

Measurement of ω and ϕ meson production via dimuons
at forward rapidity in pp collisions at $\sqrt{s} = 13.6$ TeV with
ALICE

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1 Introduction

1.1 QCD

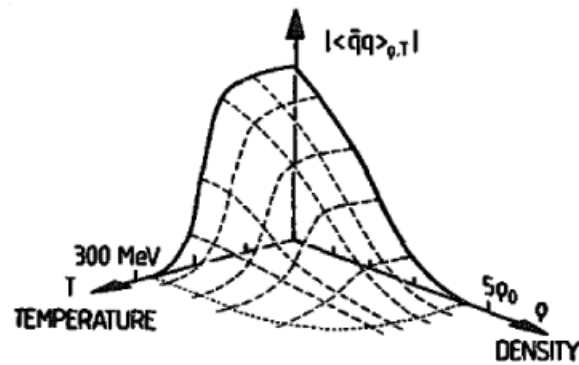


Figure 1: chiral condensate[1]

1.2 Chiral symmetry

1.3 NJL model

1.4 Heavy Ion collision

1.5 Search for chiral symmetry restoration in QGP

1.6 Analysis of pp collision data as a baseline

2 Detector setup

2.1 LHC-ALICE

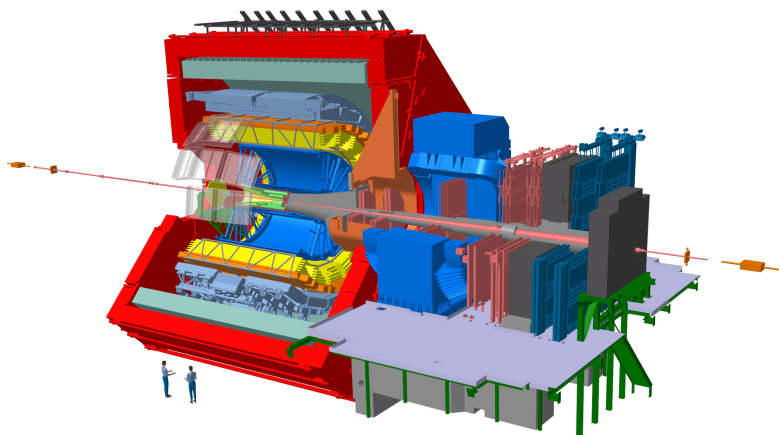


Figure 2: ALICE detectors

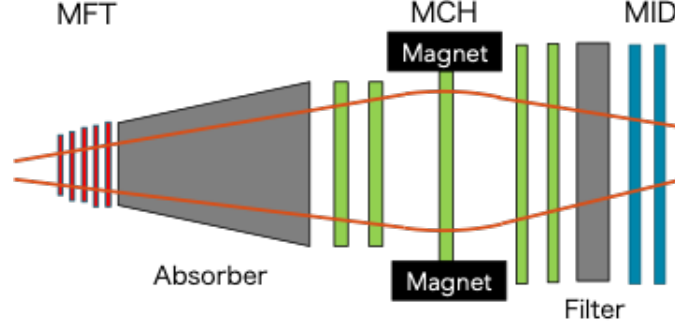


Figure 3: MFT-MCH-MID

2.2 Barrel detectors

2.3 Forward detectors

2.4 Track reconstruction

3 Analysis

3.1 Event selection

The dataset used is LHC22o apass7. The collision points of proton-proton interactions are measured by the FIT detectors. As part of the event selection, the Z-position of the collision point, referred to as $V_{tx}Z$, is selected to satisfy the condition $|V_{tx}Z| < 10$ cm. This value corresponds to the acceptance of the ITS. The number of events obtained with this cut is 5.5×10^9 .

3.2 Single muon selection

The cuts applied to the obtained muons are as follows:

- $-3.6 < \eta < -2.5$
- $17.5 \text{ cm} < \text{RatAbsorberEnd} < 89.5 \text{ cm}$
- $pDCA < 6\sigma$
- MFT-MCH matching $\chi^2 < 40$

The η cut is applied to match the acceptance of the forward detector. RatAbsorberEnd represents the distance from the center of the hadron absorber, located in front of the MCH, and is also a cut value reflecting the presence of material. pDCA is the product of momentum and DCA, and this cut value is applied to remove muons originating from beam-gas background. Finally, the MFT-MCH matching χ^2 is obtained from a fit using the detected points when matching the MFT tracks to the MCH tracks. The values used in this study were optimized to maximize the statistical accuracy of the yields for omega and phi mesons, as discussed later.

