



PROLOG PROGRAMS AND SEARCH TREE

Comp3031 Lab 06
Fall 2014

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Review of comparisons

- Two kinds of comparisons:
 - Term comparison: $==$ $\backslash==$
 - Arithmetic comparison: $:=$ $=\backslash=$
- Unification:
 - $E1 = E2$ returns true if $E1$ and $E2$ can be unified.
 - $?- X = a.$
 - $X = a.$

Unification Examples

- $?-a = a.$
- $?-a = b.$
- $?-X = a.$
- $?-foo(a,Y) = foo(X,b).$
- $?-2*3+4 = X + Y.$
- $?-[a,b,c] = [X,Y,Z].$
- $?-[a,b,c] = [X \mid Y].$

Prolog Search tree

- A tree representing the search process of Prolog.
- If a node N1 is a child of the node N2, then the problem of proving the goal for N2 can be solved by (reducing to) proving the goal for N1.

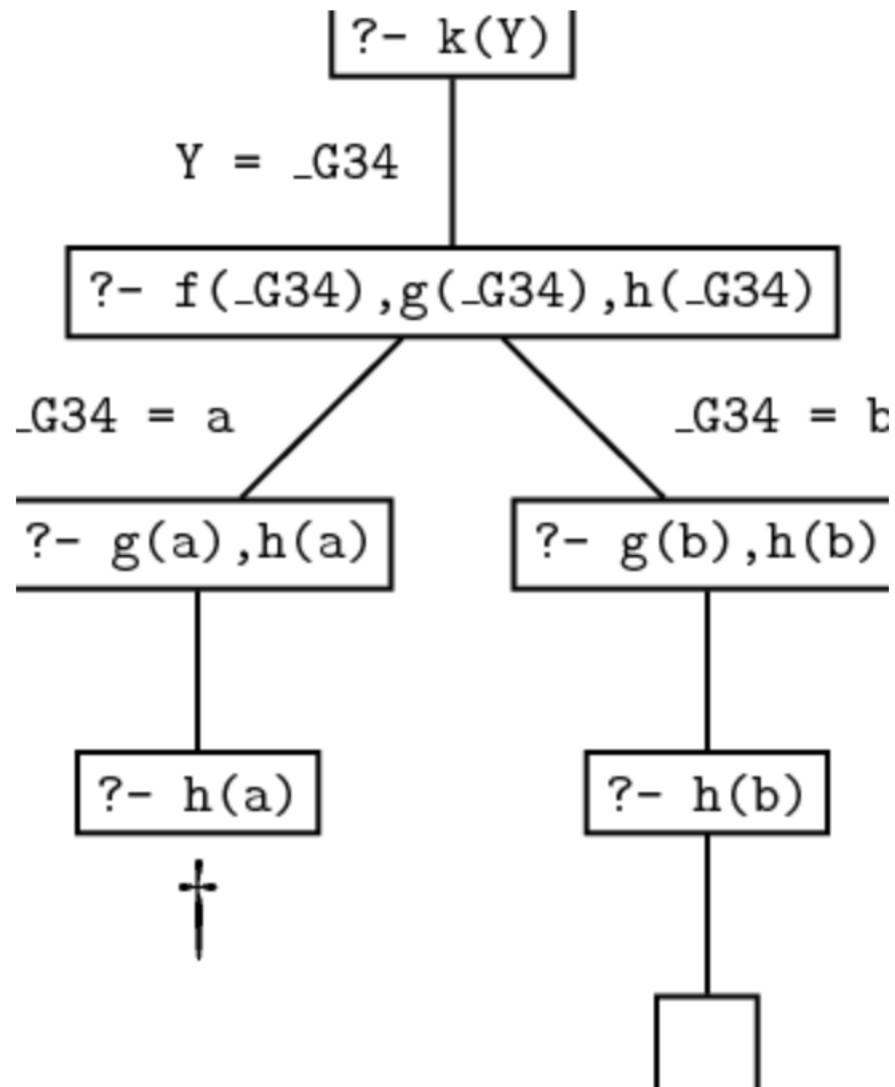
Prolog Search tree(cont.)

