

LAB1 REPORT

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Part 1: Introduction.

- The purpose of this lab is to illustrate the properties of continuous and discrete-time signals using digital computers and the Matlab software environment.
- The main content discussed in this lab:
 - Start with Matlab and learn some basic commands;
 - Numerical computation of continuous signals;
 - Special functions such as $\text{sinc}(t)$, $\text{rect}(t)$, $u[n]$ and etc;
 - Illustrate the process of sampling;
 - Processing of speech signal and 2-D signal;

Part 2: Result & Analysis.

1.3.1

```
>> syms t
>> y = (sin(5*t))^2

y =

sin(5*t)^2
1、
>> S = int(y,0,2*pi)

S =

pi
```

```
>> syms t
>> y = exp(t)
```

y =

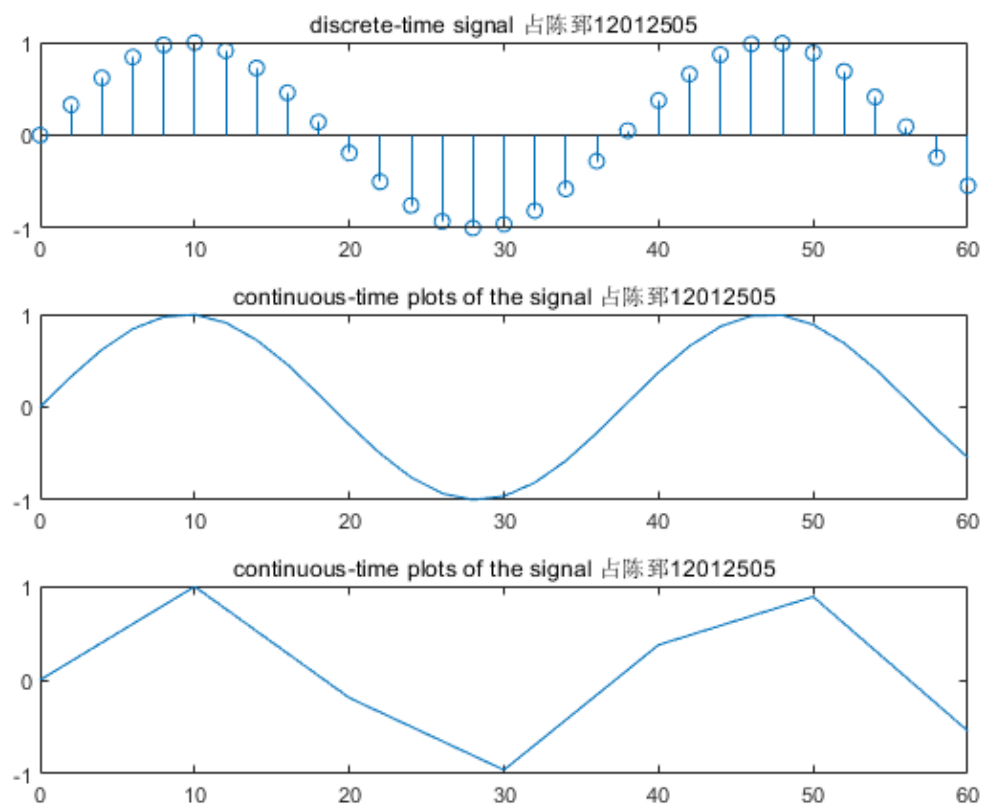
