## Plateau v5

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#### R code in support of the paper

Brewer M.J., O'Hara R.B., Anderson B.J. & Ohlemüller R. (2016 or 2017). Climate envelopes for species distribution models. Methods in Ecology and Evolution [In press].

This code reproduces the examples and figures from the paper, and hopefully helps in understanding the related R package "plateau", also available on GitHub, as the following code suggests:

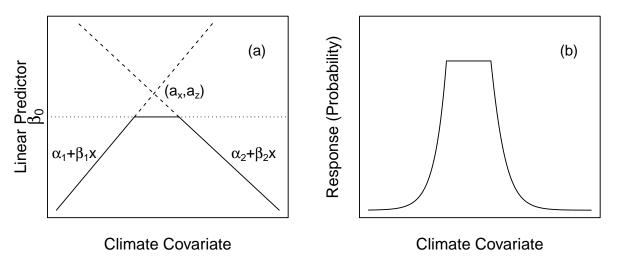
```
# Install the plateau package from GitHub - need devtools for this
library(devtools,quietly=TRUE)
install_github("MarkJBrewer/plateau",quiet=TRUE)
library(plateau,quietly=TRUE)

## This is mgcv 1.8-12. For overview type 'help("mgcv-package")'.

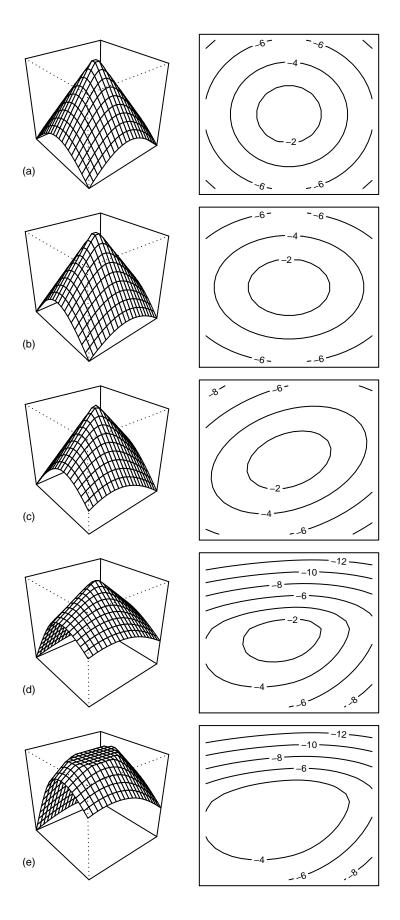
##
## # maps v3.1: updated 'world': all lakes moved to separate new #
## # 'lakes' database. Type '?world' or 'news(package="maps")'. #
```

#### Figure 1

The first figure just illustrates the idea of the envelope we're trying to fit; we have an increasing slope, a possible plateau and finally a decreasing slope, on the linear predictor scale (left plot). When transformed onto the probability scale, we see the increasing and decreasing lines are now curves.

