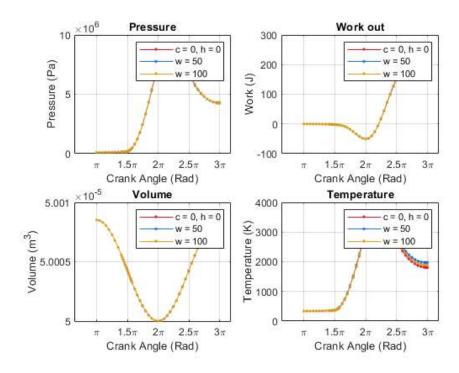
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% Project #2
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% ME 2543--Simulations Methods
% Spring 2023
clear; clc; % Clear the variable list and the command window.
% Constants
R = 287;
                                           % J/kg/K Ideal Gas Constant
T0 = 300;
                                           % K
V1 = 8.4*(5*(10^{-5}));
                                           % m^3
P0 = 1.013e+5;
                                           % Pa
M = ((P0.*V1)./(T0.*R));
                                           % Mass is a constant in problem 1
Y = [(1.013*(10^5)); 0];
                                           % Y(P0, W0)
theta = [pi 3*pi];
                                           % Our independent variable
[Theta,stats] = ode45(@gPiston1,theta,Y);
                                          % Solving P and Wout when h=0 and C=0
[Theta2,stats2] = ode45(@gPiston2,theta,Y); % Solving P and Wout when h=50, C=0.8, and w=50
[Theta3,stats3] = ode45(@gPiston3,theta,Y); % Solving P and Wout when h=50, C=0.8, and w=100
% Storing multiple Theta arrays is not neccessary; they are all the same.
% That's just how our code worked out.
                                           % Storing P when h=0 and C=0
P = stats(:,1);
P2 = stats2(:,1);
                                           % Storing P when h=50, C=0.8, and w=50
P3 = stats3(:,1);
                                           % Storing P when h=50, C=0.8, and w=100
                                           % Storing Wout when h=0 and C=0
W = stats(:,2);
                                          % Storing Wout when h=50, C=0.8, and w=50
W2 = stats2(:,2);
W3 = stats3(:,2);
                                          % Storing Wout when h=50, C=0.8, and w=100
                                          % Solving V when h=0 and C=0
V = vol(Theta);
                                          \% Solving V when h=50, C=0.8, and w=50
V2 = vol(Theta2);
V3 = vol(Theta3);
                                          % Solving V when h=50, C=0.8, and w=100
T = ((P.*V)./(R.*M))+T0;
                                          % Solving T when h=0 and C=0
T3 = ((P3.*V3)./(R.*mass3(Theta3)))+T0;
                                          % Solving T when h=50, C=0.8, and w=100
figure(1)
                                                  % Storing the four plots in one figure window
subplot(2,2,3)
                                                  % Placing Volume curve in the assigned subplot
plot(Theta, V, '-', 'Marker', '.', 'Color', '#e31425')
                                                  % Plotting the Volume curve
                                                  % Allow us the plot multiple lines on the same subplot
plot(Theta2,V2,'-','Marker','.','Color','#146ae3')
                                                  % Plotting the w=50 Volume curve
plot(Theta3,V3,'-','Marker','.','Color','#db9a16')
                                                  % Plotting the w=100 Volume curve
xlabel('Crank Angle (Rad)')
                                                  % Label the X axis
                                                  % correct the X axis ticks to make it consistent with our domain
xticks([pi 1.5*pi 2*pi 2.5*pi 3*pi])
xticklabels({'\pi','1.5\pi','2\pi','2.5\pi','3\pi'})
                                                 % Label the corrected x axis ticks
ylabel('Volume (m^3)')
                                                  % Label the Y axis
title("Volume")
                                                  % Name the subplot
legend('c = 0, h = 0', 'w = 50', 'w = 100')
                                                  % Label the legends
grid on
                                                  % Turn on the grid
subplot(2,2,2)
                                                  % Placing Work out curve in the assigned subplot
plot(Theta,W,'-','Marker','.','Color','#e31425')
                                                  % Plotting the Work out curve
hold on
                                                  % Allow us the plot multiple lines on the same subplot
plot(Theta2,W2,'-','Marker','.','Color','#146ae3')
                                                  % Plotting the w=50 Work out curve