2、exp(t)

```
>> S = int(y,0,1)
```

S =

```
exp(1) - 1
```

1.3.2



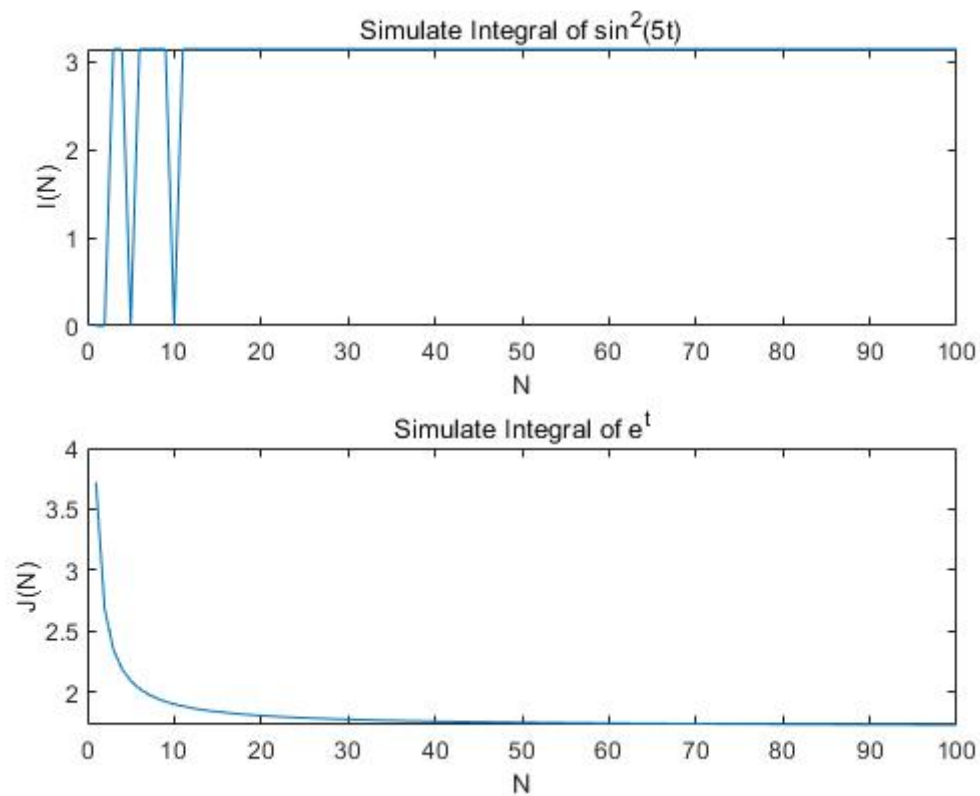
Analysis:

From the comparison of the two figures, it is easy to find that n1 takes more points between 0 and 60 and the first image simulation is more accurate, while the second figure loses more information because fewer points are taken.

```
stem(n,y)
title('discrete-time signal 占陈鄧12012505')
```

```
plot(n1,z)
title('continuous-time plots of the signal 占陈鄧12012505')
```

1.3.3



FUNCTION CODE:

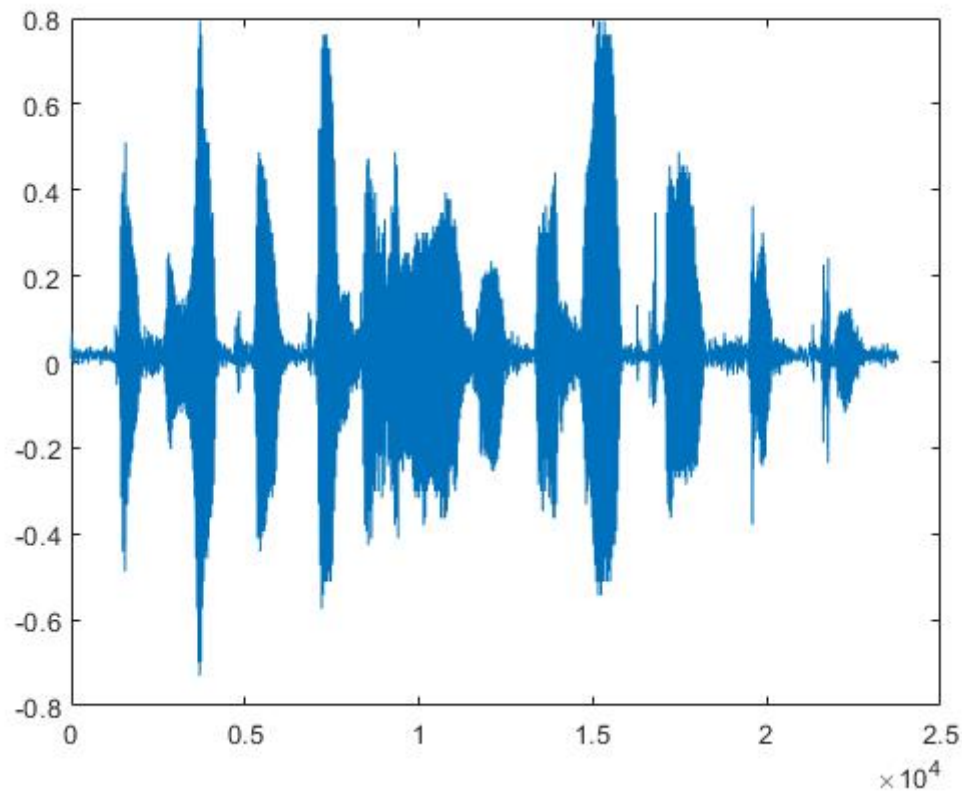
```
function I = integ1(N)
a = (2*pi)/N;
t = 0:a:2*pi;
y = (sin(5*t)).^2;
I = sum(y.*a);
return
end

function J = integ2(N)
a = 1/N;
t = 0:a:1;
y = exp(t);
J = sum(y.*a);
return
end
```

