

# Query Processing on Dynamic Networks with Customizable Contraction Hierarchies on Neo4j

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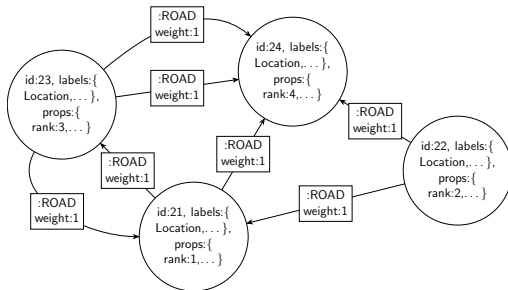
# Table of Contents

1 Dijkstra

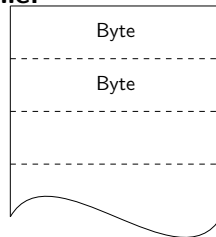
2 Second section

- Context  $\Rightarrow$  Graph Databases
- External memory
- Accelerate Shortest Path Queries in Databases
- Why Customizable Contraction Hierarchies?
  - fast for main memory applications
  - reasonable preprocessing time
  - It is updatable
- Test Data  $\Rightarrow$  Road Networks

## Property Graph:



## File:



- Databases use HDDs  $\Rightarrow$  slow random access
- transformation to one dimensional data structure

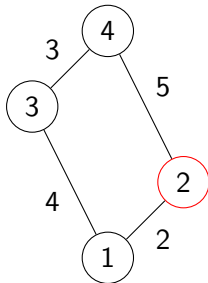
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## 1 Dijkstra

## 2 Second section

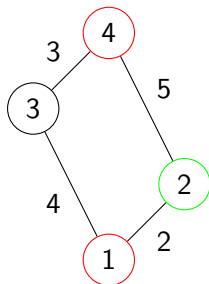
# Dijkstra

Let's go from  $v_2$  to  $v_3$



id	dist	settled
2	0	false

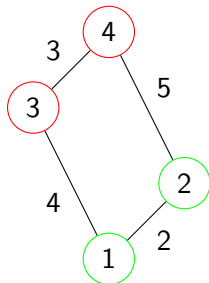
Let's go from  $v_2$  to  $v_3$



id	dist	settled
2	0	true
1	2	false
4	5	false

# Dijkstra

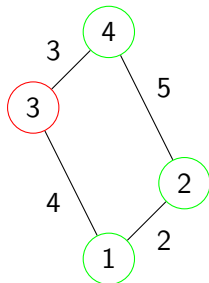
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id	dist	settled
2	0	true
1	2	true
4	5	false
3	6	false



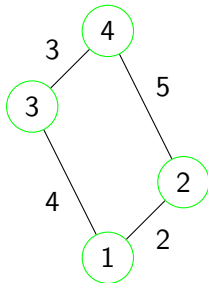
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id	dist	settled
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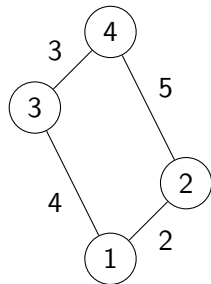
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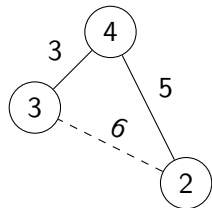


id	dist	settled
2	0	true
1	2	true
4	5	true
3	6	true

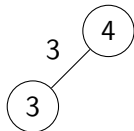
# Contraction Hierarchies Example



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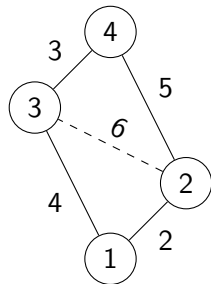


