Big Data Computing

Master's Degree in Computer Science 2020-2021

Gabriele Tolomei

Department of Computer Science
Sapienza Università di Roma
tolomei@di.uniroma1.it



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 - Clustering (unsupervised learning)
 - Regression/Classification (supervised learning)
- We have discussed a number of techniques to solve those tasks:
 - K-means, PCA
 - Linear Regression, Logistic Regression, Decision Trees, and ensembles

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- This phenomenon is usually referred to as information overload

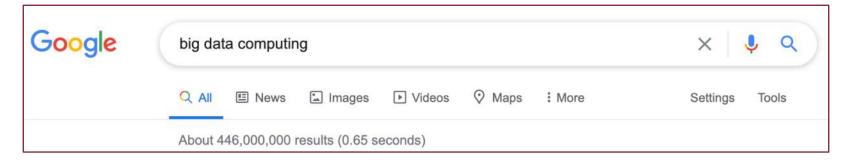
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 - Searching/Filtering

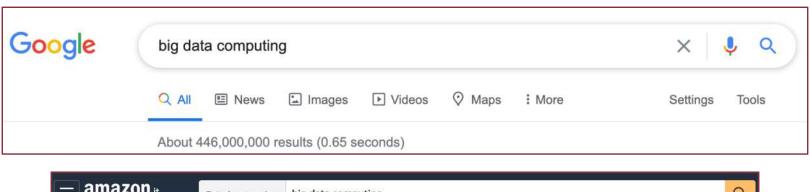
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 - Recommending

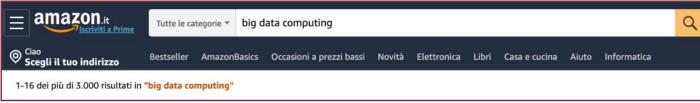
We are constantly moving from scarcity to abundance

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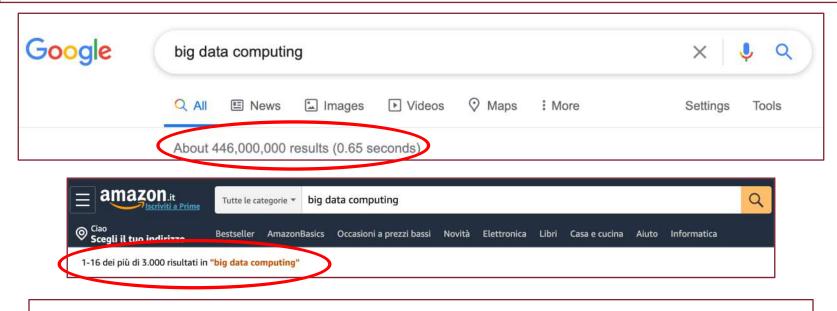


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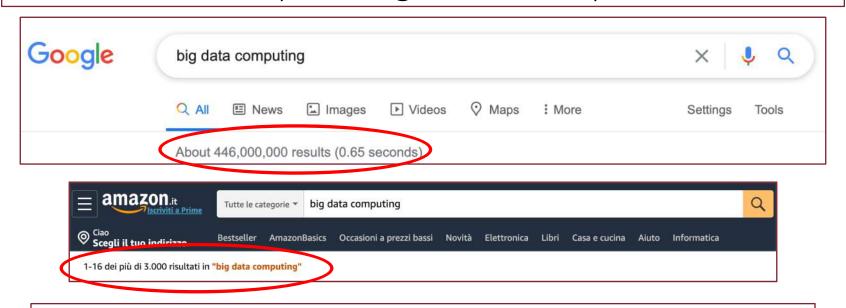


We are constantly moving from scarcity to abundance



The number of relevant "items" of interest is huge

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How could we even possibly think of exhaustively explore all of them?

