Creating Customer Segments

In this project you, will analyze a dataset containing annual spending amounts for internal structure, to understand the variation in the different types of customers that a wholesale distributor interacts with.

Instructions:

- Run each code block below by pressing Shift+Enter, making sure to implement any steps marked with a TODO.
- Answer each question in the space provided by editing the blocks labeled "Answer:".
- When you are done, submit the completed notebook (.ipynb) with all code blocks executed, as well as a .pdf version (File > Download as).

```
In [1]: # Import libraries: NumPy, pandas, matplotlib
        import numpy as np
        import pandas as pd
        import matplotlib.pyplot as plt
        # Tell iPython to include plots inline in the notebook
        %matplotlib inline
        # Read dataset
        data = pd.read csv("wholesale-customers.csv")
        print "Dataset has {} rows, {} columns".format(*data.shape)
        print data.head() # print the first 5 rows
        # get some sense of the data
        print
        print "mean"
        print data.mean()
        print
        print "std"
        print data.std()
```

Dataset	has 440	rows, 6	columns		
Fresh	Milk	Grocery	Frozen	Detergents_Paper	Delicatessen
0 12669	9656	7561	214	2674	1338
1 7057	9810	9568	1762	3293	1776
2 6353	8808	7684	2405	3516	7844
3 13265	1196	4221	6404	507	1788
4 22615	5410	7198	3915	1777	5185
					
mean Fresh		120	00.297727		
Milk			96.265909		
Grocery			51.277273		
Frozen			71.931818		
Detergents Paper			81.493182		
Delicatessen			24.870455		
dtype: float64		13	24.070433		
do/por 1	10001				
std					
Fresh		126	47.328865		
Milk		73	80.377175		
Grocery	ocery 9503.16282		03.162829		
Frozen 4854.6		54.673333			
Detergen	Detergents_Paper 4		67.854448		
Delicate	ssen	28	20.105937		
dtype: f	loat64				

Feature Transformation

1) In this section you will be using PCA and ICA to start to understand the structure of the data. Before doing any computations, what do you think will show up in your computations? List one or two ideas for what might show up as the first PCA dimensions, or what type of vectors will show up as ICA dimensions.

PCAs are basis of a new vector space. The goal is to order the basis of this space from maximum variation to least variation. The hope being if we reduce the dimensions, buy keep those with the most variation we will keep the most information present. Since they are a basis for a space then with be orthogonal to each other, the dot product of each pair of basis should be 0. A sample vector likely has a non zero value in each of the goods, since the basis isn't necessarily representative of the buying patterns of any particular type of store.

ICAs might be thought as representing different buying pattern of the relative goods at different types of stores. Stores don't necessarily only buy one type of product, but convience stores (7/11, gas station stores) buy a certain relative pattern of the six categories, where as drug stores (Walgreens/CVS) buy a different pattern. The elements of the components are the ratio that these categories are bought relative to one another. so a vector of [0.1 0.9 0.9 0.0 0.0 0.0] would represent a store that bought predomiently milk and groceries in the same quantities, and some milk, but less by a factor of 9. It would not be uncommon so see near zero values if a store type hardly sold any of that class of goods, say frozen food at a fresh food stand.