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4

# Contraction Hierarchies Example

Let's go from  $v_2$  to  $v_3$



# Contraction Hierarchies Example

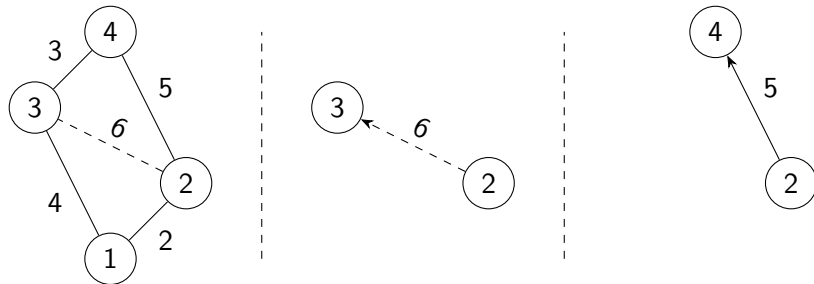
Let's go from  $v_2$  to  $v_3$





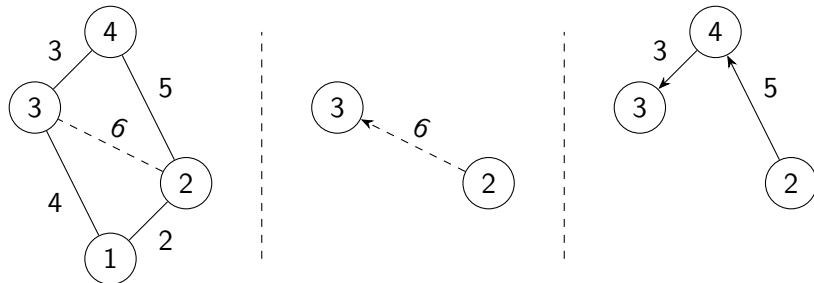
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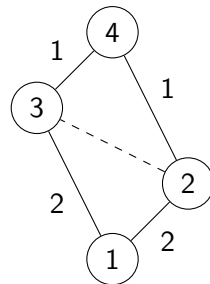
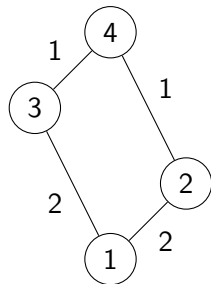
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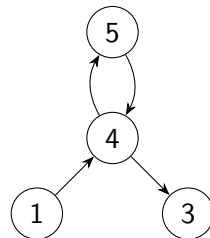
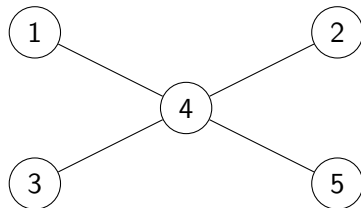
# Customizable Contraction Hierarchies

- CH insert shortcut if shortest path property is violated
- CCH insert shortcut if there is no direct connection



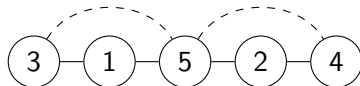
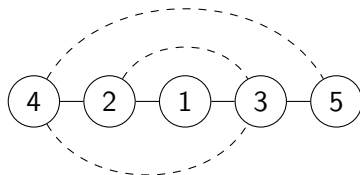
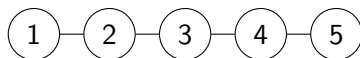
# Important vertex not contracted Last

- Contracted Using Edge Difference
- Go from  $v(1)$  to  $v(3)$
- Forward and Backward search are deeper than they should be
- Switch contraction order of  $v(4)$  and  $v(5)$

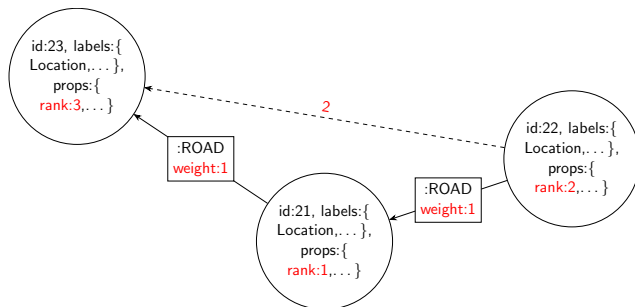


# Linear Contraction

1. linear contraction
  - No Shortcuts
  - Could happen with ED
  - four vertices to expand
2. middle vertex first
  - Three Shortcuts
  - four vertices to expand
3. good contraction order
  - Three Shortcuts
  - four vertices to expand