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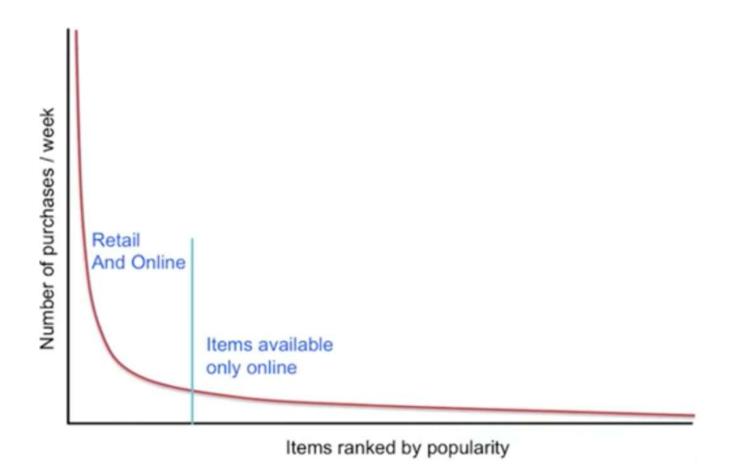
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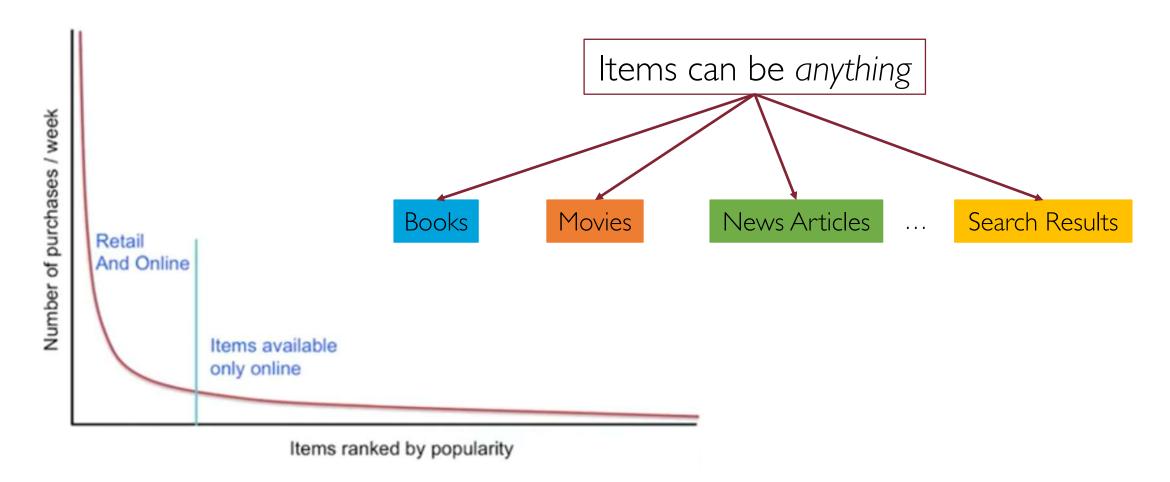
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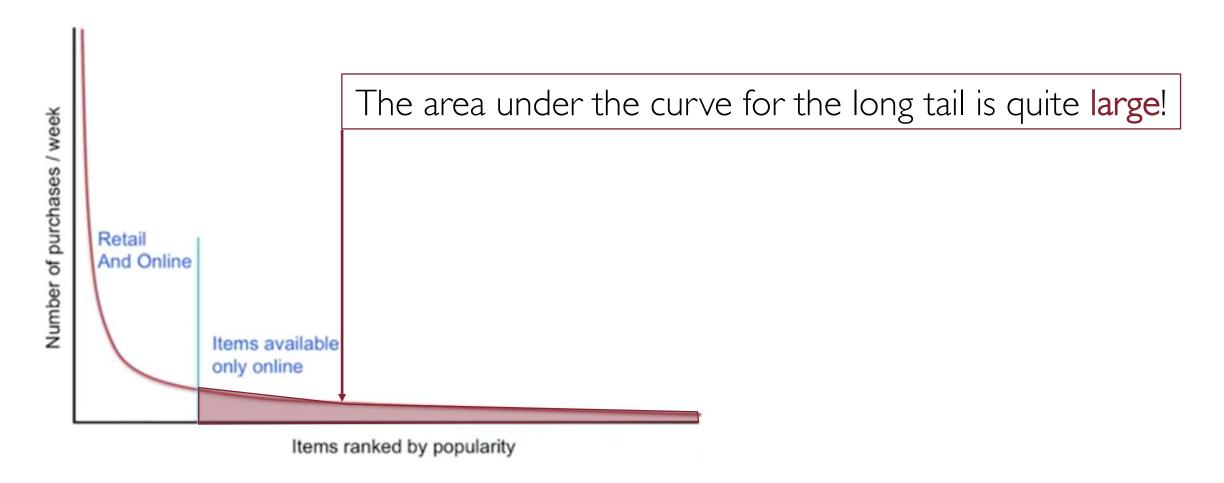


