1. Eliminating a Loss-Making Property

Formulas:

1. Total revenue from sold properties:

$$S_{ ext{sold_properties}} = \sum_{i=1}^n (P_i imes A_i)$$

Where:

- P_i is the price per 1 m² of property i,
- A_i is the area of property i.
- 2. Total token redemption cost:

$$S_{ ext{tokens}} = N_{ ext{tokens}} imes C_{ ext{token}}$$

Where:

- N_{tokens} is the number of tokens,
- Ctoken is the cost of one token.
- 3. Profit from the operation:

$$Profit = S_{sold_properties} - S_{tokens}$$

Example 1: Eliminating a Loss-Making Property Using the Flexionization Method

1. Initial Situation:

- The project has a loss-making property with an area of 1500 m², valued at \$600,000 (at a price of \$400 per m²).
- After selling this property, the project will need to buy tokens worth \$3,000,000, as the token price is \$2,000.

2. Compensating for Losses:

- To eliminate the loss-making property, the project decides to sell several other properties already owned by the project, for example:
 - One property of 400 m² at \$6,400 per m², valued at \$2,560,000.
 - A second property of 300 m² at \$4,480 per m², valued at \$1,344,000.
- The total value of these properties is \$3,904,000.

3. Sale of Properties:

- The project sells these properties for \$5,080,000.
- 4. What Needs to Be Done for Compensation:

• After selling these properties, the project needs to buy 2,200 tokens at \$2,000 per token (totaling \$4,400,000) to balance the value and eliminate the loss-making property.

5. Final Result:

- The project sells the properties for \$5,080,000.
- It buys 2,200 tokens for \$4,400,000.
- o The profit from these operations will be:

 $5,080,000-4,400,000=680,000 \text{ dollars}.5,080,000 - 4,400,000 = 680,000 \setminus \text{text}\{\text{dollars}\}.5,080,000-4,400,000=680,000 \text{dollars}.$

Explanation:

The essence of the operation is to eliminate the loss-making property using the Flexionization method. The project sells several properties to compensate for the losses from the loss-making property, then buys tokens to balance the value. As a result, the project earns \$680,000 in profit and eliminates the loss-making property, which no longer affects the company's financial position.

2. Purchasing a Property Pool with Subsequent Tokenization

Formulas:

1. Total purchase cost of properties:

$$S_{ ext{purchase}} = \sum_{i=1}^n (P_i imes A_i)$$

Where:

- P_i is the price per 1 m² of property i,
- ullet A_i is the area of property i.
- 2. Total tokenized value:

$$S_{ ext{tokenization}} = N_{ ext{tokens}} imes C_{ ext{token}}$$

Where:

- $N_{\text{tokens}} = \frac{A_{\text{total}}}{A_{\text{per token}}}$,
- ullet $A_{
 m total}$ is the total area of the properties,
- ullet $A_{
 m per\ token}$ is the area per token.
- 3. Profit from the transaction:

$$Profit = S_{tokenization} - S_{purchase}$$

Example 2: Purchasing a Property Pool Using the Flexionization Method

1. Initial Situation:

- The market has two properties:
 - Property 1 (apartments):
 - Area: 120 m².
 - Value: \$1,032,000 (\$8,600 per m²).
 - Not used, with a high price, so it cannot be sold.
 - Property 2 (additional):
 - Area: 2,400 m².
 - Value: \$1,920,000 (\$800 per m²).
- The total value of the properties is \$2,952,000.

2. Advantage of Purchasing Through Tokenization:

o Our company evaluates the value of this property pool through tokenization:

- Total area: 2,520 m².
- Token value: \$5,040,000 (at a rate of \$2,000 per token).

3. Transaction Essence:

- The company buys both properties for \$2,952,000.
- After tokenizing the properties, their value is fixed at \$5,040,000.

4. Transaction Outcome:

The total profit from the transaction is:

 $5,040,000-2,952,000=2,088,000 \text{ dollars}.5,040,000 - 2,952,000 = 2,088,000 \setminus \text{text}\{dollars\}.5,040,000-2,952,000=2,088,000 \text{dollars}.$

Explanation:

The essence of the operation is to purchase the property pool at a price below its potential tokenized value. The Flexionization method, applied within the EstateTokenChain framework, allows:

- 1. The acquisition of properties with high liquidity value in the market.
- 2. The increase in their value through tokenization.
- 3. A profit of \$2,088,000 from the difference between the purchase price and the tokenized value. This approach solves the sellers' problem (eliminating illiquid properties) and brings profit to our company.

3. Accelerated Asset Liquidation with Cross-Balance Adjustment

Formulas:

1. Revenue from the sale of the property:

$$S_{
m sale} = P_{
m sale} imes A_{
m property}$$

Where:

- P_{sale} is the price per m² at the time of sale,
- A_{property} is the area of the property.
- 2. Token redemption cost:

$$S_{ ext{tokens}} = N_{ ext{tokens}} imes C_{ ext{token}}$$

3. Remaining funds after token redemption:

$$S_{\text{remaining}} = S_{\text{sale}} - S_{\text{tokens}}$$

4. Increase in the value of the upgraded property:

$$S_{\text{upgraded_property}} = S_{\text{old_property}} + S_{\text{upgrade}}$$

Where:

- S_{old_property} is the initial value of the property,
- ullet $S_{
 m upgrade}$ is the amount added through the upgrade.

Example 3: Accelerated Asset Liquidation with Cross-Balance Adjustment Using the Flexionization Method Initial Situation:

- Property 1: Warehouse of 2,000 m², valued at \$1,200,000, which is idle.
- Property 2: Office of 500 m², valued at \$1,500,000, rented out at 70%.

Solution Using Flexionization:

- The company sells Office 2 for \$1,500,000.
- After selling the office, the company buys 500 tokens at \$2,000 (totaling \$1,000,000 for token redemption).
- The remaining \$500,000 is used to modernize the warehouse, for example, by installing refrigeration equipment.

Final Result:

- After modernization, the warehouse value increases by \$500,000, making it more liquid.
- The upgraded warehouse is now ready for lease and will generate additional income.

•	Flexionization enabled the effective redistribution of value between assets and increased the liquidity of the illiquid property.