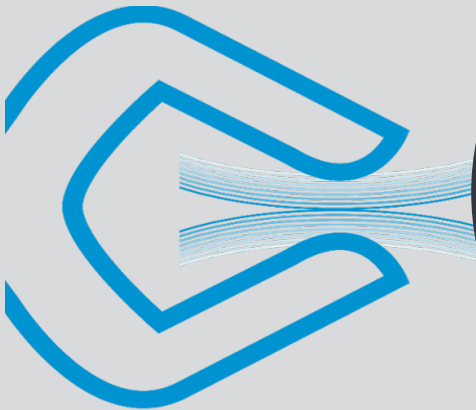




Universität Stuttgart



THE UNIVERSITY OF
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To Whare Wānanga o Tāmaki Makaurau
NEW ZEALAND



DFG IRTG GRK2198/1

Soft Tissue Robotics

Simulation-based control of Soft Materials with an Industrial Robot

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Setup description

The Realization™

Results

Conclusion

- Say why our task is important
- ...



Figure: Robotic teleoperation in an everyday scenario. Picture taken from the SitCom “The Big Bang Theory”

- Define goal set for the demonstrator week here
- ...

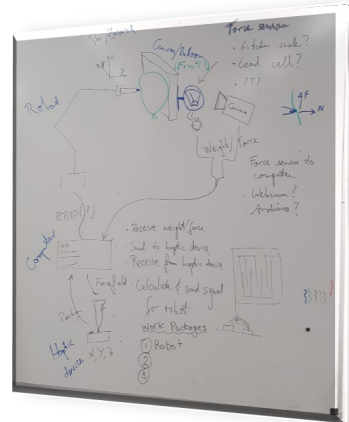


Figure: Early concept for the 2019 summer school demonstrator

- Here goes the description of the involved problems
- Force feedback from soft tissue
- control for the system
- sensor
- communication and interfaces
- ...

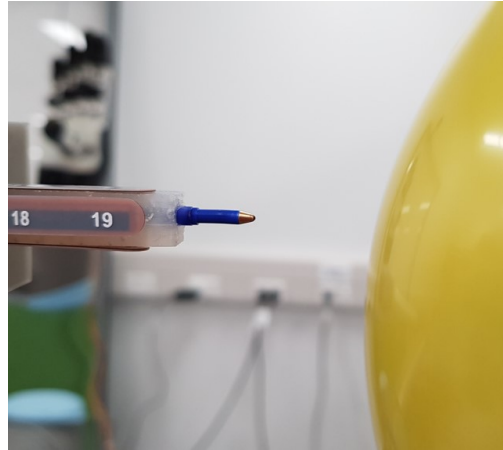
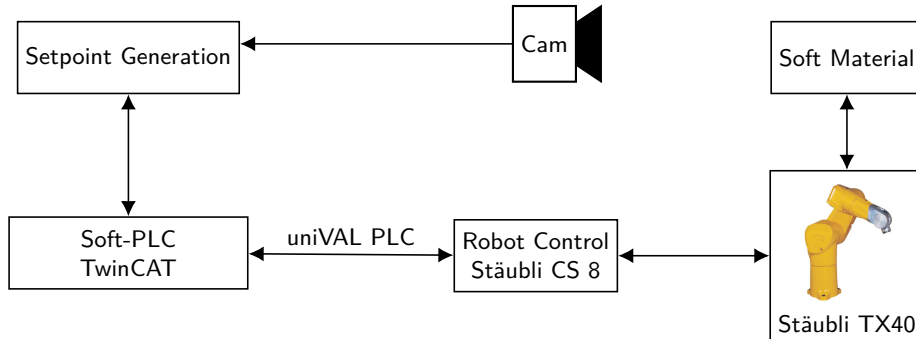
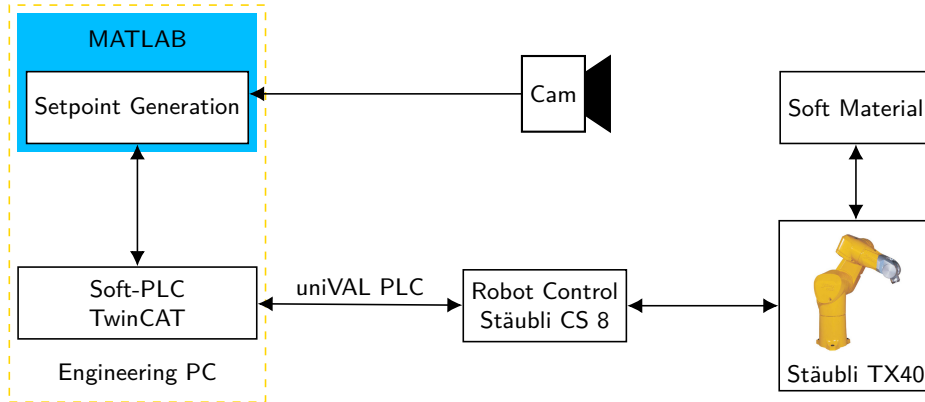