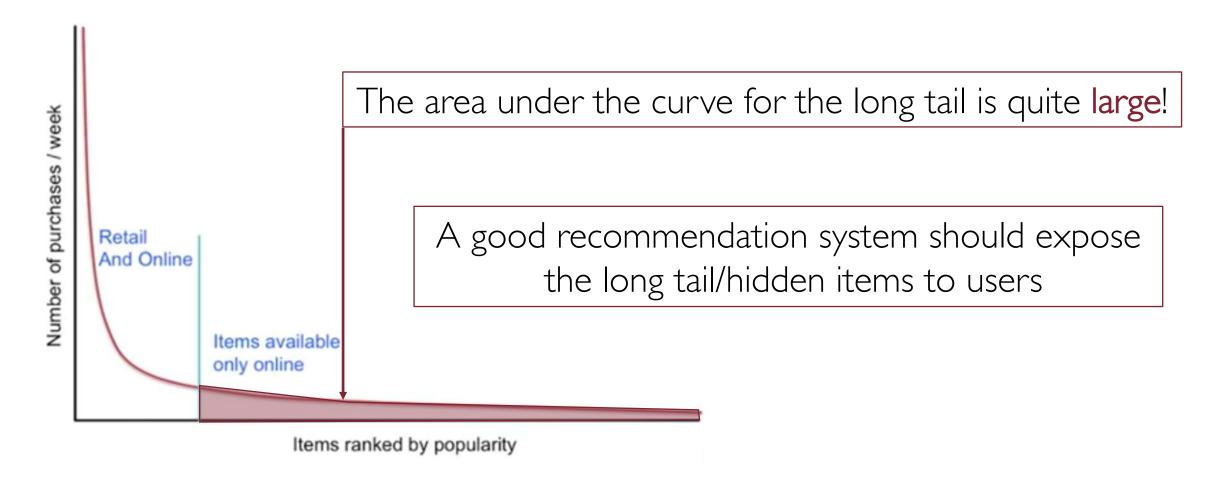
Recommender Systems











$$\mathcal{U} = \{u_1, \dots, u_m\}$$
 Set of users

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 Set of ratings (totally ordered)

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 Set of users $\mathcal{I} = \{i_1, \dots, i_n\}$ Set of items $r: \mathcal{U} \times \mathcal{I} \mapsto \mathcal{R}$ utility function (user-item matrix) $\mathcal{R} \subseteq \mathbb{R}$ Set of ratings (totally ordered) $\mathcal{R} = \{0, 1, \dots, v-1\}$ Discrete ratings (e.g., 0-5 stars) $\mathcal{R} = [0, 1]$ Continuous ratings



30

MOVIES



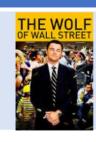
















MOVIES

		AVENGERS	the World District extensive constraints B adopt to well as word. District the word.	Control Section Control Contro	PULP FICTION	SHREK	SCHWARZENEGGER	THE WOLF OF WALL STREET	TOY
USERS	Alice	2		5	4	5	4		4
	Bob	4					3		3
	Carl	5	5	3	4	5	4		5
	Zoe		I	3				5	4

3 key problems for a recommender system

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Data Collection

Gathering known ratings to populate the utility matrix

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Rating Prediction

Extrapolate unknown ratings from the known ones

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Recommendation Evaluation

Measure the performance of recommender methods

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Ask people to rate items

Doesn't scale: only few users leave ratings

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Implicit

Learn ratings from user actions

Click/purchases implies positive feedback What about negative ones?

Rating Prediction

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Extrapolate unknown ratings from the known ones

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The utility matrix R is sparse!