PCA

```
# TODO: Apply PCA with the same number of dimensions as variables in t
In [2]:
        he dataset
        from sklearn.preprocessing import StandardScaler
        scaler = StandardScaler()
        scaled_data = scaler.fit transform(data)
        print '-- verify inverse transform of scaling with first vector'
        print scaler.fit transform(data).shape
        print scaler.inverse transform([[ 5.29331898e-02, 5.23567773e-01, -4.1
        1148934e-02, -5.89367156e-01, -4.35687319e-02, -6.63390575e-02]])
        print '--'
        print '-- verify scaled data looks scaled'
        print 'min, expect <0', scaled data.min(axis=0)</pre>
        print 'max, expect >0', scaled data.max(axis=0)
        print (scaled data.max(axis=0)-scaled data.min(axis=0))
        print 'mean, expect near 0', scaled data.mean(axis=0)
        print 'std, expect near 1', scaled data.std(axis=0)
        print '--'
        from sklearn.decomposition import PCA
        n columns = data.shape[1]
        print 'number of columns (will use for number of components)', n colum
        pca = PCA(n components=n columns)
        pca.fit(data)
        # Print the components and the amount of variance in the data containe
        d in each dimension
        print "components "
        print pca.components
        print "explained variance ratio "
        print pca.explained variance ratio
        n columns = scaled data.shape[1]
        print n columns
        scaled_pca = PCA(n_components=n_columns)
        scaled pca.fit(scaled data)
        # Print the components and the amount of variance in the data containe
        d in each dimension
        print "components "
        print scaled_pca.components_
        print "explained variance ratio "
        print scaled pca.explained variance ratio
```

```
-- verify inverse transform of scaling with first vector
(440, 6)
[[ 12668.99999988
                     9655.99999839 7561.00000035 213.99999891
    2674.00000002 1338.00000005]]
-- verify scaled data looks scaled
min, expect <0 [-0.94968309 -0.77879505 -0.83733437 -0.62834303 -0.6
0441648 -0.54026439]
max, expect >0 [ 7.92773757 9.18364979 8.93652831 11.91900152
7.96767199
  16.478447451
[ 8.87742066  9.96244484  9.77386267  12.54734455  8.57208847
  17.01871184
mean, expect near 0 [ -3.43159844e-17 0.00000000e+00 -4.03717464e
-17 3.63345717e-17
   2.42230478e-17 -8.07434927e-181
std, expect near 1 [ 1. 1. 1. 1. 1.]
number of columns (will use for number of components) 6
components
[-0.97653685 - 0.12118407 - 0.06154039 - 0.15236462 0.00705417 - 0.068]
104711
[-0.11061386 \quad 0.51580216 \quad 0.76460638 \quad -0.01872345 \quad 0.36535076 \quad 0.057
079211
[-0.17855726 \quad 0.50988675 \quad -0.27578088 \quad 0.71420037 \quad -0.20440987 \quad 0.283
21747]
 [-0.04187648 - 0.64564047 \ 0.37546049 \ 0.64629232 \ 0.14938013 - 0.020]
395791
 \begin{bmatrix} 0.015986 & 0.20323566 & -0.1602915 & 0.22018612 & 0.20793016 & -0.917 \end{bmatrix}
076591
 [-0.01576316 \quad 0.03349187 \quad 0.41093894 \quad -0.01328898 \quad -0.87128428 \quad -0.265
4168711
explained variance ratio
[ \ 0.45961362 \quad 0.40517227 \quad 0.07003008 \quad 0.04402344 \quad 0.01502212 \quad 0.0061 \\
38481
6
components
681981
[-0.52793212 -0.08316765 \ 0.14608818 -0.61127764 \ 0.25523316 -0.504
207051
 [-0.81225657 \quad 0.06038798 \quad -0.10838401 \quad 0.17838615 \quad -0.13619225 \quad 0.523
904121
 [-0.23668559 -0.08718991 \ 0.10598745 \ 0.76868266 \ 0.17174406 -0.552
064721
[ 0.04868278 - 0.82657929 \ 0.31499943 \ 0.02793224 \ 0.33964012 \ 0.314
700511
 [ 0.03602539 \quad 0.03804019 \quad -0.72174458 \quad 0.01563715 \quad 0.68589373 \quad 0.075 
13412]]
explained_variance_ratio_
[ 0.44082893  0.283764  0.12334413  0.09395504  0.04761272  0.0104
95191
```

2) How quickly does the variance drop off by dimension? If you were to use PCA on this dataset, how many dimensions would you choose for your analysis? Why?

Answer: Normally one would like to scale the data so one can compare dimensions of different units. This data set is all in dollar amounts, so that purpose of scaling is removed. However without scaling, it is possible that the relatively costliness of one dimension will hide some important distiction between groups of buyers. So I've chosen to look at both scaled and raw data.

For the raw data, the first two component factors, 0.4596 and 0.4052 are similar, but then the third factor drops by a factor of between 5 and 6 to 0.0700. The fourth factor is down by and order of magnitude to 0.044. I would include the first two dimensions, perhaps the third but no more.

For the scaled data, an order of magnitude data drop isn't seen until the 5th component, I would include the first 4 with the scaled data.

3) What do the dimensions seem to represent? How can you use this information?