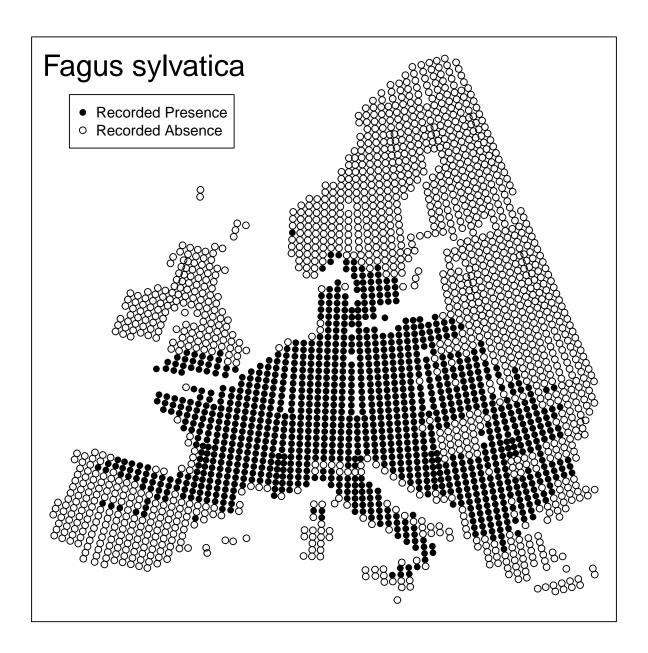


A single climate covariate can be handled using an envelope function such as that illustrated by Figure 1; with more than one climate covariate we need an extension to this basic form. The simplest extension - illustrated here with two covariates - is to think of the envelope as a mathematical cone, possibly with the top removed to form a plateau, and stretched and warped in the horizontal dimensions. Figure 2 shows the development of this form: we start at the top with a regular cone; then we stretch the cone along one dimension; then we add an interaction term between the covariates, allowing a "diagonal" stretch; next we allow different slopes on either side of the cone apex; and finally we allow a "top-slice" off the top of the cone, providing a plateau.



In the paper we study Fagus sylvatica and Quercus coccifera. Figure 3 plots the known distribution of these species in Europe. The code below runs another script to read in the data.

- ## Read AFE data, 2611 observations.
- ## Read climate data, 30519 observations.



<sup>##</sup> Read AFE data, 2611 observations.

<sup>##</sup> Read climate data, 30519 observations.

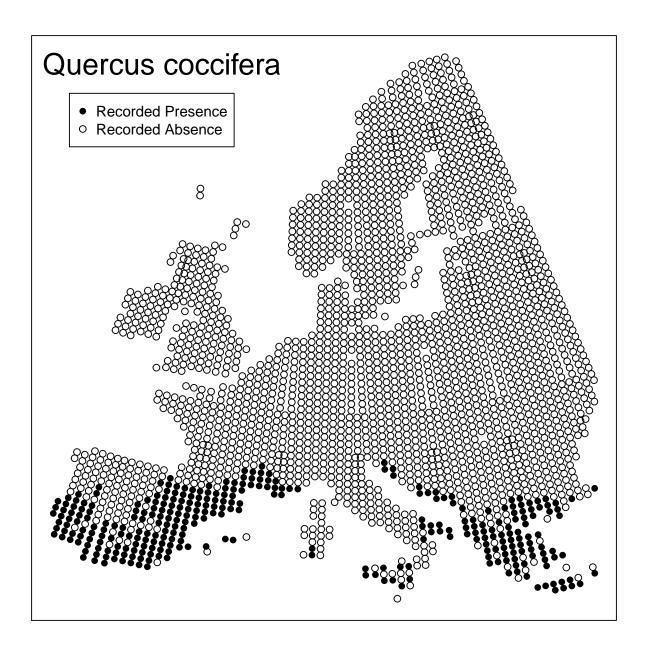
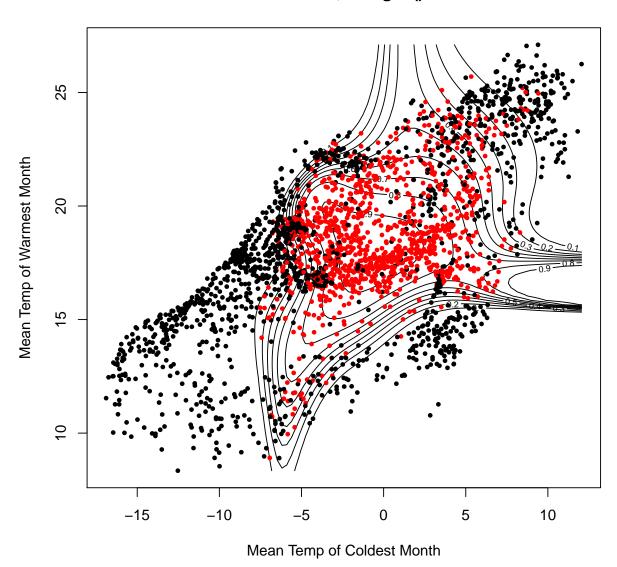