Most people have not rated most items

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Cold Start

New users/items have no history

Recommendation Evaluation

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Measure the performance of recommender methods

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Measure the performance of recommender methods

RMSE

Mean Average Precision/Recall at K
(MAP@K/MAR@K)

Personalization

Serendipity

3 approaches to recommender systems

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Content-based filtering

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Content-based filtering

Collaborative filtering

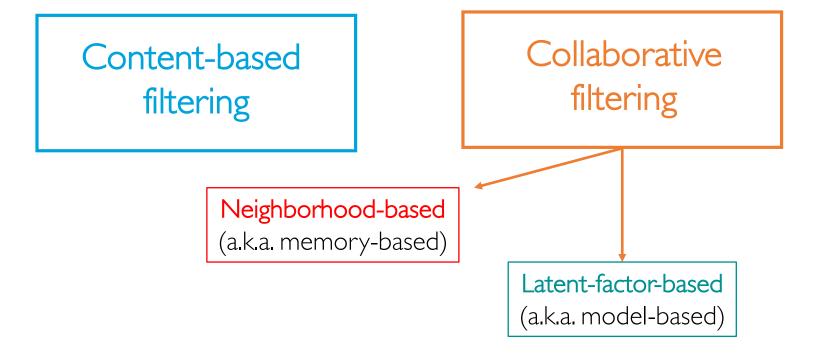
3 approaches to recommender systems

Content-based filtering

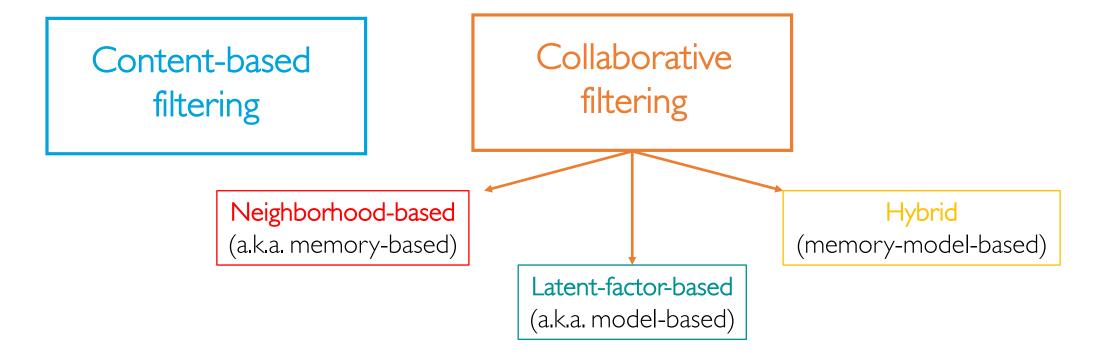
Collaborative filtering

Neighborhood-based (a.k.a. memory-based)

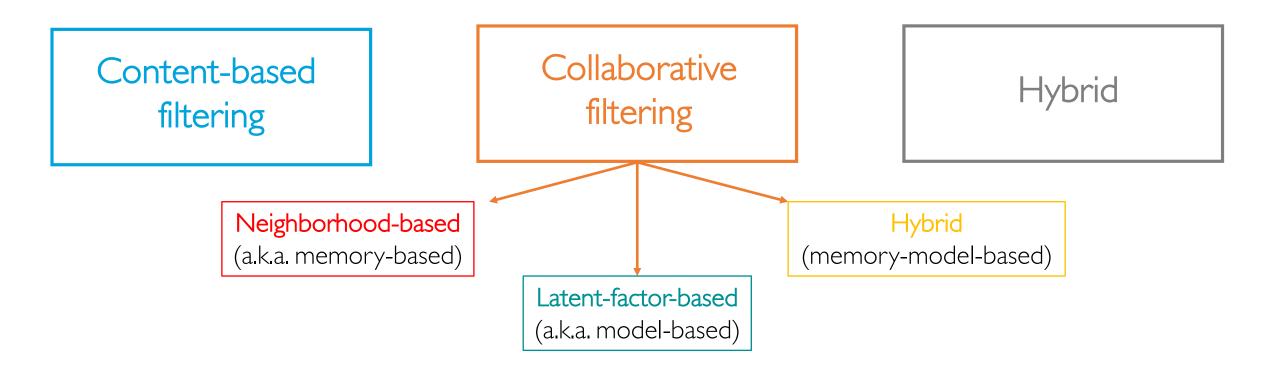
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CONTENT-BASED FILTERING

