Big Data Computing

Master's Degree in Computer Science 2022-2023

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 - Clustering (unsupervised learning)
 - Regression/Classification (supervised learning)
- We have discussed a number of techniques to solve those tasks:
 - K-means, PCA
 - Linear Regression, Logistic Regression, Decision Trees, and ensembles

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- This phenomenon is usually referred to as information overload

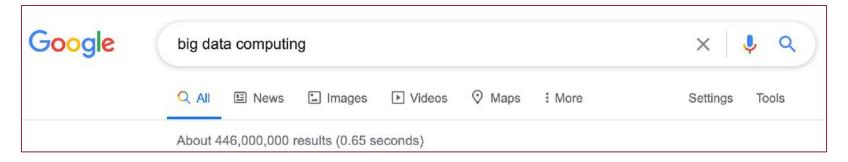
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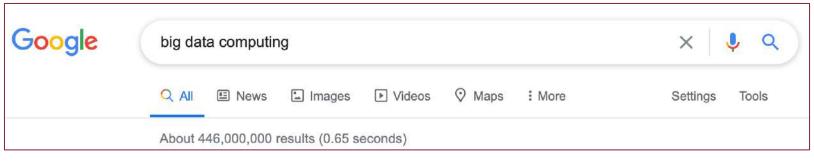
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 - Recommending

We are constantly moving from scarcity to abundance

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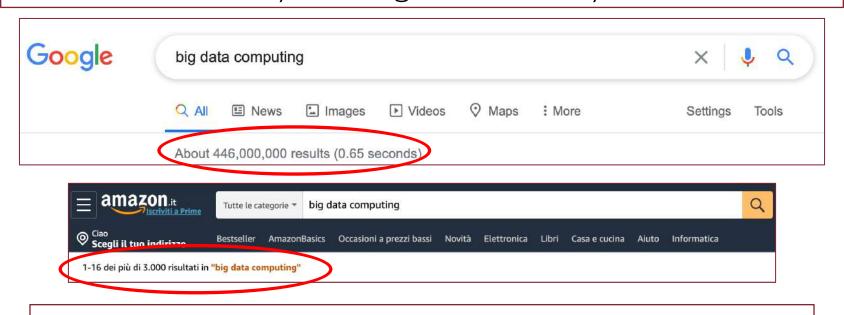


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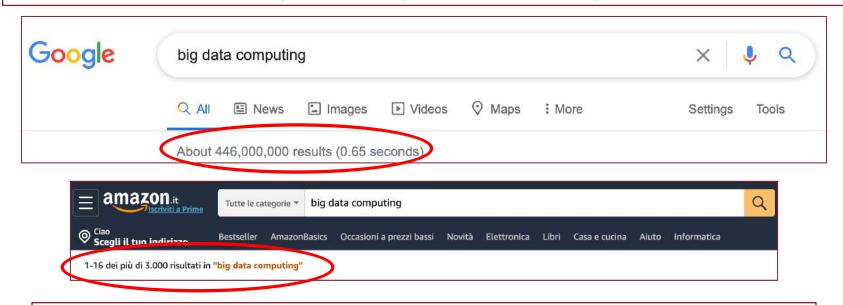


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The number of relevant "items" of interest is huge

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How could we even possibly think of exhaustively explore all of them?

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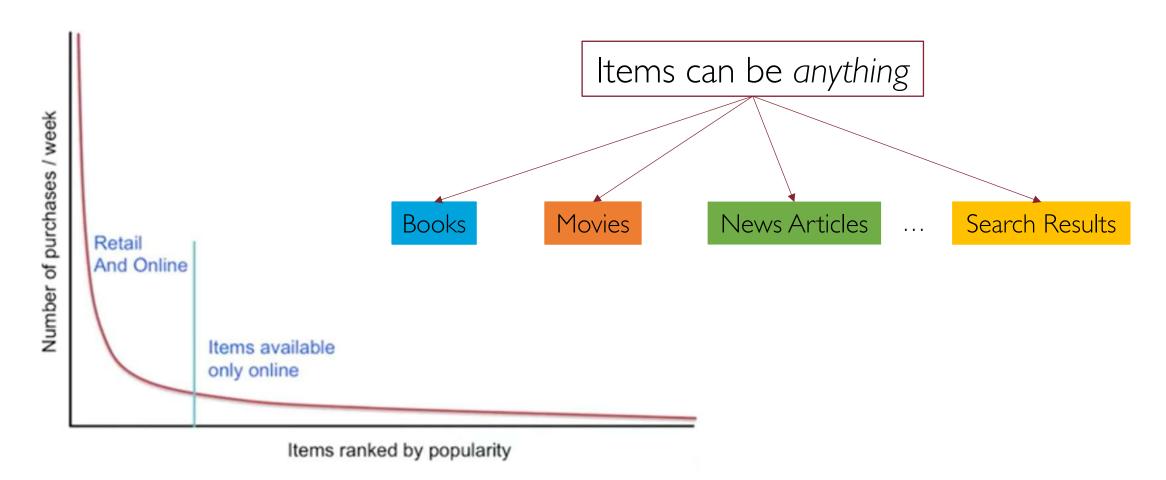


