

Problem Description

In the mystical forest of Arboria, there stands an ancient tree of shrines. Each shrine i harbors a latent energy, denoted by a_i . Pilgrims begin their journey at a chosen shrine s . At each shrine they visit, if the energy there exceeds a certain tolerance T , the pilgrim becomes overwhelmed and ends their journey. Otherwise, the pilgrim proceeds to one of the direct child-shrines chosen uniformly at random; if there are no child-shrines, the journey ends naturally.

The tree's energy is not static – from time to time, rituals alter the energy of a single shrine. Your task is to assist the pilgrims by answering their queries: given a starting shrine s and a tolerance T , what is the expected number of shrines they will visit before their journey ends?

Formally, you are given a rooted tree with n nodes (the root is node 1). Each node i has a value a_i . Consider a random walk starting at node s : at each step, if the current node's value is greater than a given threshold T , the walk stops. Otherwise, the walk moves to a uniformly random child (if there are no children, it stops). You need to process two types of operations:

1. Update: change the value of a node x to v .
2. Query: given s and T , output the expected number of steps until the walk stops.

Input

The first line contains an integer n ($1 \leq n \leq 200,000$).

The second line contains n integers a_1, a_2, \dots, a_n ($1 \leq a_i \leq 10^9$).

The next $n - 1$ lines each contain two integers u and v ($1 \leq u, v \leq n$), meaning v is a child of u . The edges form a tree rooted at 1.

The next line contains an integer q ($1 \leq q \leq 200,000$).

Then q lines follow, each describing an operation:

- 1 x v ($1 \leq x \leq n, 1 \leq v \leq 10^9$): update a_x to v .
- 2 s T ($1 \leq s \leq n, 1 \leq T \leq 10^9$): query the expected steps starting from s with threshold T .

Output

For each query of type 2, output the expected number of steps. Your answer is considered correct if the absolute or relative error is less than 10^{-6} .

Constraints

- $n \leq 200,000$
- $q \leq 200,000$
- $1 \leq a_i, v, T \leq 10^9$
- Time limit: 2 seconds
- Memory limit: 256 MB

Sample

Input:

```
3
1 2 3
1 2
2 3
5
2 1 5
1 3 10
2 1 5
1 2 10
2 1 5
```

Output:

```
2.0000000000
2.0000000000
1.0000000000
```

Explanation: The tree is a chain $1 \rightarrow 2 \rightarrow 3$. Initially, $a = [1, 2, 3]$.

- First query: $s = 1, T = 5$. The walk always goes $1 \rightarrow 2 \rightarrow 3$ and stops at 3 (no children). Hence, exactly 2 steps are taken.
- Update: set $a_3 = 10$.
- Second query: $s = 1, T = 5$. The walk still goes $1 \rightarrow 2 \rightarrow 3$, but at node 3 the energy $10 > 5$ causes an immediate stop. The number of steps remains 2.
- Update: set $a_2 = 10$.
- Third query: $s = 1, T = 5$. Now at node 2 the energy $10 > 5$, so the walk stops after the first step from 1 to 2. Thus, the expected number of steps is 1.