Answer: Raw -- The first principle component ([-0.98 -0.12 -0.06 -0.15 0.01 -0.07]) is made up most strongly of the 'Fresh' dimension. This isn't too surprising, 'Fresh' has the greatest min to max range, and the largest standard deviation, so one would expect without scaling, this feature to dominate the variance. The second principle component ([-0.11 0.52 0.76 -0.02 0.37 0.06]) is made up most stongly of 'Grocery', 'Milk', and 'Detergent_Paper' in that order

Scaled -- The first principle component ([-0.04 -0.55 -0.58 -0.05 -0.55 -0.25]) is 'Milk', 'Grocery', 'Detergents_Paper', which was the makeup of the second component in the Raw case. The second principle component ([-0.53 -0.08 0.15 -0.61 0.26 -0.50]) is 'Frozen', 'Fresh', 'Delicatessen'

ICA

```
# TODO: Fit an ICA model to the data
In [3]:
       # Note: Adjust the data to have center at the origin first!
       from sklearn.decomposition import FastICA
       ica = FastICA(n components=6)
       S data = ica.fit transform(scaled data)
       # Print the independent components
       print ica.components
       # Scale and print as integer
       print np.ndarray.round(ica.components *100)
       76682]
         [ \ 0.00488201 \ \ 0.00161843 \ \ 0.00570125 \ \ 0.00253165 \ -0.00242907 \ -0.050 ] 
       96479]
        [-0.00378408 \quad 0.01701678 \quad 0.11445245 \quad -0.00709403 \quad -0.13432903 \quad -0.016
       14542]
        [-0.00265834 \quad 0.01389964 \quad -0.06103177 \quad -0.00199201 \quad 0.00387811 \quad 0.004
       10008]
        [-0.05022782 \quad 0.00633505 \quad 0.00594083 \quad 0.00328437 \quad -0.00983198 \quad 0.002
       936761
        0623711
                        -5.
       [[ 1.
                0.
                    -1.
                              0.
                                   2.]
                0.
                    1.
                         0. -0.
           0.
                                  -5.]
        [-0.
                2. 11. -1. -13.
                                  -2.]
        [ -0.
                1. -6. -0.
                              0.
                                   0.1
        [-5.
                1.
                    1.
                         0. -1.
                                   0.]
        0.
                7. -6.
                        -0.
                              2.
                                  -2.]]
```

4) For each vector in the ICA decomposition, write a sentence or two explaining what sort of object or property it corresponds to. What could these components be used for?

Vectors have be rescaled to more a more human scale for ease of understanding and presentation. [1. 0. -1. -5. 0. 2.] represents [0.01092988 0.00103564 -0.00734779 -0.05404952 0.00264264 0.01676682] etc.

Each vector might represent a type of store. Stores of the same general type (example types might be fresh food stand, Drug Store, Grocery Store, Convience Store, Mega Store) would have similar buying patterns of categories relative to one another. Each of the individual components could represent a store type, or perhaps a department within a larger store.

- ([1. 0. -1. -5. 0. 2.] FROZEN Deli Grocery fresh) This is a convience store mainly selling frozen item and to a lesser extent deli products
- ([0. 0. 1. 0. -0. -5.] DELI grocery) This is a deli selling mainly deli products and a small array of condiments and snack
- ([-0. 2. 11. -1. -13. -2.] D&P GROCERY milk deli frozen) This is a Walgreens/CVS drug store selling household product (detergent and paper), packaged commidity goods, a little bit of everything, but no fresh produce.
- ([-5. 1. 1. 0. -1. 0.] FRESH milk grocery d&p) This is a fresh produce shop selling a few sundry milk groceries and paper product
- ([-0. 1. -6. -0. 0. 0.] GROCERY milk) This is a smaller corner grocery store selling mainly packaged groceries and a bit of milk.
- ([0. 7. -6. -0. 2. -2.] MILK GROCERY d&p deli) This is a larger grocery store, selling mainly milk and grocer, but also some household product and deli food.

Clustering

In this section you will choose either K Means clustering or Gaussian Mixed Models clustering, which implements expectation-maximization. Then you will sample elements from the clusters to understand their significance.

Choose a Cluster Type

5) What are the advantages of using K Means clustering or Gaussian Mixture Models?

K Means clustering -- computationally faster, tighter clusters

Gaussian Mixture Models -- soft classification is available

For our particular problem, the computational expense of either method is negligable. The algorighms run in a few seconds at most of a moderate laptop computer. The soft classification of the Gausian Mixture model is also not a compelling strength for this particular model since I am just as happy with a clear and decisive assignment of category. The ability of GMM to indicate a sort of 25% grocery store and 75% drug store, would just needlessly complicate later analysis.

In this problem, I find the globular clusters of K-means more intuitionally appealing. For something of a more organic origin, I might find the benefit fo Gaussian distributions worth dealing with the blob like shapes that can arrise.

