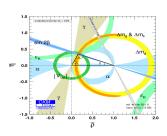
# $\gamma$ analysis update in $B^\pm o (K^+K^-\pi^+\pi^-)_D K^\pm$ decays

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14th March 2021





### Outline

Summary of last time

② Binning scheme

# Summary of last time

- $B^{\pm} \rightarrow DK^{\pm}$ ,  $D \rightarrow K^{+}K^{-}\pi^{+}\pi^{-}$ , arXiv:hep-ph/0611272
- Model independent measurement with BESIII strong phase input
- Estimate 2000 B events from LHCb Run 1 and 2
  - Benchmark:  $\sigma(\gamma) = 11^{\circ}$  from model dependent fit
  - LHCb amplitude model in AmpGen, arXiv:1811.08304
- Pull study to test and optimize binning scheme
  - Simulated 1000 experiments with 2000 events each
  - Strong phases from amplitude model using MC integration

### Binning scheme

• Aim: Pick binning scheme to maximize  $x_{\pm}$  and  $y_{\pm}$  sensitivity

#### Event yield in bin i

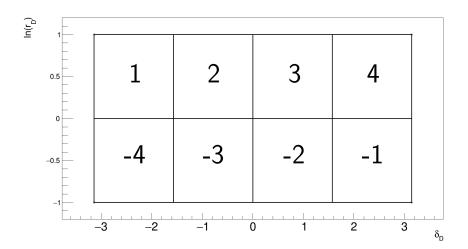
$$\begin{split} N_{i}^{+} &= h_{B^{+}} \Big( \bar{K}_{i} + \left( x_{+}^{2} + y_{+}^{2} \right) K_{i} + 2 \sqrt{K_{i} \bar{K}_{i}} \big( x_{+} c_{i} - y_{+} s_{i} \big) \Big) \\ N_{-i}^{+} &= h_{B^{+}} \Big( K_{i} + \left( x_{+}^{2} + y_{+}^{2} \right) \bar{K}_{i} + 2 \sqrt{K_{i} \bar{K}_{i}} \big( x_{+} c_{i} + y_{+} s_{i} \big) \Big) \\ x_{\pm} &= r_{B} \cos(\delta_{B} \pm \gamma), \quad y_{\pm} = r_{B} \sin(\delta_{B} \pm \gamma) \end{split}$$

- Previously: Rectangular parameterization of 5D phase space
- Better and simpler:
  - Generate C++ source code for amplitude model using AmpGen
  - Evaluate amplitude directly in analysis
  - Decide bin based on strong phase and amplitude ratio directly

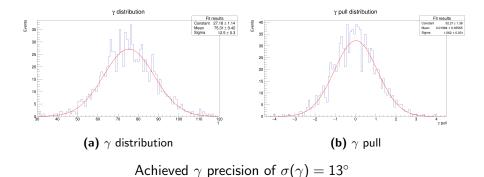
#### Strong phase and amplitude ratio

$$\mathcal{A}(D^0)/\mathcal{A}(\bar{D^0}) = r_D \exp(i\delta_D)$$

# Naive ampltiude binning scheme



### Pull study naive amplitude binning



# Optimize bin widths

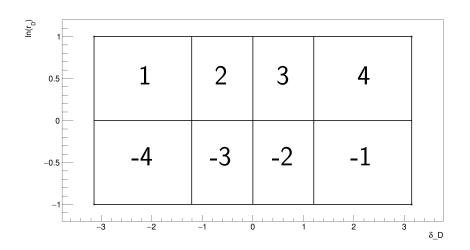
- Optimize  $x_{\pm}$ ,  $y_{\pm}$  sensitivity
- ullet Vary bin edges, keep symmetric around  $\delta_D=0$

#### Binning Q value

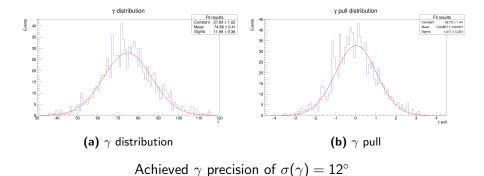
$$\begin{aligned} Q^2 &= 1 - \sum_i \frac{\kappa_i \bar{K}_i (1 - c_i^2 - s_i^2)}{N_i} / \sum_i K_i \\ Q^2 &\approx \sum_i N_i (c_i^2 + s_i^2) / \sum_i N_i \end{aligned}$$

• Can achieve  $Q \approx 0.90$  with 8 bins  $\implies$  expect  $\sigma(\gamma) = 12^{\circ}$ 

# Variable widths binning scheme



# Pull study with variable widths binning



### Binning along $r_D$

- $\bullet$  Further optmization by binning along  $r_D$
- Claim: Can use **same**  $c_i$  and  $s_i$  in bin i and i'
- $\bullet$  Can push  $\sigma(\gamma)$  down by  $0.5^{\circ}\text{-}1^{\circ}$

