

Task 1A

Here, we have two lists - a that stores the nodes with no prerequisite and f that stores the resulting sequence. The function `ToposortBFS` takes the graph and list of indegrees as input. While there are elements in the queue, they are popped and stored in f and the indegrees of the neighbours are decreased. If any of the indegrees are now 0, they are pushed in queue. Finally, we check if there was a cycle by comparing the count variable that was incrementing with each pop from queue, and the number of nodes. If they don't match, there exists a cycle.

Task 1B

Here, there are two functions - `DFS` and `isCycle`. `isCycle` checks for cycle within the graph and `DFS` conducts the DFS algorithm. The `isCycle` function calls `DFS` function for the unvisited nodes and looks for cycle. `DFS` function also handles starting time and ending time. First the `isCycle` function is called and it handles calling `DFS`. Lastly if there is a cycle, the `isCycle` function returns it. It also returns the ending time that is used to get the topological order.

Task 1

Task 2

This is similar to Task 1A except that when popping from a queue, we don't pop the latest element. We pop the smallest element so that it is lexicographically sorted to give the lexicographically smaller path.

Task 3

Here, first DFS is run. Then the graph is transposed. The transposed graph is underwent DFS again but in order of the descending ending time of the nodes. From here, we can identify the different strongly connected components. ~~that can~~