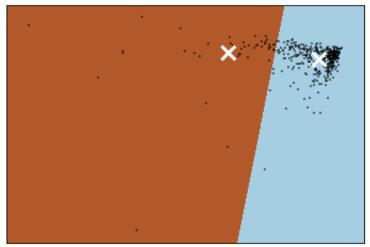
6) Below is some starter code to help you visualize some cluster data. The visualization is based on <u>this</u> <u>demo (http://scikit-learn.org/stable/auto_examples/cluster/plot_kmeans_digits.html)</u> from the sklearn documentation.

In [4]: # Import clustering modules
 from sklearn.cluster import KMeans
 from sklearn.mixture import GMM

```
# TODO: First we reduce the data to two dimensions using PCA to captur
In [21]:
         e variation
         # a subroutine to work back from the mapping to PCAs
         # will only result in orginal values if n components == n features
         def revert(E,scaler,pca):
             Ep = np.dot(E,pca.components )+ pca.mean
             return scaler.inverse transform(Ep)
         p = PCA(n components=2)
         reduced data = p.fit transform(scaled data)
         print reduced data[:4]
         print revert(reduced data[:1], scaler, p)
         print data.head(1)
         [-0.19329055 \quad 0.30509996]
          [-0.4344199]
                        0.32841262]
          [-0.81114323 -0.8150957 ]
          [ 0.77864783 -0.65275373]]
                             6385.96408708
         [[ 10070.1978125
                                             9437.17558252 2215.53971847
             3757.39320671
                             1226.93918221]]
            Fresh Milk Grocery Frozen Detergents Paper Delicatessen
         0 12669 9656
                            7561
                                     214
                                                       2674
                                                                     1338
In [6]: # TODO: Implement your clustering algorithm here, and fit it to the re
         duced data for visualization
         # The visualizer below assumes your clustering object is named 'cluste
         rs'
         K2clusters = KMeans(n clusters=2,random state=0).fit(reduced data)
         #For GMM clusters = GMM(n components=5,covariance type='full').fit(red
         uced data)
         print K2clusters
         print K2clusters.predict(reduced data)[:4]
         KMeans(copy x=True, init='k-means++', max iter=300, n clusters=2, n
         init=10,
             n jobs=1, precompute distances='auto', random state=0, tol=0.000
         1,
             verbose=0)
         [0 \ 0 \ 0 \ 0]
```

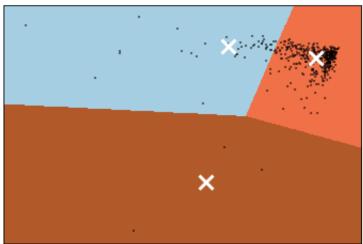
```
In [7]: # Plot the decision boundary by building a mesh grid to populate a gra
        ph.
        def xyzzy(reduced data, clusters):
            x_min, x_max = reduced_data[:, 0].min() - 1, reduced_data[:, 0].ma
        x() + 1
           y_min, y_max = reduced_data[:, 1].min() - 1, reduced_data[:, 1].ma
        x() + 1
           hx = (x max-x min)/1000.
            hy = (y max - y min)/1000.
            xx, yy = np.meshgrid(np.arange(x min, x max, hx), np.arange(y min,
        y max, hy))
            # Obtain labels for each point in mesh. Use last trained model.
            Z = clusters.predict(np.c [xx.ravel(), yy.ravel()])
            return Z, xx, yy, x min, x max, y min, y max
        (Z,xx,yy,x min,x max,y min,y max) = xyzzy(reduced data, K2clusters)
In [9]: # TODO: Find the centroids for KMeans or the cluster means for GMM
        def printCentroidInfo(centroids):
           print 'centroids'
           print centroids
           print
           print 'revert of centroids'
           print revert(centroids, scaler, p)
           print
           print 'revert of unit vecotrs'
           print revert([[-1,0],[0,-1]], scaler, p)
        centroids = K2clusters.cluster centers
        # For GMM centroids = clusters.means
        printCentroidInfo(centroids)
        centroids
        [[ 0.41858927 -0.04642563]
         [-3.67428358 \quad 0.40751388]
        revert of centroids
                                           5585.28122267
                                                          3105.64292223
        [[ 12083.15494916
                          4142.58528451
            1731.34524587 1297.58194253]
         2776.02323819
           12977.23617518 3519.95850445]]
        revert of unit vecotrs
                                                          3320.15314427
        [[ 12542.04853846  9814.8703078
                                          13449.78573957
            5494.35554418 2225.38258907]
         [ 18669.6371861
                           6409.37664264
                                           6564.55602068
                                                          6036.11091952
            1665.96228909 2945.17100374]]
```

```
In [10]:
         # Put the result into a color plot
         def plotClusters(Z,xx,yy,centroids,x min,x max,y min,y max):
             Z = Z.reshape(xx.shape)
             plt.figure(1)
             plt.clf()
             plt.imshow(Z, interpolation='nearest',
                        extent=(xx.min(), xx.max(), yy.min(), yy.max()),
                        cmap=plt.cm.Paired,
                         aspect='auto', origin='lower')
             plt.plot(reduced data[:, 0], reduced data[:, 1], 'k.', markersize=
         2)
             plt.scatter(centroids[:, 0], centroids[:, 1],
                         marker='x', s=169, linewidths=3,
                         color='w', zorder=10)
             plt.title('Clustering on the wholesale grocery dataset (PCA-reduce
         d data) \n'
                    'Centroids are marked with white cross')
             plt.xlim(x min, x max)
             plt.ylim(y min, y max)
             plt.xticks(())
             plt.yticks(())
             plt.show()
         plotClusters(Z, xx, yy, centroids, x min, x max, y min, y max)
```



