

# Broken codes

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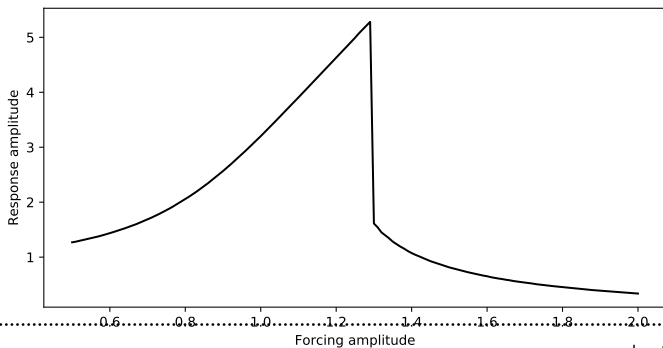
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## Week's work

- ✂ Redraft continuation review
- ✂ Run in-silico CBC with Fourier, splines
  - ▶ Doesn't work
  - ▶ Simplest case (Fourier, Duffing) doesn't work either

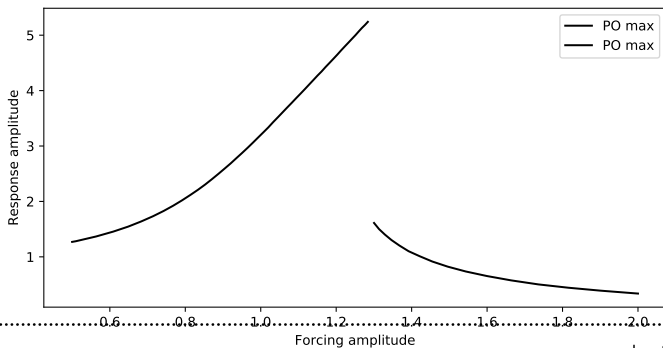
## No controller, no orthogonality constraint

Code fits a discretisation to the uncontrolled system output; useful to test Newton convergence



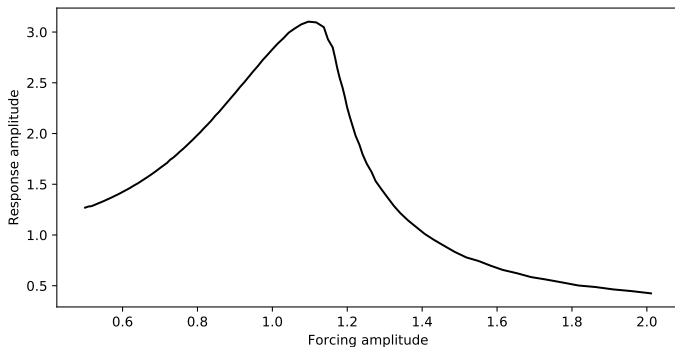
## No controller, orthogonality constraint

Code fits a discretisation to the uncontrolled system output, with psuedo-arclength regularisation; fails in the expected way



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## Full control-based continuation

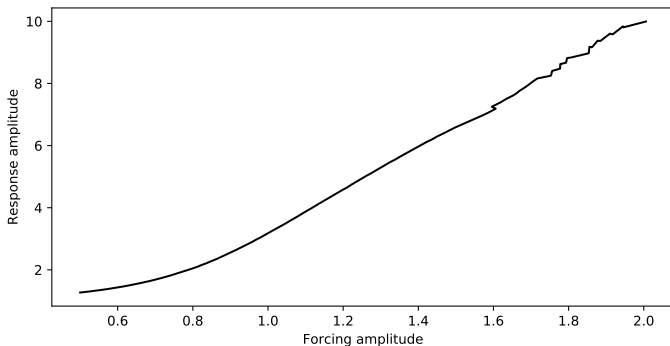


PD control.  $k_p = 5$ ,  $k_d = 1$

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## Full control-based continuation

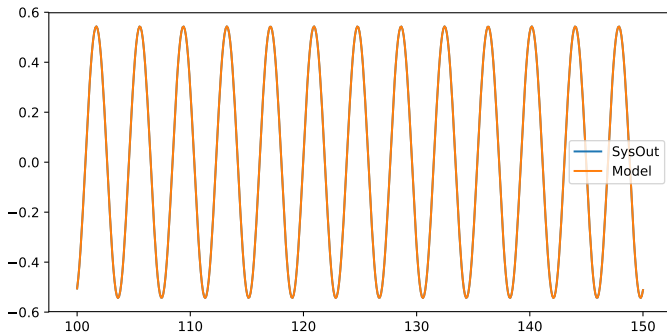


P control.  $k_p = 5$ ,  $k_d = 0$

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## System inputs and outputs match properly



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## Control setup

$$\begin{cases} \dot{x} &= y \\ \dot{y} &= f(x, y) + u(t) \end{cases}$$

$$u(t) = k_p(u^*(t) - x) + k_d(u'^*(t) - y)$$



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## Tests

- ✂ Reduced it to simplest possible code / maths
- ✂ Checked continuation system against the literature
- ✂ Checked controlled systems work properly
- ✂ Checked discretisations match signals properly
- ✂ Tried different RHS's (Duffing, Fitzhugh Nagumo, 'weak' Fitzhugh Nagumo)
- ✂ Played with hyperparameters (control gains, step size)

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## Next steps

- ✂ Start writing conference paper
  - ▶ Figure out best coding approach based on that
- ✂ House moving