Figure 4

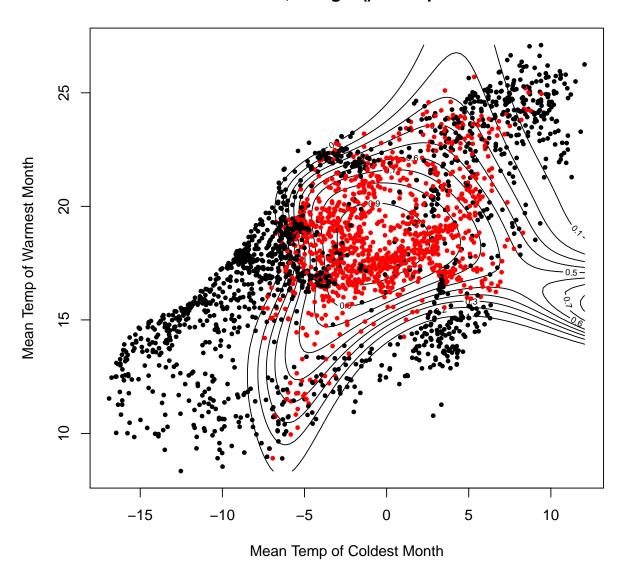
In Figure 4 we show plots contrasting envelopes in two climate covariate dimensions obtained using GAMs with an example using our proposed plateau envelopes. Note here that the WinBUGS code for fitting the plateau envelope will likely take a few hours to run.

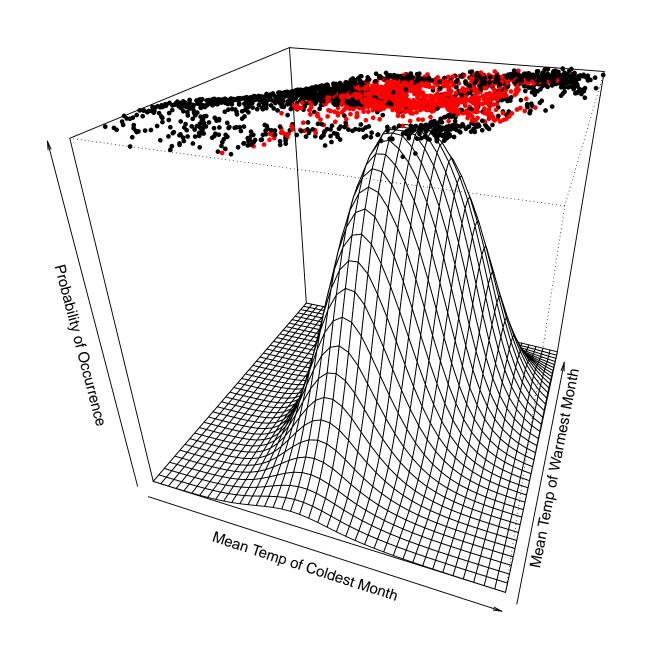
Note that the examples using the Bayesian model in WinBUGS here need a set of "cliques" in space for analysis in order to cope with the fact that Europe contains disconnected islands. The "cliques" just represent sets of connected geographical units, of the kind that are commonly associated with a intrinsic CAR model (fitted simply in WinBUGS). If you only have one set of connected units in space, you can ignore the "cliques" aspect completely, and the methods for setting up the spatial information is exactly as that found in the WinBUGS manual (within the WinBUGS software itself). On the other hand, if you do have disconnected regions in your example (as we have), you can set up the model so that each clique is a separate intrinsic CAR.

