



# C++ Data Structures

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# CONTENTS



01

Order

02

C++ Data Structures

03

Conclusion

# 01

## Order

The time complexity of an algorithm is the total amount of time required by an algorithm to complete its execution.



## Practice

```
int n;  
cin>>n;  
for (int i=0;i<n;i++)  
    cout<<n;
```

$O(N)$

```
int N;  
cin>>N;  
int a = 0, i = N;  
while (i > 0) {  
    a += i;  
    i /= 2;  
}
```

$O(\log(n))$



```
int n;  
cin>>n;  
for (int i=0;i<n;i++)  
    for (int j=0;j<n;j++)  
        cout<<n;
```

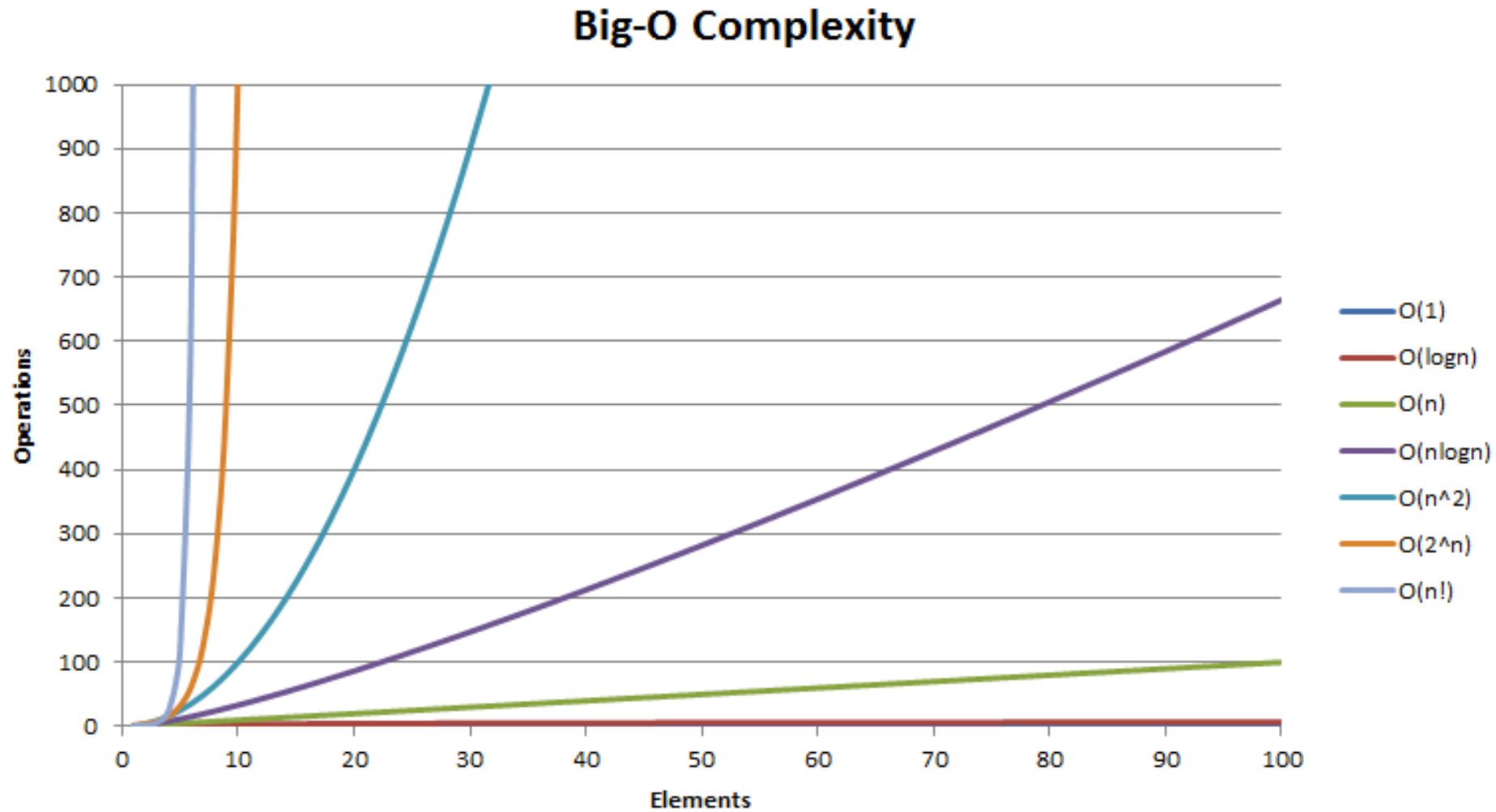
$O(N^2)$

```
int N;  
cin>>N;  
int a = 0, b = 0;  
for (i = 0; i < N; i++) {  
    a = a + rand();  
}  
for (j = 0; j < N; j++) {  
    b = b + rand();  
}
```