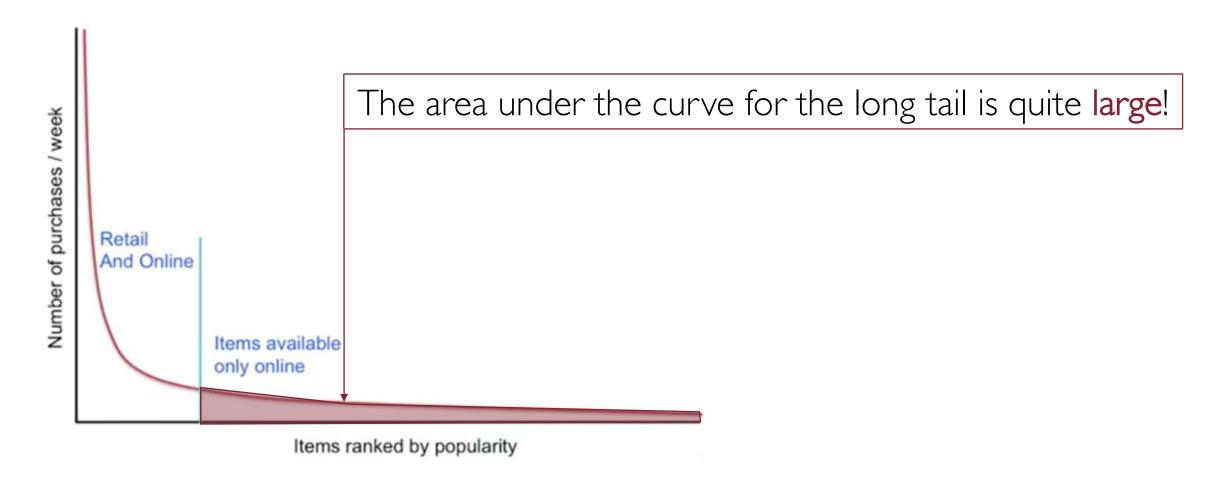
Recommender Systems

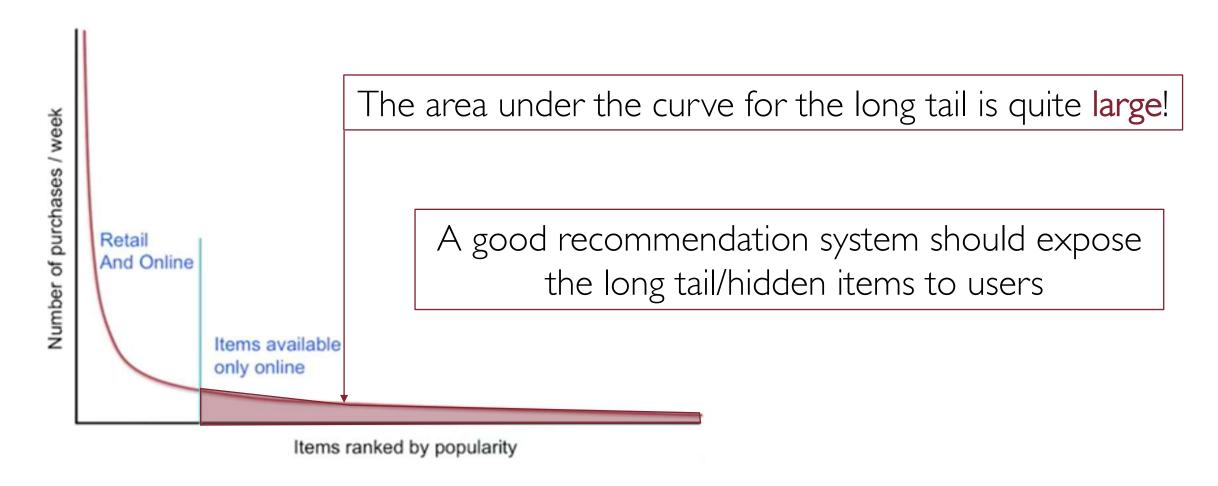


Items ranked by popularity









$$\mathcal{U} = \{u_1, \dots, u_m\}$$
 Set of users

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 Set of ratings (totally ordered)

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 Set of users $\mathcal{I} = \{i_1, \dots, i_n\}$ Set of items $r: \mathcal{U} \times \mathcal{I} \mapsto \mathcal{R}$ utility function (user-item matrix) $\mathcal{R} \subseteq \mathbb{R}$ Set of ratings (totally ordered) $\mathcal{R} = \{0, 1, \dots, v-1\}$ Discrete ratings (e.g., 0-5 stars) $\mathcal{R} = [0, 1]$ Continuous ratings



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MOVIES



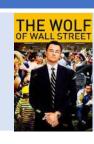
















MOVIES

		AVENGERS	THE WORLDS WOOD ANEXONE CHREST-OFFE	CONTROL TO	PULP FICTION	SHREK	SCHWARZENEGGER	THE WOLF OF WALL STREET	TOY
USERS	Alice	2		5	4	5	4		4
	Bob	4					3		3
	Carl	5	5	3	4	5	4		5
	Zoe		I	3				5	4

3 key problems for a recommender system

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Data Collection

Gathering known ratings to populate the utility matrix

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Rating Prediction

Extrapolate unknown ratings from the known ones

