

## Exercise 2

```

1  /**
2  * searches a given array for the search value searchMe
3  * @param array, a sorted array with values
4  * @param searchMe the search value
5  * @return If the value is in the array, then the return
6  *         value, i,
7  *         is the index of the element, -1 otherwise.
8  */
9  public static int mySearch (int[] array, int searchMe) {
10
11    int minPos = 0;           - 1
12    int maxPos = array.length - 1;   - 2, 3
13    if (maxPos >= 0) {           - 4, 5
14      if ((array[minPos] > searchMe) || (array[maxPos] <
15          searchMe)) {           // the search value is smaller or greater than
16          // any element,
17          // so we know that the element cannot be in
18          // there
19          return -1;           - 6
20      }
21      while (maxPos >= minPos) {           - 7, 8
22        int middle = (minPos + maxPos) / 2;   - 9
23        if (array[middle] == searchMe) {           - 10, 11
24          // searchMe has been found
25          return middle;           - 12
26        }
27        else if (array[middle] > searchMe) {           - 13, 14
28          // eliminate positions >= middle
29          // search only the lower half
30          maxPos = middle - 1;           - 15
31        }
32        else {           - 16
33          // eliminate locations <= middle
34          minPos = middle + 1;
35        }
36      }
37
38      // maxPos < minPos, so searchMe cannot be found in the
39      // array
40      return -1;           - 17
41  }

```

$$V(G) = P+1 = 5+1 = 6$$

E-edges

N → nodes

$$V(G) = E - N + 2 = 17 - 73 + 2 = 6$$

Good cyclomatic complexity should be below 10, which this program satisfies. 10-20 is moderate risk, 20-50 is high risk and 50+ is really high risk and considered as untestable.

CC shows us minimal number of needed tests for our method.