```
In [33]: import pandas as pd
import numpy as np
import operator
import matplotlib.pyplot as plt
```

In []: # reads a CSV file named iris data andnstores in Pandas DataFrame
 data = pd.read_csv('iris.csv', header=None, names=['sepal_length', 'se
 pal_width', 'petal_length', 'petal_width', 'class'])
 print(data)

	sepal_length	sepal_width	petal_length	petal_width	class
0	5.1	3.5	1.4	0.2	Setosa
1	4.9	3.0	1.4	0.2	Setosa
2	4.7	3.2	1.3	0.2	Setosa
3	4.6	3.1	1.5	0.2	Setosa
4	5.0	3.6	1.4	0.2	Setosa
• •	•••	• • •	•••	• • •	• • •
145	6.7	3.0	5.2	2.3	Virginica
146	6.3	2.5	5.0	1.9	Virginica
147	6.5	3.0	5.2	2.0	Virginica
148	6.2	3.4	5.4	2.3	Virginica
149	5.9	3.0	5.1	1.8	Virginica

[150 rows x 5 columns]

Darral ammant Cat.

neserobment per:						
	sepal_length	sepal_width	petal_length	petal_width	cla	
SS						
37	4.9	3.6	1.4	0.1	Setos	
a						
77	6.7	3.0	5.0	1.7	Versicolo	
r						
119	6.0	2.2	5.0	1.5	Virginic	
a						
8	4.4	2.9	1.4	0.2	Setos	
a						
145	6.7	3.0	5.2	2.3	Virginic	
a						
• •	• • •	• • •	• • •	• • •	• •	
•						
102	7.1	3.0	5.9	2.1	Virginic	
a						
149	5.9	3.0	5.1	1.8	Virginic	
a						
76	6.8	2.8	4.8	1.4	Versicolo	
r						
139	6.9	3.1	5.4	2.1	Virginic	
a						
143	6.8	3.2	5.9	2.3	Virginic	
a						

[112 rows x 5 columns]

Test Set:					
	sepal_length	sepal_width	petal_length	petal_width	cla
SS					
4	5.0	3.6	1.4	0.2	Setos
a					
86	6.7	3.1	4.7	1.5	Versicolo
r					
22	4.6	3.6	1.0	0.2	Setos
a					
40	5.0	3.5	1.3	0.3	Setos
a					
117	7.7	3.8	6.7	2.2	Virginic
a					
118	7.7	2.6	6.9	2.3	Virginic
a					
142	5.8	2.7	5.1	1.9	Virginic
a					
85	6.0	3.4	4.5	1.6	Versicolo
r					
103	6.3	2.9	5.6	1.8	Virginic
a					