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Recommendation Evaluation

Measure the performance of recommender methods

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Ask people to rate items

Doesn't scale: only few users leave ratings

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Implicit

Learn ratings from user actions

Click/purchases implies positive feedback What about negative ones?

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The utility matrix R is sparse!

Most people have not rated most items

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Cold Start

New users/items have no history

Recommendation Evaluation

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Measure the performance of recommender methods

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RMSE

Mean Average Precision/Recall at K
(MAP@K/MAR@K)

Personalization

Serendipity

3 approaches to recommender systems

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Content-based filtering

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Content-based filtering

Collaborative filtering

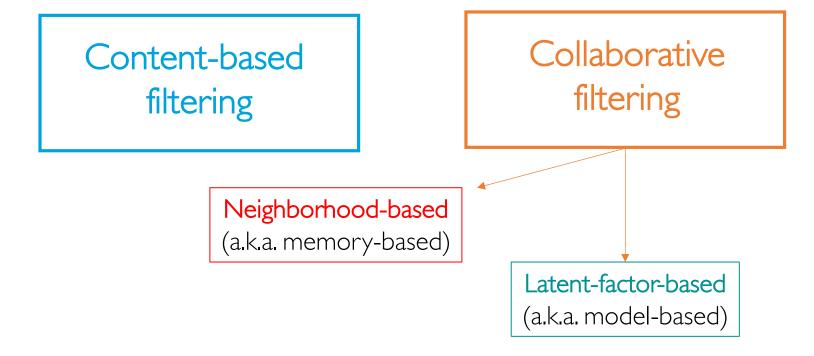
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Content-based filtering

