2.2 Kaggle Housing Competition

November 3, 2021

1 Participate in the Kaggle Housing Prices Advanced Regression competition

We have already prepared the the dataset, but for more info on the competition, go to: https://www.kaggle.com/c/house-prices-advanced-regression-techniques/overview

The below code will only show you how to load the training set, you will have to add code to learn a model. Cross validate the training set to check for under- and overfitting.

Then finally, there is some code to generate a csv file that you can submit to the Kaggle leaderboard.

```
[1]: from pipetorch.data import housing_prices_kaggle
from sklearn.linear_model import LinearRegression, Ridge, Lasso
from sklearn.metrics import mean_squared_error
import matplotlib.pyplot as plt
import numpy as np
import pandas as pd
from numpy import sqrt, std, mean, arange
```

```
[2]: df = housing_prices_kaggle()
```

2 Test set

In this case, the PipeTorch DataFrame contains a train and test set. The train set contains 'labels' (Data Science slang for target variable), while the test set does not. In PipeTorch, you will see the entire set though when you inspect the DataFrame, but for the test set the target variable is set to NaN. You can address these subsets as df.train and df.test which will just give you resp. the train and test parts.

```
[3]: df
[3]:
               Id
                   MSSubClass MSZoning
                                            LotFrontage
                                                           LotArea Street Alley LotShape
     0
                1
                             60
                                       RL
                                                    65.0
                                                              8450
                                                                       Pave
                                                                               NaN
                                                                                         Reg
     1
                2
                             20
                                       RL
                                                    80.0
                                                              9600
                                                                               NaN
                                                                       Pave
                                                                                         Reg
     2
                3
                             60
                                       RL
                                                    68.0
                                                             11250
                                                                               NaN
                                                                       Pave
                                                                                         IR1
                4
     3
                             70
                                       RL
                                                    60.0
                                                              9550
                                                                       Pave
                                                                               NaN
                                                                                         IR1
                5
                                                    84.0
                             60
                                       RL
                                                             14260
                                                                      Pave
                                                                               NaN
                                                                                         IR1
```

	•	•••	•••		•••	•••	•••	•••			
2914	2915		160	RM		21.0	1936	Pave	NaN	F	Reg
2915	2916		160	RM		21.0	1894	Pave	NaN	F	Reg
2916	2917		20	RL		160.0	20000	Pave	NaN	F	Reg
2917	2918		85	RL		62.0	10441	Pave	NaN	F	Reg
2918	2919		60	RL		74.0	9627	Pave	NaN	F	Reg
											_
L	andCon	tour Ut	ilities	P	oolArea	PoolQC	Fence	MiscFeat	ure Mi	scVal	\
0		Lvl	AllPub	•••	0	NaN	NaN		NaN	0	
1		Lvl	AllPub	•••	0	NaN	NaN		NaN	0	
2		Lvl	AllPub	•••	0	NaN	NaN		NaN	0	
3		Lvl	AllPub	•••	0	NaN	NaN		NaN	0	
4		Lvl	AllPub	•••	0	NaN	NaN		NaN	0	
•••					•••	•••	•••	•••			
2914		Lvl	AllPub	•••	0	NaN	NaN		NaN	0	
2915		Lvl	AllPub	•••	0	NaN	NaN		NaN	0	
2916		Lvl	AllPub	•••	0	NaN	NaN		NaN	0	
2917		Lvl	AllPub	•••	0	NaN	MnPrv	S	hed	700	
2918		Lvl	AllPub	•••	0	NaN	NaN		NaN	0	
М	loSold	YrSold	SaleTyp	e S	aleCond	ition	SalePric	e			
0	2	2008	W	D	N	ormal	208500.	0			
1	5	2007	WD		N	ormal	181500.	0			
2	9	2008	WD		N	ormal	223500.	0			
3	2	2006	WD		Ab:	norml	140000.	0			
4	12	2008	WD		N	ormal	250000.	0			
•••			•••			•••					
2914	6	2006	WD		N	ormal	Na	ıN			
2915	4	2006	WD		Ab	norml	Na	ıN			
2916	9	2006	WD		Ab	norml	Na	ıN			
2917	7	2006	WD		N	ormal	Na	ıN			
2918	11	2006	WD			ormal	Na				

[2919 rows x 81 columns]

3 Cross Validation

To validate the model and tune hyperparameters, you will still need a validation set. When you split(valid_perc) the DataFrame, you will only split the training set into a train and valid part.

Having the train, valid and test set in a single DataFrame has a few advantages: - any preprocessing you do will be the same on all subsets (as it probably should). - when you scale the data, you should learn a scaler on the training set only, then apply the same scaler on the validation and test set as well. PipeTorch automatically takes care of this.