$O(N)$

# Big-O

## Big-O Complexity Chart



# Data Structure

Data Structure	Time Complexity								Space Complexity
	Average				Worst				Worst
	Indexing	Search	Insertion	Deletion	Indexing	Search	Insertion	Deletion	
Basic Array	$O(1)$	$O(n)$	-	-	$O(1)$	$O(n)$	-	-	$O(n)$
Dynamic Array	$O(1)$	$O(n)$	$O(n)$	$O(n)$	$O(1)$	$O(n)$	$O(n)$	$O(n)$	$O(n)$
Singly-Linked List	$O(n)$	$O(n)$	$O(1)$	$O(1)$	$O(n)$	$O(n)$	$O(1)$	$O(1)$	$O(n)$
Doubly-Linked List	$O(n)$	$O(n)$	$O(1)$	$O(1)$	$O(n)$	$O(n)$	$O(1)$	$O(1)$	$O(n)$
Skip List	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(n)$	$O(n)$	$O(n)$	$O(n)$	$O(n \log(n))$
Hash Table	-	$O(1)$	$O(1)$	$O(1)$	-	$O(n)$	$O(n)$	$O(n)$	$O(n)$
Binary Search Tree	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(n)$	$O(n)$	$O(n)$	$O(n)$	$O(n)$
Cartesian Tree	-	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	-	$O(n)$	$O(n)$	$O(n)$	$O(n)$
B-Tree	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(n)$
Red-Black Tree	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(n)$
Splay Tree	-	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	-	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(n)$
AVL Tree	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(\log(n))$	$O(n)$



# 02

## C++ Data Structures





## Use for

- Simple storage
- Adding but not deleting
- Serialization
- Quick lookups by index
- Easy conversion to C-style arrays
- Efficient traversal (contiguous CPU caching)



## Do not use for

- Insertion/deletion in the middle of the list
- Dynamically changing storage
- Non-integer indexing