Analysis:

As can be seen from the images, both functions make the output more accurate as the independent variable N increases, approximating the actual value. The reason why $I(5)$ and $I(10)$ are almost zero is because the amplitudes sampled at both input 5 and 10 are close to zero and the errors are large due to the small number of samples.

1.4



Analysis:

- According to Matlab code `[signal,fs]=audioread('speech.au');`, we could load the speech signal and read its sampling frequency fs .
- Use below Matlab command to sound the loaded signal: `sound(signal,fs);`

1.5

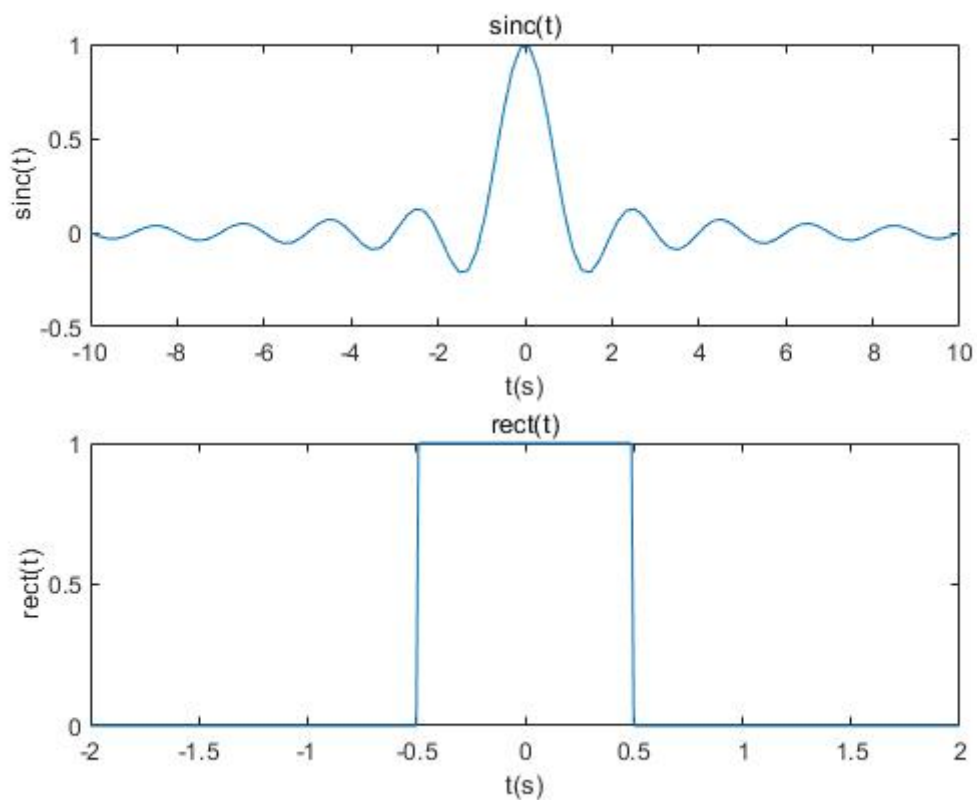


Fig.1 plots of sinc(t) and rect(t)