4 Prepare the data

I this case, you may not want to slice out the columns you do not use. When we submit the results to Kaggle, we need the Id's of these houses, but we do not want to use that as an input feature. You can use columnx() and columny() to keep all columns, but use only those features in your experiment. You can also invert the feature selection by using columnx(omit=True) and the target variables are omitted by default.

```
[4]: data = df.columnx('LotArea').columny('SalePrice').split(0.3, random_state=0).

→scalex()
```

Add your code to fit a Linear Regression model. Start with just LotArea as input and SalePrice as target variable. If you want, you can add another numerical feature later, but do pick one that make sense (for example, Id would probably not make sense, why?).

Note: data.train_X is the same as data.train.X. In fact, data.train will give you the training subset of the PipeTorch DataFrame that is ready to generate the data for use with SKLearn (e.g. create the X and y, but also make plots). When you call X or y, the specified preprocessing is performed (selecting the features, scaling, categorizing, etc.).

5 Linear Regression single variable

```
[5]: model = LinearRegression()
    model.fit(data.train_X, data.train_y)

[5]: LinearRegression()

[6]: sqrt(mean_squared_error(data.valid_y, model.predict(data.valid_X)))

[6]: 73737.07338057815

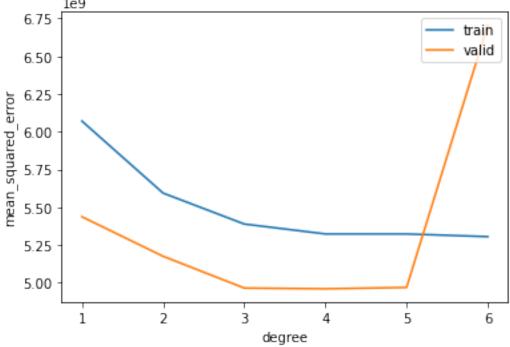
[7]: std(data.valid_y)

[7]: 74288.77400280123
```

5.1 Polynomials for single variable

See what happens when you add polynomials and draw a validation curve to see which value for polynomial degree is best.

Note, when using higher-order polynomials, the model is often improved when the data is **scaled**. However, when the target variable is also scaled this no longer reflects salesprices on a similar scale. The most simple solution for now is to not scale the target variable by using **scalex()** instead of **scale()**. Alternatively, we could inverse the scaling transformation, but we will see how to do that later in this course.



```
[11]: p = data.polynomials(degree=5)
    model.fit(p.train_X,p.train_y)
    model.score(p.valid_X,p.valid_y)

[11]: 0.09951809073503215

[12]: sqrt(mean_squared_error(p.valid_y, model.predict(p.valid_X)))

[12]: 70495.38509704951
```

5.2 Ridge for single variable

Replace the Linear Regression model with a Ridge (or Lasso) model. Does that improve the results?

These regularized versions of Linear Regression have a hyperparameter to control the amount of regularization. Make sure to tune that.

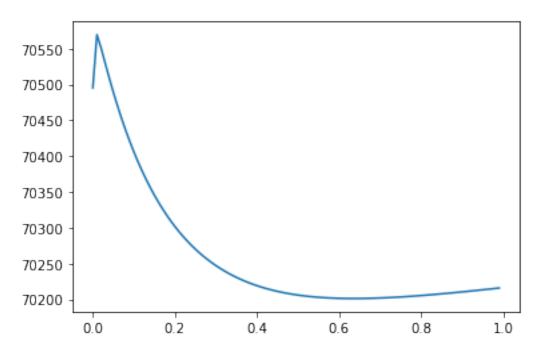
Load the training set. SalePrice is the target variable. You do not have to use all variables, a suggestion is to start with LotArea as feature.

```
[13]: alphas = arange(0, 1, 0.01)
A = []
S = []

for alpha in alphas:
    model = Ridge(alpha=alpha)
    model.fit(p.train_X,p.train_y)
    A.append(alpha)
    S.append(sqrt(mean_squared_error(p.valid_y, model.predict(p.valid_X))))
```

```
[14]: dfRidge = pd.DataFrame(data={'Alpha':A,'MRS':S})
    plt.plot(dfRidge['Alpha'],dfRidge['MRS'])
    print(dfRidge[dfRidge.MRS == dfRidge.MRS.min()])
```

```
Alpha MRS 64 0.64 70201.306414
```



```
[15]: model = Ridge(alpha=0.64)
    model.fit(p.train_X,p.train_y)
    model.score(p.train_X,p.train_y)

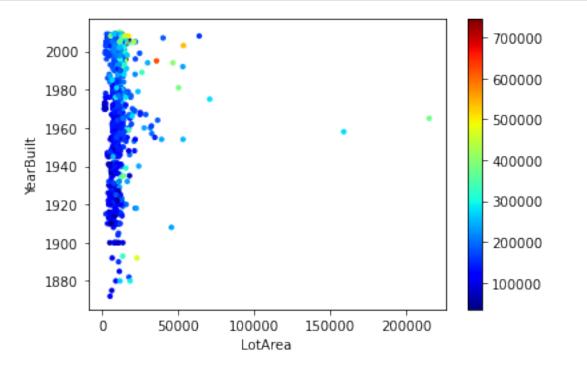
[15]: 0.18984582988771126

[16]: sqrt(mean_squared_error(p.valid_y, model.predict(p.valid_X)))
```

