Experimental Setup, Model Selection, Overfitting, Regularization

Explaining concepts with a polynomial fitting example

Roberto Souza Assistant Professor Electrical and Software Engineering Schulich School of Engineering



Outline

Learning Goals

Experimental setup and model selection

Overfitting and regularization

Metrics

Summary



Learning Goals

Explain how to design your experiment

Introduce how to select your model

• Introduce the concepts of *over-fitting*, *under-fitting*, and *model generalization*.

• Introduce the concept of *regularization* for reducing model *over-fitting*.



Hands-on Tutorial

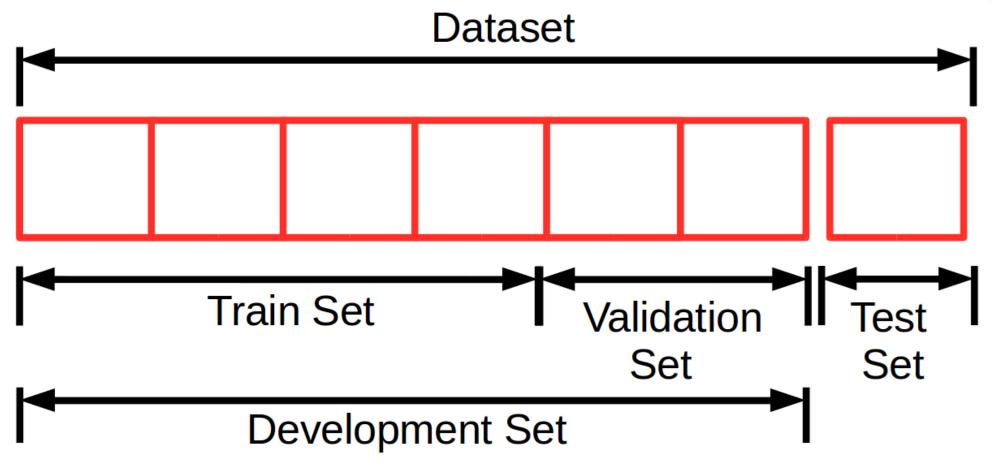
https://github.com/rmsouza01/deep-learning

• Tutorial: Model selection, overfitting, regularization

 Based on the example presented in chapter 1 of the book: Christopher M. Bishop. 2006. Pattern Recognition and Machine Learning (Information Science and Statistics). Springer-Verlag New York, Inc., Secaucus, NJ, USA.



Experiment Design: Train, Validation and Test

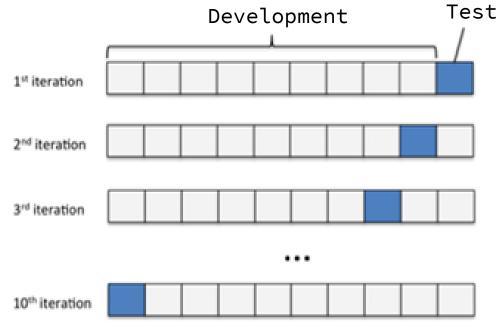


- Train set: learn parameters of your models
- Validation set: model selection
- **Test set**: verify generalizability to unseen data



Experiment Design: k-fold cross validation

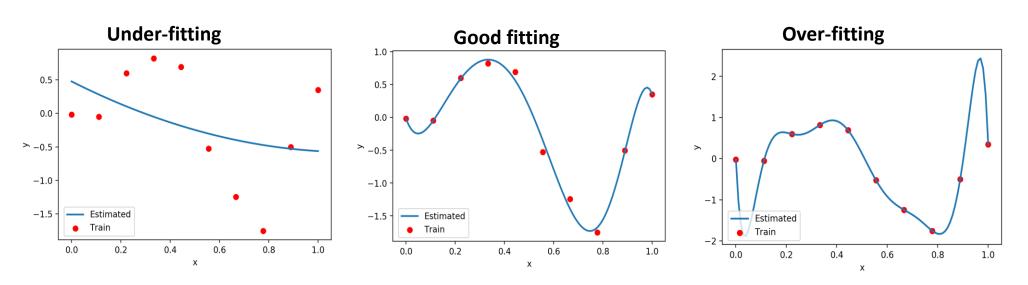
- Performs k iterations on the data
- Stratified k-fold: maintain the proportions of each class into folds (unbalance data)





