Lecture 07:

Introduction to Artificial Neural Networks (ANN)

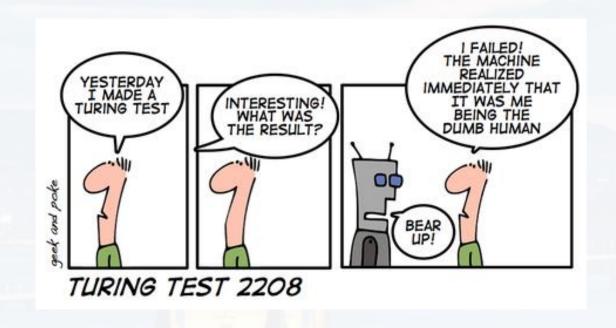


Markus Hohle
University California, Berkeley

Machine Learning Algorithms
MSSE 277B, 3 Units
Fall 2024



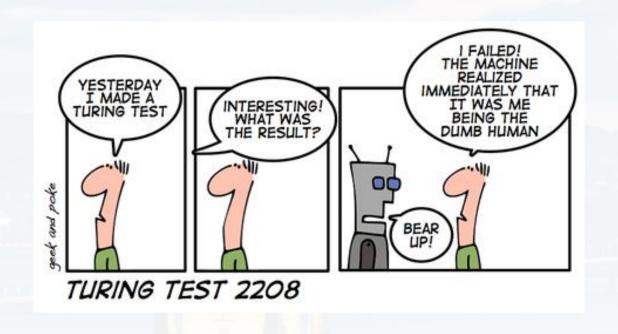
Berkeley Machine Learning Algorithms:



Outline

- Motivation & Overview
- The Perceptron aka Neuron
- Building a Perceptron

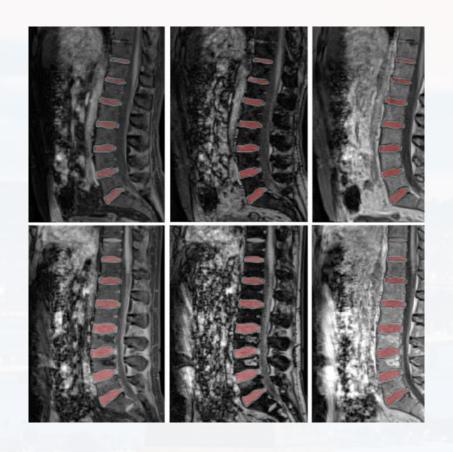
Berkeley Machine Learning Algorithms:

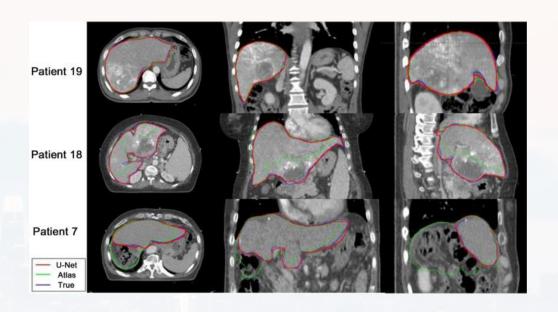


Outline

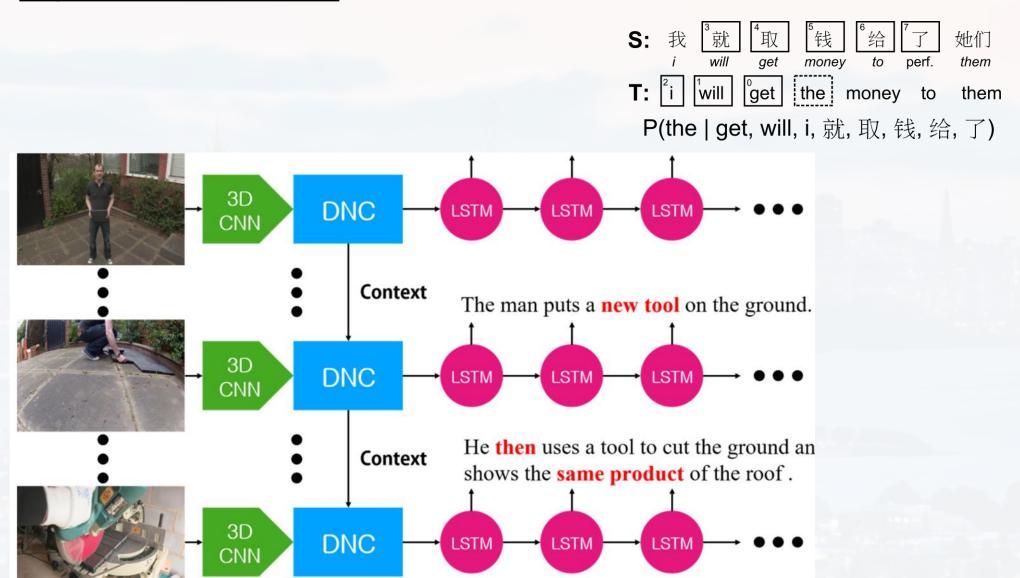
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Article

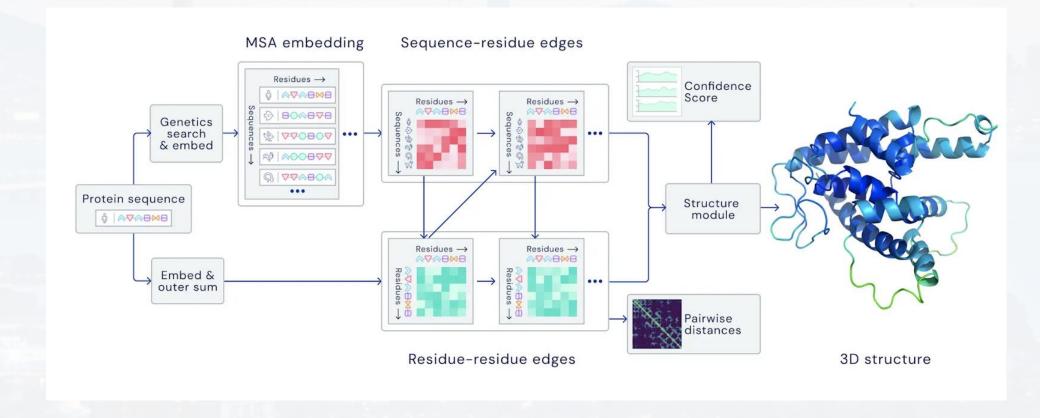
DeepSOCIAL: Social Distancing Monitoring and Infection Risk Assessment in COVID-19 Pandemic

YOLOv4-based *Deep Neural Network* (DNN) model for automated people detection in the crowd in indoor and outdoor environments using common CCTV security cameras. The proposed DNN model in combination with an adapted inverse perspective mapping (IPM) technique and SORT tracking algorithm leads to a robust people detection and social distancing monitoring. The model has been trained against two most comprehensive datasets by the time of the research—the Microsoft Common Objects in Context (MS COCO) and Google Open Image datasets. The system has been

health authorities have set the 2-m physical distancing as a mandatory safety measure in shopping centres, schools and other covered areas. In this research, we develop a hybrid *Computer Vision* and YOLOv4-based *Deep Neural Network* (DNN) model for automated people detection in the crowd in indoor and outdoor environments using common CCTV security cameras. The proposed DNN model in combination with an adapted inverse perspective mapping (IPM) technique and SORT tracking algorithm leads to a robust people detection and social distancing monitoring. The model has been trained against two most comprehensive datasets by the time of the research—the Microsoft Common Objects in Context (MS COCO) and Google Open Image datasets. The system has been evaluated against the Oxford Town Centre dataset (including 150,000 instances of people detection)