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Recommend items to user u similar to previous items rated highly by u

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- 1. Build item profiles (i.e., a description of items using metadata information)
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Core concept: Item/User Profiles

Steps

- 1. Build item profiles (i.e., a description of items using metadata information)
- 2. Based on the item profiles, build user profiles: user profile says what the user likes
- 3. Match the user profile with the item catalog

Building Item Profiles

Goal

For each item i create a profile, i.e., a set of features

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Movies

- Author
- Title
- Director
- Genre

• • •

Images/Videos

- Width
- Height
- Framerate
- Tags

•••

People

- Age
- Sex
- Job
- Friends

• • •

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Think of each profile as a vector of numerical/categorical features

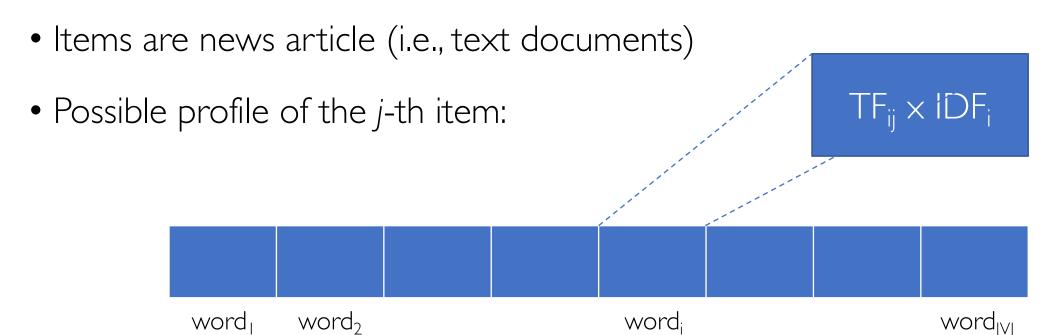
• Suppose we want to build a news recommender system

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- Items are news article (i.e., text documents)

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- Possible profile of the *j*-th item:



• Suppose we want to build a news recommender system



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The simplest solution to build the user profile is to take the average of item profiles rated

$$\mathbf{u}_i = \frac{1}{|\mathcal{I}_u|} \sum_{\mathbf{i}_j \in \mathcal{I}_u} \mathbf{i}_j$$

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All the items are treated equally, independently of the rating

Simple User Profile: Example

Items = Movies

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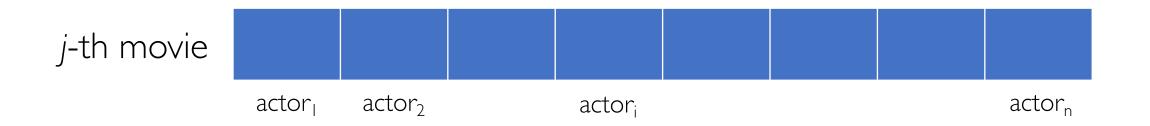
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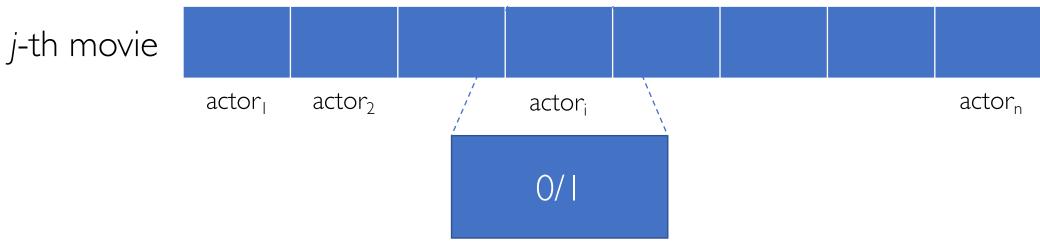
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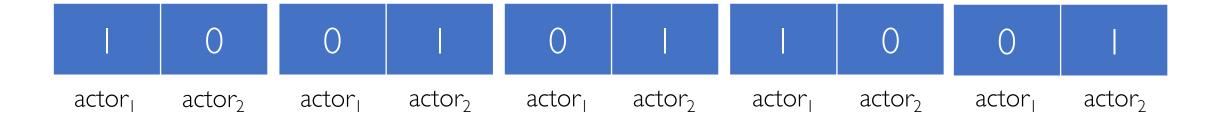
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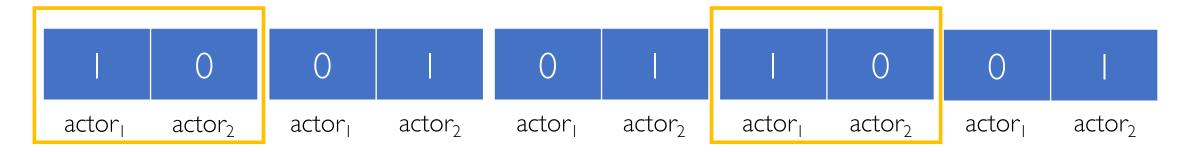