Figure: Early concept for the 2019 summer school demonstrator

Setup for external control of a Stäubli TX 40



Setup for external control of a Stäubli TX 40



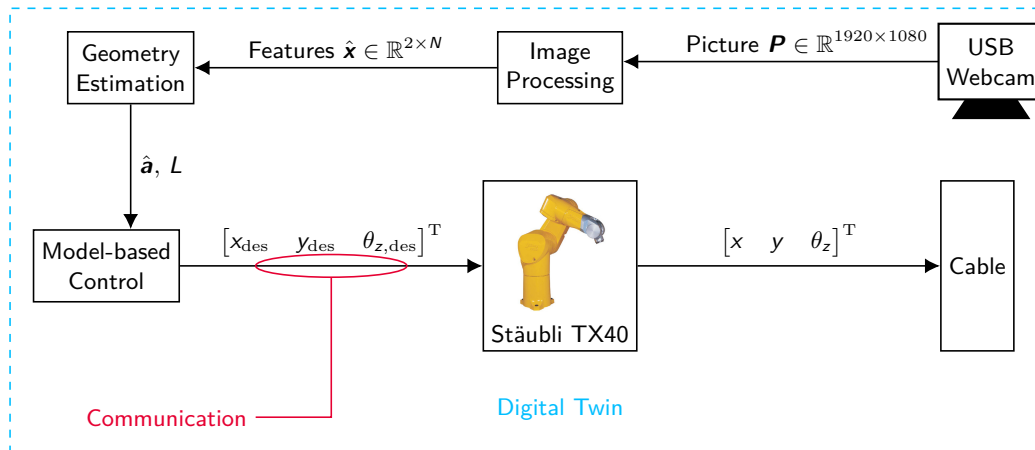


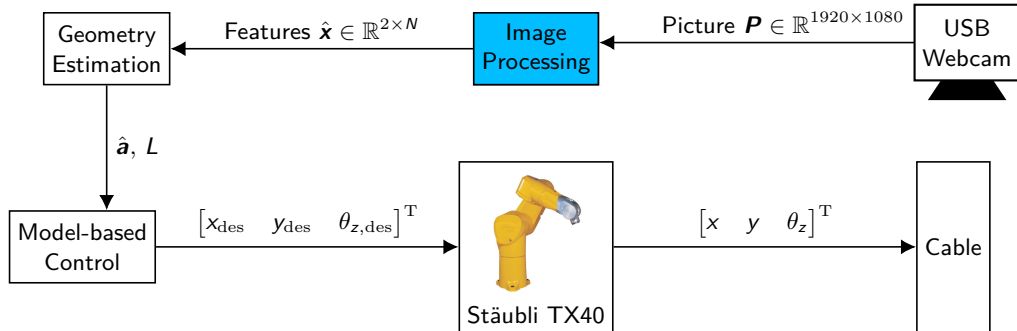
Setup description

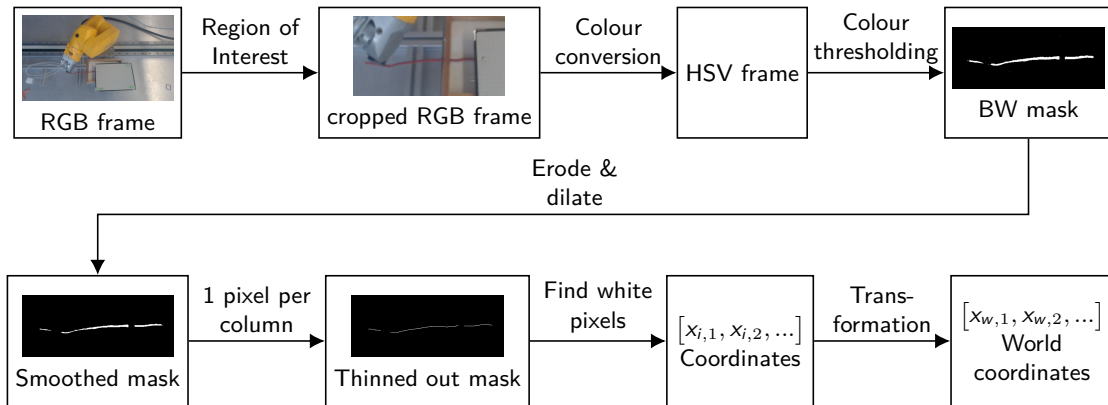
The Realization™

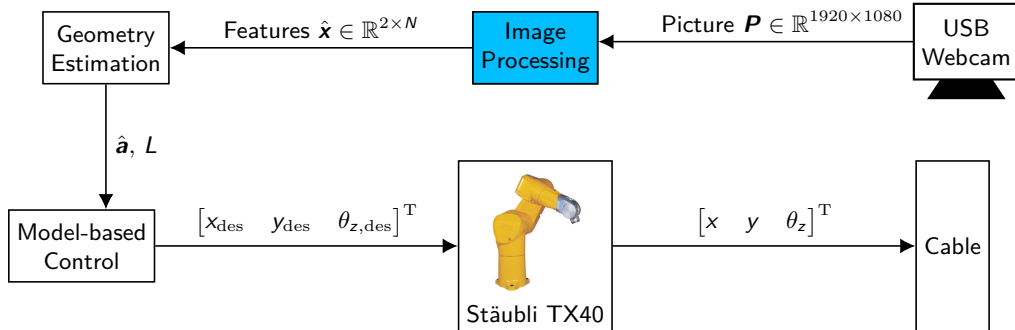
Results

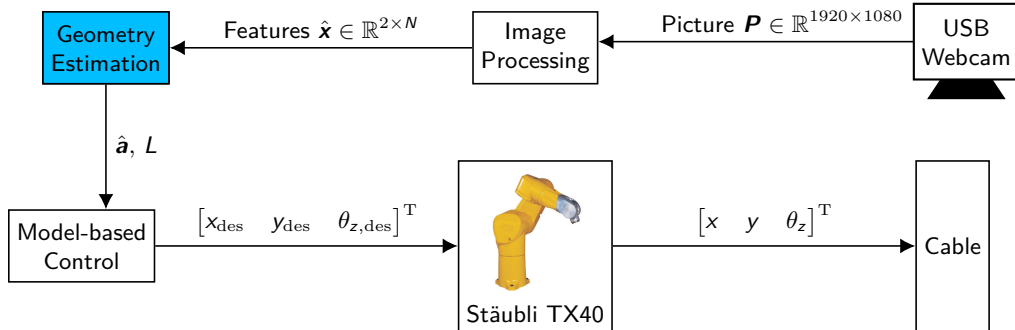
Conclusion











- Description by curvature angle θ :

$$\mathbf{x}(s, t) = \mathbf{x}(0, t) + \int_0^s \begin{bmatrix} \cos(\theta(u)) \\ \sin(\theta(u)) \end{bmatrix} du$$

- Formulate a optimization problem

$$F(\hat{\mathbf{a}}, L, \hat{\mathbf{s}}) = \sum_{j=1}^N \|\mathbf{x}(\bar{s}_j) - \hat{\mathbf{x}}_j\|_2^2 \quad \dots \text{fit to data}$$

$$+ \alpha_1 \sum_{i=2}^n a_i^2 \quad \dots \text{regularization}$$

$$+ \alpha_2 (L - L_{\text{expected}})^2 \quad \dots \text{avoid overfitting}$$

$$+ \alpha_3 \|\mathbf{x}(L) - \mathbf{x}_{\text{end}}\|_2^2 \quad \dots \text{ensure end point}$$

