

# Update on $B^\pm \rightarrow Dh^\pm$ , $D \rightarrow K^+K^-\pi^+\pi^-$ analysis at LHCb and BESIII

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## 1 LHCb

- Summary of current LHCb analysis progression

## 2 BESIII

- Strong-phase determination in quantum correlated  $D^0\bar{D}^0$  decays
- First look at binned fits: Measurement of fractional bin yields  $K_i$
- Measurement of CP-even fraction  $F_+$

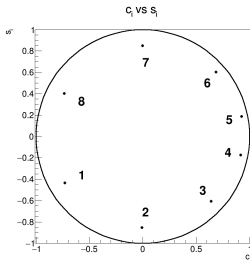
## 3 Summary



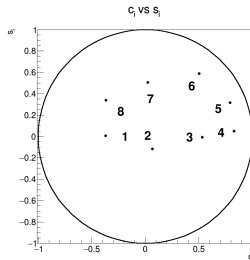
# LHCb analysis summary

- Current analysis progress:

- ① Finished ANA note draft, currently in 1st circulation in B2OC WG
- ② Received comments from 2/3 reviewers, replies ready this week
  - Will request  $B \rightarrow (K\pi\pi\pi\pi^0)_D h^\pm$  MC
  - Fit with  $c_i$ ,  $s_i$  floated?
- ③ Need to finish off systematics for:
  - Charmless and  $K\pi\pi\pi\pi^0$  backgrounds
  - $c_i$ ,  $s_i$  model-dependent uncertainties



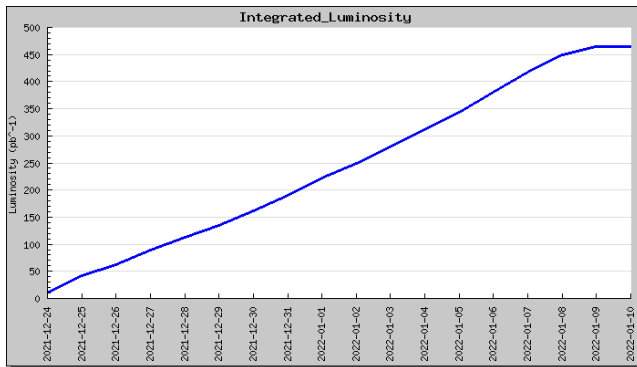
(a) LHCb model



(b) CLEO model

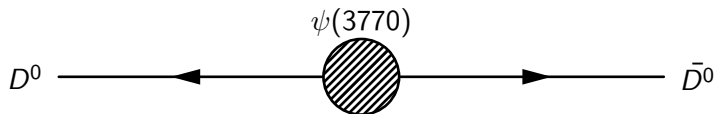
# Strong-phase determination in quantum correlated $D^0\bar{D}^0$ decays

- BESIII:  $e^+e^-$  collider at  $\psi(3770) \rightarrow D^0\bar{D}^0$  threshold
  - 2010-2011:  $2.93\text{ fb}^{-1}$
  - Since 23rd December:  $0.46\text{ fb}^{-1}$
  - Expect  $20\text{ fb}^{-1}$  by end of 2023

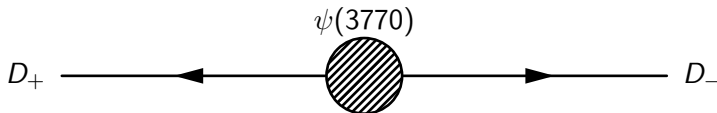


# Strong-phase determination in quantum correlated $D^0\bar{D}^0$ decays

- Double-tag analysis: Reconstruct signal mode ( $KK\pi\pi$ ) and known tag mode
- $D^0\bar{D}^0$  pair is quantum correlated

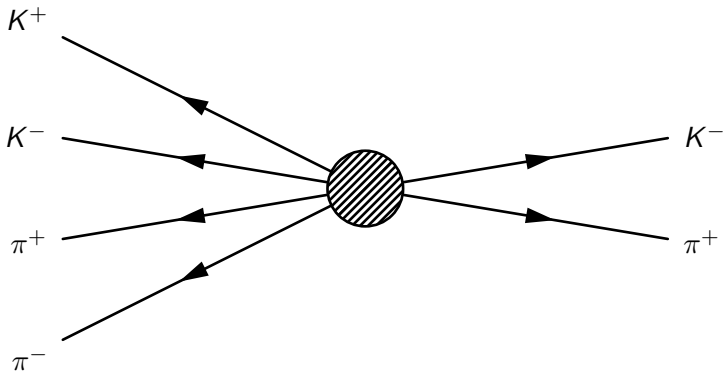


- Equivalently, we can consider  $D_+D_-$ 
  - $D_{\pm} = \frac{1}{\sqrt{2}}(D^0 \pm \bar{D}^0)$  are CP eigenstates