plot(Theta3,W3,'-','Marker','.','Color','#db9a16')
                                                  % Plotting the w=100 Work out curve
ylabel('Work (J)')
                                                  % Label the Y axis
xlabel('Crank Angle (Rad)')
                                                  % Label the X axis
xticks([pi 1.5*pi 2*pi 2.5*pi 3*pi])
                                                  % correct the X axis ticks to make it consistent with our domain
xticklabels({'\pi','1.5\pi','2\pi','2.5\pi','3\pi'})
                                                 % Label the corrected x axis ticks
title("Work out")
                                                  % Name the subplot
```

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legend('c = 0, h = 0','w = 50','w = 100')
                                                 % Label the legends
                                                  % Turn on the grid
grid on
subplot(2,2,1)
                                                  % Placing the Pressure curve in the assigned subplot
plot(Theta,P,'-','Marker','.','Color','#e31425')
                                                  % Plotting the pressure curve
                                                  % Allow us the plot multiple lines on the same subplot
plot(Theta2,P2,'-','Marker','.','Color','#146ae3')
                                                  % Plotting the w=50 pressure curve
plot(Theta3,P3,'-','Marker','.','Color','#db9a16')
                                                  % Plotting the w=100 pressure curve
ylabel('Pressure (Pa)')
                                                  % Label the Y axis
xlabel('Crank Angle (Rad)')
                                                  % Label the X axis
                                                  % correct the X axis ticks to make it consistent with our domain
xticks([pi 1.5*pi 2*pi 2.5*pi 3*pi])
xticklabels({'\pi','1.5\pi','2\pi','2.5\pi','3\pi'})  % Label the corrected x axis ticks
title("Pressure")
                                                  % Name the subplot
legend('c = 0, h = 0', w = 50', w = 100')
                                                  % Label the legends
grid on
                                                  % Turn on the grid
subplot(2,2,4)
                                                  % Placing the Temperature curve in the assigned subplot
plot(Theta,T,'-','Marker','.','Color','#e31425')
                                                  % Plotting the Temperature curve
                                                  % Allow us the plot multiple lines on the same subplot
plot(Theta2,T2,'-','Marker','.','Color','#146ae3')
                                                  % Plotting the w=50 Temperature curve
plot(Theta3,T3,'-','Marker','.','Color','#db9a16')
                                                  % Plotting the w=100 Temperature curve
ylabel('Temperature (K)')
                                                  % Label the Y axis
xlabel('Crank Angle (Rad)')
                                                  % Label the X axis
                                                  % correct the X axis ticks to make it consistent with our domain
xticks([pi 1.5*pi 2*pi 2.5*pi 3*pi])
title("Temperature")
                                                  % Name the subplot
legend('c = 0, h = 0', 'w = 50', 'w = 100')
                                                  % Label the legends
grid on
                                                  % Turn on the grid
function ODE = gPiston3(theta,Y)
                                                   % function for solving for pressure and Wout when h=50, C=0.8, and w=100
   dM = dmass3(theta);
                         % kg
   V = vol(theta);
                           % Calling the volume function
   dV = dvol(theta);
                          % Calling the derivative volume function
   dX = dbBy(theta);
                          % Calling the derivative X function
   R = 287;
                           % J/kg/K Ideal Gas Constant
   M = mass3(theta);
                           % kg
   T = Y(1)*V/(R*M);
                           % K
   b = 0.09;
                            % m
                           % m^2
   Aw = (4.*V)/b;
   y = 1.4;
                            % Unitless specific heat ratio of the gas
