

Quantum Information and Computing

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Assignment 1

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Exercise 1

```
home > maryam > projects > QIC > F hello.f90
1  ! My first program in Fortran.
2  ! This simple program is used to check if the Fortran code can compile.
3  ! Author: Maryam Feizi
4
5  PROGRAM hello
6      print *, 'Hello World'
7  END PROGRAM hello
8
```

```
maryam@topolbamaze:~/projects/QIC$ gfortran hello.f90 -o hello
maryam@topolbamaze:~/projects/QIC$ ./hello
Hello World
maryam@topolbamaze:~/projects/QIC$
```

0 Sourcery

Exercise 1

```

home > maryam > projects > QIC > variables.f90
1
2
3 program variables
4   implicit none
5
6   integer*2 :: int1, int2
7   integer*4 :: int3, int4
8   real*4 :: pi1 , real1 , real2
9   real*8 :: pi2 , real3, real4
10
11  int1 = 2000000
12  int2 = 1
13  print *, "With INTEGER*2:", int1+int2
14  ! we want to sum in two different ways
15  int3 = 2000000
16  int4 = 1
17  print *, "With INTEGER*4:", int3+int4
18
19  pi1 = acos(-1.)
20  real1 = pi1*10e32
21  real2 = sqrt(2.)*10e21
22  print *, "With single precision:", real1+real2
23
24  pi2 = 4.D0*datan(1.D0)
25  real3 = pi2*10e32
26  real4 = sqrt(2.)*10e21
27  print *, "With double precision:", real3+real4
28
29  stop
30
31 end program variables
32

```

An overflow is occurring since **integer*2** variables is not in the range of two bytes which is: $[-2^{15}, 2^{15} - 1]$

But there is not any error when we want to compute for **integer*4**

```

maryam@topolbamaze:~/projects/QIC$ gfortran variables.f90 -o variables
variables.f90:11:11:

```

```

11 |      int1 = 2000000
    |           1

```

```

Error: Arithmetic overflow converting INTEGER(4) to INTEGER(2) at (1). This check can be disabled with the option '-fno-range-check'

```

```

maryam@topolbamaze:~/projects/QIC$ gfortran -fno-range-check variables.f90 -o variables

```

```

maryam@topolbamaze:~/projects/QIC$ ./variables

```

```

With INTEGER*2: -31615

```

```

With INTEGER*4:      20000001

```

```

With single precision:  3.14159286E+33

```

```

With double precision:  3.1415926363117528E+033

```



Exercise 3

The goal is to compare the execution times of 3 different algorithms that perform matrix product:

- 3 for loops corresponding to the handmade/usual matrix product
- Same 3 for loops with inverted indices

In this way the execution time was measured with `cpu_time()` function

!1) 3 for-loops, Usual Matrix Product:

```
ALLOCATE(CC_1(n_rows_AA, n_columns_BB))
CC_1 = 0.0

PRINT *, 'the matrix product through 3-for-loops (Usual way) is A*B ='

CALL cpu_time(start)
  DO ii = 1, n_rows_AA
    DO jj = 1, n_columns_BB
      DO kk = 1, n_columns_AA
        CC_1(ii,jj) = CC_1(ii,jj) + AA(ii, kk) * BB(kk, jj)
      ENDDO
    ENDDO
  ENDDO
CALL cpu_time(finish)
```

!2) 3 for-loops with inverted indices:

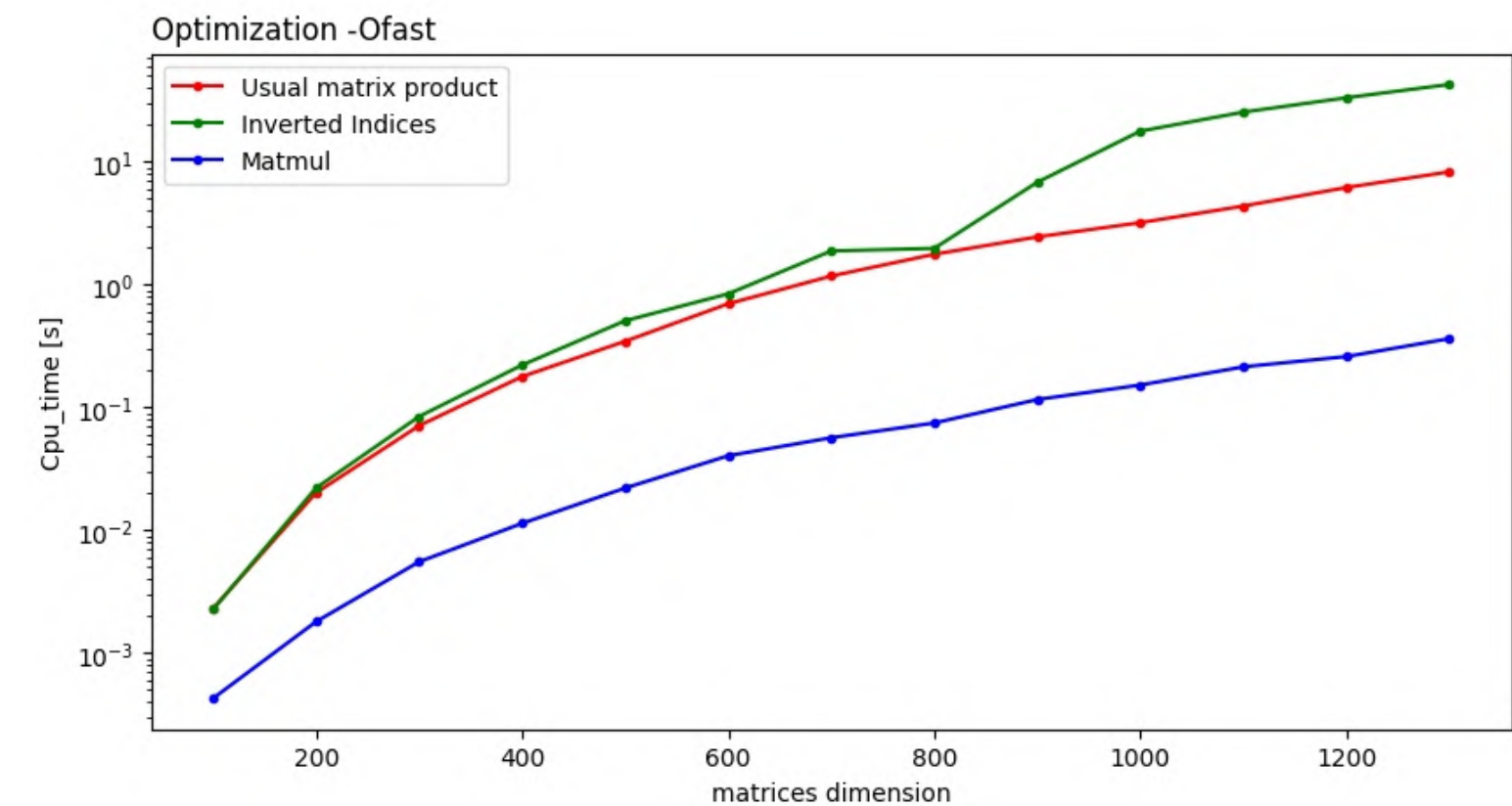
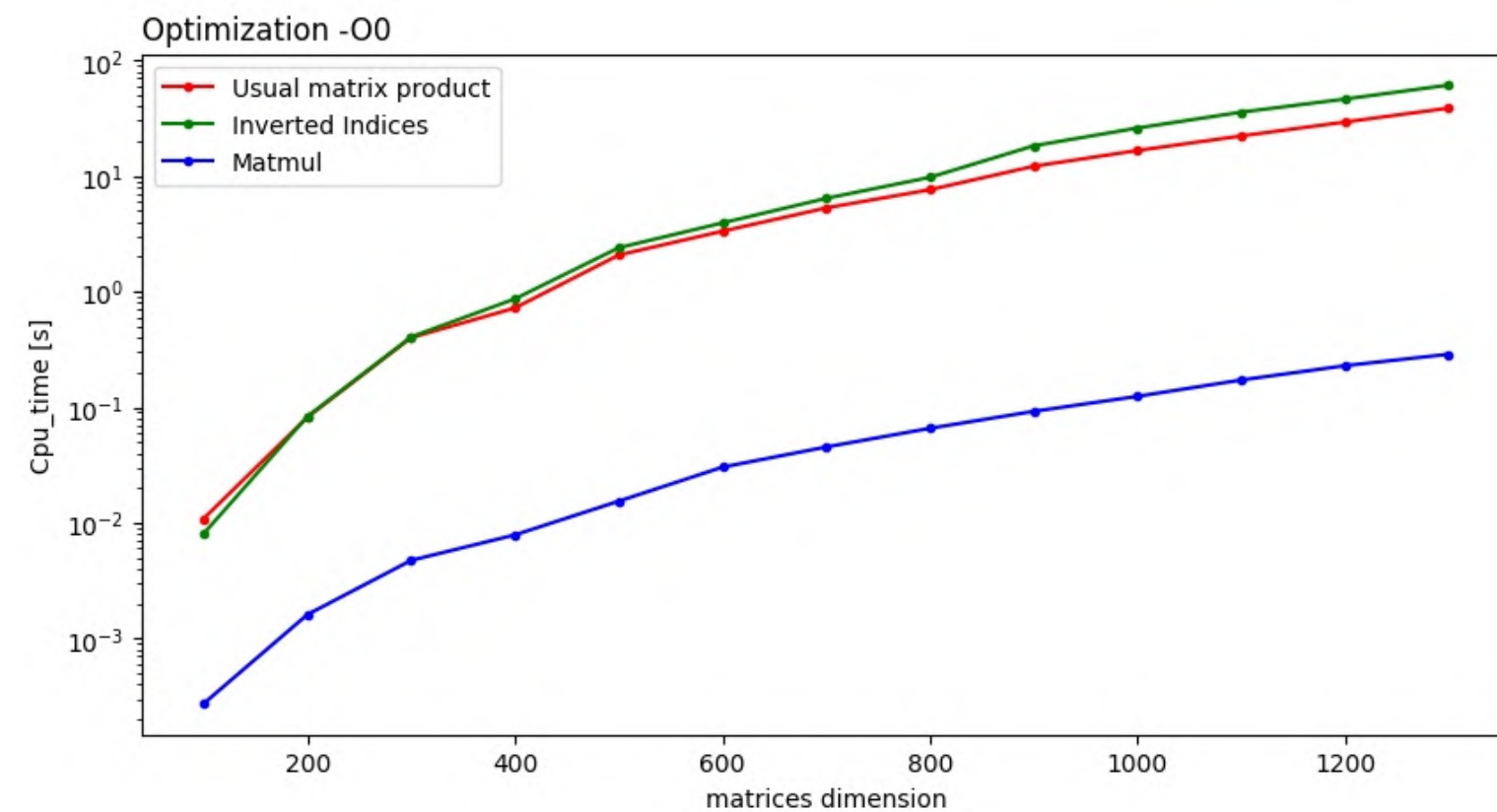
```
ALLOCATE(CC_2(n_rows_AA, n_columns_BB))
CC_2 = 0.0

PRINT *, 'the matrix product through 3-for-loops with inverted indices is A*B ='

!3 for-loops algorithm with inverted indeces
CALL cpu_time(start)
  DO kk = 1, n_columns_AA
    DO ii = 1, n_rows_AA
      DO jj = 1, n_columns_BB
        CC_2(ii,jj) = CC_2(ii,jj) + AA(ii, kk) * BB(kk, jj)
      ENDDO
    ENDDO
  ENDDO
CALL cpu_time(finish)
```

