```
3.1

(n) k_{1,2,3} = 26.856 \, \text{m} \, \text{N} \, \text{V}^2

V_{00} = 3 \, \text{V}

C_{0X} = 3.9 \, \frac{6}{4 \, \text{m}} = 3.83673 \, \text{X} \, \text{Io}^{-1} \, \text{F/cm}^2

I_1 = I_{1} \, \text{ref} = 0.4 \, \text{m} \, \text{M} = \frac{1}{2} + 26.856 \, \text{m} \, (\text{VX}^{-0.1})^2 \, (\text{I} + 0.1 \, \text{X})

V_{X} = \text{Vgs}_{1} = 0.86558

V_{0} = 2 \, \text{V}_{X} = (1.73116 \, \text{V}) \, \text{H}

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$$\Delta I_{out} = I_{ref} \times \frac{\lambda \Delta V_b}{1 + \lambda V_{ds_1}}$$

$$= 0.4 m \times \frac{0.1 \cdot 0.1}{1 + 0.1 \cdot 0.86558}$$

$$= 3.681 MA \#$$

$$\begin{bmatrix}
I_{\text{out}} = I_{\text{ref}} \times \frac{\binom{w}{U_{1}}}{\binom{w}{U_{1}}} & \frac{1+\lambda \left(V_{\text{ds_{1}}} - \Delta x\right)}{1+\lambda V_{\text{ds_{1}}}} & (given by M2)
\end{bmatrix}$$

$$I_{\text{out}} = \frac{1}{2} \times 26.856 \text{ m} \left(V_{\text{gs_{1}}} - \Delta x - 0.7\right)^{2} \left(\frac{1+\lambda \left(V_{\text{gs_{1}}} + 1 - \Delta x\right)}{1+\lambda V_{\text{gs_{1}}}}\right) & (given by M3)$$

ΔX = 0. 331 V #

```
Vb mm = Vd.mm = = 0.7
          V b min = 0.84354 V
            0.894 V & Vb & 1.594 V
  (b) Let VB increase by Ax
         \int \frac{I_{\text{out}} = I_{\text{ref}} \cdot \frac{3}{2} \cdot \left( \frac{1 + o \cdot I \cdot \left( V_{\text{gs}_1} - o x \right)}{1 + o \cdot I \cdot V_{\text{gs}_1}} \right)}{\left( \frac{1 + o \cdot I \cdot V_{\text{gs}_1}}{1 + o \cdot I \cdot V_{\text{gs}_1}} \right)}
             I out = 1 . 16. 1136 m (Vgs1 - 0x -0.7) 2 ( - 1+ 0.1 Vgs1+1 - 0x )
0.12 m = \frac{3}{2} = \frac{1 + 0.1 \left(-0.84359 - \Delta X\right)}{1 + 0.1 + 0.84359} = \frac{1}{2} = 16.1136 m (0.14354 - \Delta X) = \left(-\frac{2 + 0.1 + 0.84359 - \Delta X}{1 + 0.1 + 0.84359}\right)
         Δ X = 0.03499
              = 0.035 V  Iref = \frac{3}{2} + \left( \frac{-0.1 \Delta X}{1 + 0.1 \text{ Vgs}_1} \right) = -580.825 \text{ M} 
3.3
     0.25 mA = 1 k (Vsgs - 0.799) (1+0.2 Vsds)
   Vsd3 = Vsq3 = 3 - VE
   0.25 mA = 1 . 3.0696 m (3-VF-0.799) = [1+0.2 (3-VF)]
       VF = 1.83146
    0,25 mA = 1 k (Vsg 4 - 0.8) 2 (1+0.2 Vsd4)
       Vsq 4 = 3 - 1.83746 Vsd4 = 3-Vout
  0.25 mA = 1 . 3.0696 m (1.16254 - 0.8) = [1+0.2 (3-Vaut)]
        Vout = 1.80350
        Vont - VF = - 33.960 mV
  (b)
        Adm = gm, (ros || ros)
                                                              gm, = 2.31758m
          = 2 gm - 13.333K
                                                              9 m3 = 1.23887 m
               z = \sqrt{2kL_1} + 13.333 \text{ K}
                                                               9ms = 3.27756 m
                = 2,31758 m - 13,333 K
                = 30.90098 V/V
                                                               to, = 40 k
                                                                Y = 20k
                                                                Y. = 20K
```

$$A_{cm} = \frac{-\frac{1}{2g_{m_3}} \| \frac{r_{r_3}}{2}}{\frac{1}{2g_{m_1}} + r_{r_3}}$$

$$= \frac{-397.93672}{215.1423 + 20k}$$

$$|CMRR| = \frac{|A_{4m}|}{|A_{cm}|} = \frac{30.9098}{|9.6845 m|}$$

$$= 1569.813 \#$$