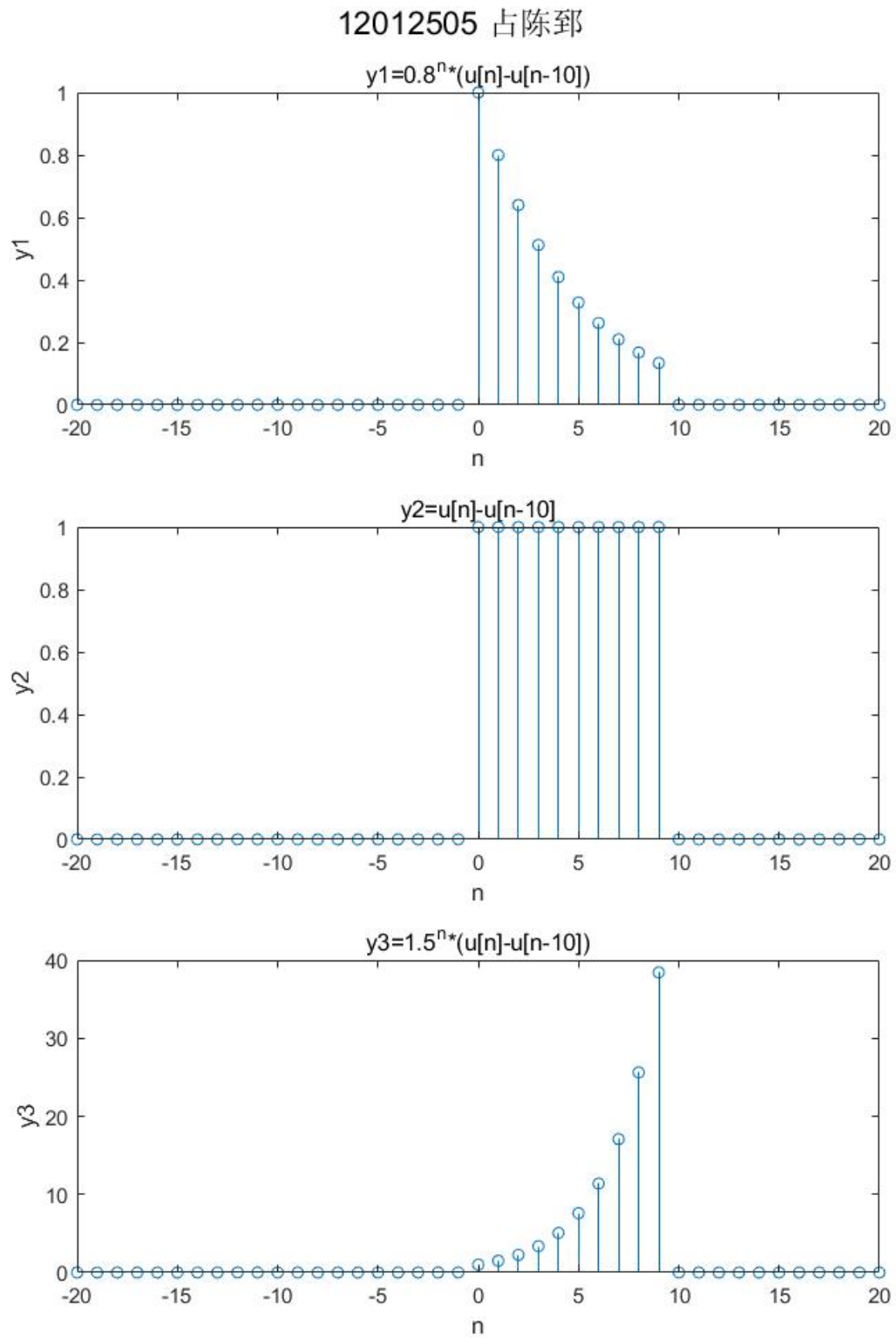


Fig.2 plot of $a^n * u$

