

# MEEC/MIEEC

#### SIGNAL CONVERSION

#### SAR ADC Exploiting Split-CDAC

#### **Authors:**

Martim Duarte Agostinho (70392) Francisco Simões Coelho Sá da Costa (70386) Sofia Margarida Mafra Dias Inácio (58079)

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md.agostinho@campus.fct.unl.pt
   fsc.costa@campus.fct.unl.pt
   sm.inacio@campus.fct.unl.pt
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#### 1 ARRANJAR TITULO

Para analisar o circuit primeiro dividir porque é diferencial. e analisar primeiro o DacCirc Explicar que o codigo ]e dividido em dois codigos Falar dos split caps

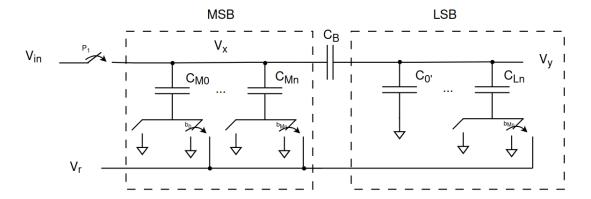
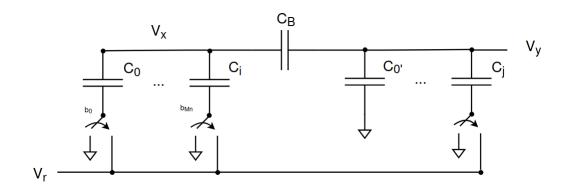


Figure 1: Simplified DAC circuit

explicar que para modelar o DAC só é preciso ver como mudar a fonte de um cap afeta o no.



**Figure 2:** Circuit at phase  $\phi_n$ 

For phase  $\phi_n$  the sum of charges at the node  $V_x$  is:

$$Q_{\phi_n} = (V_x^{\phi_n} - V_y^{\phi_n}) \cdot C_B + V_x^{\phi_n} \cdot \underbrace{\left(C_B + \sum_{i=0}^I C_i\right)}_{C_{MT}} - V_r \cdot \left(\sum_{i=0}^I C_i \cdot b_i\right)^{\phi_n} \tag{1}$$

Similarly for phase  $\phi_{n+1}$ 

$$Q_{\phi_{n+1}} = (V_x^{\phi_{n+1}} - V_y^{\phi_{n+1}}) \cdot C_B + V_x^{\phi_{n+1}} \cdot C_{MT} - V_r \cdot \left(\sum_{i=0}^{I} C_i \cdot b_i\right)^{\phi_{n+1}}$$
(2)

Therefore with  $Q_{\phi_n} = Q_{\phi_{n+1}}$ :

$$V_{x} \underbrace{\sum_{i} \left[ (C_{i} \cdot b_{i})^{\phi_{n+1}} - (C_{i} \cdot b_{i})^{\phi_{n}} \right]}_{V_{x}^{\phi_{n+1}} + C_{B} \cdot \left( V_{y}^{\phi_{n+1}} - V_{y}^{\phi_{n}} \right)$$

$$V_{x}^{\phi_{n+1}} = V_{x}^{\phi_{n}} + V_{r} \underbrace{V_{r} \Delta C_{i} + C_{B} \cdot \left( V_{y}^{\phi_{n+1}} - V_{y}^{\phi_{n}} \right)}_{C_{T}}$$

$$(3)$$

explicar que como estou a subtrair os caps ligados aos desligados so conta os caps a fazer transicao +Ci de 0 pra vr e -ci vice versa.

Agora pra Vy

$$Q_{\phi_n} = V_y^{\phi_n} \underbrace{\left(\sum_{j=0}^J C_j\right)}_{C_{IT}} + (V_y^{\phi_n} - V_x^{\phi_n})C_B - V_r \cdot \left(\sum_{j=0}^J C_j \cdot b_j\right)^{\phi_n} \tag{4}$$

$$Q_{\phi_{n+1}} = V_y^{\phi_{n+1}} \underbrace{\left(\sum_{j=0}^{J} C_j\right)}_{C_{IT}} + (V_y^{\phi_{n+1}} - V_x^{\phi_{n+1}})C_B - V_r \cdot \left(\sum_{j=0}^{J} C_j \cdot b_j\right)^{\phi_n + 1}$$
(5)

$$V_y^{\phi_{n+1}} - V_y^{\phi_{n+1}} = C_B \cdot (V_x^{\phi_{n+1}} - V_x^{\phi_n}) + V_r \Delta C_j$$
(6)

$$V_x^{\phi_{n+1}} = V_x^{\phi_n} + V_r \frac{\Delta C_{Mi}(C_B + \sigma_{LC}) + C_B \Delta C_{Li}}{C_B (\sigma_{LC} + \sigma_{MC}) + \sigma_{LC} \sigma_{MC}}$$

$$(7)$$

provando que o valor atual depende apenas do valor anterior e dos caps que mudaram.



## References