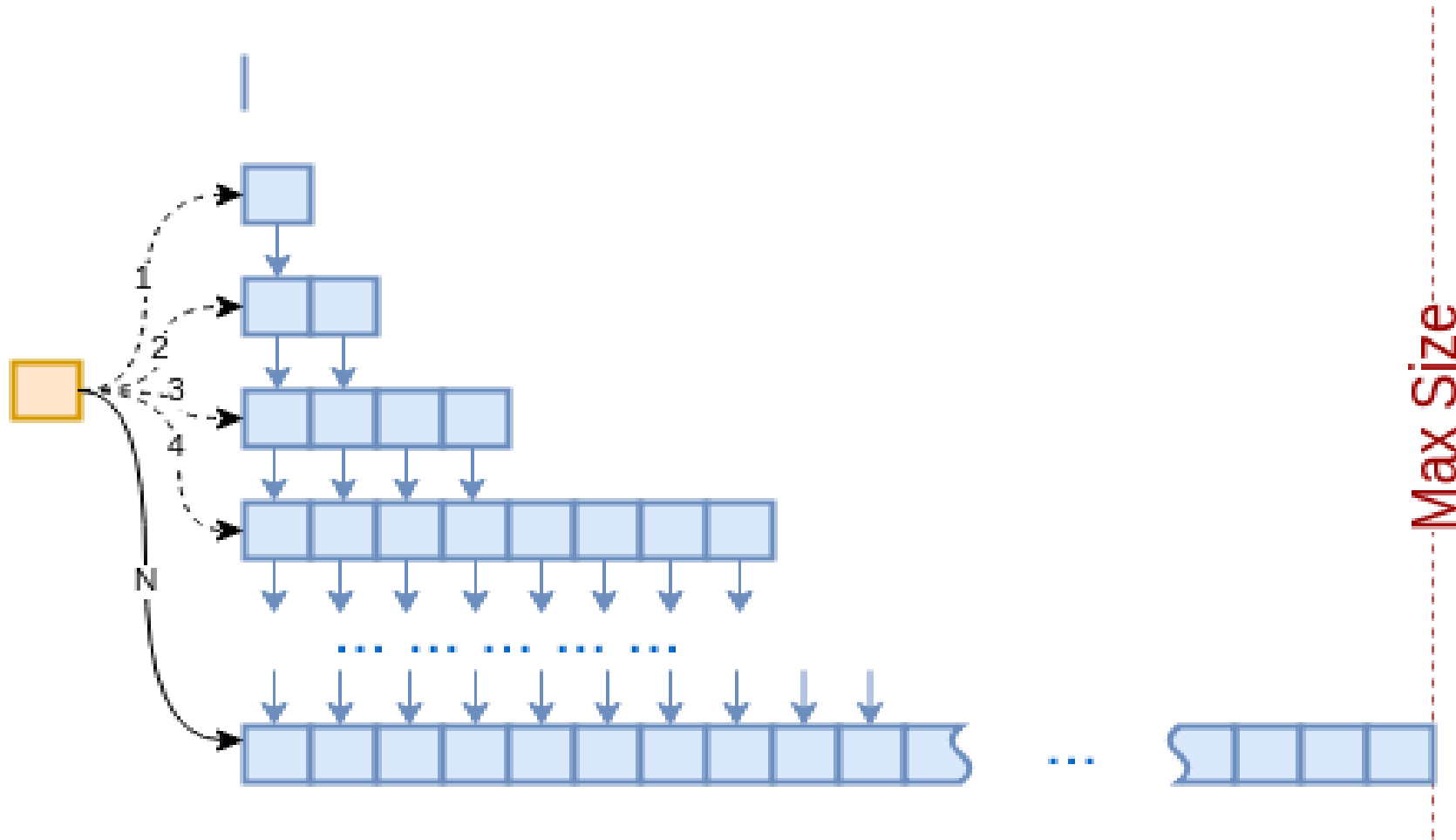
## Time Complexity

Operation	Time Complexity
Insert Head	O(n)
Insert Index	O(n)
Insert Tail	O(1)
Remove Head	O(n)
Remove Index	O(n)
Remove Tail	O(1)
Find Index	O(1)
Find Object	O(n)

```
std::vector<int> v;
// Insert head, index, tail
v.insert(v.begin(), value);           // head
v.insert(v.begin() + index, value);   // index
v.push_back(value);                   // tail
// Access head, index, tail
int head = v.front();                 // head
int value = v.at(index);              // index
int tail = v.back();                  // tail
// Size
unsigned int size = v.size();
// Iterate
for(std::vector<int>::iterator it = v.begin(); it != v.end(); it++) {
    std::cout << *it << std::endl;
}
// Remove head, index, tail
v.erase(v.begin());                   // head
v.erase(v.begin() + index);           // index
v.pop_back();                         // tail
// Clear
v.clear();
```

Vector std::vector





## Vector `std::vector`



It's a single contiguous storage (a 1d array). Each time it runs out of capacity it gets reallocated and stored objects are moved to the new larger place — this is why you observe addresses of the stored objects changing.

It has always been this way, not since C++17.



## Use for

- Insertion into the middle/beginning of the list
- Efficient sorting (pointer swap vs. copying)