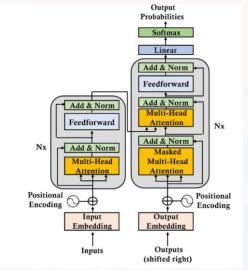


Thrilled to announce our first major breakthrough in applying AI to a grand challenge in science. #AlphaFold has been validated as a solution to the 'protein folding problem' & we hope it will have a big impact on disease understanding and drug discovery:









language models "understanding" context

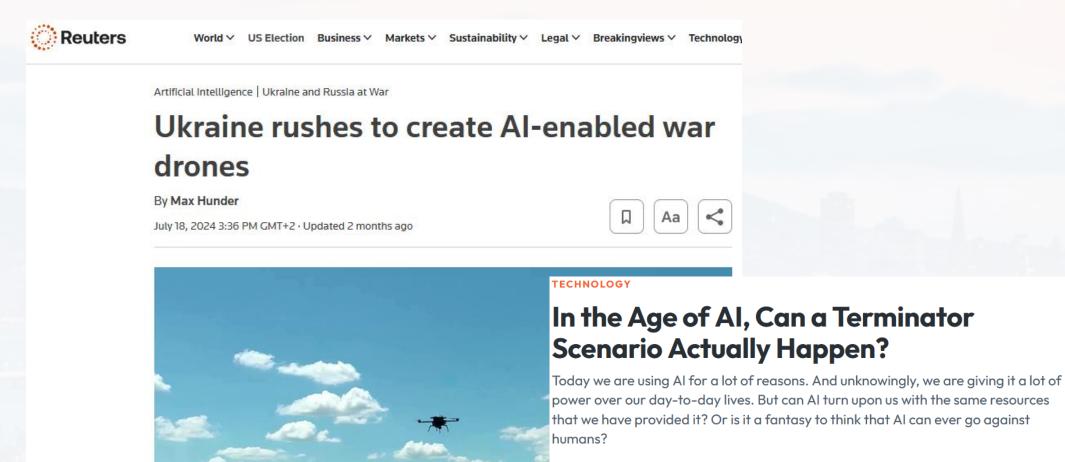
Al art





Al generated videos





Director of Partnerships Paul Baker builds strong business relationships between BairesDev and clients through strategy and partnership

6 min read < Share

navigation and more complex programs including interconnected swarms.



In the next lectures we will learn about:

- classical multi-layer ANN regression, classification

- Convolution Neural Networks image classification, segmentation, sequence analysis

- Recurrent Neural Networks

time series forecasting and classification time series forecasting and classification, - Long-Short-Term-Memory ANNs

language processing

- combining the above networks

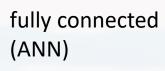
- Graph Neural Networks molecular 3D structures, process/workflow planning

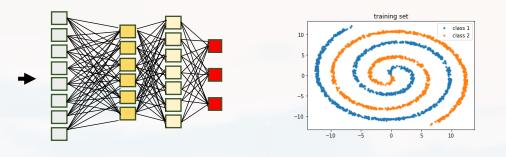
- Transformers time series analysis, Large Language Models,

Natural Language Processing

- running ANNs on GPUs using Cuda in PyTorch → 20 – 50 times faster! bonus:

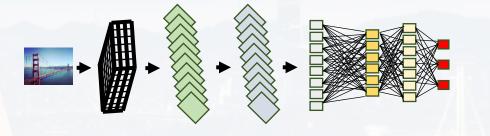
- Parallel Processing in Python





classification/regression

convolution (CNN)

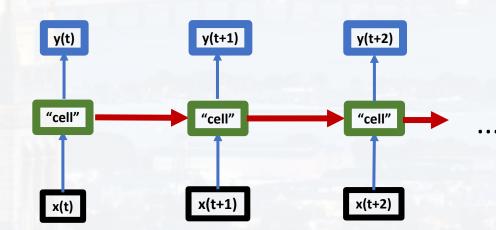


classification/regression

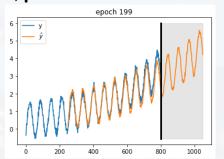




recurrent (RNN, LSTM)