3.3 MFT-MCH matching fake match removal analysis

The matching of the MFT track, located in front of the hadron absorber, with the MCH track, located behind it, is crucial for ensuring the quality of physical quantities such as p_t and η for

single muons. In this study, cuts were applied to MFT-MCH-MID tracks, which had already been reconstructed using three detectors, to identify and remove incorrectly matched tracks between the MFT and MCH within the MFT-MCH-MID tracks. The dataset used was LHC24b1, which is Monte Carlo data for minimum bias (MB) events. As shown in the histograms below, reconstructed tracks in MFT-MCH-MID include tracks outside the acceptance range. These out-of-acceptance tracks are one of the factors contributing to fake matches. To eliminate such tracks, a cut on $\Delta\eta$ was devised as described below.

$$\Delta\eta = \text{MFT Track } \eta - \text{MCH Track } \eta \quad (1)$$

3.4 Dimuon analysis

3.4.1 Combinatorial Background subtraction

Muons detected by the detector cannot, in principle, be distinguished by their parent particles. Therefore, when forming muon pairs, all μ^+ and μ^- within each collision event are paired to reconstruct the mass. To analyze the mass distribution of correlated muon pairs, the uncorrelated mass distribution is estimated later and subtracted, leaving only the mass distribution of correlated muon pairs.

In this study, the Like Sign Method was used. The Like Sign Method estimates the uncorrelated background by reconstructing the mass of muon pairs with the same sign ($\mu^+\mu^+$ or $\mu^-\mu^-$) obtained in each collision event. The calculation formula is as follows:

$$\frac{dN_{sig}}{dm} = \frac{dN_{same}^{+-}}{dm} - 2R\sqrt{\frac{dN_{same}^{++}}{dm} \frac{dN_{same}^{--}}{dm}} \quad (2)$$

$$2R = \frac{\frac{dN_{mix}^{+-}}{dm}}{\sqrt{\frac{dN_{mix}^{++}}{dm} \frac{dN_{mix}^{--}}{dm}}} \quad (3)$$

3.4.2 ω, ϕ peak fit

From the mass distribution of correlated muon pairs obtained from 3.4.1, the distribution of $\omega, \phi \rightarrow \mu\mu$ is extracted. The $\omega, \phi \rightarrow \mu\mu$ have sharp peak structures, which constitute a peak around 0.7 GeV and a peak around 1.0 GeV in the mass distribution, respectively. In the present analysis, the other distributions are background events, so they were subtracted from the continuous component of the mass distribution by fitting it with an exponential function. The fitting function is as follows.

$$f(m) = p0 * \exp\{-p1 * m\} + p2 * \exp\left\{-\frac{(m - p3)^2}{(2p4)^2}\right\} + p5 * \exp\left\{-\frac{(m - p6)^2}{(2p7)^2}\right\} \quad (4)$$

3.4.3 ω, ϕ yield

$$f(m) = p2 * \exp\left\{-\frac{(m - p3)^2}{(2p4)^2}\right\} + p5 * \exp\left\{-\frac{(m - p6)^2}{(2p7)^2}\right\} \quad (5)$$

$\frac{dN_{sig}}{dm}$ represents the number of correlated muons at each mass. $\frac{dN_{same}^{**}}{dm}$ is the number of muon pairs with the same sign (** corresponds to the muon's sign) within the same event, while