[16]: 70201.30641360089

6 Multivariate Regression

```
[17]: data = df.columnx('LotArea', 'YearBuilt').columny('SalePrice').split(0.3, □ → random_state=0).scalex() data.train.scatter2d_color(s=10)
```



```
[18]: model = LinearRegression()
model.fit(data.train_X,data.train_y)
```

[18]: LinearRegression()

[19]: model.score(data.valid_X,data.valid_y)

```
[19]: 0.2951883468604991
```

```
[20]: sqrt(mean_squared_error(data.valid_y, model.predict(data.valid_X)))
```

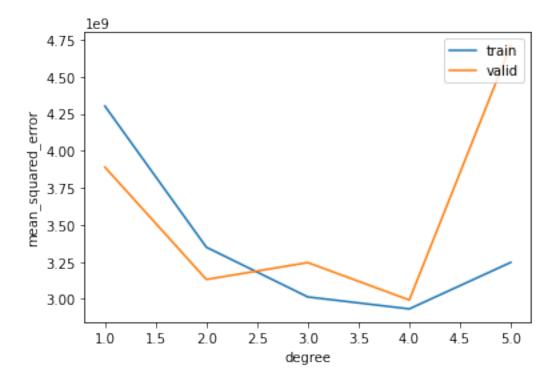
[20]: 62367.70010923204

6.1 Polynomials for multivariable

```
[21]: evaluate = data.evaluate(mean_squared_error)

for degree in range(1,6):
    model = LinearRegression()
    evaluate.run_sklearn(model,degree=degree,df=data.polynomials(degree))
```

```
[22]: evaluate.line_metric('degree')
```



```
[23]: p = data.polynomials(degree=4)
model.fit(p.train_X,p.train_y)
model.score(p.valid_X,p.valid_y)
```

[23]: 0.4577430635474212

```
[24]: sqrt(mean_squared_error(p.valid_y, model.predict(p.valid_X)))
```

[24]: 54704.83963555048

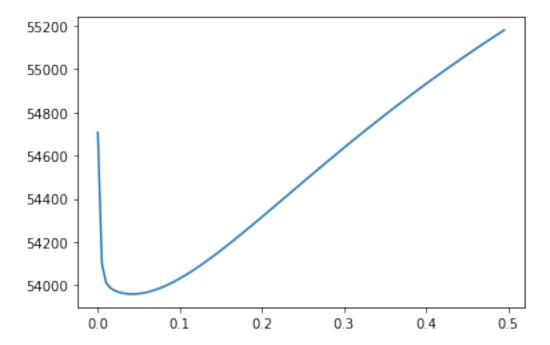
6.2 Ridge for multivariable and polynomials

```
[25]: alphas = arange(0, 0.5, 0.005)
A = []
S = []

for alpha in alphas:
    model = Ridge(alpha=alpha)
    model.fit(p.train_X,p.train_y)
    A.append(alpha)
    S.append(sqrt(mean_squared_error(p.valid_y, model.predict(p.valid_X))))
```

```
[26]: dfRidge = pd.DataFrame(data={'Alpha':A,'MRS':S})
plt.plot(dfRidge['Alpha'],dfRidge['MRS'])
print(dfRidge[dfRidge.MRS == dfRidge.MRS.min()])
```

Alpha MRS 8 0.04 53960.413453



```
[27]: model = Ridge(alpha=0.04)
    model.fit(p.train_X,p.train_y)
    model.score(p.train_X,p.train_y)

[27]: 0.5298477093858949

[28]: sqrt(mean_squared_error(p.valid_y, model.predict(p.valid_X)))

[28]: 53960.413453271656
```

7 Submission

To submit you results, you have to create a .csv file for the test set. You can follow these steps. You can generate predictions on the test set the same way you do for the train and valid set. You can fill in these results in the SalePrice column of the test set and use the .to_csv to export what is needed to a .csv file.

```
[29]: # generate predictions of the model that was trained on the training set
    # do not learn a new model here!
    y_pred = model.predict(p.test_X)

[30]: # add the predictions as a new column SalePrice
    results = data.test.add_column(y_pred, 'SalePrice')

[31]: # the competition requires that you create a .csv file to submit
    # have not tested this, but this should work
    results[['Id', 'SalePrice']].to_csv('boston_housing_results.csv', index=False,□
    →header=True)
```

After running the last cell, you can find and download your .csv file in Jupyter's file list. Submit it to see what your score is on the leaderboard!!!