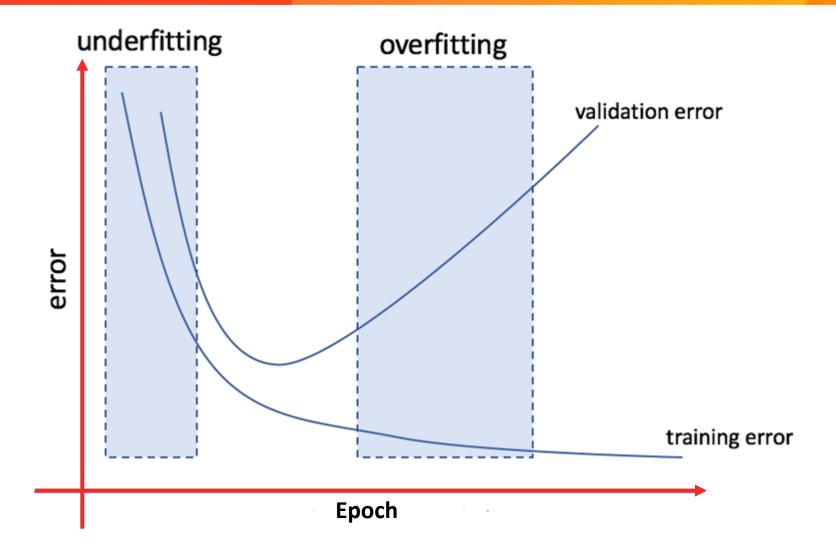
Under- and Over-fitting

- Under-fitting: too inflexible; captures no pattern
 - fitting a linear model to non-linear data
- Over-fitting: too flexible; fits to noise in the data
 - model is excessively complex (#features>>#samples or #parameters too high)
 - decision boundary does not generalize-> poor results for new samples





Under- and Over-fitting





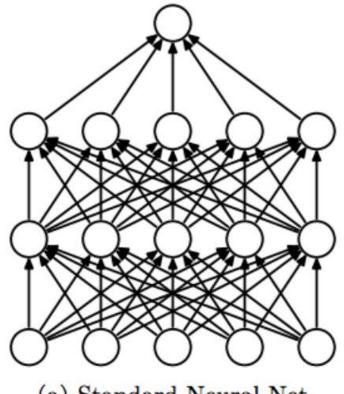
Techniques to Avoid Over-fitting

- More data
- Reduce model complexity (i.e., number of trainable parameters)
- Regularization
- Dropout
- Data augmentation
- Multi-task learning

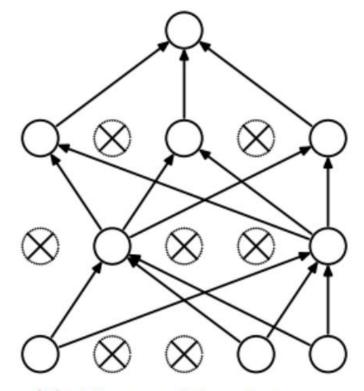


Dropout

Learn redundant paths -> gain robustness



(a) Standard Neural Net



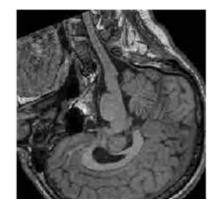
(b) After applying dropout.