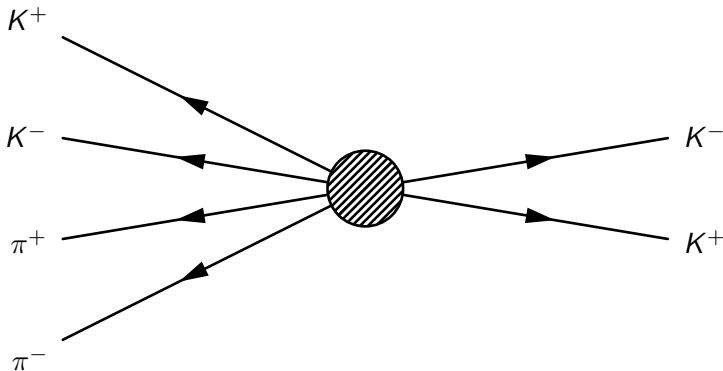
# Strong-phase in quantum correlated $D^0\bar{D}^0$ decays

- Tag mode can be a flavour tag
  - $K^-\pi^+$ ,  $K^-\pi^+\pi^0$ ,  $K^-\pi^+\pi^-\pi^+$ ,  $K^-\text{e}^+\nu_e$



# Strong-phases in quantum correlated $D^0\bar{D}^0$ decays

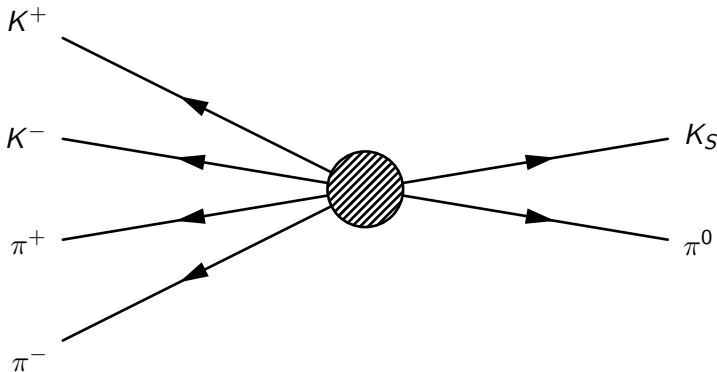
- Tag mode can be a CP even tag
  - $KK, \pi\pi, \pi\pi\pi^0, K_S\pi^0\pi^0, K_L\pi^0, K_L\omega$





# Strong-phase in quantum correlated $D^0\bar{D}^0$ decays

- Tag mode can be a CP odd tag
  - $K_S\pi^0$ ,  $K_S\omega$ ,  $K_S\eta$ ,  $K_S\eta'$ ,  $K_L\pi^0\pi^0$



# Strong-phase in quantum correlated $D^0\bar{D}^0$ decays

The yield in bin  $i$  depends on the tag mode:

- Flavour tag:

- $N_i \propto K_i$

- CP even tag:

- $N_i \propto K_i + \bar{K}_i - 2\sqrt{K_i\bar{K}_i}c_i$

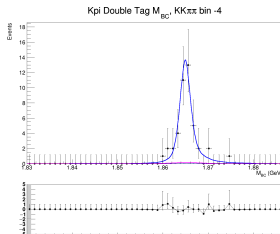
- CP odd tag:

- $N_i \propto K_i + \bar{K}_i + 2\sqrt{K_i\bar{K}_i}c_i$

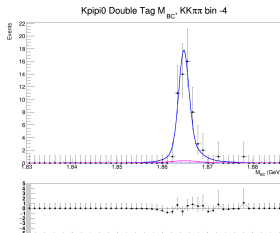
Strategy for obtaining  $c_i$  (and  $s_i$ ):

- 1 Measure  $K_i$  using flavour tags
- 2 Determine yields of CP even/odd tags
- 3 Fit for  $c_i$

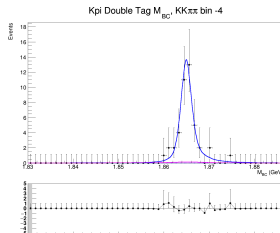
# Measurement of fractional bin yields $K_i$



