

1.

- a. $1_{\text{dec}} = 0000001_{\text{bin}}$
- b. $42_{\text{dec}} = 00101010_{\text{bin}}$
- c. $256_{\text{dec}} = 000000010000000_{\text{bin}}$ or 100000000_{bin}
- d. $4,294,967,296_{\text{dec}} = 10000000000000000000000000000000_{\text{bin}}$

2.

- a. $10000000_{\text{bin}} = 64_{\text{dec}}$
- b. $10101010_{\text{bin}} = 170_{\text{dec}}$
- c. $11110000_{\text{bin}} = 240_{\text{dec}}$
- d. $11001100_{\text{bin}} = 204_{\text{dec}}$

3.

- a. $111_{\text{bin}} + 111_{\text{bin}} = 011110_{\text{bin}} = 30_{\text{dec}}$
- b. $1010_{\text{bin}} + 1010_{\text{bin}} = 010100_{\text{bin}} = 20_{\text{dec}}$
- c. $11101_{\text{bin}} + 1010_{\text{bin}} = 0100111_{\text{bin}} = 39_{\text{dec}}$
- d. $1101_{\text{bin}} - 11_{\text{bin}} = 01010_{\text{bin}} = 10_{\text{dec}}$
- e. $10001_{\text{bin}} - 100_{\text{bin}} = 01101_{\text{bin}} = 13_{\text{dec}}$
- f. $101_{\text{bin}} \times 10_{\text{bin}} = 01010_{\text{bin}} = 10_{\text{dec}}$
- g. $1011_{\text{bin}} \times 11_{\text{bin}} = 0100001_{\text{bin}} = 33_{\text{dec}}$
- h. $1101_{\text{bin}} / 11_{\text{bin}} = 4.3_{\text{dec}}$

4. Hexadecimal numbers represent 4 bits. One common use for the hexadecimal number system to be used is to show human readable binary conversion. The standard range for hexadecimal is 00 to FF which allows for 8 bits or 1 byte to be stored. Each character holds a single bit. As a decimal value for a byte ranges from 0 – 255, hexadecimal shortens it so that it is only 2 characters long instead of the decimal 3. It is also commonly used to represent computer memory address and error codes within the system.

5.

- a. $10000000_{\text{bin}} = -128_{\text{dec}}$
- b. $10101010_{\text{bin}} = -86_{\text{dec}}$
- c. $1111000_{\text{bin}} = -16_{\text{dec}}$
- d. $1001100_{\text{bin}} = -52_{\text{dec}}$
- e. $-16_{\text{dec}} = 11110000_{\text{bin}}$
- f. $128_{\text{dec}} = 010000000_{\text{bin}}$
- g. $-128_{\text{dec}} = 10000000_{\text{bin}}$
- h. $-123_{\text{dec}} = 110000101_{\text{bin}}$

6.

- a. $11111_{\text{bin}} | 11111_{\text{bin}} = 11111$
- b. $11111_{\text{bin}} \wedge 11111_{\text{bin}} = 0$
- c. $10101_{\text{bin}} \& 11111_{\text{bin}} = 9061$
- d. $10101_{\text{bin}} | 11111_{\text{bin}} = 12151$
- e. $00000_{\text{bin}} \wedge 11111_{\text{bin}} = 11111$
- f. $1 \ll 3 = 8_{\text{dec}} = 1000_{\text{bin}}$
- g. $100 \gg 2 = 25_{\text{dec}} = 11001_{\text{bin}}$
- h. $\sim 10101 = -10102$

- i. $100 \ll 1 = 200_{\text{dec}} \ 1001000_{\text{bin}}$
- j. $1010 \gg 1 = 505_{\text{dec}} \ 111111001_{\text{bin}}$
- k. $\sim 11111 = -11112$

7.

- a. Set an single bit to 0
number $\&= \sim(1 \ll x)$
- b. Set an single bit to 1
number $|= 1 \ll x$
- c. Check the value of a single bit
bit = $(\text{number} \gg x) \& 1$