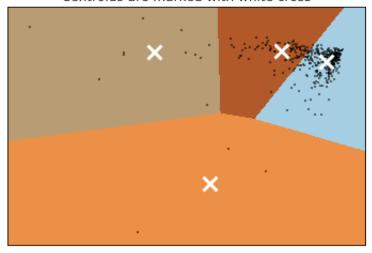
```
# TODO: Implement your clustering algorithm here, and fit it to the re
In [11]:
         duced data for visualization
         # The visualizer below assumes your clustering object is named 'cluste
         def allSteps(isGMM, reduced data, clusters):
             (Z,xx,yy,x_min,x_max,y_min,y_max) = xyzzy(reduced_data, clusters)
             centroids = 0
             if (isGMM):
                 centroids = clusters.means_
                 print "is"
             else:
                 centroids = clusters.cluster_centers_
                 print "isNot"
             printCentroidInfo(centroids)
             plotClusters(Z, xx, yy, centroids, x_min, x_max, y_min, y_max)
         K3clusters = KMeans(n clusters=3,random state=0).fit(reduced data)
         #For GMM clusters = GMM(n components=5,covariance type='full').fit(red
         uced data)
         print K3clusters
         print K3clusters.predict(reduced_data)[:4]
         allSteps(False, reduced_data, K3clusters)
```

```
KMeans(copy x=True, init='k-means++', max iter=300, n clusters=3, n
init=10,
   n jobs=1, precompute distances='auto', random state=0, tol=0.000
1,
   verbose=0)
[1 1 1 1]
isNot
centroids
[[-3.52778282 0.92939702]
  0.42941908 - 0.027408041
[-4.51308525 -10.04070335]]
revert of centroids
[ 7713.01273489 19403.20617054
                                28637.63555828
                                                1192.70353395
  13228.81491345
                  2676.10203312]
 [ 11950.45309539
                  4087.4046542
                                 5552.10549994
                                                3046.58317533
   1726.1649055
                 1262.98482641]
 33954.61886688
   2468.7786494
                 18947.15792161]]
revert of unit vecotrs
[[ 12542.04853846
                  9814.8703078
                                13449.78573957
                                                3320.15314427
   5494.35554418
                  2225.382589071
 [ 18669.6371861
                  6409.37664264
                                 6564.55602068
                                                6036.11091952
   1665.96228909
                  2945.17100374]]
```