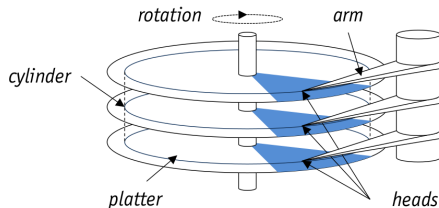
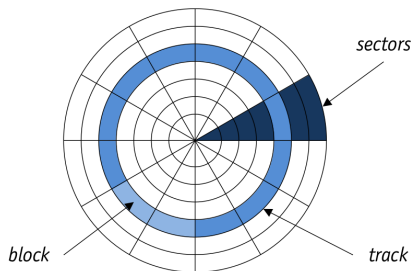


# Persistence Objectives



- keep only necessary data
  - **rank** → to do the mapping to the input graph
  - arc **weight**
- Store edges that are likely to be request together spacial close
- Use as few space as possible → the less you write the less you read

# Magnetic Disks



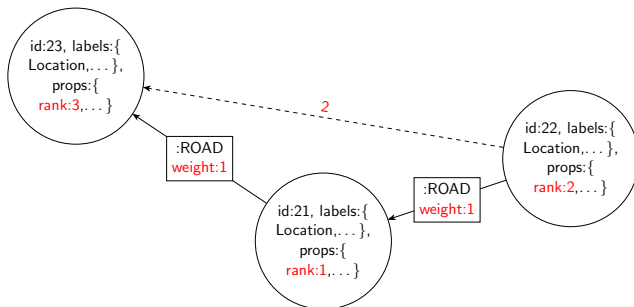
- Data is arranged in concentric rings (tracks) on platters
- Tracks are divided into arc-shaped sectors

## Important theorem

Data is read from and written to disk one **block** at a time

# Transformation to a Table

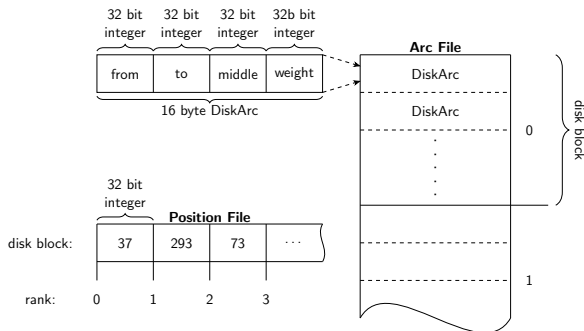
- Depth-First-Search starting at highest rank
- retrieve only arcs. vertices will be reconstructed form arcs
- remember middle node



start rank	end rank	middle rank	weight
2	3	1	2
1	3	-1	1
2	1	-1	1



# Store Example



- fill all arcs of a vertex into a block
- add block number of rank to position file.  $G_{\uparrow}$  use *from* ;  $G_{\downarrow}$  use *to*
- if next vertex' arcs don't fit anymore  $\rightarrow$  flush block and take next

## Min Block Size

$$\max(d_{\uparrow \max}(v), d_{\downarrow \max}(v)) \leq \frac{\text{diskBlockSize}}{16}$$

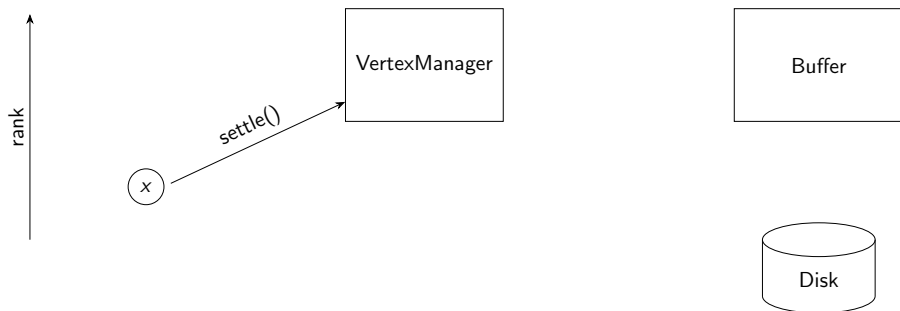
# CCH Disk Search (upwards graph example)