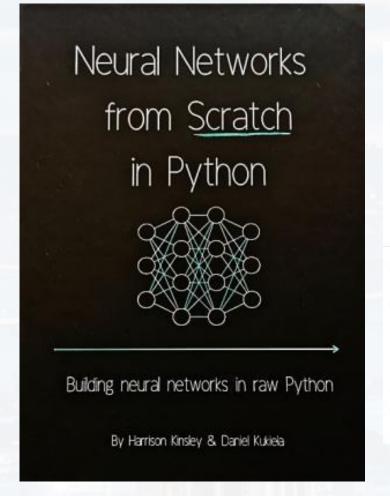


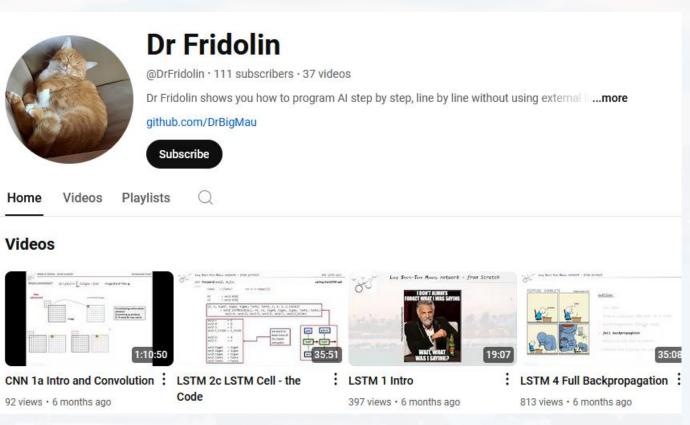
classification/
Regression, **prediction**





Tutorials and Books







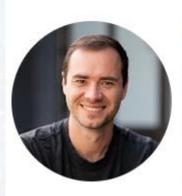
Tutorials and Books

examples and application (CNN/RNN/LSTM and more):



Jason Brownlee Machine Learning Mastery

all about transformers, LLM/NLP and way more



Andrej Karpathy @AndrejKarpathy · 451K subscribers · 14 videos FAQ ...more karpathy.ai and 2 more links



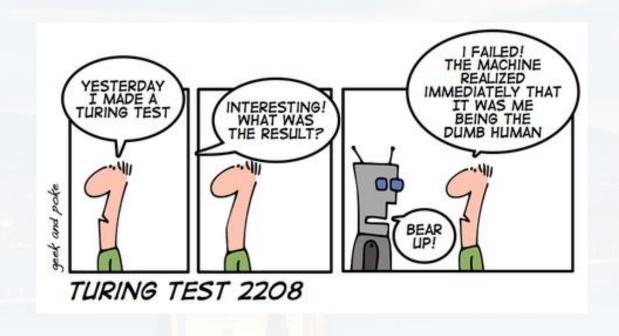


Mısra Turp @misraturp · 38.2K subscribers · 163 videos Here is where we learn! This is a space to take it slow misraturp.com/roadmap and 3 more links

Subscribe



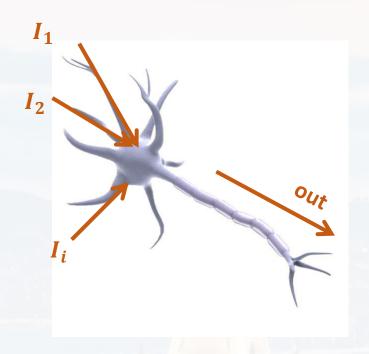
Berkeley Machine Learning Algorithms:



Outline

- Motivation & Overview
- The Perceptron aka Neuron
- Building a Perceptron





what we know...