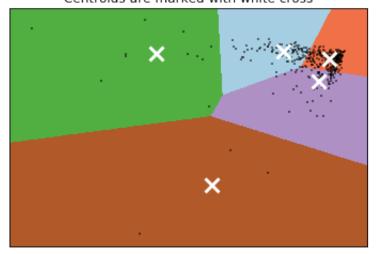


```
In [18]: K4clusters = KMeans(n_clusters=4,random_state=0).fit(reduced_data)
#For GMM clusters = GMM(n_components=5,covariance_type='full').fit(red
uced_data)
print K4clusters
print K4clusters.predict(reduced_data)[:4]
allSteps(False, reduced_data, K4clusters)
```

```
KMeans(copy x=True, init='k-means++', max iter=300, n clusters=4, n
init=10,
   n jobs=1, precompute distances='auto', random state=0, tol=0.000
1,
   verbose=0)
[0 3 3 0]
isNot
centroids
[ [ 0.68468443 -0.15620376 ]
[-7.05027932]
                0.636349991
[-4.51308525 -10.04070335]
 [ -1.30128824
                0.73156912]]
revert of centroids
[[ 12671.14525369
                   3140.56024245
                                   3969.92306418
                                                   3364.99444933
    902.63651133 1267.09698252]
 [ 11575.75815148  33738.3964026
                                  47599.73788995
                                                   2935.70615055
  22076.40574756 5559.86842825]
                                  18842.85798626 33954.61886688
 [ 81410.12439235 30088.63313126
   2468.7786494
                  18947.15792161]
 7826.18890799 10577.09565724 16120.904093
                                                   1226.43742289
   7170.82509551
                  1397.3906357
revert of unit vecotrs
[[ 12542.04853846
                   9814.8703078
                                  13449.78573957
                                                   3320.15314427
   5494.35554418
                   2225.382589071
 [ 18669.6371861
                   6409.37664264
                                   6564.55602068
                                                   6036.11091952
   1665.96228909
                   2945.17100374]]
```



```
KMeans(copy x=True, init='k-means++', max iter=300, n clusters=5, n
init=10,
   n jobs=1, precompute distances='auto', random state=0, tol=0.000
1,
   verbose=0)
[2 0 3 2]
isNot
centroids
[ [ -1.34002769 ]
                0.810010231
 [ -7.05027932
                0.63634999]
  0.75198268
                0.20048468]
   0.25039316 - 1.6392017
 [-4.51308525 -10.04070335]]
revert of centroids
   7324.02560109 10684.6811194
                                   16442.689291
                                                    1003.53986154
    7367.39356663
                   1313.11813349
 [ 11575.75815148  33738.3964026
                                   47599.73788995
                                                    2935.70615055
   22076.40574756
                  5559.86842825]
 [ 10255.81013714
                    2651.42569135
                                    4094.51049407
                                                    2291.00119221
    1160.36125429
                    713.34896549]
 [ 22797.03960059
                    5795.04700559
                                    4301.37252278
                                                    7868.66631445
    234.75001031
                    3677.62607985]
 [ 81410.12439235
                   30088.63313126 18842.85798626
                                                   33954.61886688
   2468.7786494
                   18947.15792161]]
revert of unit vecotrs
[[ 12542.04853846
                    9814.8703078
                                   13449.78573957
                                                    3320.15314427
    5494.35554418
                    2225.382589071
 [ 18669.6371861
                    6409.37664264
                                    6564.55602068
                                                    6036.11091952
    1665.96228909
                    2945.17100374]]
```



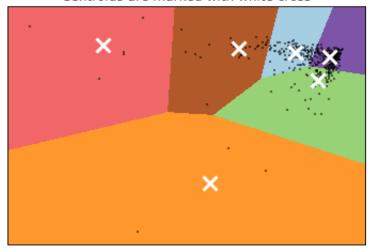
```
K6clusters = KMeans(n clusters=6,random state=0).fit(reduced data)
In [15]:
         #For GMM clusters = GMM(n components=6,covariance type='full').fit(red
         uced data)
         print K6clusters
         print K6clusters.predict(reduced data)[:4]
         allSteps(False, reduced data, K6clusters)
         KMeans(copy x=True, init='k-means++', max iter=300, n clusters=6, n
         init=10,
             n jobs=1, precompute distances='auto', random state=0, tol=0.000
         1,
             verbose=0)
         [0 0 0 4]
         isNot
         centroids
         [[ -0.71567162
                          0.5481188 ]
           0.33957354 -1.68416831]
          [ -9.31832266 1.12533697]
          [-4.51308525 -10.04070335]
          [ 0.8596866
                          0.18717984]
          [ -3.21582167
                          0.89744346]]
         revert of centroids
         [[ 8.73242308e+03
                              8.33620953e+03
                                               1.26464917e+04
                                                                 1.62485449e+0
         3
             5.41769997e+03
                              1.24771368e+03]
                              5.46423584e+03
                                               3.74865727e+03
                                                                7.97981894e+0
             2.30486237e+04
          [
            -5.29243644e+01
                              3.67902024e+03]
                              4.25529622e+04
                                               6.07486820e+04
                                                                 2.04923789e+0
             9.54325231e+03
          [
         3
             2.85968696e+04
                              6.45415183e+03]
             8.14101244e+04
                              3.00886331e+04
                                               1.88428580e+04
                                                                 3.39546189e+0
          [
         4
             2.46877865e+03
                              1.89471579e+04]
             1.02861959e+04
                              2.22676360e+03
                                               3.48384950e+03
                                                                2.30370470e+0
         3
             8.62773304e+02
                              6.56797933e+02]
             7.75711666e+03
                              1.81691488e+04
                                               2.68780039e+04
                                                                1.20998419e+0
             1.23748628e+04
                              2.50295312e+03]]
         revert of unit vecotrs
         [[ 12542.04853846
                             9814.8703078
                                            13449.78573957
                                                             3320.15314427
             5494.35554418
                             2225.382589071
          [ 18669.6371861
                             6409.37664264
                                             6564.55602068
                                                             6036.11091952
```