1.3

0.4

3.9

5.4

16

Setos

6.8	3.0	5.5	2.1	Virginic
6.3	3.4	5.6	2.4	Virginic
				-
6.3	3.3	6.0	2.5	Virginic
5.0	2.3	3.3	1.0	Versicolo
4.4	3.2	1.3	0.2	Setos
5.7	3.0	4.2	1.2	Versicolo
5.2	4.1	1.5	0.1	Setos
5.6	3.0	4.5	1.5	Versicolo
5.1	2.5	3.0	1.1	Versicolo
5.7	2.8	4.5	1.3	Versicolo
F 1	2 5	1 4	0.2	Setos
J•1	3.3	1.4	0.2	secos
5.0	3.2	1.2	0.2	Setos
6.7	3.1	4.4	1.4	Versicolo
5.0	3.4	1.6	0.4	Setos
4.8	3.0	1.4	0.3	Setos
4.7	3.2	1.6	0.2	Setos
5 0	2 0	2 5	1 0	Versicolo
3.0	2.0	3.5	1.0	versicolo
4.8	3.4	1.6	0.2	Setos
7.7	2.8	6.7	2.0	Virginic
4.6	3.4	1.4	0.3	Setos
4.9	2.5	4.5	1.7	Virginic
6.4	2.7	5.3	1.9	Virginic
6.9	3.2	5.7	2.3	Virginic
5.7	2.5	5.0	2.0	Virginic
5.0	3.3	1.4	0.2	Setos
	6.3 6.3 5.0 4.4 5.7 5.2 5.6 5.1 5.7 5.1 5.0 6.7 5.0 4.8 4.7 5.0 4.8 7.7 4.6 4.9 6.4 6.9 5.7	6.3 3.4 6.3 3.3 5.0 2.3 4.4 3.2 5.7 3.0 5.2 4.1 5.6 3.0 5.1 2.5 5.7 2.8 5.1 3.5 5.0 3.2 6.7 3.1 5.0 3.4 4.8 3.0 4.7 3.2 5.0 2.0 4.8 3.4 7.7 2.8 4.6 3.4 4.9 2.5 6.4 2.7 6.9 3.2 5.7 2.5	6.3 3.4 5.6 6.3 3.3 6.0 5.0 2.3 3.3 4.4 3.2 1.3 5.7 3.0 4.2 5.2 4.1 1.5 5.6 3.0 4.5 5.1 2.5 3.0 5.7 2.8 4.5 5.1 3.5 1.4 5.0 3.2 1.2 6.7 3.1 4.4 5.0 3.4 1.6 4.8 3.0 1.4 4.7 3.2 1.6 5.0 2.0 3.5 4.8 3.4 1.6 7.7 2.8 6.7 4.6 3.4 1.4 4.9 2.5 4.5 6.4 2.7 5.3 6.9 3.2 5.7 5.7 2.5 5.0	6.3 3.4 5.6 2.4 6.3 3.3 6.0 2.5 5.0 2.3 3.3 1.0 4.4 3.2 1.3 0.2 5.7 3.0 4.2 1.2 5.2 4.1 1.5 0.1 5.6 3.0 4.5 1.5 5.1 2.5 3.0 1.1 5.7 2.8 4.5 1.3 5.1 3.5 1.4 0.2 5.0 3.2 1.2 0.2 6.7 3.1 4.4 1.4 5.0 3.4 1.6 0.4 4.8 3.0 1.4 0.3 4.7 3.2 1.6 0.2 5.0 2.0 3.5 1.0 4.8 3.4 1.6 0.2 7.7 2.8 6.7 2.0 4.6 3.4 1.4 0.3 4.9 2.5 4.5 1.7 6.9 3.2 5.7 2.3 5.7 2

```
а
71
              6.1
                          2.8
                                         4.0
                                                      1.3 Versicolo
r
                                                      1.3 Versicolo
94
              5.6
                          2.7
                                         4.2
r
              6.5
                           3.0
                                         5.8
                                                      2.2
                                                            Virginic
104
```

```
In []: # extracting the class labels for development and testing data
    test_class = list(test_set.iloc[:,-1])
    dev_class = list(development_set.iloc[:,-1])

# calculating mean and standard deviation for both development set and
    testing set
    mean_development_set = development_set.mean()
    mean_test_set = test_set.mean()
    std_development_set = development_set.std()
    std_test_set = test_set.std()
```

<ipython-input-30-f2c127012c5f>:6: FutureWarning: Dropping of nuisan
ce columns in DataFrame reductions (with 'numeric_only=None') is dep
recated; in a future version this will raise TypeError. Select only
valid columns before calling the reduction.

mean development set = development set.mean()

<ipython-input-30-f2c127012c5f>:7: FutureWarning: Dropping of nuisan
ce columns in DataFrame reductions (with 'numeric_only=None') is dep
recated; in a future version this will raise TypeError. Select only
valid columns before calling the reduction.

```
mean_test_set = test_set.mean()
```

<ipython-input-30-f2c127012c5f>:8: FutureWarning: Dropping of nuisan
ce columns in DataFrame reductions (with 'numeric_only=None') is dep
recated; in a future version this will raise TypeError. Select only
valid columns before calling the reduction.

std development set = development set.std()

<ipython-input-30-f2c127012c5f>:9: FutureWarning: Dropping of nuisan
ce columns in DataFrame reductions (with 'numeric_only=None') is dep
recated; in a future version this will raise TypeError. Select only
valid columns before calling the reduction.