# Default k, using te()



# Default k, using te() with sp=0.01





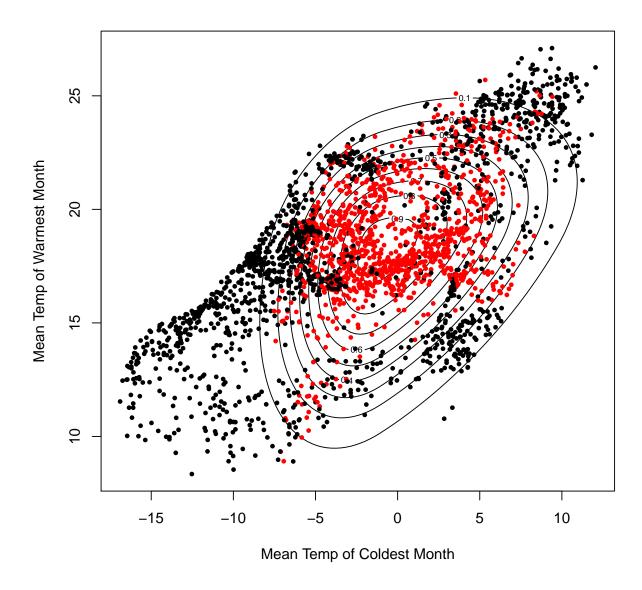
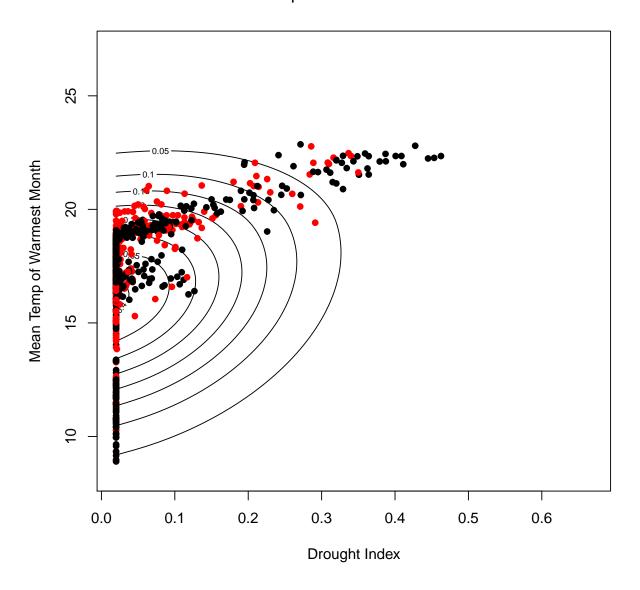


Figure 5

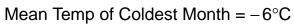
Our climate envelope form is not limited to two dimensions; showing the plots is trickier, of course, for more than two covariates. Figure 5 address this by fitting the model with three climate variables, showing the envelope as a function of Drought Index and Mean Temp of the Warmest Month, for given values of the third covariate, Mean Temp of the Coldest Month.

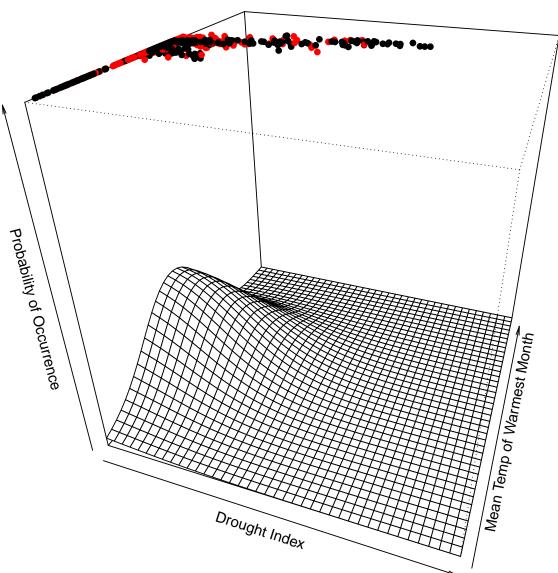
# Mean Temp of Coldest Month = $-6^{\circ}$ C