1. lazy load vertices  $\Rightarrow$  only start node is loaded without arcs



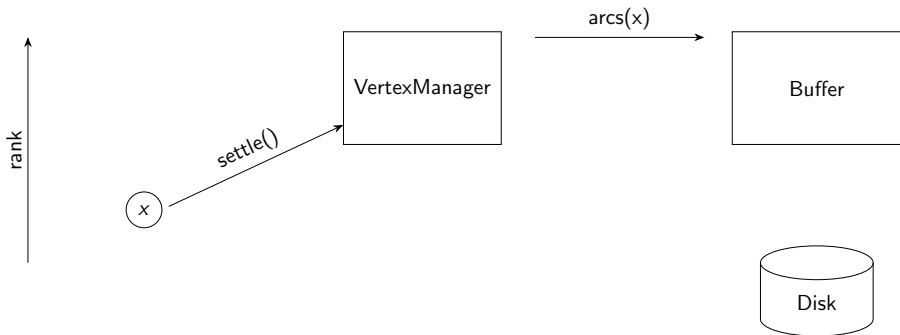
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1. lazy load vertices  $\Rightarrow$  only start node is loaded without arcs
2. settle vertex (right before expanding it)



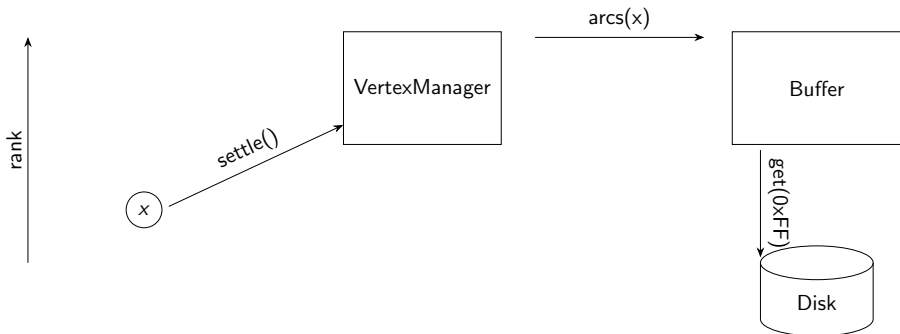
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  - VertexManager requests arc of  $v(x)$  from buffer



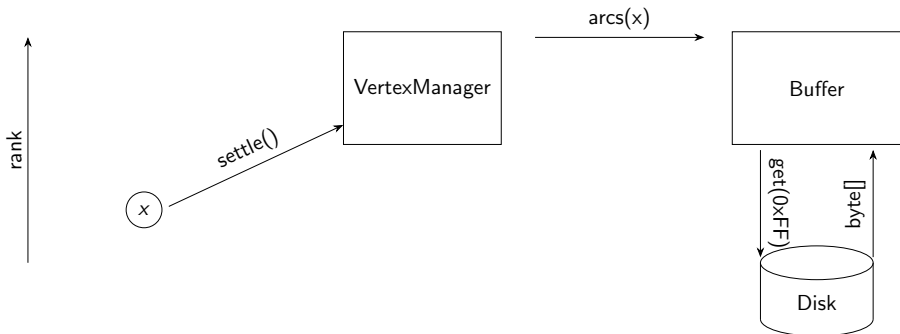
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  - Buffer requests arcs from disk if not cached yet



