallot S (1994) Embedding riemannian manifolds by their heat kernel. *Geometric & Functional Analysis GAFA* 4(4):373–398.
3. Coifman RR, et al. (2005) Geometric diffusions as a tool for harmonic analysis and structure definition of data: Diffusion maps. *Proceedings of the National Academy of Sciences of the United States of America* 102(21):7426–7431.