Binary feature indicating if actor; appears in movie;

Suppose user u has watched 5 movies, each movie represented by 2 actors



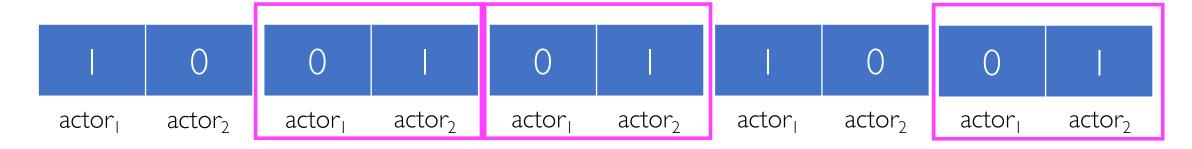
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2 movies feature actor I

05/11/2021 75

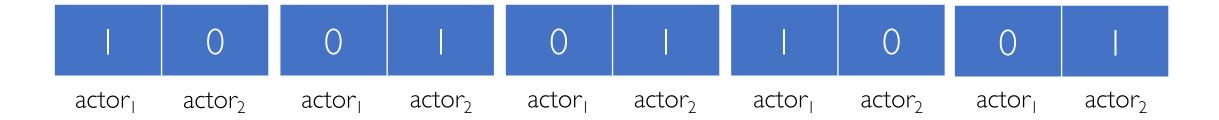
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3 movies feature actor 2

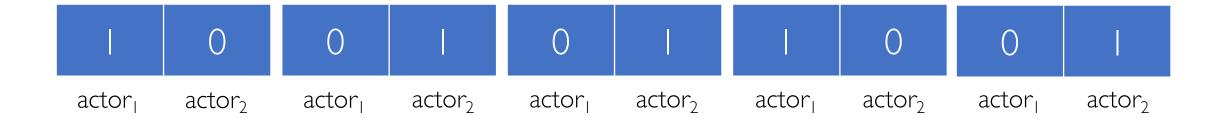
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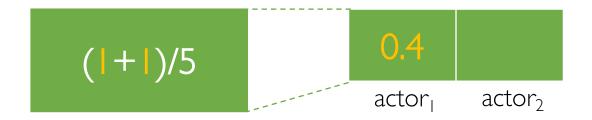


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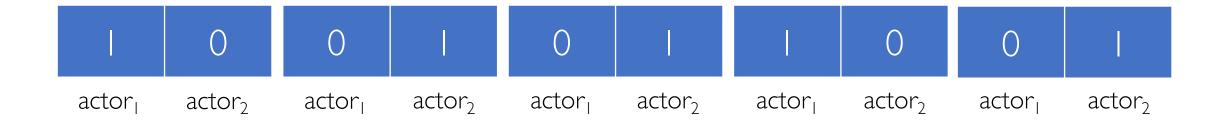


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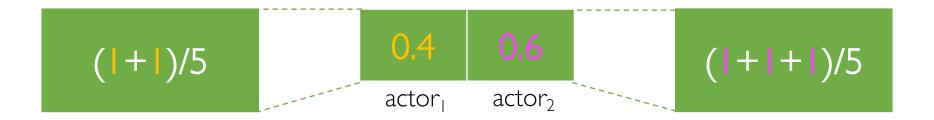