                            % J/kg
   ain = 2.8e+6:
   h = 50;
                            % W/(m^2*K)
   W = 100;
                            % rad/sec
   Y(1).*dV];
end
function ODE = gPiston2(theta,Y)
                                                  % function for solving for pressure and Wout when h=50, C=0.8, and w=50
   V = vol(theta);
                           % Calling the volume function
   dV = dvol(theta);
                          % Calling the derivative volume function
                          % Calling the derivative X function
   dX = dbBy(theta);
   R = 287;
                           % J/kg/K Ideal Gas Constant
                          % kg
   M = mass2(theta);
   T = Y(1)*V/(R*M);
                           % K
   b = 0.09;
                            % m
                           % m^2
   Aw = (4.*V)/b;
                            % Unitless specific heat ratio of the gas
   y = 1.4;
   qin = 2.8e+6;
                            % J/kg
   h = 50:
                            % W/(m^2*K)
                            % rad/sec
   w = 50;
    \text{ODE} = \left[ \left( (-y./V).*Y(1).*dV \right) + \left( ((y-1).*(M.*qin)./V).*dX \right) - \left( ((y-1).*h.*Aw*(T-300))./(V.*w) \right) - y.*dM.*(Y(1)./M); \right] 
       Y(1).*dV];
end
```

```
function ODE = gPiston1(theta,Y)
                                                        % function for solving for pressure and Wout when h=0 and C=0
   dM = 0;
                             % M is a constant here, so its derivative is 0
                         % Calling the volume function
% Calling the derivative volume function
% Calling the derivative X function
   V = vol(theta);
   dV = dvol(theta);
   dX = dbBy(theta);
   R = 287;
                              % J/kg/K Ideal Gas Constant
   T0 = 300;
                              % K
   V1 = 8.4*(5*(10^{-5})); % m<sup>3</sup>
   P0 = 1.013e+5;
                               % Pa
   M = ((P0.*V1)./(T0.*R)); % kg
   y = 1.4;
                               % Unitless specific heat ratio of the gas
   qin = 2.8e+6;
                                % J/kg
    ODE = [((-y./V).*Y(1).*dV) + (((y-1).*(M.*qin)./V).*dX) - y.*dM.*(Y(1)./M);
       Y(1).*dV];
end
function M = mass2(theta)
   R = 287;
                               % J/kg/K Ideal Gas Constant
   C = 0.8;
                              % empirical proportionaity constant
   w = 50;
                              % rad/s
   T0 = 300;
                              % K
   V1 = 8.4*(5*(10^{-5}));
                             % m^3
   P0 = 1.013e+5;
                               % Pa
   M = ((P0.*V1)./(T0.*R)).*exp(-(C./w).*(theta-pi));
end
function dM = dmass2(theta)
   % Dirivative of mass2(theta)
    dM = -(18230782191871*exp((2*pi)/125 - (2*theta)/125))/2305843009213693952;
end
function M = mass3(theta)
   R = 287;
                               % J/kg/K Ideal Gas Constant
   C = 0.8;
                              % empirical proportionaity constant
   w = 100;
                              % rad/s
   T0 = 300;
                               % K
   V1 = 8.4*(5*(10^{-5}));
                             % m^3
   P0 = 1.013e+5;
                               % Pa
   M = ((P0.*V1)./(T0.*R)).*exp(-(C./w).*(theta-pi));
end
function dM = dmass3(theta)
   % Dirivative of mass3(theta)
    dM = -(18230782191871*exp(pi/125 - theta/125))/4611686018427387904;
end
function V = vol(theta)
   S = 0.08;
                                % m
   1 = 0.12;
                              % m
                              % Unitless Compression Ratio
   r = 8.4;
   e = S/2*1;
                              % Heat Transfer Parameter
   V0 = 5*(10^{-5});
                              % m^3
   V = (V0).*(1+((r-1)./2.*e).*(1+e.*(1-cos(theta))-(1-(e.^2).*(sin(theta).^2)).^(1./2)));
end
function dV = dvol(theta)
   % Derivative of voll(theta)
    dV = (37.*\sin(theta))./(1800000 + (37.*\cos(theta).*\sin(theta))./(5400000.*(1 - \sin(theta).^2./9).^(1./2));
end
```

```
function dX = dbBy(theta)
    % Derivative of bBy(theta) (Unused)
    thetas=(3*pi)/2;
    thetab=pi;
    if (pi <= theta) && (theta < thetas)
        dX = 0;
    elseif (thetas <= theta) && (theta <= (thetas+thetab))
        dX = sin(((3*pi)/2 - pi*theta)/pi)/2;
    else
        dX = 0;
    end
end</pre>
```



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