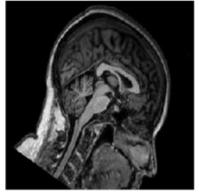
Supervised Data = Images + labels

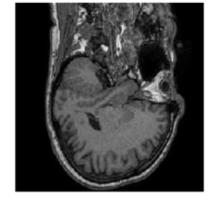


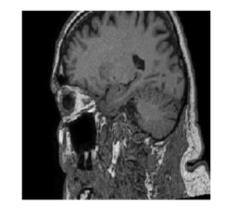


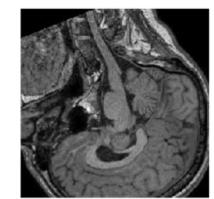


JPEG compressed







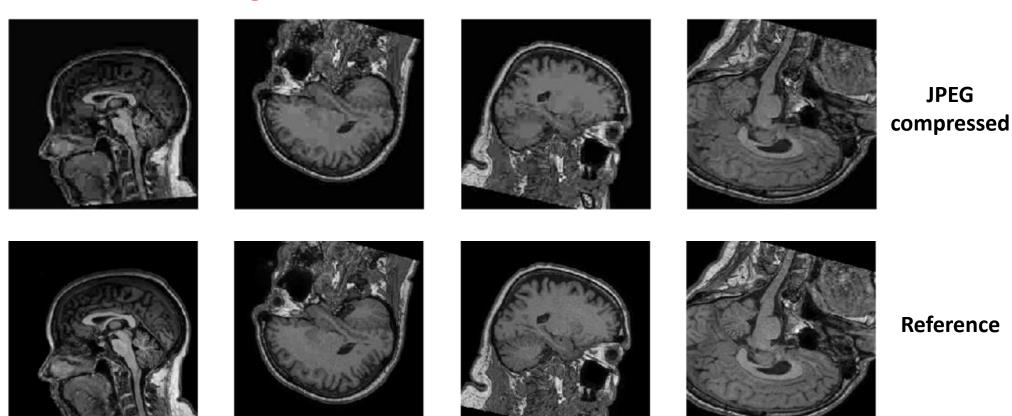


Reference





Supervised Data = Images + labels

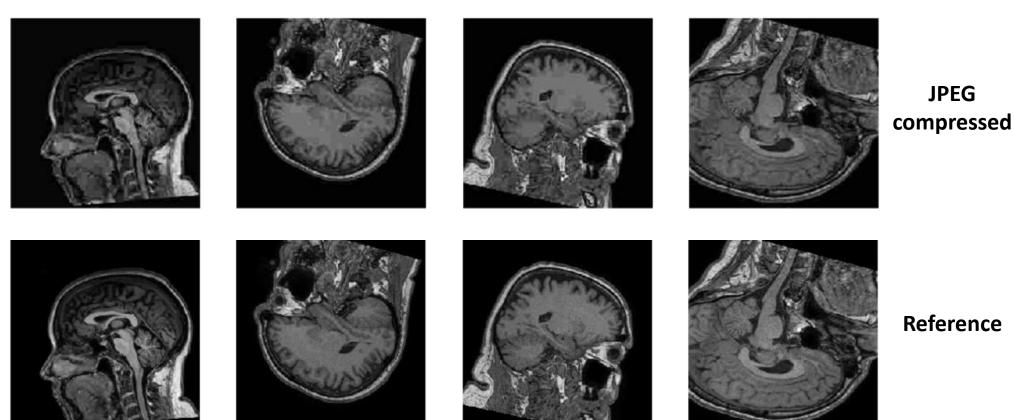


Data augmentation illustration (regression)

2nd epoch



Supervised Data = Images + labels

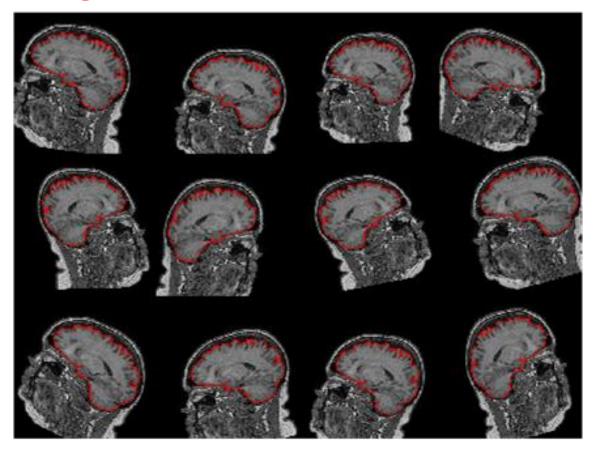


Data augmentation illustration (regression)