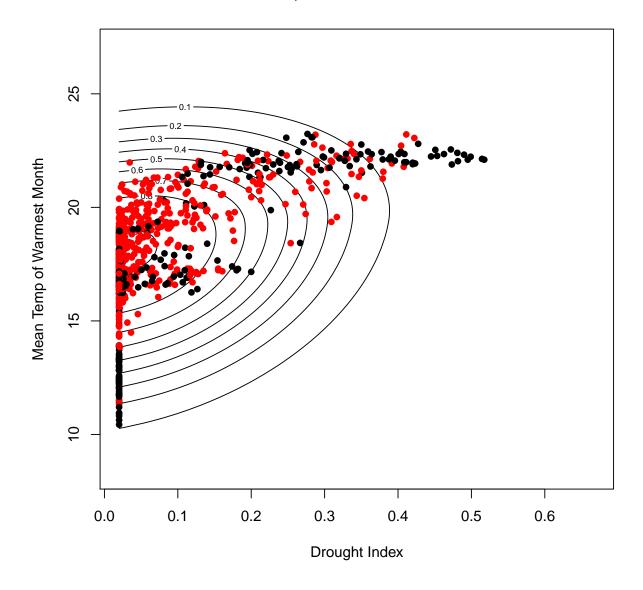
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## font metrics unknown for character 0xa

## Warning in title(expression(paste("\nMean Temp of Coldest Month = ", -6, :
## font metrics unknown for character 0xa
```



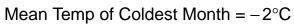


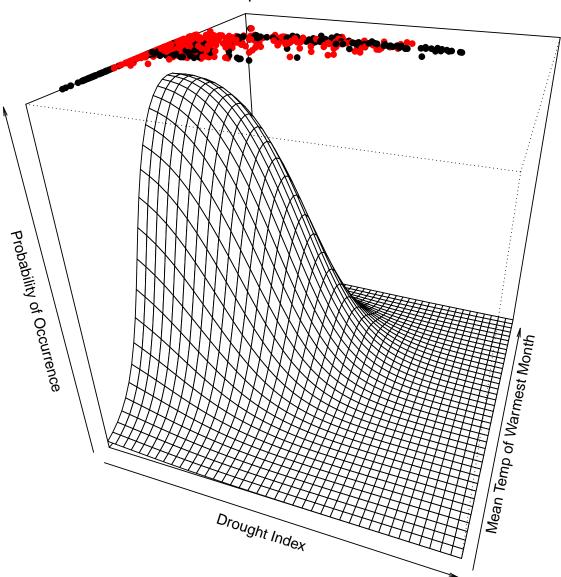
# Mean Temp of Coldest Month = $-2^{\circ}$ C



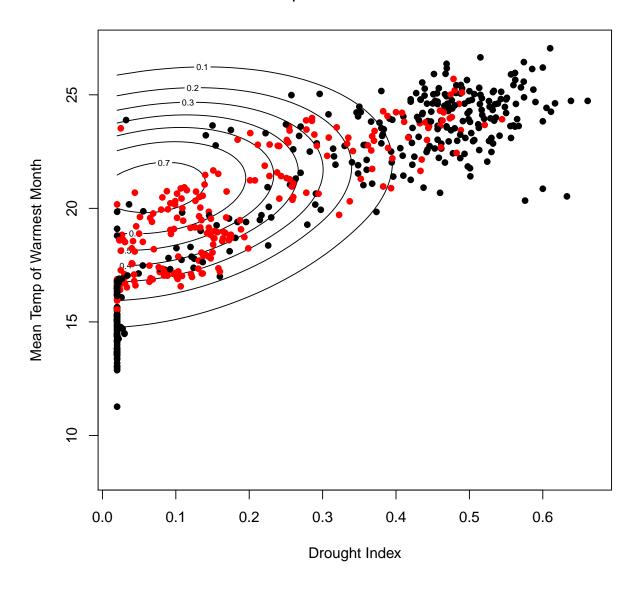
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<sup>##</sup> Warning in title(expression(paste("\nMean Temp of Coldest Month = ", -2, : ## font metrics unknown for character 0xa





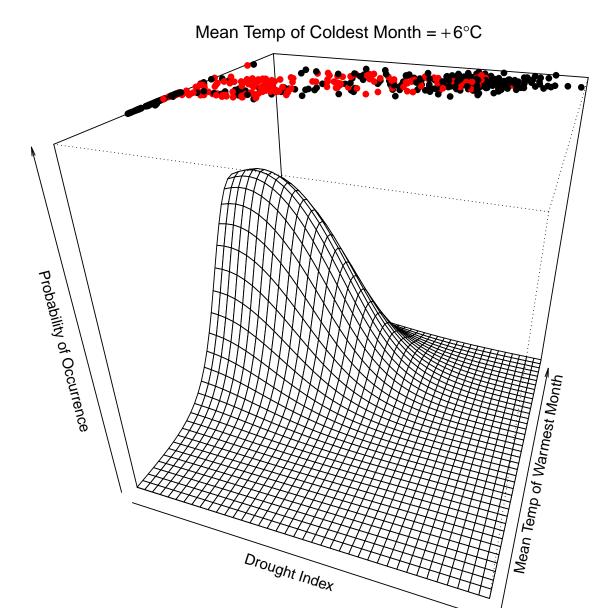
# Mean Temp of Coldest Month = $+6^{\circ}$ C