std_test_set = test_set.std()

```
In []: # finding Euclidean Distance
def euclideanDistance(data_1, data_2, data_len):
    dist = 0
    for i in range(data_len):
        dist = dist + np.square(data_1[i] - data_2[i])
    return np.sqrt(dist)

# Formula for Normalized Euclidean Distance
# d(p, q) = sqrt(sum(((pi - mu_i) / sigma_i - (qi - mu_i) / sigma_i) *
```

```
* 2))
# pi and qi are features of data 1 and data 2 and mu is mean and sigma
i is standard deviation
def normalizedEuclideanDistance(data 1, data 2, data len, data mean, d
ata std):
   n dist = 0
    for i in range(data len):
        n dist = n dist + (np.square(((data 1[i] - data mean[i])/data
std[i]) - ((data 2[i] - data mean[i])/data std[i])))
    return np.sqrt(n dist)
def cosineSimilarity(data 1, data 2):
# computes the dot product of data 1 and data 2 without considering th
e last element of data 2.
    dot = np.dot(data 1, data 2[:-1])
    norm data 1 = np.linalg.norm(data 1)
    norm data 2 = np.linalq.norm(data 2[:-1])
# It computes the cosine similarity between data 1 and data 2, dividin
g dot by the product of the two Euclidean norms.
    cos = dot / (norm data 1 * norm data 2)
    return (1-cos)
# This function calculates the distance between the test instance and
all instances
# Then it finds the k nearest neighbors and returns the class
# For K-nearest neighbours
def knn(dataset, testInstance, k, dist method, dataset mean, dataset s
td):
   distances = {}
    # ???? why length is depending on test instance ????
    length = testInstance.shape[1]
    if dist method == 'euclidean':
        for x in range(len(dataset)):
            dist up = euclideanDistance(testInstance, dataset.iloc[x],
length)
            distances[x] = dist up[0]
    elif dist method == 'normalized euclidean':
        for x in range(len(dataset)):
            dist up = normalizedEuclideanDistance(testInstance, datase
t.iloc[x], length, dataset mean, dataset std)
            distances[x] = dist up[0]
    elif dist method == 'cosine':
        for x in range(len(dataset)):
            dist up = cosineSimilarity(testInstance, dataset.iloc[x])
```

```
distances[x] = dist up[0]
    # Sort values based on distance
    sort distances = sorted(distances.items(), key=operator.itemgetter
(1))
   neighbors = []
    # Extracting nearest k neighbors
    for x in range(k):
        neighbors.append(sort_distances[x][0])
    # Initializing counts for 'class' labels counts as 0
   counts = {"Iris-setosa" : 0, "Iris-versicolor" : 0, "Iris-virginic
a'' : 0
    # Computing the most frequent class
    for x in range(len(neighbors)):
        response = dataset.iloc[neighbors[x]][-1]
        if response in counts:
            counts[response] += 1
        else:
            counts[response] = 1
    # Sorting the class in reverse order to get the most frequest clas
    sort counts = sorted(counts.items(), key=operator.itemgetter(1), r
everse=True)
    return(sort counts[0][0])
```

```
In [36]:
         # Now we implement KNN algorithm on development set for various values
         of K
         # It iterates through each data point in the development set
         # to determine its predicted class label based on the k nearest neighb
         ors
         row list = []
         for index, rows in development set.iterrows():
             my list = [rows.sepal length, rows.sepal width, rows.petal length,
         rows.petal width]
             row list.append([my list])
         # k values for the number of neighbors that need to be considered
         k n = [1, 3, 5, 7]
         # Distance metrics
         distance methods = ['euclidean', 'normalized euclidean', 'cosine']
         # Performing kNN on the development set by iterating all of the develo
         pment set data points and for each k and each distance metric
         obs k = \{\}
         for dist method in distance methods:
             development set obs k = \{\}
             for k in k n:
                 development set obs = []
                 for i in range(len(row list)):
                   development set obs.append(knn(development set, pd.DataFrame
         (row list[i]), k, dist method, mean development set, std development s
         et))
                 development set obs k[k] = development set obs
             # Nested Dictionary containing the observed class for each k and e
         ach distance metric (obs k of the form obs k[dist method][k])
             obs k[dist method] = development set obs k
             print(dist method.upper() + " distance method performed on the dat
         aset for all k values!")
```