3rd epoch



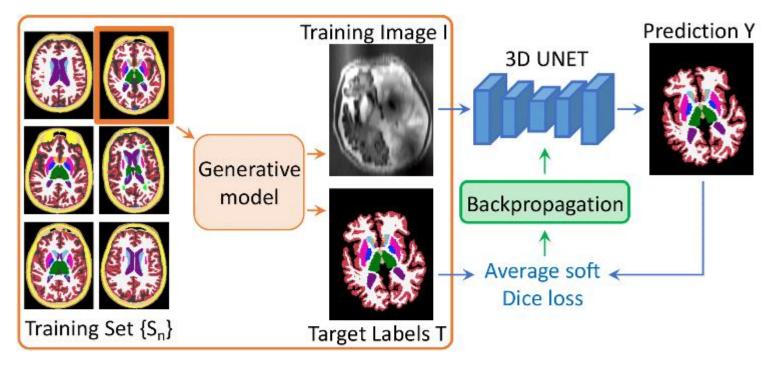
Supervised Data = Images + labels

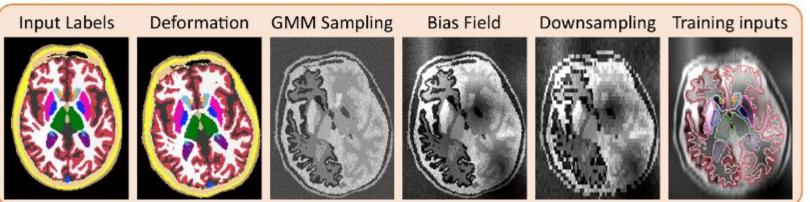


Data augmentation illustration (segmentation)



Domain Randomization

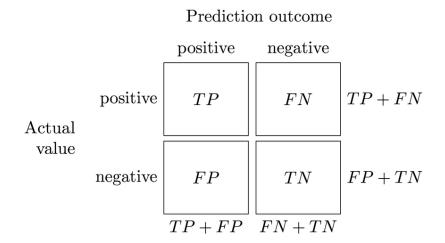






Metrics - Classification

Confusion matrix

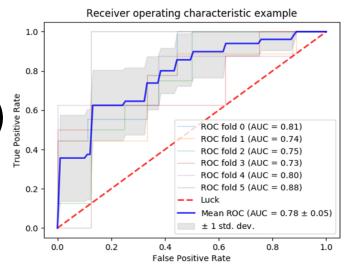


Receiver operating characteristic (ROC)

$$Accuracy = \frac{TP+TN}{TP+TN+FP+FN}$$

Sensitivity = TP / P

$$Specificity = TN / N$$





Metrics - Regression

Structural Similarity (SSIM)

$$ext{SSIM}(x,y) = rac{(2\mu_x \mu_y + c_1)(2\sigma_{xy} + c_2)}{(\mu_x^2 + \mu_y^2 + c_1)(\sigma_x^2 + \sigma_y^2 + c_2)}$$

 Normalized Root Mean Squared Error (NRMSE)

$$\mathit{MSE} = rac{1}{m\,n} \sum_{i=0}^{m-1} \sum_{j=0}^{n-1} [I(i,j) - K(i,j)]^2$$

 $RMSD(\hat{\theta}) = \sqrt{MSE(\hat{\theta})} = \sqrt{E((\hat{\theta} - \theta)^2)}.$

$$PSNR = 10 \cdot \log_{10} \left(\frac{M}{N} \right)$$

$$=20\cdot \log_{10}igg(rac{MAX_I}{\sqrt{MSE}}igg)$$

$$=20\cdot \log_{10}(\textit{MAX}_I) - 10\cdot \log_{10}(\textit{MSE})$$





Summary

• For large datasets, a single train/val/test split is often sufficient

The validation set is used for model selection

Overfitting makes your model less generalizable to new datasets

 Model overfitting can be mitigated by employing techniques, such as regularization



Thank you!