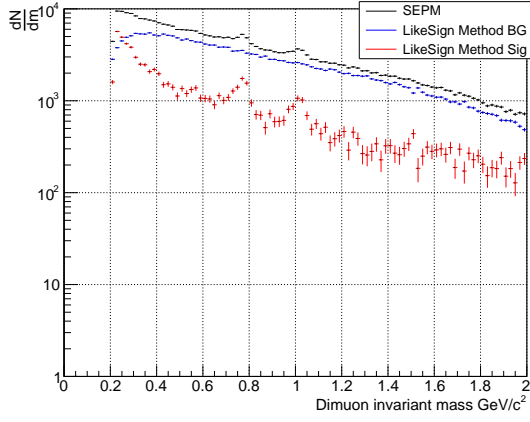


Figure 4: $1 < p_T < 2$

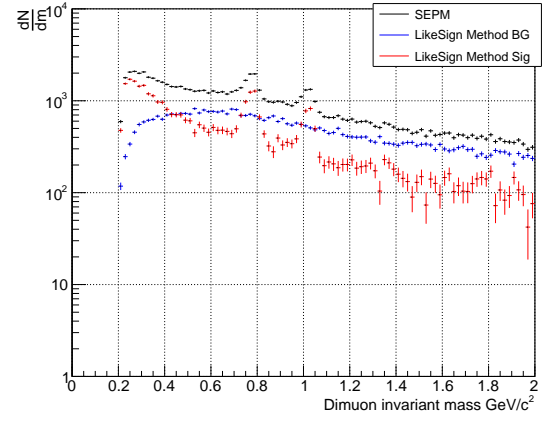


Figure 5: $2 < p_T < 3$

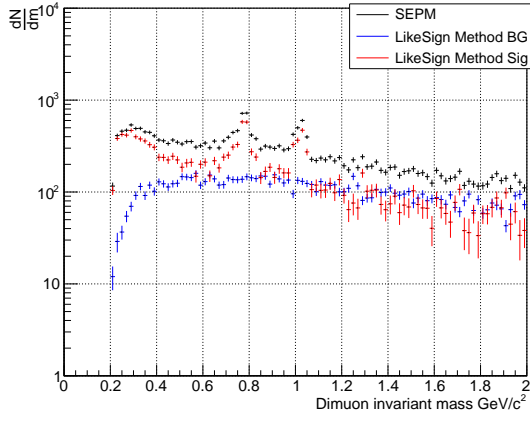


Figure 6: $3 < p_T < 4$

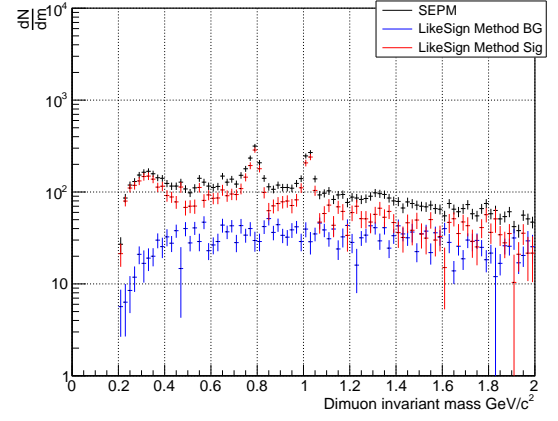


Figure 7: $4 < p_T < 5$

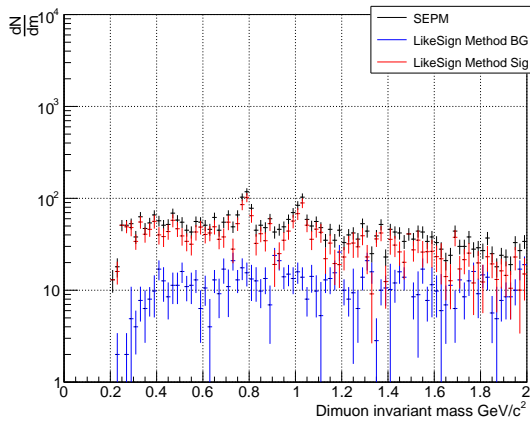


Figure 8: $5 < p_T < 6$

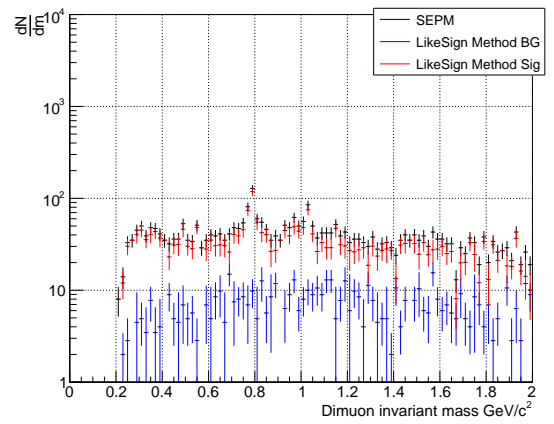


Figure 9: $6 < p_T < 10$

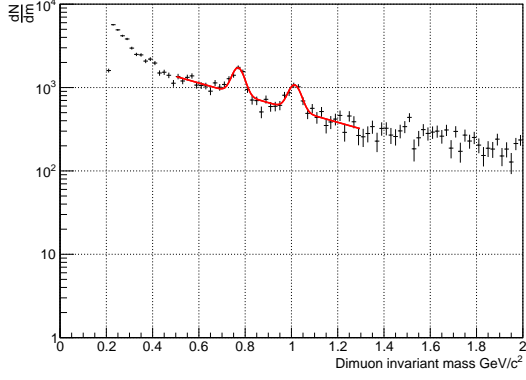


Figure 10: $1 < p_T < 2$

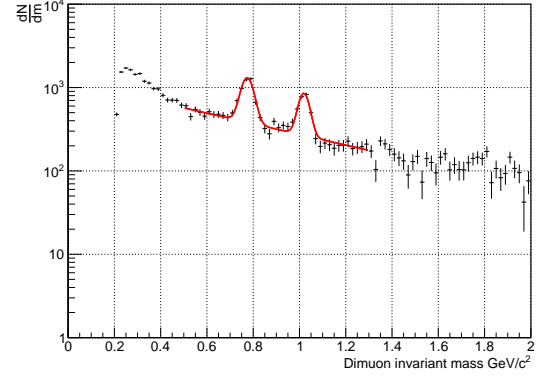


Figure 11: $2 < p_T < 3$

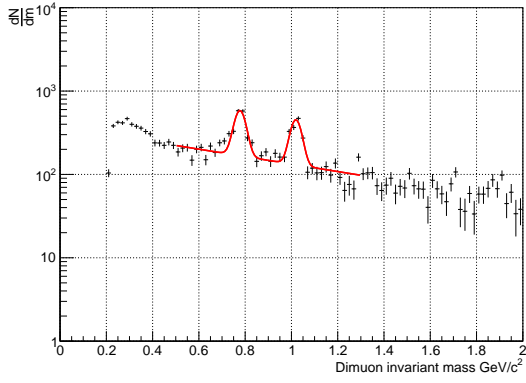


Figure 12: $3 < p_T < 4$

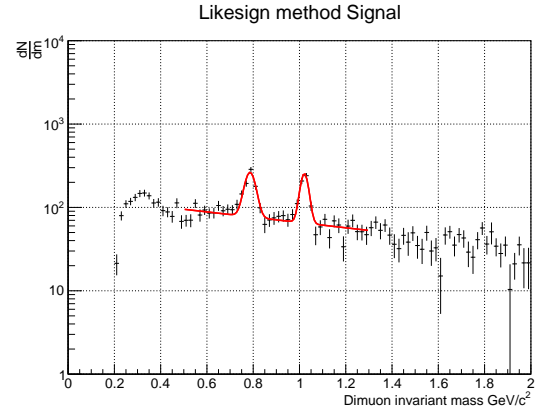


Figure 13: $4 < p_T < 5$

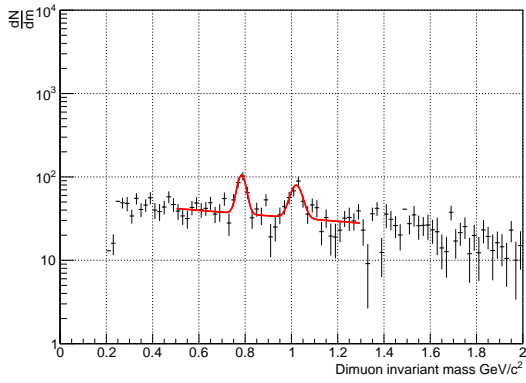


Figure 14: $5 < p_T < 6$

