George Polya: "Geometry is the science of correct reasoning on incorrect figures." As on illustration, we have! Theorem: All transler are isosceles This is of course fake! Bot with the ways figure we can prove it! Given DABC, if the order &BAC much side BC perpendicularly (if D) then &BDA = &CDA = &, &BAD = &CAD (bisector), and AD=AD means DBDA = DCDA (ande-side-cycle), 80 on the other had, if the orde bisector does not oned side BC of right arsles, then this live and the perpendicular bisector of BC (see figure). Then't (at and point E (see figure). Then't Dep perpendiculars from E to side AB and AC, to

A points F and G. Node that:

A EDB = XEDC = I and BD = CD, and

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B E E G ED = ED, SO DEDB = DEDC (ride-cycle-side)

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C Also, AFAE = XGAE (cycle bisector),

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A FEA = XGEA (because of J and other cycle are I), and

A FEA = XGEA (because of J and other cycle are I) and AGEAE, & DAGE & DAGG (orders de orde), & AFSAGO and F6=96. Finally, &BFE=&OFE=\$, FE=96, and BEECE, & DBFEEDACGE (ongle-side-side for right triender which is true!). So The problem Far any
actual, non-isosceles

RF = (G1. 80 BF = CGT. So AB = AF+FB = AG+GC = AC; triangle, the point B Could always be astride of the triangle! Fix a The "figure" above is wors! C