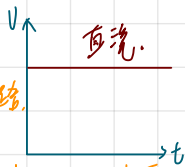


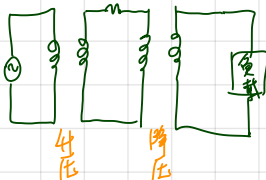
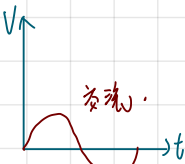
s/b (五) 考試, (二四 B2b)  
 \* 可帶筆記, 計算機, 平板 (可查資料...), 書

1. (10) Compare DC power system with AC power system.

直流電力系統  
 ① 電感短路, 電容開路, 沒有虛功.  
 ② 傳統的無條件降壓轉換; 近代靠電力電子



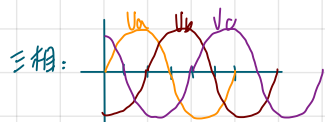
交流電力系統  
 ① 分: 單相 & 三相  
 ② 電感、電容不能忽略, 產生虛功.  
 ③ 利用變壓器升壓 → 減少傳輸線損失再降壓提供負載使用.



2. (10) Compare AC single phase voltage with three phase voltage.

單相:  
 $v(t) = V_m \cdot \sin \omega t$   
 缺點: Power 脈動, 電壓是抖動的

三相:  
 $v_a(t) = V_m \cdot \sin \omega t$   
 $v_b(t) = V_m \cdot \sin(\omega t - 120^\circ) = V_m \sin(\omega t - \frac{2}{3}\pi)$   
 $v_c(t) = V_m \cdot \sin(\omega t - 240^\circ)$   
 優點: Power 是常數  $= 3 \cdot V_{相} \cdot I_{相} \cos \theta = \sqrt{3} V_{line-to-line} \cdot I_{line-to-line} \cos \theta$  (線對線)

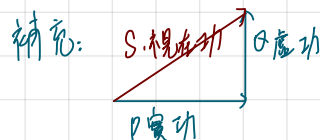
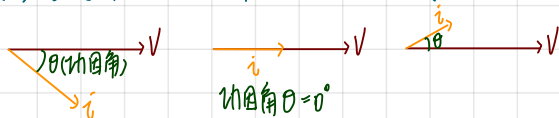


3. (10) A generator will be paralleled with a running AC power system. Which conditions are required for paralleling?

併網條件: ① 頻率 (f (頻率),  $\omega = 2\pi f$  (角速度)) 一樣.  
 ② 角度一樣  
 ③ 相序一樣  
 ④  $V_m$  (振幅) 一樣.

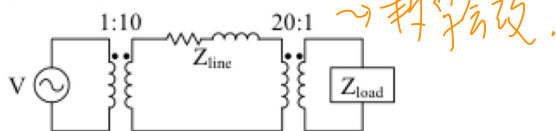
4. (10) Plotting the generator phasor diagrams under (a) lagging power factor; (b) unity power factor; (c) leading power factor.

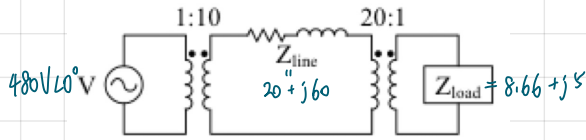
相量圖在同步座標.  
 (a) 落後功因, (b) 單位功因, (c) 領先功因.



5. (20) A simple power system is shown in figure. This system contains a 480V (0°)/60Hz generator connected to an ideal 1:10 step-up transformer, a transmission line, an ideal 20:1 step-down transformer, and a load. The impedance of the transmission line is  $Z_{line} = 20 + j60 \Omega$ , and  $Z_{load} = 8.66 + j5 \Omega$ . The base values for this system are chosen to be 480V and 10kVA at the generator.

- Find the base voltage, current, impedance, and apparent power at every point in the power system.
- Convert this system to its per-unit equivalent circuit.
- Find the power supplied to the load in this system.
- Find the power lost in the transmission line.





- Q: 标准电压 480V, 10kVA.
- (a) 表准 (V, i, 阻抗, 视在功)
  - (b) 简化成标准图
  - (c) 负载的真实功率.
  - (d) 传输线损.

课本有答案,  
也在讲义 CH2. EX2-3, 有ANS.