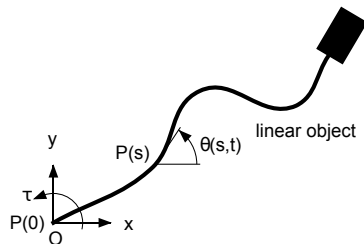
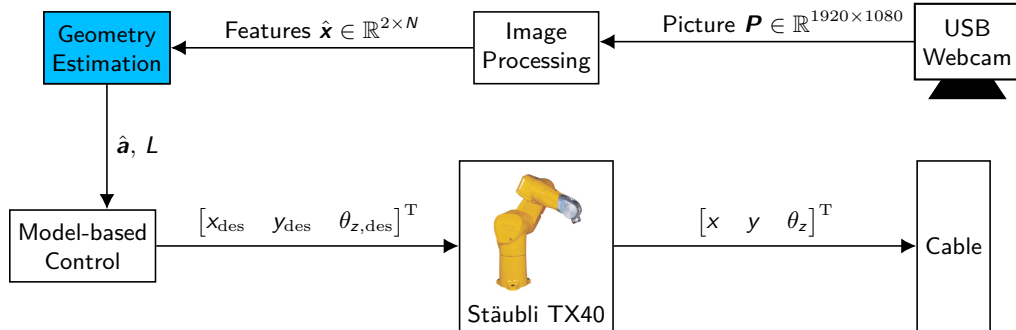
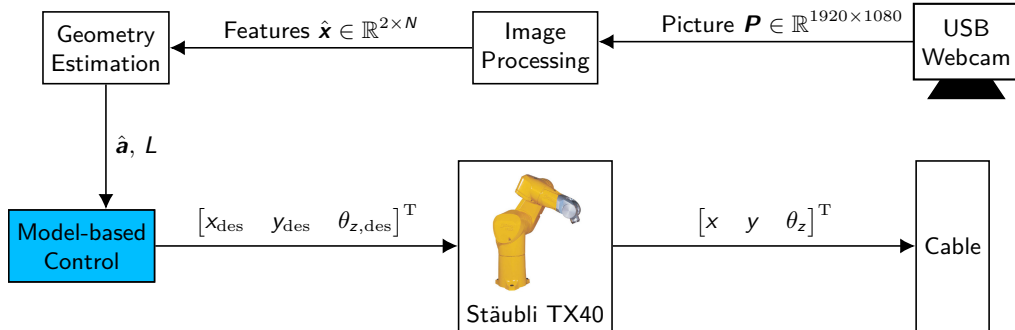


Fig. 1. Dynamic 2D deformation of inextensible linear object

Source: [?]





Two options

- **Linear quadratic regulator (LQR)**

objective functional: $\min_u \int_0^\infty \|x\|_Q^2 + \|u\|_R^2 d\tau$

experienced some technical/numerical issues

- **Predictive (functional) control**

1. Transform model: acceleration $u \xleftrightarrow{a_{\max}, v_{\max}, T_s}$ relative position command to robot

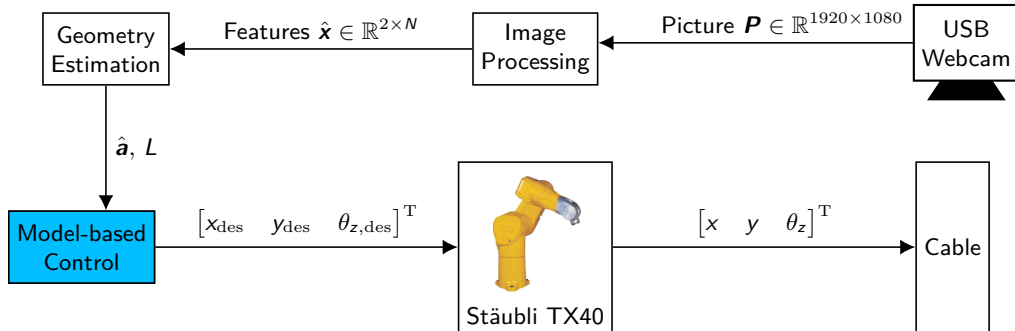
2. Formulate objective function:

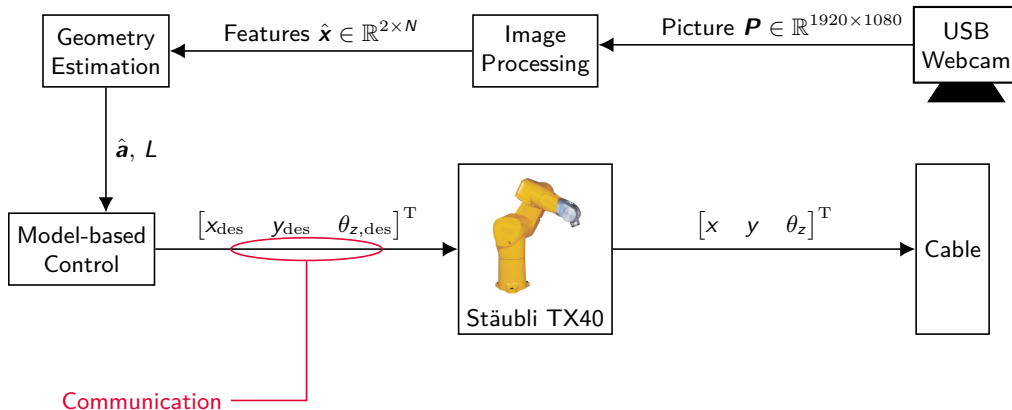
$$\min_{u \in \mathbb{U}} \|y(L) - y_{ref}\|^2 + \|u\|^2$$

$$\text{s.t. } \Delta a = B_d u, \quad \theta(s) = \sum_i a_i e_i(s) \quad y(L) = \int_0^L \cos(\theta(s)) ds,$$