## Do not use for

- Direct access

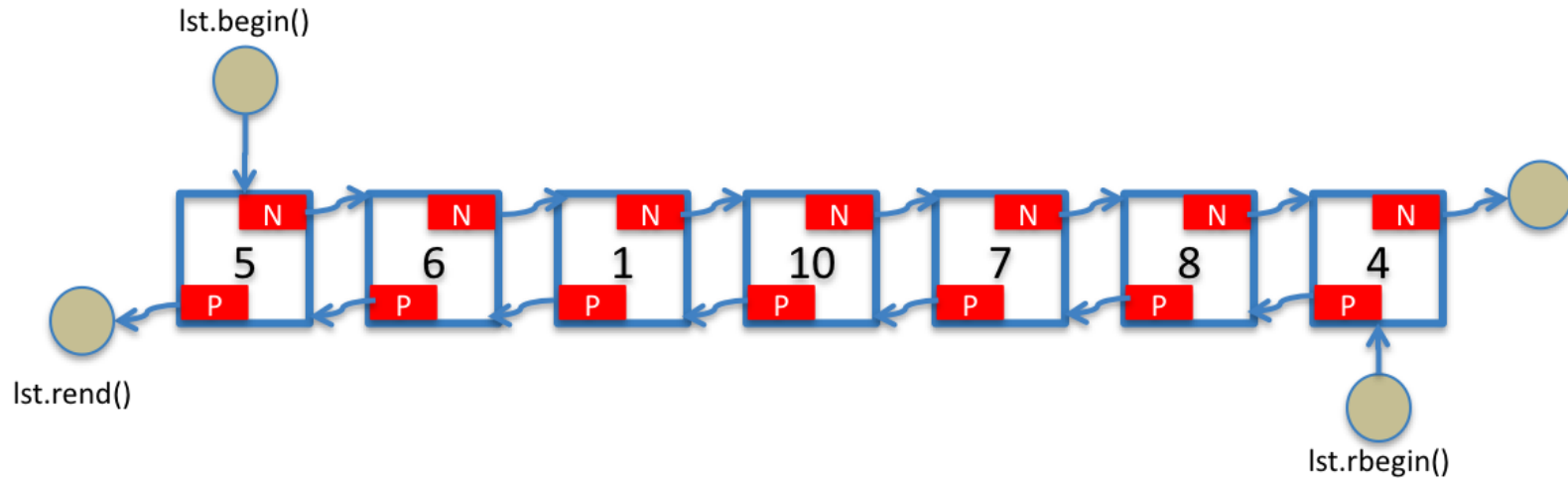


## Time Complexity

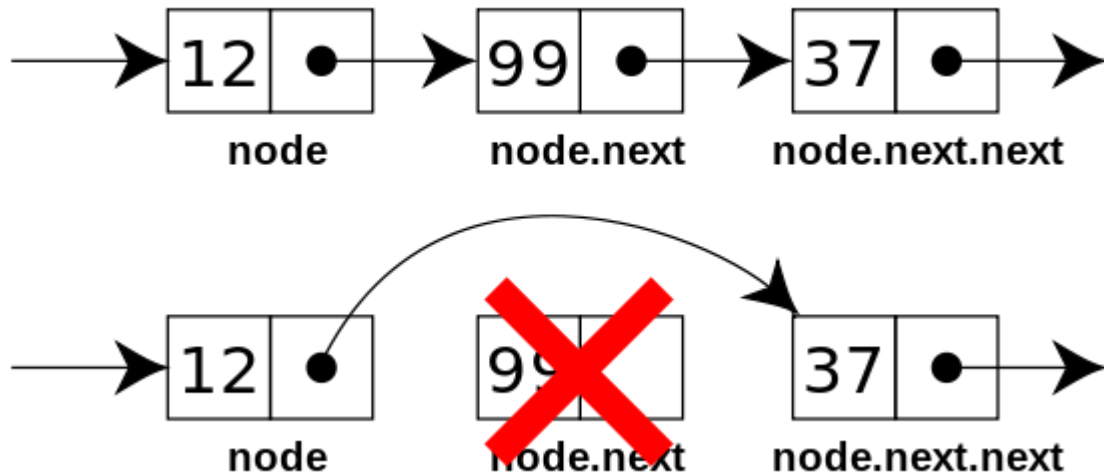
Operation	Time Complexity
Insert Head	O(1)
Insert Index	O(n)
Insert Tail	O(1)
Remove Head	O(1)
Remove Index	O(n)
Remove Tail	O(1)
Find Index	O(n)
Find Object	O(n)

```
std::list<int> l;
// Insert head, index, tail
l.push_front(value);           // head
l.insert(l.begin() + index, value); // index
l.push_back(value);            // tail
// Access head, index, tail
int head = l.front();           // head
int value = std::next(l.begin(), index); // index
int tail = l.back();            // tail
unsigned int size = l.size(); // Size
// Iterate
for(std::list<int>::iterator it = l.begin(); it != l.end(); it++) {
    std::cout << *it << std::endl;
} // Remove head, index, tail
l.pop_front();                 // head
l.erase(l.begin() + index);    // index
l.pop_back();                  // tail
l.clear(); // Clear
// Splice: Transfer elements from list to list
l.splice(l.begin() + index, list2);
l.remove(value); // Remove: Remove an element by value
l.unique(); // Unique: Remove duplicates
l.merge(list2); // Merge: Merge two sorted lists
l.sort(); // Sort: Sort the list
l.reverse(); // Reverse: Reverse the list order
```

## List std::list and std::forward\_list



List std::list



List stores elements at non contiguous memory location i.e. it internally uses a doubly linked list i.e.





## Use for

- Key-value pairs
- Constant lookups by key
- Searching if key/value exists
- Removing duplicates
- `std::map`
- Ordered map
- `std::unordered_map`
- Hash table