- The empty goal means nothing to prove, thus is "succeeded".
- A leaf, which is a node without children, with non-empty goal is a dead-end: there is no way to prove the goal, and is thus "failed".
- When drawing the tree, use different variables in the child node from those in the parent node, just to distinguish them.

Example

- Suppose we have the following database:
- $f(a).$
- $f(b).$
- $g(a).$
- $g(b).$
- $h(b).$
- $k(X) \text{ :- } f(X), g(X), h(X).$
- Query:
- $\text{?- } k(Y).$

Search Tree



Trace mode

- Search process can be checked using Trace mode
 - ?- trace.
 - [trace] ?- animal(X).
 - Call: (7) animal(_G335) ? Creep
 - ...
- Hitting return will show you the next step

Trace mode(cont.)

- Call: Prolog tells what is the goal.
- Fail: the specified goal failed.
- Exit: the goal succeeded.
- Redo: Prolog is trying to find an alternative way of proving the goal.

Trace Example

- familyTree

```
1 mother('Elizabeth','Susan').
2 mother('Elizabeth','James').
3 mother('Elizabeth','Joyce').
4 mother('Susan','Kathryn').
5 mother('Sue','Robert').
6 father('Robert','Kathryn').
7 female('Kathryn').
8 male('James').
9 parent(X,Y) :- father(X,Y).
10 parent(X,Y) :- mother(X,Y).
11 grandparent(X,Z) :- parent(X,Y),parent(Y,Z).
12 ancestor(X,Y) :- parent(X,Y).
13 ancestor(X,Z) :- parent(X,Y),ancestor(Y,Z).
14
```

Trace Example

- trace query

```
?- [familyTree].
% familyTree compiled 0.00 sec, 4,368 bytes
true.

?- trace.
Unknown message: query(yes)
[trace] ?- ancestor(X,'James').
  Call: (7) ancestor(_G335, 'James') ? creep
  Call: (8) parent(_G335, 'James') ? creep
  Call: (9) father(_G335, 'James') ? creep
  Fail: (9) father(_G335, 'James') ? creep
  Redo: (8) parent(_G335, 'James') ? creep
  Call: (9) mother(_G335, 'James') ? creep
  Exit: (9) mother('Elizabeth', 'James') ? creep
  Exit: (8) parent('Elizabeth', 'James') ? creep
  Exit: (7) ancestor('Elizabeth', 'James') ? creep
X = 'Elizabeth' .
```

Exercise example

- Define a relation **count(X,L,N)** where N is the number of occurrences of X in L.
- Answer:
 - % base case
 - `count(_,[],0).`
 - % inductive case
 - `count(X, [X|L], N) :- count(X, L, N1), N is N1+1.`
 - `count(X,[Y|L], N) :- X\==Y, count(X,L,N).`
 - %query
 - `count(5,[1,4,5,5,5],N).`

Exercise1

- Given the **append** relation below:
 - `append([], L, L).`
 - `append([H|T], L, [H|L1]) :- append(T, L, L1).`
- Use **append(X,L1,L2)** to define **reverse(L1,L2)** where L2 is the reverse of L1.
- Example:
 - `?- reverse([7,up,8,down], L).`
 - `L = [down, 8, up, 7].`

Exercise2

- Write a Prolog relation `prefix(L1,L)` to define the following relation:
 - First we define sublist: L1 is a sublist of L2 if and only if all elements of L1 appear consecutively in the same order as in L2
 - L1 is a prefix of L2 if and only if L1 is a sublist of L2 and the first element of L1 is the first element of L2.

Exercise2

- Examples:
 - ?- prefix(X,[1,2,3]).
 - X = [];
 - X = [1];
 - X = [1,2];
 - X = [1,2,3];