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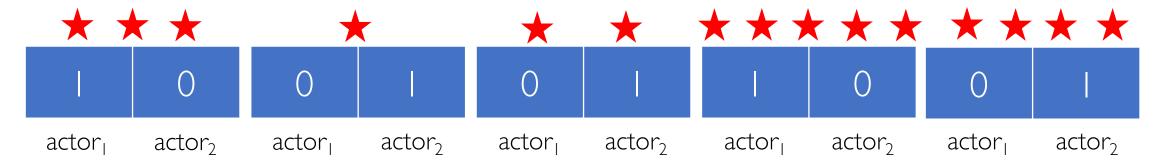


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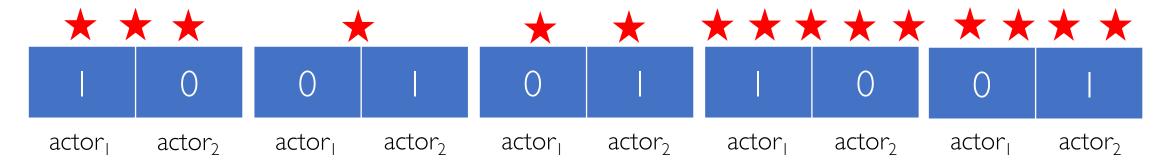
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Suppose user *u* has watched (and rated) 5 movies



Normalize ratings by subtracting user's mean rating before

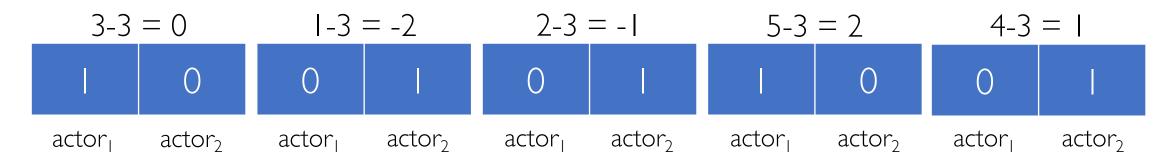
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Avg. User Rating = (3 + 1 + 2 + 5 + 4)/5 = 3

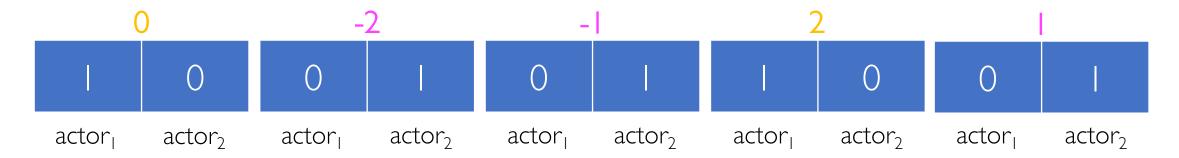
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MOVIES Bob Carl

MOVIES

How to fill the "?"?

		AVENDERS		is the word O'Mana Andrews and an and an and an and an and an and an		SHREK			TOY
JSERS	Alice	2		5	4	5	4		4
	Bob	4	?	?	?	?	3	?	3
	Carl	5	5	3	4	5	4		5
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- For each item unrated by *u*, compute the cosine similarity (or Pearson's correlation) between *u* and the corresponding item profile vectors
- Finally, we pick the top-k items with the **highest** similarity score, and we recommend those to u

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$$R_{u,k} = \bigcup_{j=1}^{k} A^{j} = \bigcup_{j=1}^{k} \operatorname{argmax}_{i} \left\{ \sin(\mathbf{u}, \mathbf{i}) : i \in \mathcal{I} - \mathcal{I}_{u} - \{ \bigcup_{l=0}^{j-1} A^{l} \} \right\}$$

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- Explainable recommendations using content features that caused an item to be recommended

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- May need to create average profiles and gradually improve them overtime

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- They make use of either explicit (e.g., ratings) or implicit (e.g., clicks) feedback to build a user-item utility matrix
- Content-based recommender systems make use of item and user profiles (built in the item space) to come up with top-k suggestions