## Do not use for

- Sorting



## Time Complexity

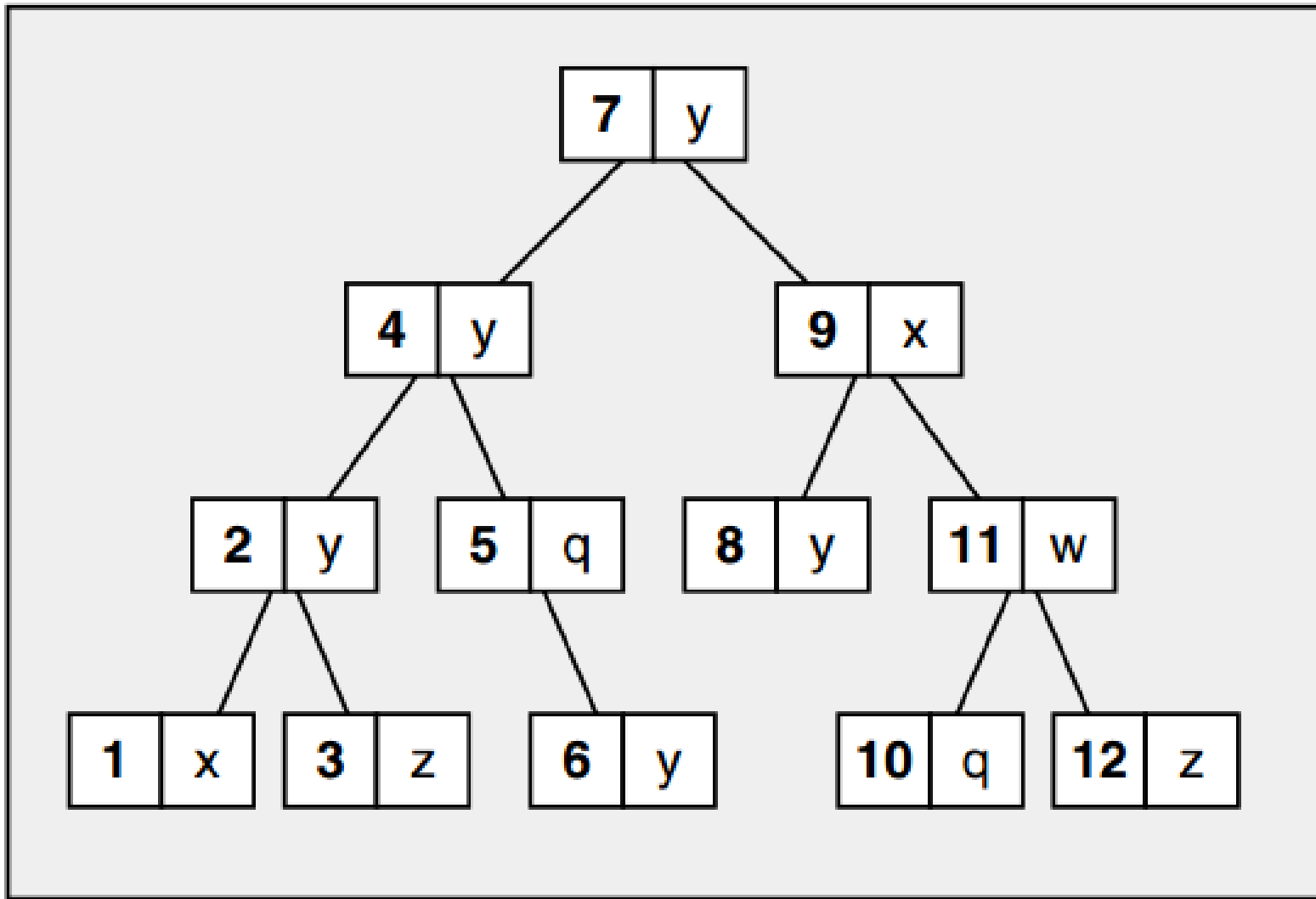
`std::map`

`std::unordered_map`

Operation	Time Complexity	Operation	Time Complexity
Insert	$O(\log(n))$	Insert	$O(1)$
Access by Key	$O(\log(n))$	Access by Key	$O(1)$
Remove by Key	$O(\log(n))$	Remove by Key	$O(1)$
Find/Remove Value	$O(\log(n))$	Find/Remove Value	--

```
std::map<std::string, std::string> m;
m.insert(std::pair<std::string, std::string>("key", "value")); // Insert
std::string value = m.at("key"); // Access by key
unsigned int size = m.size(); // Size
// Iterate
for(std::map<std::string, std::string>::iterator it = m.begin(); it != m.end(); it++) {
    std::cout << *it << std::endl;
}
// Remove by key
m.erase("key");
// Clear
m.clear();
// Find if an element exists by key
bool exists = (m.find("key") != m.end());
// Count the number of elements with a certain key
unsigned int count = m.count("key");
```

Map `std::map` and `std::unordered_map`



## Map std::map



Maps and **multimaps** sort their elements automatically according to the element's keys. Thus they have good performance when searching for elements that have a certain key. Searching for elements that have a certain value promotes bad performance.