Exercise 3

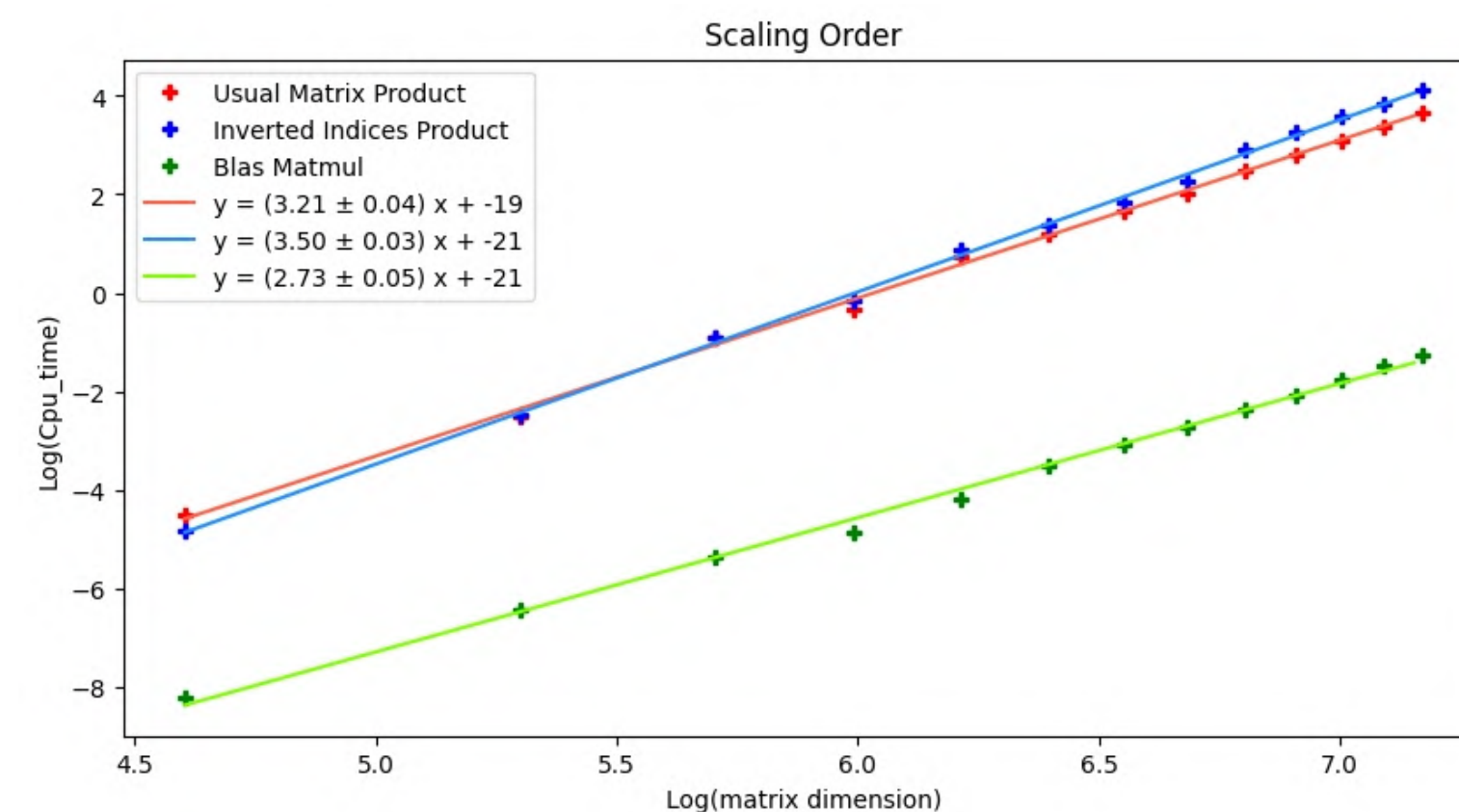
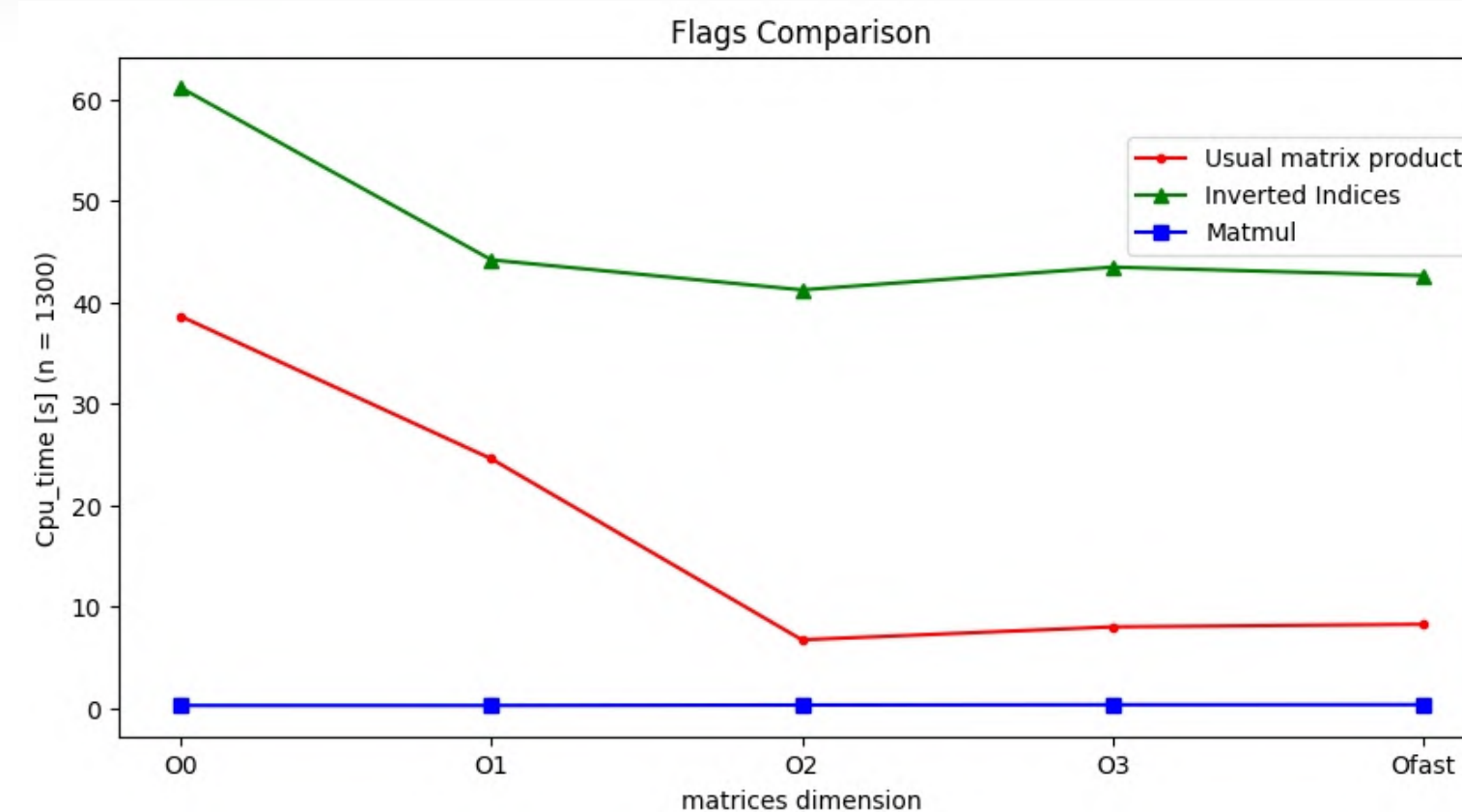
Thanks to the Python scripts , we can plot the execution time of the three algorithms as the size of the matrices .Also , plot cpu_time for different flags.



Exercise 3

Comparison between the optimization's flag
and the execution time of the algorithm

Then compare time complexity of the three algorithms





Pitch

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