- inputs enter the neuron
- something happens inside the neuron
- neuron generates an output

...how we could model it

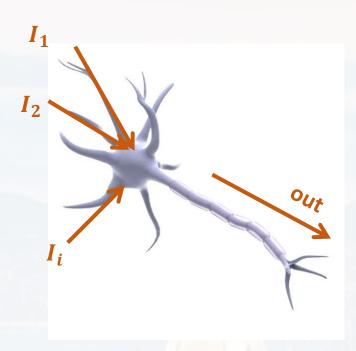
- inputs must be weighted (important vs unimportant input)
- learning process: changing weights
- output = sum of weighted inputs

$$I_i$$
 input i w_i corresponding weight

$$net = \sum_{i} I_{i} \cdot w_{i} + b$$

$$dot \ product$$





$$net = \sum_{i} I_{i} \cdot w_{i} + b$$

$$dot \ product$$

$$I_{i} \\ w_{i} \\ b$$

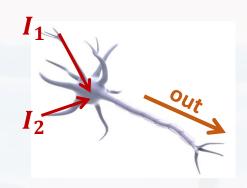
input *i* corresponding weight bias (base potential)

recall: linear models

$$y_k = \beta_0 + \sum_{n=1}^{N} \beta_n x_n + \epsilon$$

$$\begin{pmatrix} y_1 \\ \dots \\ y_k \\ \dots \\ y_K \end{pmatrix} = \begin{pmatrix} 1 & x_{11} & x_{12} & \dots & x_{1n} & \dots & x_{1N} \\ \dots & \dots & \dots & \dots & \dots \\ 1 & x_{k1} & x_{k1} & x_{kn} & \dots & x_{kN} \end{pmatrix} \begin{pmatrix} \beta_0 \\ \beta_1 \\ \dots \\ \beta_n \\ \dots \\ \beta_N \end{pmatrix} + \begin{pmatrix} \varepsilon_1 \\ \varepsilon_2 \\ \dots \\ \varepsilon_k \\ \dots \\ \varepsilon_K \end{pmatrix}$$





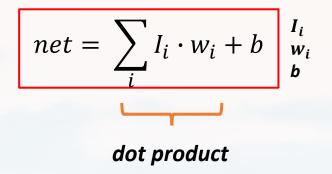
simple example:

one neuron with a switch, threshold T
and two input channels

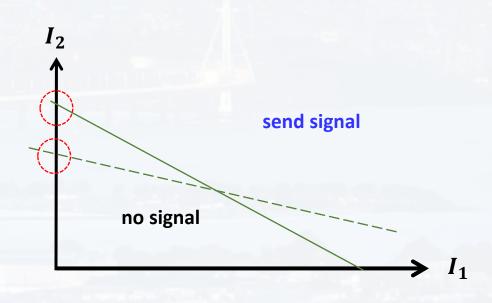
fire if: $b + I_1 w_1 + I_2 w_2 > T$

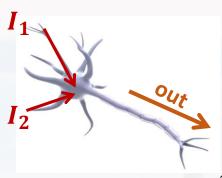
$$I_2 = \left(\frac{w_1}{w_2}I_1 + \frac{T-b}{w_2}\right)$$

slope offset



input *i* corresponding weight bias (base potential)





$$net = \sum_{i} I_i \cdot w_i + b \begin{vmatrix} I_i \\ w_i \\ b \end{vmatrix}$$

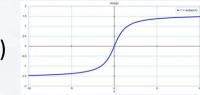
input *i* corresponding weight bias (base potential)

net ———

some activation function \boldsymbol{f}

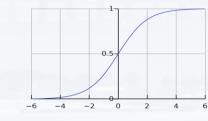
actual output

$$-y = arctan(net)$$



$$(-\infty; +\infty) \rightarrow (-\pi/2; +\pi/2)$$

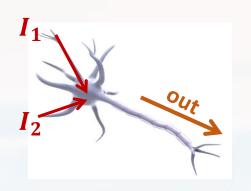
$$-y = sigm(net)$$



$$(-\infty; +\infty) \rightarrow (0; 1)$$

$$(-\infty; +\infty) \rightarrow (0; +\infty)$$





$$net = \sum_{i} I_{i} \cdot w_{i} + b$$

$$y = f(net)$$

$$i$$

$$y = f(net)$$

input i corresponding weight bias (base potential) activation function

learning:

activation function
$$f$$
 objective function E

$$net = \sum_{i} I_i \cdot w_i + b \qquad \qquad y = f(net)$$

$$y = f(net)$$

$$E = \frac{1}{2} (t - y)^2$$
 target output **t**

finding best w_i by minimizing E

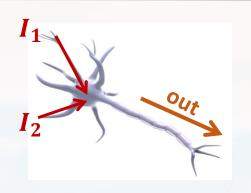
$$\Delta w_i = w_i(new) - w_i(old) = -\alpha \frac{\partial E}{\partial w_i}$$

gradient descent with learning rate lpha

$$\frac{\partial E}{\partial w_i} = \frac{\partial E}{\partial y} \frac{\partial y}{\partial net} \frac{\partial net}{\partial w_i}$$

chain rule





$$net = \sum_{i} I_{i} \cdot w_{i} + b$$

$$y = f(net)$$

$$i$$

$$i$$

$$i$$

$$j$$

$$f$$

input i corresponding weight bias (base potential) activation function

learning:

$$net = \sum_{i}^{net} I_i \cdot w_i + b \qquad \qquad y = f(net)$$
 objective function E

$$y = f(net)$$

$$E = \frac{1}{2} (t - y)^2$$
 target output **t**

finding best w_i by minimizing E

$$\Delta w_i = w_i(new) - w_i(old) = -\alpha \frac{\partial E}{\partial w_i}$$

gradient descent with learning rate lpha

$$\frac{\partial E}{\partial w_i} = \frac{\partial E}{\partial y} \frac{\partial y}{\partial net} \frac{\partial net}{\partial w_i} = -(t - y) f'(net) I_i$$



learning:

activation function
$$f$$

$$net = \sum_{i} I_i \cdot w_i + b$$

activation function
$$f$$
 objective function E

$$net = \sum_{i} I_{i} \cdot w_{i} + b \longrightarrow y = f(net) \longrightarrow E = \frac{1}{2} (t - y)^{2}$$

target output t

finding best w_i by **minimizing** E

$$\Delta w_i = w_i(new) - w_i(old) = -\alpha \frac{\partial E}{\partial w_i}$$
 gradient descent with learning rate α

$$\frac{\partial E}{\partial w_i} = \frac{\partial E}{\partial y} \frac{\partial y}{\partial net} \frac{\partial net}{\partial w_i} = \boxed{-(t-y) \ f'(net)} \ I_i$$

inner derivative

outer derivatives

depends on the activation function

The required change of E propagates back to the changes of $w_i \rightarrow \text{backpropagation}$



learning:

activation function
$$f$$

$$net = \sum_{i} I_i \cdot w_i + b$$

activation function
$$f$$
 objective function E

$$net = \sum_{i} I_{i} \cdot w_{i} + b \longrightarrow y = f(net) \longrightarrow E = \frac{1}{2} (t - y)^{2}$$

target output t

finding best w_i by **minimizing** E

$$\Delta w_i = w_i(new) - w_i(old) = -\alpha \frac{\partial E}{\partial w_i}$$

gradient descent with learning rate lpha

$$\frac{\partial E}{\partial w_i} = \frac{\partial E}{\partial y} \frac{\partial y}{\partial net} \frac{\partial net}{\partial w_i} = \boxed{-(t-y) \ f'(net)} \ I_i$$

inner derivative

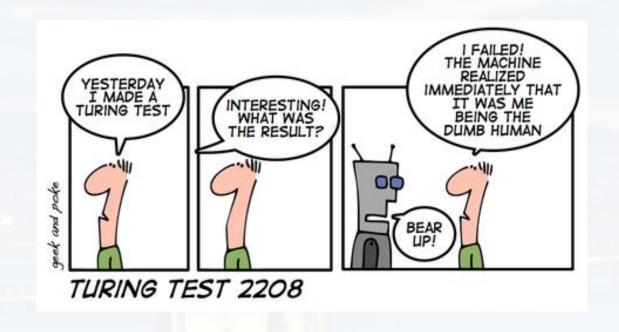
outer derivatives

The required change of E propagates back to the changes of $w_i \rightarrow \text{backpropagation}$