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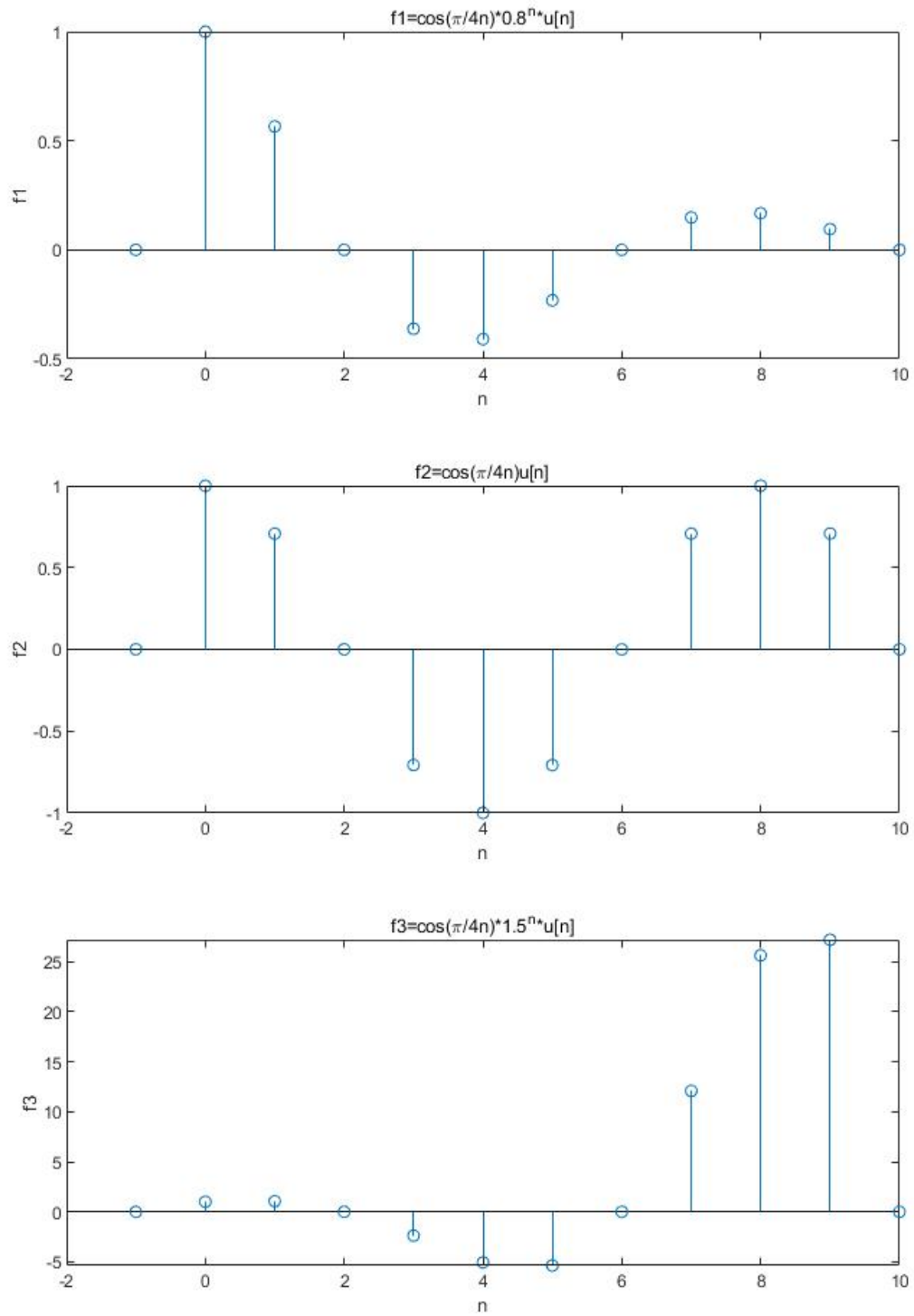
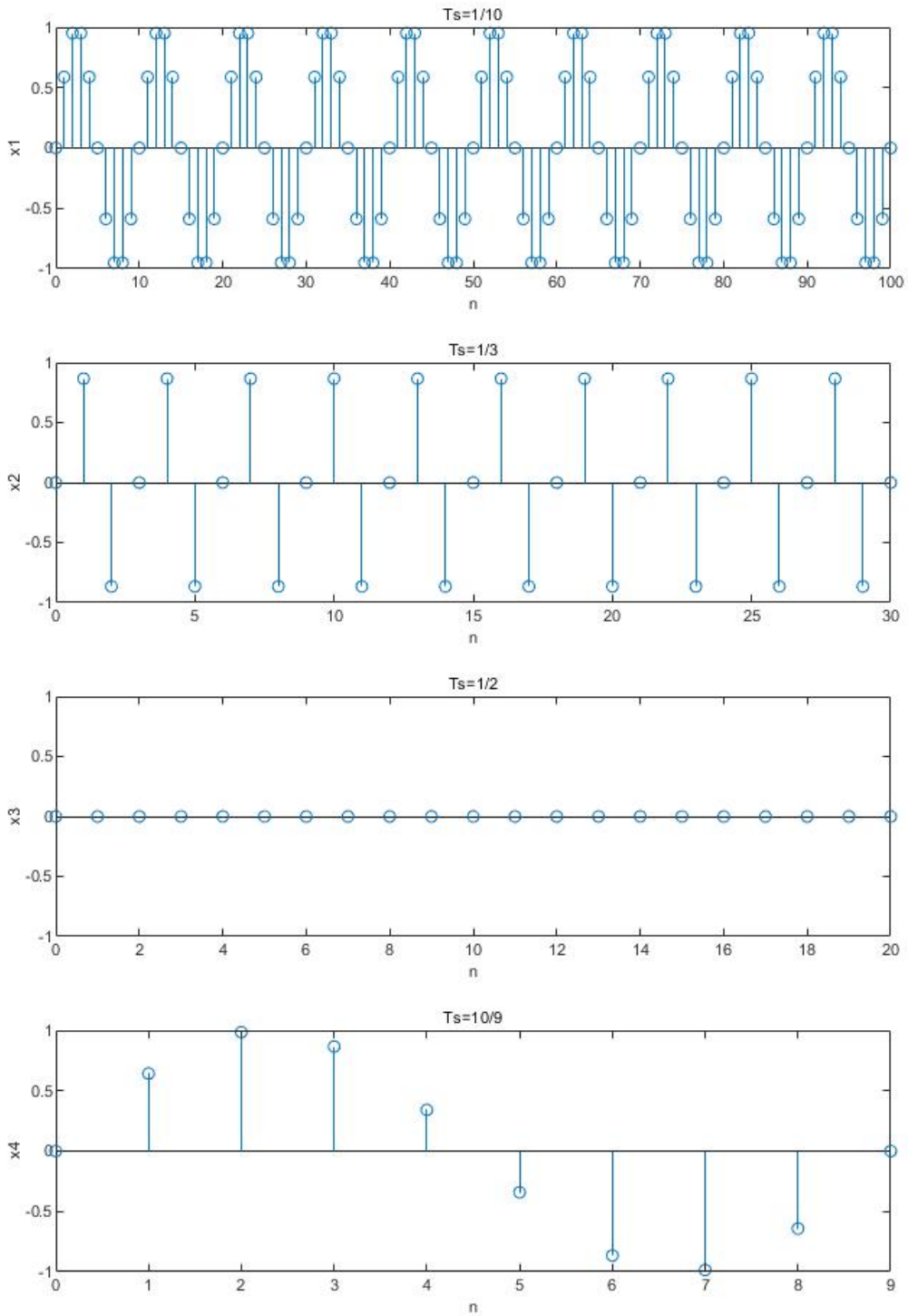