A: 发电机  $V_b = 480$ ,  $S_b = 10 \text{ kVA} \Rightarrow \frac{480}{480} = 1 \angle 0^\circ$  (标准)

传输线  $V_b = 4800$ ,  $S_b = 10 \text{ kVA}$ .

$$\Rightarrow S_b = V_b \cdot I_b \Rightarrow I_b = \frac{10 \text{ kVA}}{4800} \Rightarrow Z_b = \frac{V_b}{I_b} = \frac{4800}{\left(\frac{10 \text{ kVA}}{4800}\right)}$$

阻抗  $\frac{20 + j60}{Z_b}$

负载  $V_b = 240$ ,  $S_b = 10 \text{ kVA} \Rightarrow I_b = \frac{10 \text{ kVA}}{240} \Rightarrow Z_b = \frac{V_b}{I_b} = \frac{240}{\left(\frac{10 \text{ kVA}}{240}\right)}$

阻抗  $\frac{8.66 + j5}{Z_b}$

bus 2: 流入虚功 = 流出虚功.  
流入实功 = 流出实功.

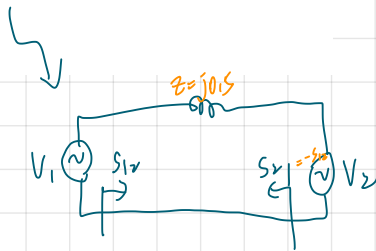
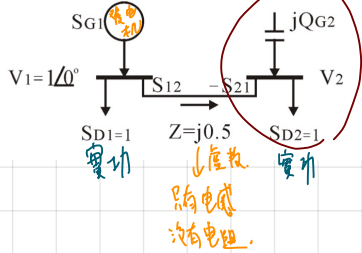
$P_{12} = S_{12} = 1$

$I = \frac{V_1 |V_2|}{Z} \sin \theta_{12}$ ;  $Z = j0.5 \Rightarrow jX = jWL$

已知  $\begin{cases} |V_1| = 1 \\ |V_2| = 1 \end{cases} \Rightarrow X = 0.5 \Rightarrow \sin \theta_{12} = 0.5, \theta_{12} = 30^\circ \Rightarrow V_2 = 1 \angle -30^\circ$

6.(20)  $S_{G1}: V_1 = 1 \angle 0^\circ$ ,  $S_{D1} = 1$ ,  $jQ_{G2}: V_2 = ?$ ,  $S_{D2} = 1$ ,  $Z = j0.5$ , (a) Find  $Q_{G2}$  for  $|V_2| = 1$

(b) and  $\angle V_2$ ? (c) If  $Q_{G2} = 0$ , could be supplied load  $S_{D2}$ ? (d) and  $\angle V_2$ ?



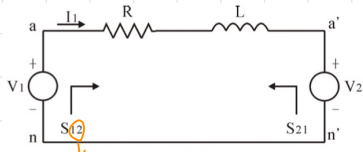
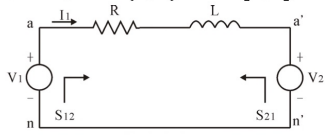
- ①  $\theta_{12}$ ,  $V_2 = ?$
- (a)  $|V_2| = 1$
  - (b)  $\angle V_2 = ?$
  - (c)  $Q_{G2} = 0$ .
  - (d)  $\angle V_2 = ?$

7. (20) Find (a)  $S_{12}$  and  $S_{21}$ ; (b)  $P_{12}$  and  $-P_{21}$ ; (c)  $Q_{12}$  and  $Q_{21}$ .

( $Z=R+j\omega L$ ,  $V_1=|V_1|e^{j\theta_1}$ ,  $V_2=|V_2|e^{j\theta_2}$ ,  $Z=|Z|e^{j\angle Z}$ ,  $\theta_{12}=\theta_1-\theta_2$ )

CH2

Ex 2.12



從1到2的視在功率。

$$S_{12} = V_1 \cdot I_1^* \quad \text{⊗} \rightarrow \text{共軛} \quad \rightarrow \text{see CH2 式(2.5)}$$

$$Z = R + j\omega L \rightarrow \begin{matrix} j\omega L \\ \uparrow \\ \text{乘} \end{matrix}$$

$$|Z| = \sqrt{R^2 + (\omega L)^2}, \quad \tan \theta = \frac{\omega L}{R}$$

$$\rightarrow Z = |Z|e^{j\theta}$$

$$(a) \quad S_{12} = V_1 I_1^*$$

$$S_{21} = V_2 (-I_1)^*$$

$$I_1 = \frac{V_1 - V_2}{Z}$$

$$S_{12} = V_1 \cdot \left( \frac{V_1 - V_2}{Z} \right)^*$$

$$= V_1 \left( \frac{V_1^* - V_2^*}{Z^*} \right) \quad \rightarrow S_{12} \text{ 的 answer 爲 CH2 的 式 (2.16)}$$

$$S_{21} = V_2 \left( \frac{V_2 - V_1}{Z} \right)^* \quad \text{式 (2.17)}$$

$$= V_2 \left( \frac{V_2^* - V_1^*}{Z^*} \right)$$

$$\text{Assume } R=0: P_{12} \text{ 及 } -P_{21} \text{ 相等: 式 (2.31)}$$