```
## Warning in title(expression(paste("\nMean Temp of Coldest Month = ", +6, :
## font metrics unknown for character Oxa

## Warning in title(expression(paste("\nMean Temp of Coldest Month = ", +6, :
```

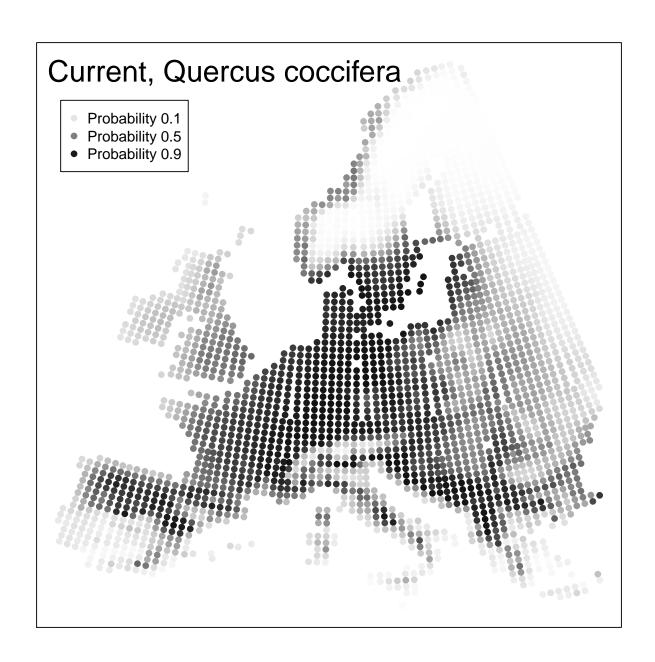
## font metrics unknown for character 0xa

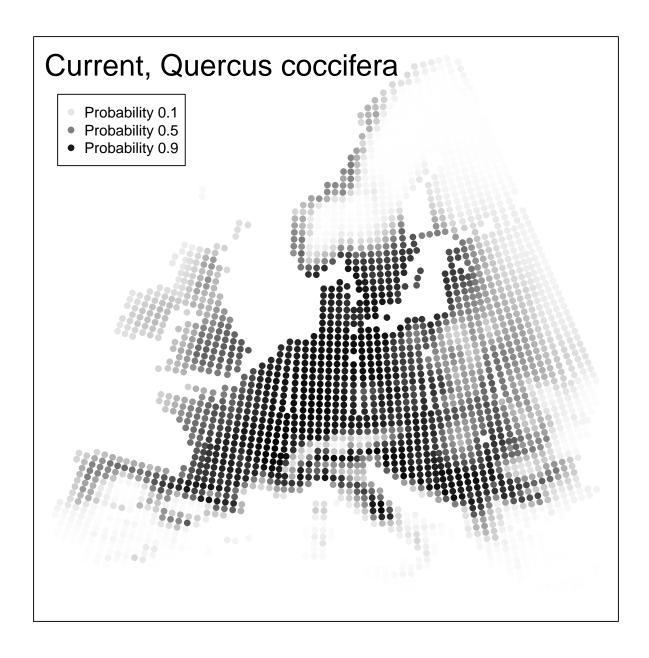


Here we just plot projections of "climate suitability" for  $Fagus\ sylvatica$  for both the two- and the three-covariate models for comparison.