(a)  $K\pi$

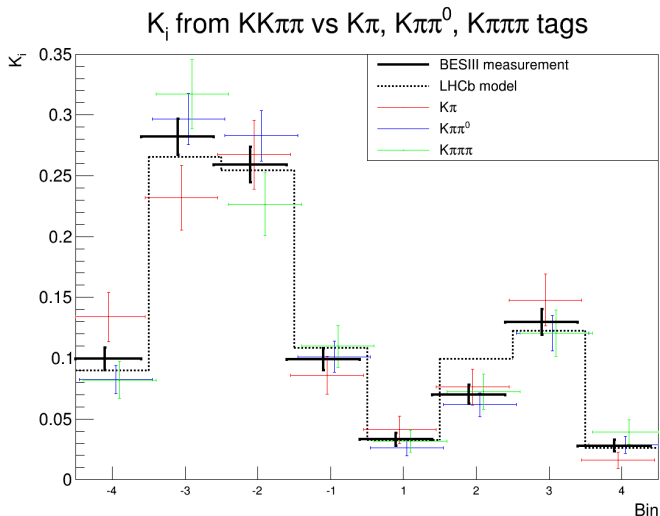


(b)  $K\pi\pi^0$



(c)  $K\pi\pi\pi$

# Measurement of fractional bin yields $K_i$



Model agrees well with data so far!

# Measurement of CP-even fraction $F_+$

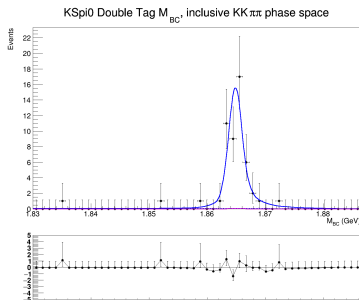
CP tag yields too small for strong-phase analysis...

- Measure CP-even fraction  $F_+$  instead
  - $F_+ = 1$  for CP even tags,  $F_+ = 0$  for CP odd tags
  - $2F_+ - 1$  is the average cosine of the strong-phase
- $F_+$  is an input to GLW analyses of  $\gamma$
- Good cross check of data-model agreement
- $KK\pi\pi$  model prediction:  $F_+ = 0.74$ , or  $2F_+ - 1 = 0.47$

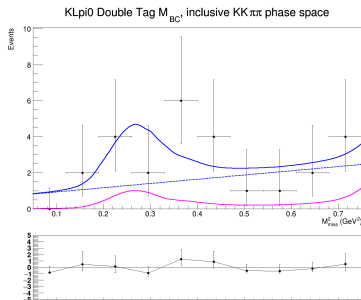
# Measurement of CP-even fraction $F_+$

Strategy for measuring  $F_+$ :

- Measure double tag yield of CP tags *without* binning
- Normalize double tag yields with single tag yields
- $\frac{N^{\text{DT}}}{N^{\text{ST}}} = \text{BF}(D^0 \rightarrow \text{KK}\pi\pi) \times (1 \pm (2F_+ - 1))$



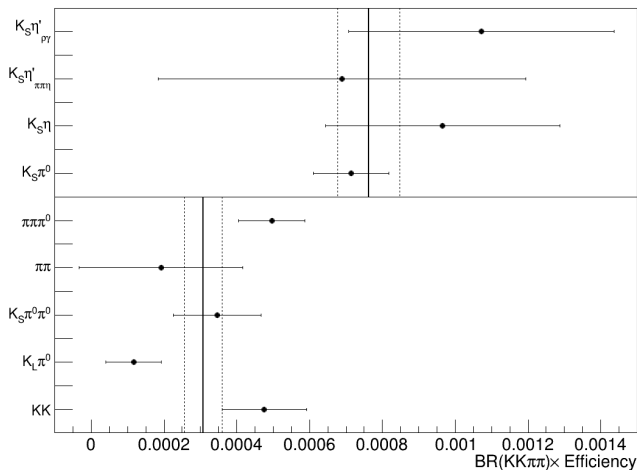
(a)  $K_S\pi^0$



(b)  $K_L\pi^0$

# Measurement of CP-even fraction $F_+$

$D^0 \rightarrow KK\pi\pi$  BF asymmetry



Fit result:  $F_+ = 0.71 \pm 0.04$

Model prediction:  $F_+ = 0.74$

- LHCb:
  - $B^\pm \rightarrow (K^+ K^- \pi^+ \pi^-)_D h^\pm$  analysis in B2OC WG review
  - Very encouraging feedback so far
- BESIII:
  - Fractional bin yields  $K_i$  agree well with model
  - CP-even fraction  $F_+$  shows good agreement with model, but low yields
  - Will include  $K_{S,L} \pi \pi$  tags