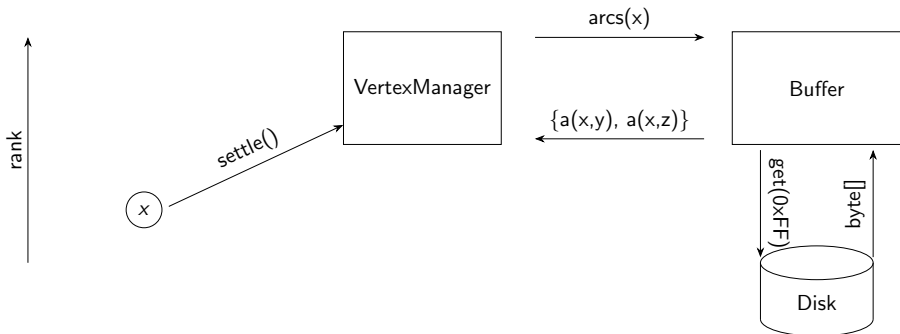
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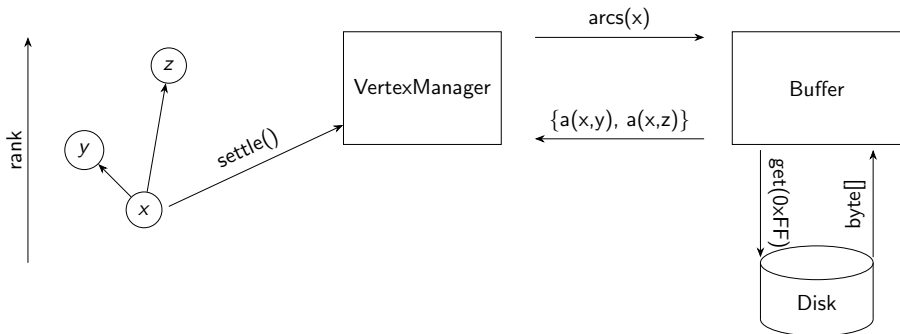
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  - Buffer returns arcs



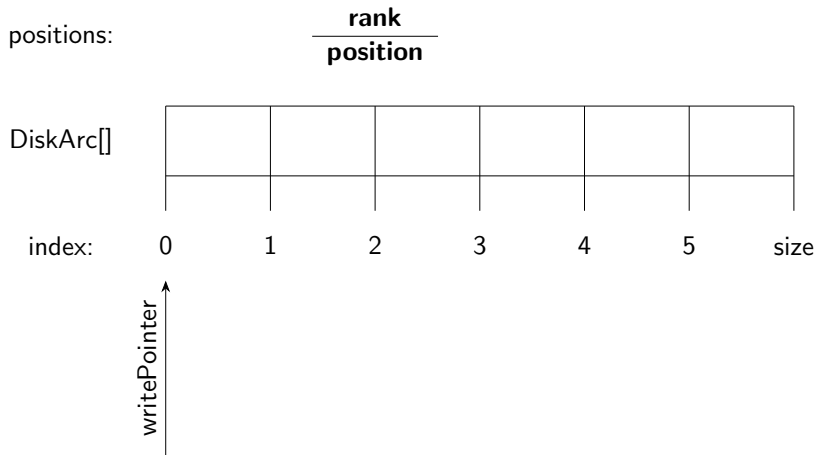
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2. settle vertex (right before expanding it)
  - VertexManager requests arc of  $v(x)$  from buffer
  - Buffer requests arcs from disk if not cached yet
  - Buffer returns arcs
  - VertexManager attaches arcs to  $v(x)$