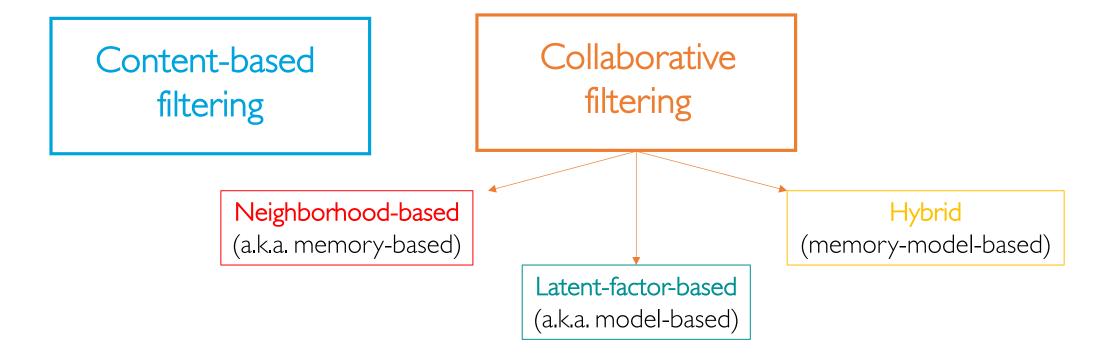
Collaborative filtering

Neighborhood-based (a.k.a. memory-based)

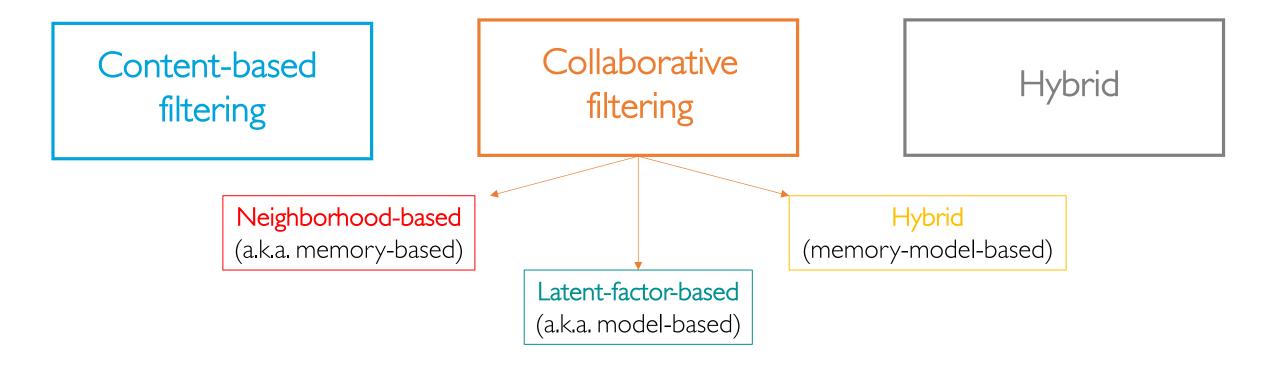
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CONTENT-BASED FILTERING

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Recommend items to user u similar to previous items rated highly by u

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I. Build item profiles (i.e., a description of items using metadata information)

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Core concept: Item/User Profiles

Steps

- 1. Build item profiles (i.e., a description of items using metadata information)
- 2. Based on the item profiles, build user profiles: user profile says what the user likes
- 3. Match the user profile with the item catalog

Building Item Profiles

Goal

For each item i create a profile, i.e., a set of features

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Movies

- Author
- Title
- Director
- Genre

• • •

Images/Videos

- Width
- Height
- Framerate
- Tags

•••

People

- Age
- Sex
- Job
- Friends

• • •

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Think of each profile as a vector of numerical/categorical features

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 $TF_{ii} \times IDF_{i}$



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The simplest solution to build the user profile is to take the average of item profiles rated

$$\mathbf{u}_i = \frac{1}{|\mathcal{I}_u|} \sum_{\mathbf{i}_j \in \mathcal{I}_u} \mathbf{i}_j$$

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All the items are treated equally, independently of the rating

Simple User Profile: Example

Items = Movies

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Movie Profile = List of Actors