**Note:**multimaps allow duplicates, whereas maps do not



## Use for

- Removing duplicates
- Ordered dynamic storage



## Do not use for

- Simple storage
- Direct access by index



## Notes

- Sets are often implemented with binary search trees

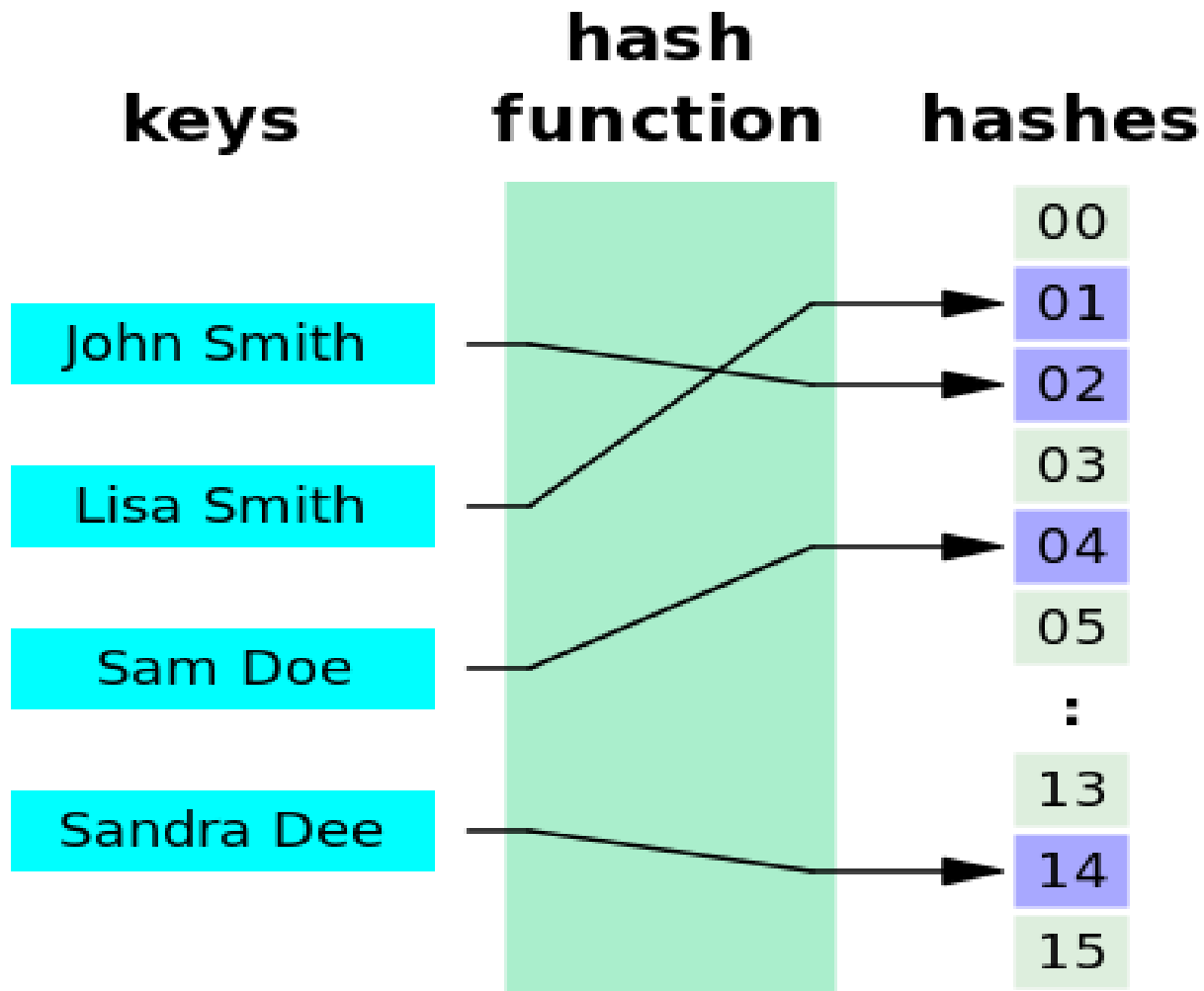


## Time Complexity

Operation	Time Complexity
Insert	$O(\log(n))$
Remove	$O(\log(n))$
Find	$O(\log(n))$

```
std::set<int> s;
s.insert(20); // Insert
unsigned int size = s.size(); // Size
// Iterate
for(std::set<int>::iterator it = s.begin(); it != s.end(); it++) {
    std::cout << *it << std::endl;
}
s.erase(20); // Remove
s.clear(); // Clear
// Find if an element exists
bool exists = (s.find(20) != s.end());
// Count the number of elements with a certain value
unsigned int count = s.count(20);
```

**Set std::set**



Set `std::unordered_set`



`hash_set` is an extension that is not part of the C++ standard. Lookups should be  $O(1)$  rather than  $O(\log n)$  for `set`, so it will be faster in most circumstances.

Before C++11 `:std::set` is implemented as a binary search tree. `hashset` is implemented as a hash table.



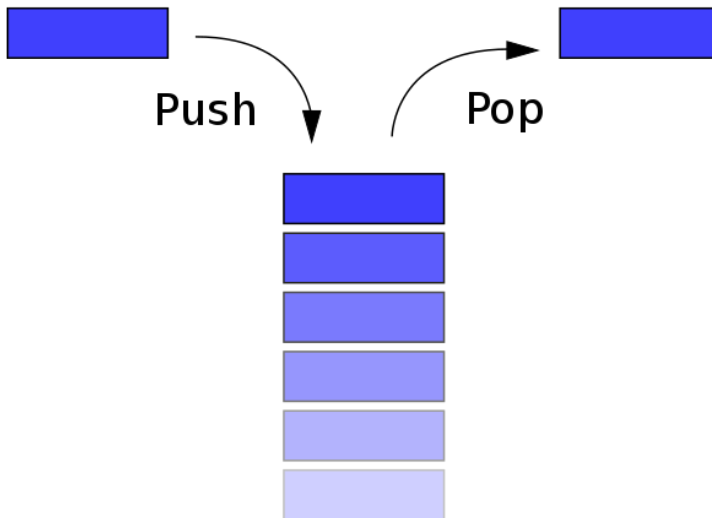
## Use for

- First-In Last-Out operations
- Reversal of elements



## Time Complexity

Operation	Time Complexity
Push	O(1)
Pop	O(1)
Top	O(1)



```
std::stack<int> s;  
// Push  
s.push(20);  
// Size  
unsigned int size = s.size();  
// Pop remove last element :)  
s.pop();  
// Top  
int top = s.top();
```