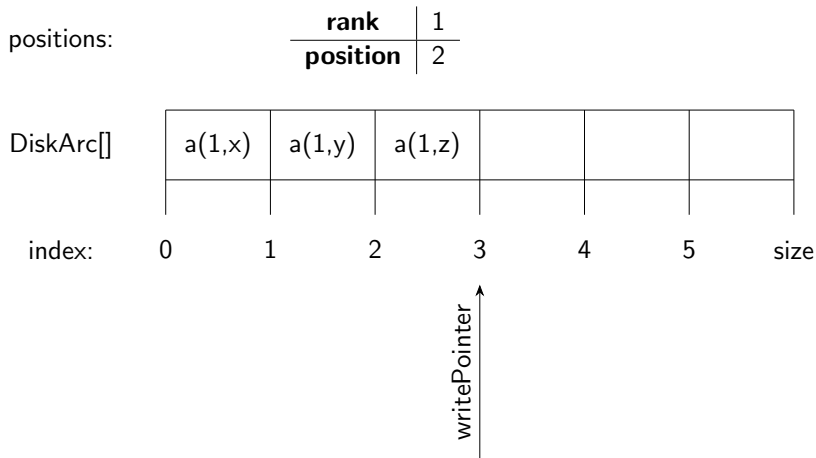




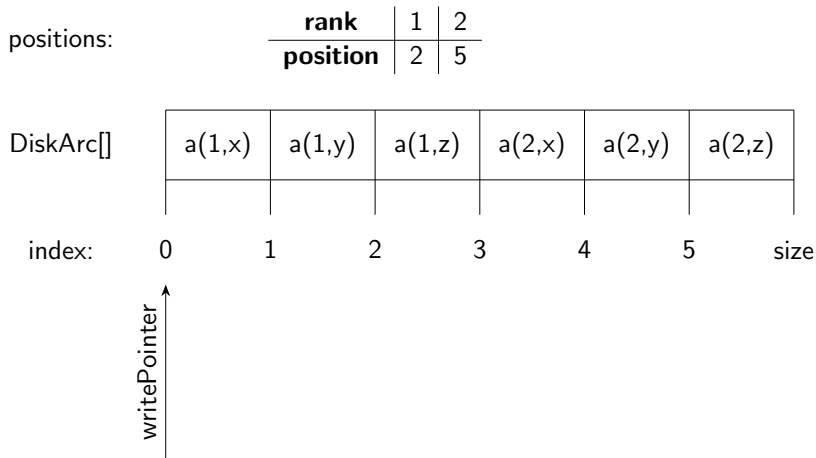
# Circular Buffer



# Circular Buffer



# Circular Buffer



# Circular Buffer

positions:

rank	1	2	max(rank)
position	2	5	-1

DiskArc[]

a(1,x)	a(1,y)	a(1,z)	a(2,x)	a(2,y)	a(2,z)

index:      0            1            2            3            4            5            size

↑  
writePointer

# Circular Buffer

positions:

rank	1	2	3	max(rank)
position	2	5	3	-1

DiskArc[]

a(3,x)	a(3,y)	a(3,z)	a(3,zx)	a(2,y)	a(2,z)

index:      0            1            2            3            4            5            size

remove incomplete edge set from position

writePointer  
↑

# Circular Buffer

positions:

rank	1	3	$\max(\text{rank})$
position	2	3	-1

DiskArc[]

a(3,x)	a(3,y)	a(3,z)	a(3,zx)	a(2,y)	a(2,z)

index:      0            1            2            3            4            5            size

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# Circular Buffer

positions:

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DiskArc[]

a(3,x)	a(3,y)	a(3,z)	a(3,zx)	a(2,y)	a(2,z)

index:      0            1            2            3            4            5            size

- Retrieve Arcs  $\Rightarrow$  iterate backwards from position until start vertex differs
- If arc is doesn't start with requested rank  $\Rightarrow$  remove position and refetch

In this slide



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the text will be partially visible

In this slide  
the text will be partially visible  
And finally everything will be there

# Table of Contents

1 Dijkstra

2 Second section

# Sample frame title

In this slide, some important text will be highlighted because it's important. Please, don't abuse it.

## Remark

Sample text

## Important theorem

Sample text in red box

## Examples

Sample text in green box. The title of the block is “Examples”.

This is a text in first column.

$$E = mc^2$$

- First item
- Second item

This text will be in the second column and on a second thought this is a nice looking layout in some cases.