Fig.3 plot of $\cos(\omega n)a^n \cdot u$

1.6



Analysis:

Stem function every 1 for drawing, Figure 1 in the sin function of the period is 10, stem sampling frequency relative to this period is more appropriate, restore better, Figure 2 in the period is 3, every 1 pick a sample can only draw the highest and lowest point and 0, Figure 3 in the period is 2, every drawing happens to be in the point of 0, has almost can not restore the function, Figure 4 in the period is 9/10, due to the sampling frequency is too low, the final image like a period of 9 sin function, but in fact, has been over 10 cycles.

1.7

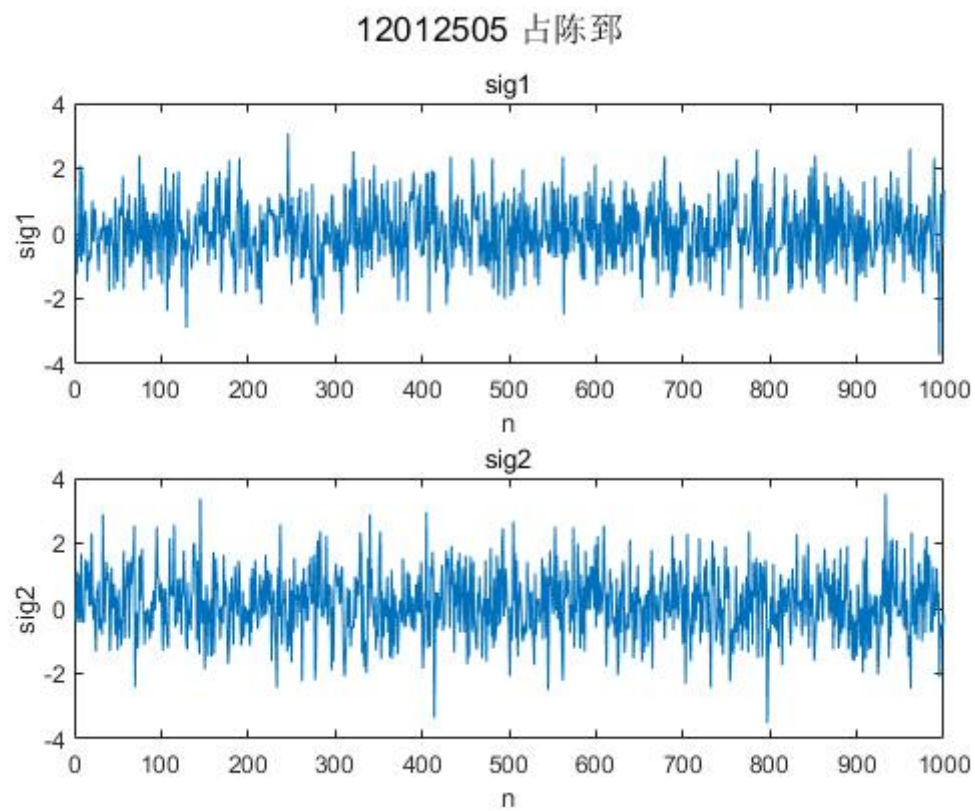


Fig.1 plots of sig1 and sig2

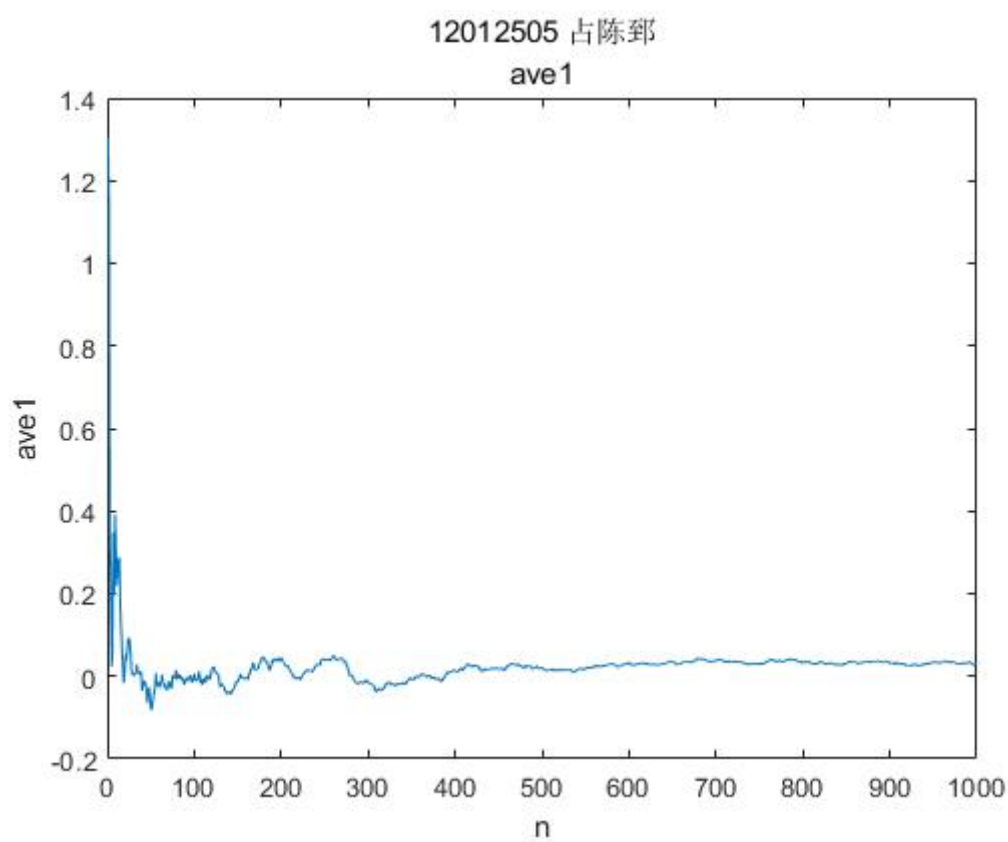


Fig.2 plots of ave1

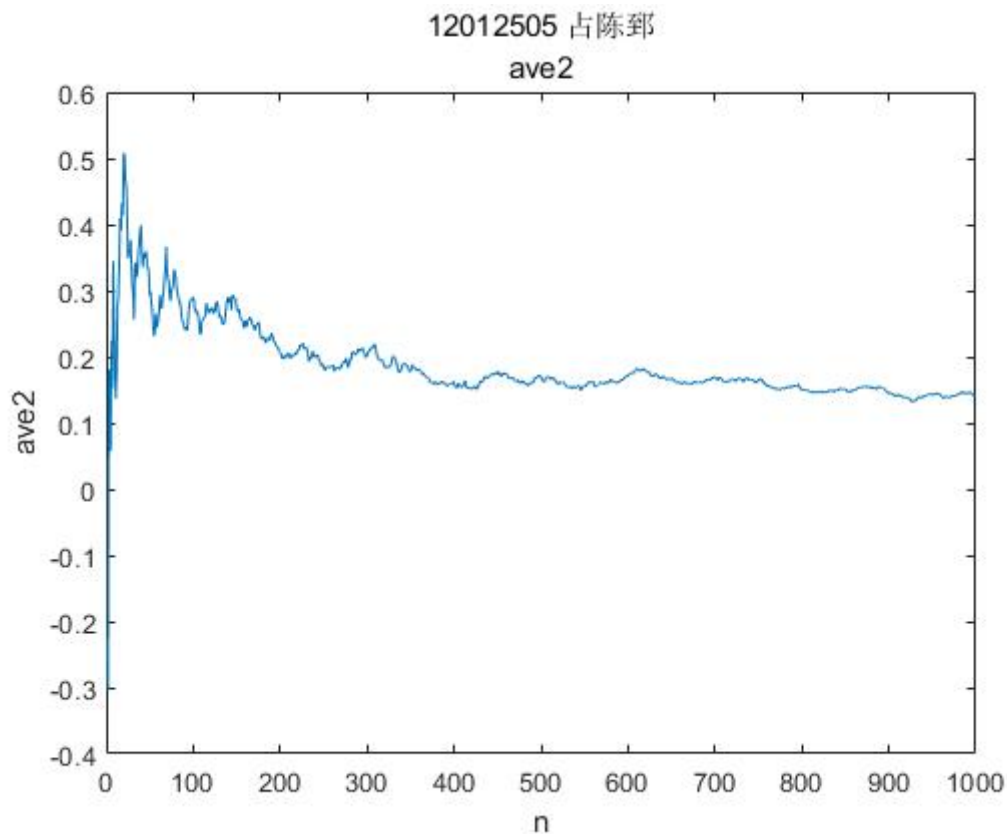


Fig.3 plots of ave2

Analysis:

- Since $\text{sig1} \sim N(0,1)$, and $\text{sig2} \sim N(0.2,1)$, we could use Matlab code below to obtain this two signals:

```
sig1=random('norm',0,1,1,1000);
sig2=random('norm',0.2,1,1,1000);
```

- As $n \rightarrow 1000$, we have the average values gradually tend to means of the signal, which is:
 $\text{ave1}(n) \rightarrow \text{mean}(\text{sig1}) = 0$, as $n \rightarrow 1000$
 $\text{ave2}(n) \rightarrow \text{mean}(\text{sig2}) = 0.2$, as $n \rightarrow 1000$
- Therefore, we could use average values to estimate means when n is enough large to distinguish random noises.

1.8

Part 3: Summary & Experience.

- Matlab is a very useful and powerful tool in digital signal processing.
- We could use many Matlab functions in signal processing toolbox to solve the problems.