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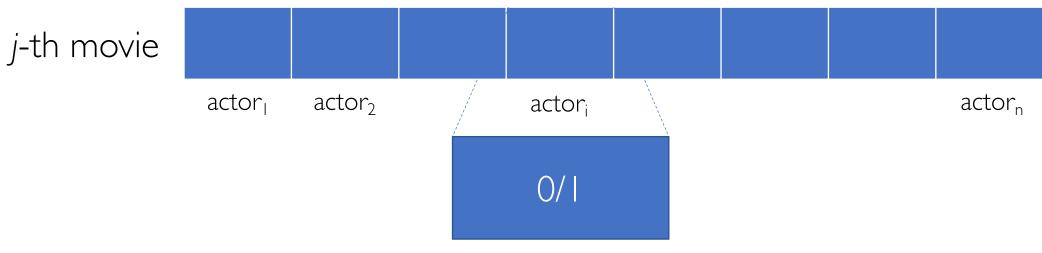
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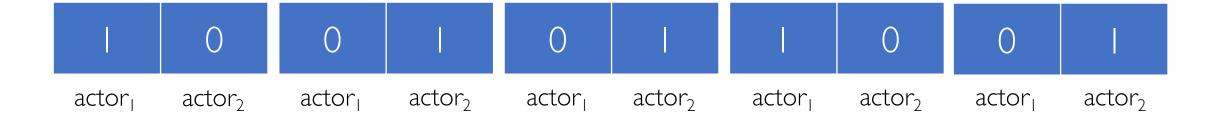
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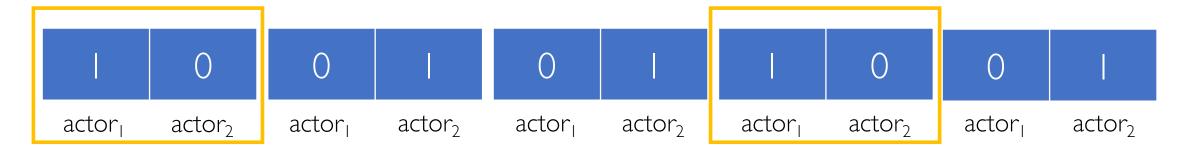


Binary feature indicating if actor; appears in movie;

Suppose user u has watched 5 movies, each movie represented by 2 actors



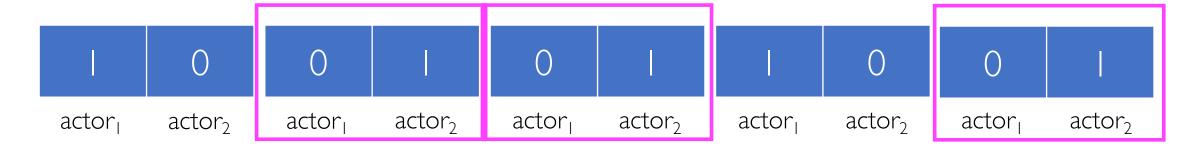
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2 movies feature actor I

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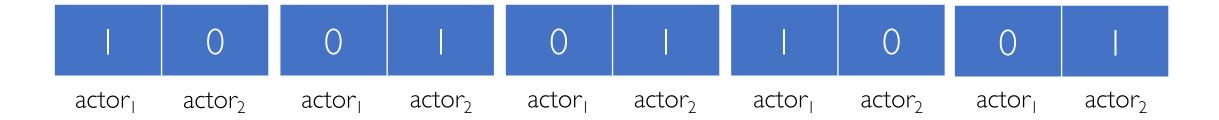
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3 movies feature actor 2

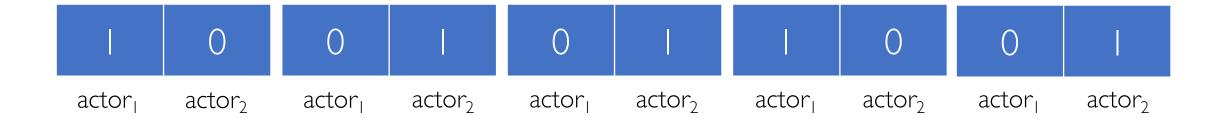
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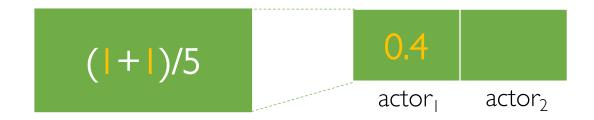


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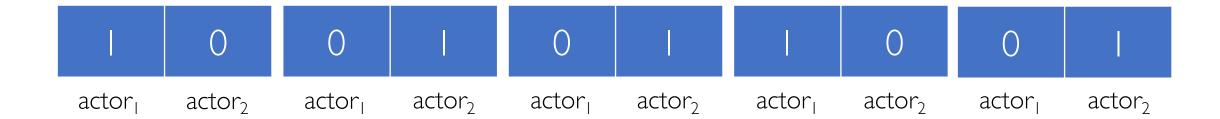