Stack std::stack





## Use for

- First-In First-Out operations
- Ex: Simple online ordering system (first come first served)
- Ex: Semaphore queue handling
- Ex: CPU scheduling (FCFS)



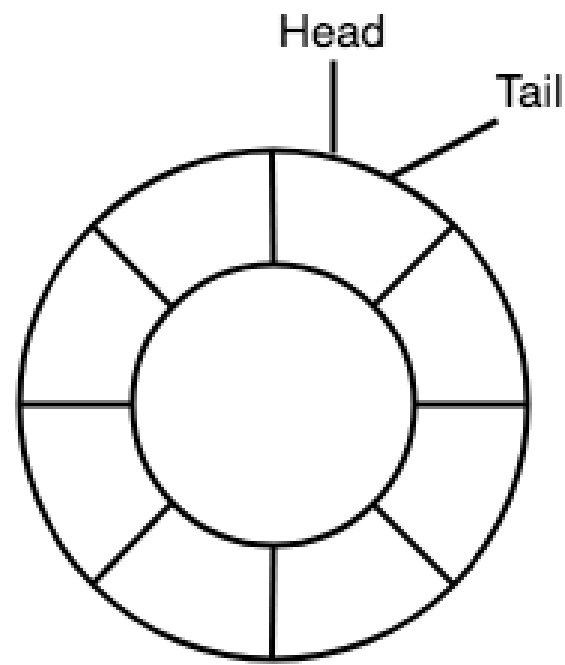
## Notes

- Often implemented as a `std::deque`

```
std::queue<int> q;  
// Insert  
q.push(value);  
// Access head, tail  
int head = q.front();      // head  
int tail = q.back();       // tail  
// Size  
unsigned int size = q.size();  
// Remove  
q.pop();
```

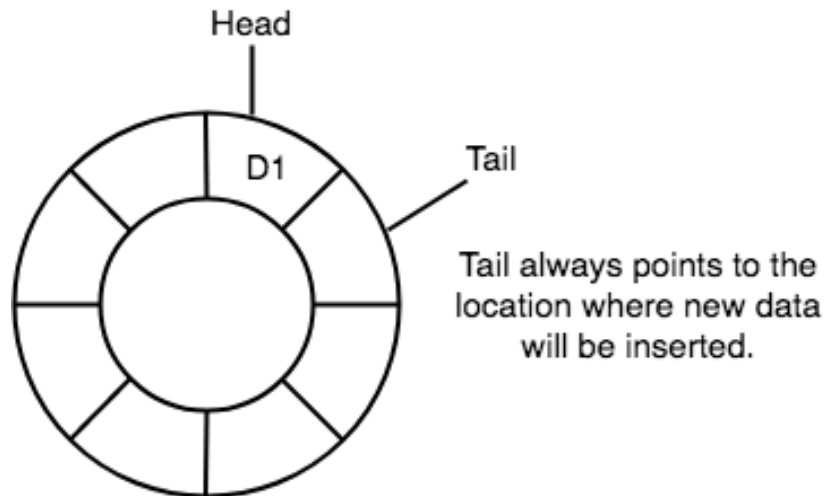
Queue `std::queue`

Initially the queue is empty, as Head and Tail are at same location



A simple circular queue with size 8

Queue std::queue



Tail always points to the location where new data will be inserted.

Circular Queue is also a linear data structure, which follows the principle of FIFO(First In First Out), but instead of ending the queue at the last position, it again starts from the first position after the last, hence making the queue behave like a circular data structure.





## Use for

- Similar purpose of `std::vector`
- Basically `std::vector` with efficient `push_front` and `pop_front`



## Do not use for

- C-style contiguous storage (not guaranteed)



## Notes

- Pronounced 'deck'
- Stands for Double Ended Queue

```
std::deque<int> d;
// Insert head, index, tail
d.push_front(value);           // head
d.insert(d.begin() + index, value); // index
d.push_back(value);           // tail
// Access head, index, tail
int head = d.front();         // head
int value = d.at(index);      // index
int tail = d.back();          // tail
// Size
unsigned int size = d.size();
// Iterate
for(std::deque<int>::iterator it = d.begin(); it != d.end(); it++) {
    std::cout << *it << std::endl;
}
// Remove head, index, tail
d.pop_front();                // head
d.erase(d.begin() + index);   // index
d.pop_back();                 // tail
// Clear
d.clear();
```