2945.17100374]]

1665.96228909

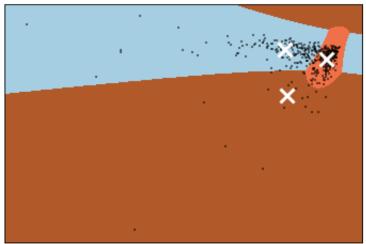
Clustering on the wholesale grocery dataset (PCA-reduced data)

Centroids are marked with white cross



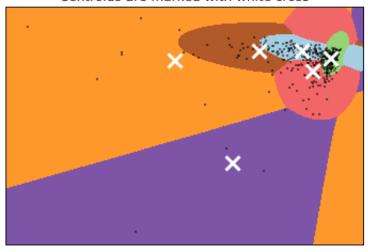
```
In [16]: G3clusters = GMM(n_components=3,covariance_type='full').fit(reduced_da
ta)
#For GMM clusters = GMM(n_components=5,covariance_type='full').fit(red
uced_data)
print G3clusters
print G3clusters.predict(reduced_data)[:4]
allSteps(True, reduced_data, G3clusters)
```

```
GMM(covariance type='full', init params='wmc', min covar=0.001,
  n components=3, n init=1, n iter=100, params='wmc', random state=N
one,
  thresh=None, tol=0.001, verbose=0)
[0 0 0 1]
is
centroids
[[-1.01895835 0.61635831]
[ 0.85857587 -0.12587327]
 [-0.9217878 -3.07397157]
revert of centroids
                                   14408.74556777
[[ 8441.61645307
                    9513.1605326
                                                    1497.86259442
    6293.09367548
                    1363.24910097
 [ 12374.65514142
                    2423.16340362
                                    3055.83944951
                                                    3231.92590322
     485.14975872
                  1102.205519441
 [ 33001.03690376 11385.2513658
                                    8756.99356946
                                                   12412.54149459
    1553.49041316
                    6536.55750094]]
revert of unit vecotrs
                                                    3320.15314427
[[ 12542.04853846
                    9814.8703078
                                   13449.78573957
    5494.35554418
                    2225.38258907]
 [ 18669.6371861
                    6409.37664264
                                    6564.55602068
                                                    6036.11091952
    1665.96228909
                    2945.17100374]]
```



```
In [17]: G6clusters = GMM(n_components=6,covariance_type='full').fit(reduced_da
ta)
#For GMM clusters = GMM(n_components=5,covariance_type='full').fit(red
uced_data)
print G6clusters
print G6clusters.predict(reduced_data)[:4]
allSteps(True, reduced_data, G6clusters)
```

```
GMM(covariance type='full', init params='wmc', min covar=0.001,
  n components=6, n init=1, n iter=100, params='wmc', random state=N
one,
  thresh=None, tol=0.001, verbose=0)
[0 0 2 1]
is
centroids
[[-0.31849223 \quad 0.67709895]
 [ 0.98268429  0.0608808 ]
 [ 0.17601738 -0.96216904]
 [-6.04691194 - 0.08490955]
 [-3.41853265 -8.41740202]
 [-2.25066319 0.72386282]]
revert of centroids
                                    10641.45702511
    7657.03837929
                    6661.02356307
                                                     1143.94581268
    4536.70424795
                     786.29411214]
 [ 11061.89302087
                    1809.91981868
                                     2632.40406267
                                                     2647.54703735
     387.8768675
                     750.01915542]
 [ 18321.9721446
                    5678.83787853
                                                     5880.28192493
                                     5649.18398186
    1252.03780908
                    2768.137369221
                                                     4824.59144536
 [ 15842.50781762
                  30148.47179645
                                    41082.52790001
   18578.031617
                    5881.40273278]
 [ 69990.80199021
                   24694.79578351
                                    15075.51773092
                                                    28871.17167841
    1582.03628914
                   15874.83476918]
                                                     1484.93537029
    8391.909454
                   14396.98283843
                                    21330.36383767
    9642.04394357
                    2073.3845660811
revert of unit vecotrs
                                                     3320.15314427
[[ 12542.04853846
                    9814.8703078
                                    13449.78573957
    5494.35554418
                    2225.382589071
                                                     6036.11091952
 [ 18669.6371861
                    6409.37664264
                                     6564.55602068
    1665.96228909
                    2945.17100374]]
```