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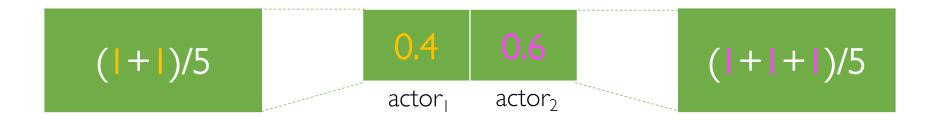


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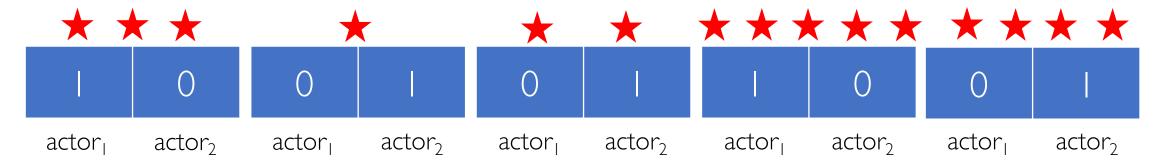
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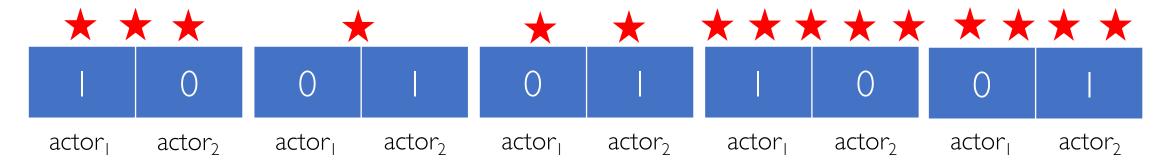


Suppose user *u* has watched (and rated) 5 movies



Normalize ratings by subtracting user's mean rating before

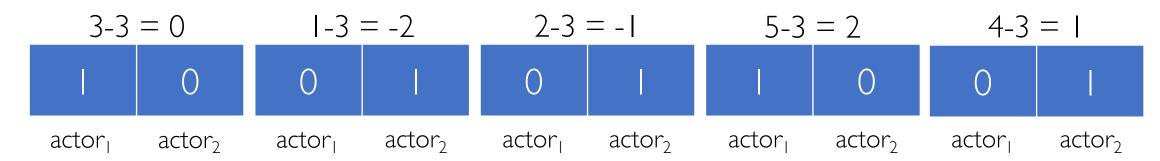
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Avg. User Rating = (3 + 1 + 2 + 5 + 4)/5 = 3

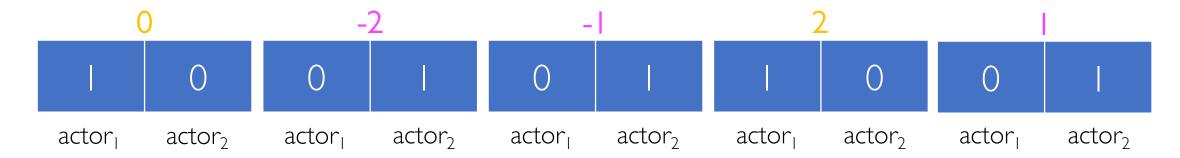
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MOVIES Bob Carl

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How to fill the "<mark>?</mark>"?

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- For each item unrated by *u*, compute the cosine similarity (or Pearson's correlation) between *u* and the corresponding item profile vectors
- Finally, we pick the top-k items with the **highest** similarity score, and we recommend those to u

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$$R_{u,k} = \bigcup_{j=1}^{k} A^{j} = \bigcup_{j=1}^{k} \operatorname{argmax}_{i} \left\{ \sin(\mathbf{u}, \mathbf{i}) : i \in \mathcal{I} - \mathcal{I}_{u} - \{ \bigcup_{l=0}^{j-1} A^{l} \} \right\}$$

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- Explainable recommendations using content features that caused an item to be recommended

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- May need to create average profiles and gradually improve them overtime

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- They make use of either explicit (e.g., ratings) or implicit (e.g., clicks) feedback to build a user-item utility matrix
- Content-based recommender systems make use of item and user profiles (built in the item space) to come up with top-k suggestions