Sunday, October 18, 2020

- 6. Imagine that a zealous prosecutor (P) has accused a defendant (D) of committing a crime. Suppose that the trial involves evidence production by both parties and that by producing evidence, a litigant increases the probability of winning the trial. Specifically, suppose that the probability that the defendant wins is given by $e_D/(e_D + e_P)$, where e_D is the expenditure on evidence production by the defendant and e_P is the expenditure on evidence production by the prosecutor. Assume that e_D and e_P are greater than or equal to 0. The defendant must pay 8 if he is found guilty, whereas he pays 0 if he is found innocent. The prosecutor receives 8 if she wins and 0 if she loses the case.
 - (a) Represent this game in normal form.

(b) Write the first-order condition and derive the best-response function for each player.

$$du = 8/(e_{1}e_{2}) - 8e_{1}(e_{1}e_{2})^{2} - 1 = 0$$

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$$9 = 2720 - 9$$

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(c) Find the Nash equilibrium of this game. What is the probability that the defendant wins in equilibrium.

(d) Is this outcome efficient? Why?

NO Why. e, -ep-.001 gives the same Probability but costs much less this hinges on both sides shorting nearly equal amounts.