Deque `std::deque`



## Use for

- First-In First-Out operations where priority overrides arrival time
- Ex: CPU scheduling (smallest job first, system/user priority)
- Ex: Medical emergencies (gunshot wound vs. broken arm)



## Notes

- Often implemented as a `std::vector`

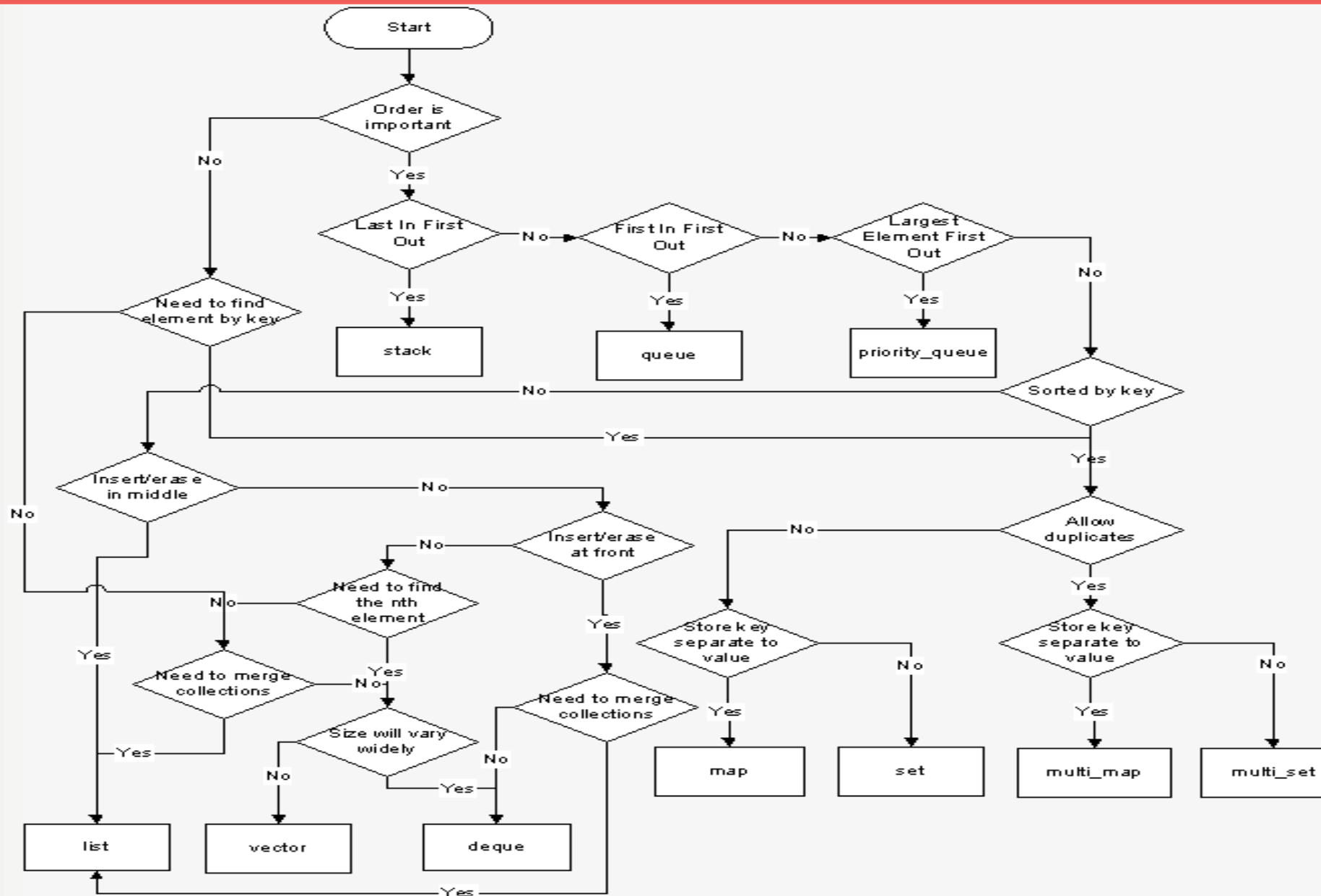
```
std::priority_queue<int> p;  
// Insert  
p.push(value);  
// Access  
int top = p.top(); // 'Top' element  
unsigned int size = p.size(); // Size  
p.pop(); // Remove  
  
auto cmp = [](int left, int right) { return (left ^ 1) < (right ^ 1); };  
std::priority_queue<int, std::vector<int>, decltype(cmp)> q3(cmp);  
for(int n : {1,8,5,6,3,4,0,9,7,2})  
    q3.push(n);
```

Priority Queue `std::priority_queue`

# 03

## Conclusion







# THANK YOU

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