Of the several different runs that were done, I'll focus the answer in this section on K=6 and the K-means clustering.

The choice of K is admittedly partially subjective. Influenced by the ICA, it was easy to imagine 6 different types of stores. A higher K might be possible. But already some of the classes are defined by a small number of stores. The purpose of creating classes loses it value if classes get too small.

centroids

revert of centroids

	Fresh	Milk	Grocery	Frozen	D&P	Deli	
]]	8732	8336	12646	1624	5417	1247]	 blue
[23048	5464	3748	7979	0	3679]	 green
[9543	42552	60748	2049	28596	6454]	 rose
[81410	30088	18842	33954	2468	18947]	 orange
[10286	2226	3483	2303	862	656]	 purple
[7757	18169	26878	1209	12374	2502]]	 brown

(food and fresh produce stores, little detergent and paper) purple -- Fresh food vendor sells sundry other products green -- Large Produce & Food store

(large portion detergent and paper) blue -- Corner convience store brown -- Small drug store chain mainly packaged commidity goods rose -- Large drug store chain mainly packaged commidity goods

(Large everything store) orange -- SuperStore

Conclusions

8) Which of these techniques did you feel gave you the most insight into the data?

I felt the ICA had a much stronger intuitional appeal to me. I was able to use the component vectors it created to come up reasonably descriptions of 6 different types of stores. Certainly there could be even more types of stores, but with 6 features, the ICA could produce at most 6, being the min of the number of features and the number of row.

Because there was a fair about of variablity in each of the features the PCA was going to come up with a first basis vector with components with a bit of each feature. The vector didn't (and wasn't suppose to) a type of store, just a way of spreading all the stores apart from one another. For purposes of the assignment, and ability to graph the results, it seemed that 2 pricipal components were chosen, despite only explaining 72% of the variability. It was sort of surprising when the reverting the the first reduced point back to dollar value and comparing to the first row of data that it modeled.

```
10070 6386
                   9437
                           2216
                                             3757
                                                           1227
                                                                 reduce po
int mapped back
   Fresh Milk Grocery Frozen
                                 Detergents Paper Delicatessen
   12669
          9656
                   7561
                            214
                                             2674
                                                           1338 starting
point of mapping
```

Between the K-mean and the GMM, I felt the resulting partitions felt less blob like. The GMM produced some elongated structures the bisected other partitions in two. If I had recognizable names to go along with some stores I might have been able to use domain knowledge to make more sense of the GMM blobs, but without that extra knowledge, the shapes were harder to conceptualize. The data didn't scream out with some obvious boundaries so was content to have an arbitrary cut make to seperate groups.

9) How would you use that technique to help the company design new experiments?

Answer:

Having mapped each store to a partition, I could used that partition to label each store. Now instead of testing out a change on n% (or whatever the budget was allowing) of a randomly chosen subset of the the full population. I would instead randomly chose n% of each labeled group to test out the change from AM to PM delivery. The remaining portion of each group would be a control with no change. There are some limitations to this. The partitions didn't divide each group up to be the same size. The partition of the large buyers has very few stores in it and can necessarily be divide in a way that one store is n% of the partition. But from the change we know these high volume customers had an easy time adjusting to the change anyways.

In a sense, they have already run the experiment, there isn't a real need for more disruption. They implemented the change, and they lost customers. Using past customer data they can identify which partitions those customers came from.

Answer:
Now that custormers have a label. Hopefully they gathered data on each customer, such as store square
footage, zip code, data like all the Boston Housing Price data. They can use this data and the label to used
supervised learning techniques to build a classifier that will be able to predict which class of store a future
customer will be before it has even placed any orders.

10) How would you use that data to help you predict future customer needs?

Tn []•	
T11 •	