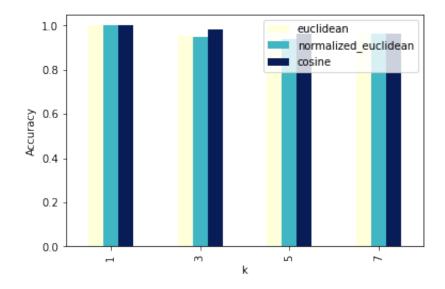
EUCLIDEAN distance method performed on the dataset for all k values! NORMALIZED_EUCLIDEAN distance method performed on the dataset for all k values!

COSINE distance method performed on the dataset for all k values!

```
In [38]:
         accuracy = {}
         for key in obs k.keys():
             accuracy[key] = {}
             for k value in obs k[key].keys():
                 \#print('k = ', key)
                 count = 0
                 for i,j in zip(dev_class, obs_k[key][k_value]):
                     if i == j:
                         count = count + 1
                     else:
                         pass
                 accuracy[key][k value] = count/(len(dev class))
         # Storing the accuracy for each k and each distance metric into a data
         df res = pd.DataFrame({'k': k n})
         for key in accuracy.keys():
             value = list(accuracy[key].values())
             df res[key] = value
         print(df res)
         # Plotting a Bar Chart for accuracy
         draw = df res.plot(x='k', y=['euclidean', 'normalized euclidean', 'cos
         ine'], kind="bar", colormap='YlGnBu')
         draw.set(ylabel='Accuracy')
         # Ignoring k=1 if the value of accuracy for k=1 is 100%, since this mo
         stly implies overfitting
         df res.loc[df res['k'] == 1.0, ['euclidean', 'normalized euclidean', '
         cosine']] = np.nan
         # Fetching the best k value for using all hyper-parameters
         # In case the accuracy is the same for different k and different dista
         nce metric selecting the first of all the same
         column val = [c for c in df res.columns if not c.startswith('k')]
         col max = df res[column val].max().idxmax()
         best dist method = col max
         row max = df res[col max].argmax()
         best k = int(df res.iloc[row max]['k'])
         if df res.isnull().values.any():
             print('\n\n\nBest k value is\033[1m', best k, '\033[0mand best dis
         tance metric is\033[1m', best dist method, '\033[0m. Ignoring k=1 if t
         he value of accuracy for k=1 is 100%, since this mostly implies overfi
         tting')
         else:
             print('\n\n\nBest k value is\033[1m', best k, '\033[0mand best dis
         tance metric is\033[1m', best_dist method, '\033[0m.')
```

	k	euclidean	normalized_euclidean	cosine
0	1	1.000000	1.000000	1.000000
1	3	0.955357	0.946429	0.982143
2	5	0.964286	0.937500	0.964286
3	7	0.964286	0.964286	0.964286

Best k value is $\bf 3$ and best distance metric is **cosine**. Ignoring k=1 if the value of accuracy for k=1 is 100%, since this mostly implies overfitting



Best k value is 3 and best distance metric is cosine

```
In [40]:
         # Creating a list of list of all columns except 'class' by iterating t
         hrough the development set
         row list test = []
         for index, rows in test set.iterrows():
             my list =[rows.sepal length, rows.sepal width, rows.petal length,
         rows.petal width]
             row list test.append([my list])
         test set obs = []
         for i in range(len(row list test)):
             test set obs.append(knn(test set, pd.DataFrame(row list test[i]),
         best k, best dist method, mean test set, std test set))
         #print(test set obs)
         count = 0
         for i,j in zip(test class, test set obs):
             if i == j:
                 count = count + 1
             else:
                 pass
         accuracy test = count/(len(test_class))
         print('Final Accuracy of the Test dataset is ', accuracy test)
```

Final Accuracy of the Test dataset is 1.0