$$\Delta w_i = w_i(new) - w_i(old) = \alpha (t - y) f'(net) I_i$$

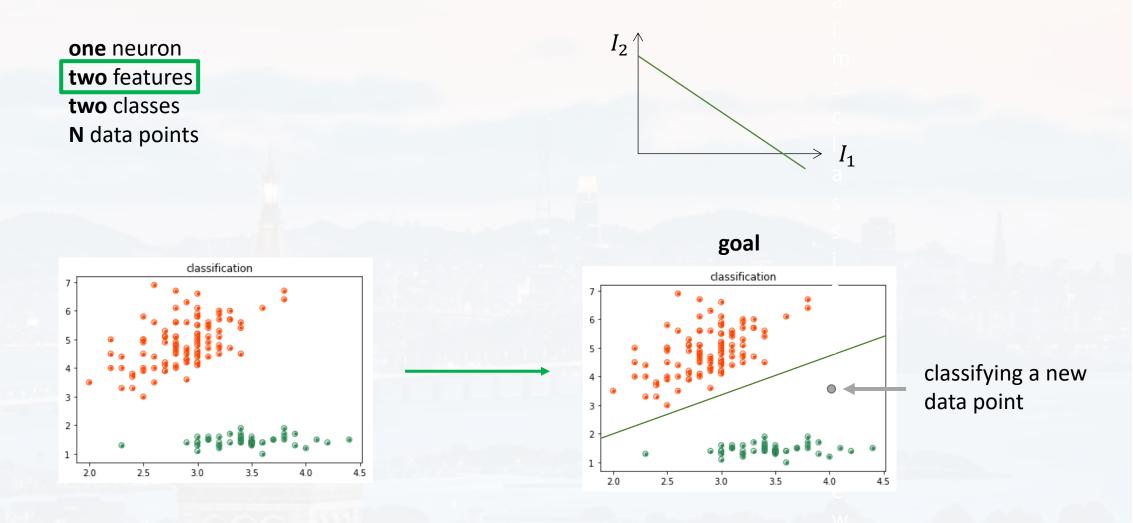
$$\Delta b = b(new) - b(old) = \alpha (t - y) f'(net) \cdot 1$$

Berkeley Machine Learning Algorithms:



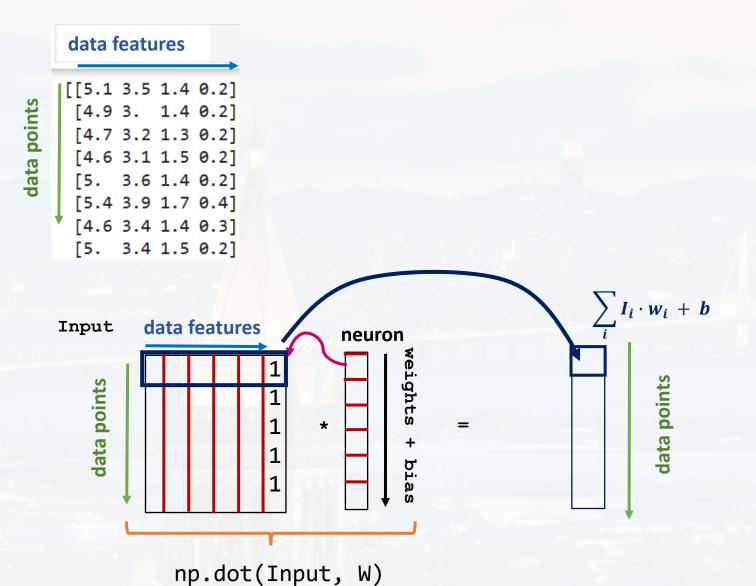
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see the Jupyter Notebook Perceptron.ipynb for details

main part of the code:

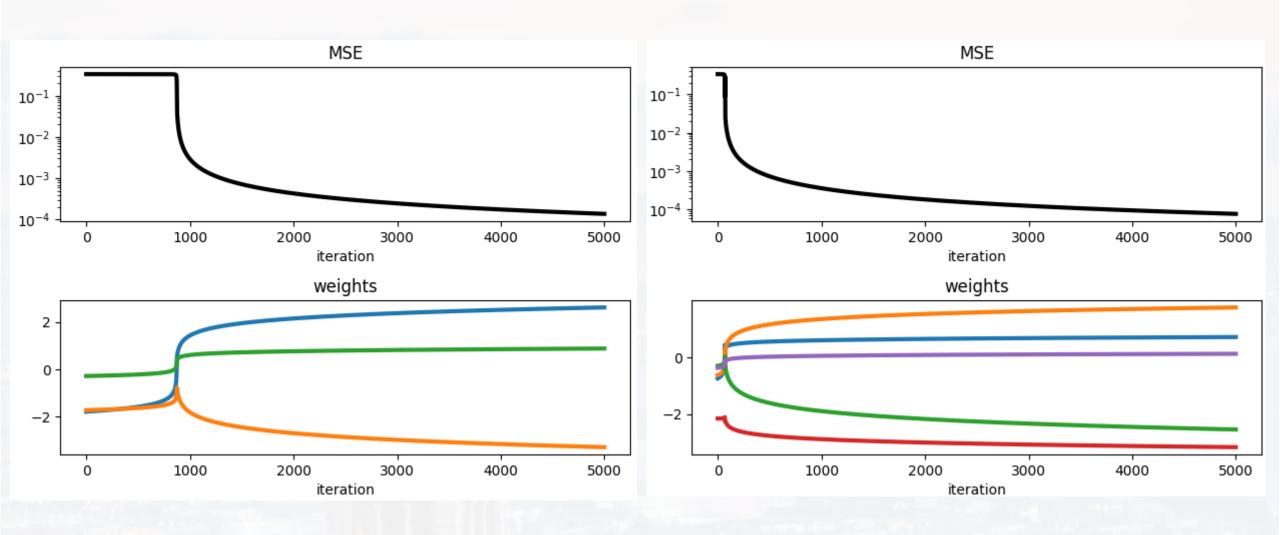


$$net = \sum_{i} I_i \cdot w_i + b$$

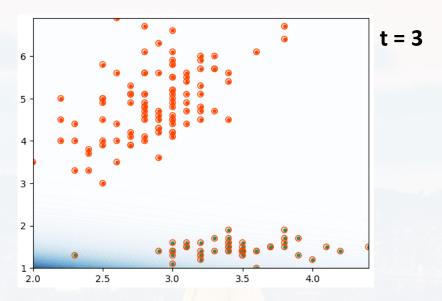
dot product



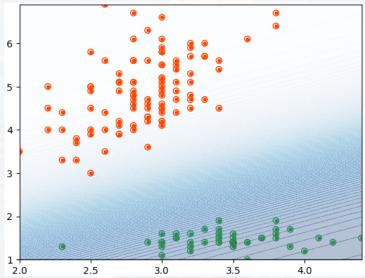
The training process

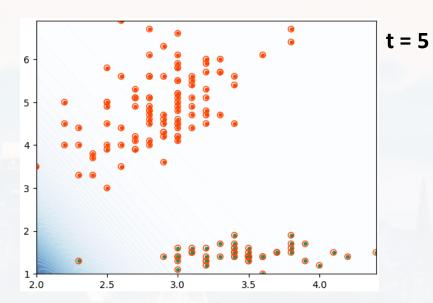


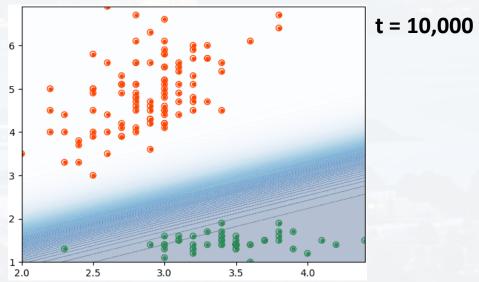
The training process



t = 100









Berkeley Machine Learning Algorithms:

Thank you for your attention!