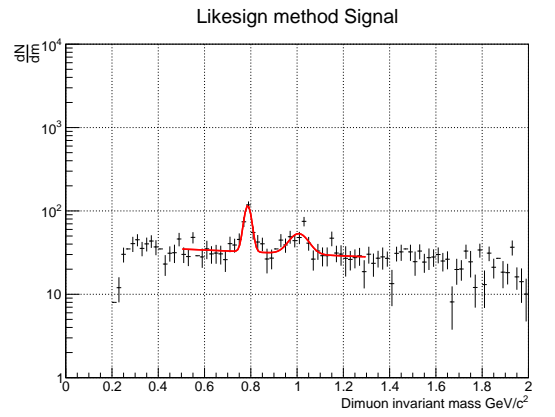


Figure 15: $6 < p_T < 10$

$\frac{dN_{mix}^{**}}{dm}$ is the number of muon pairs formed between different events. R is a correction factor to account for acceptance differences due to the muon's sign.

The key feature of this method is that it subtracts uncorrelated background events using muons from the same event. As a result, it also removes the mass distribution of particles with weak correlations within each event, such as those arising from flow in heavy-ion collisions. The resulting subtracted distribution is illustrated in the figure below.

3.4.4 Matching chi2 optimaization

References

- [1] W. Weise, Nucl. Phys. A **553**, 59C-72C (1993) doi:10.1016/0375-9474(93)90615-5