```
## Read AFE data, 2611 observations.
```

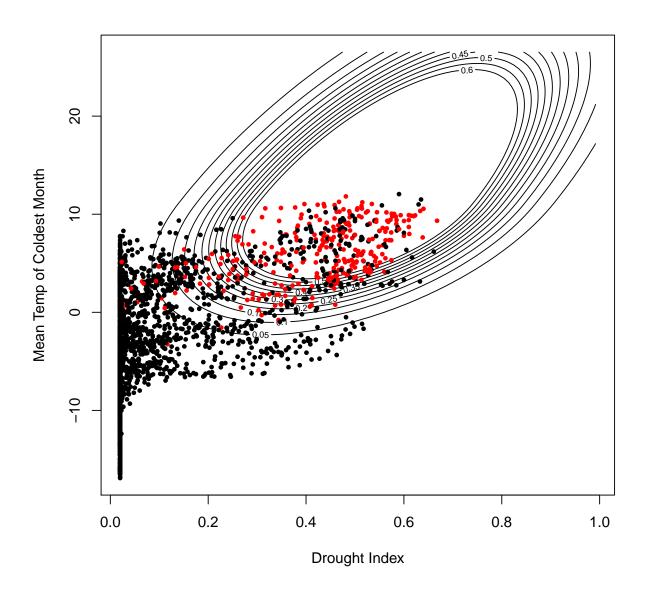
<sup>##</sup> Read climate data, 30519 observations.

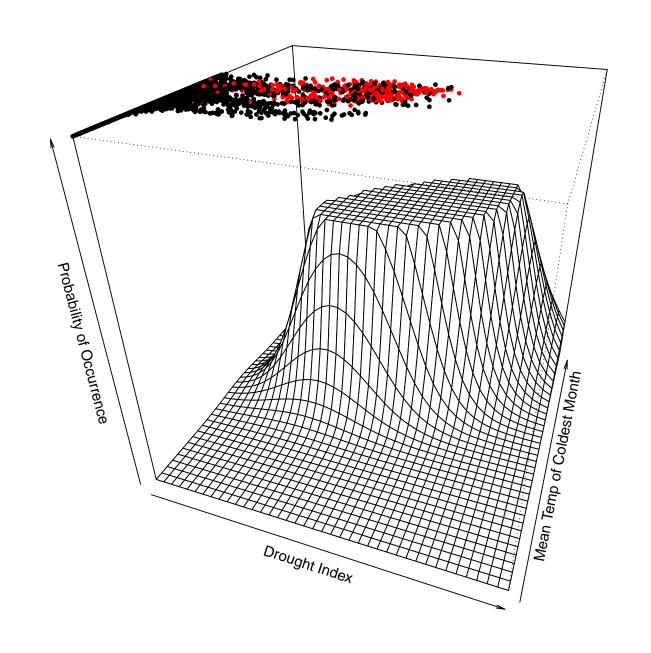




Finally, Figure 7 shows the impact of using informative priors to get a much more realistic set of results when we don't have much data for one part of the envelope. In this example, as *Quercus coccifera* is found only in southern Europe we have no idea what the upper limits for the species are likely to be from the European data alone. Luckily we have some information from the GBIF data set on presences in Africa and the Middle East, so we are able to define prior distributions for the upper limits for the species.

```
## Read AFE data, 2611 observations.
## Read climate data, 30519 observations.
```





## [1] 2.057