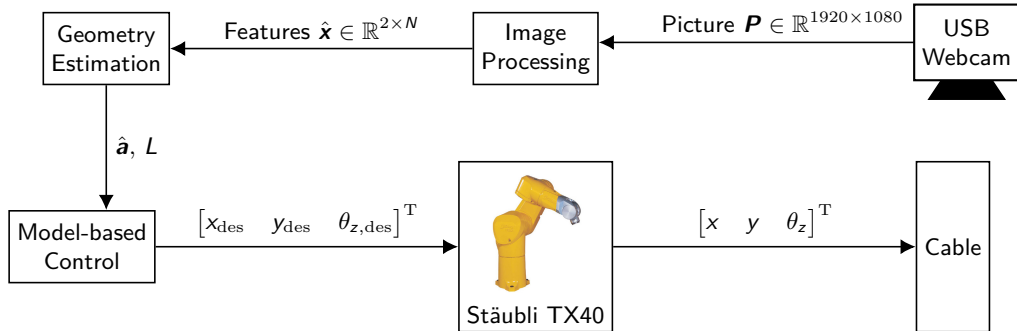
3. use CasADi to solve optimization problem online (for a given configuration a)

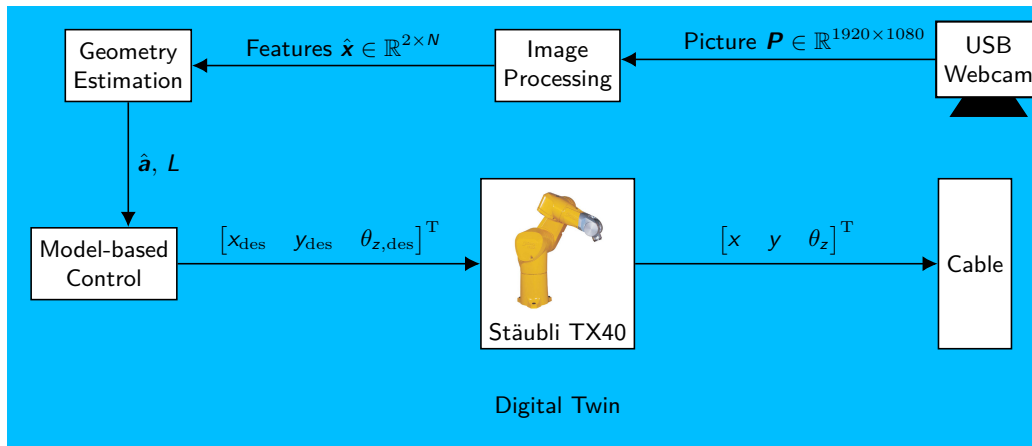
4. Give position command with maximal velocity/acceleration to robot control





- Communication between MATLAB and Stäubli RC over Matlab \leftrightarrow TwinCAT \leftrightarrow Stäubli RC
- No real-time communication
- Only open loop control of setpoints





Robot simulation:

- Realtime simulation Tool ISG-virtuos
- Kinematic model of the ABB IRB 1600

Cable simulation:

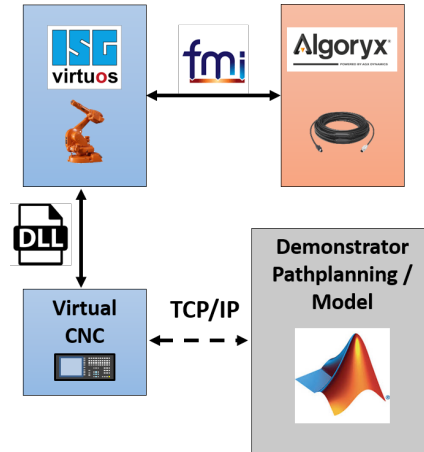
- Physics engine AGX-Algoryx
- Multi-(Rigid)-body model
- Integration into ISG-virtuos as an FMU (FMI-Interface Standard)

Virtual Robot Control:

- CNC Kernel with inverse kinematics
- Integrated into Robot simulation environment

Virtual Camera (not realized):

- Direct feature output out of the cable model





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Proof of concept

- Based on visual data acquisition and processing
- Model based position control
- Toolchain for position control over TCP/IP

Possible extensions

- Identified and experienced problems of the overall toolchain
- Recognizing the complexity of the problem and challenges to overcome



