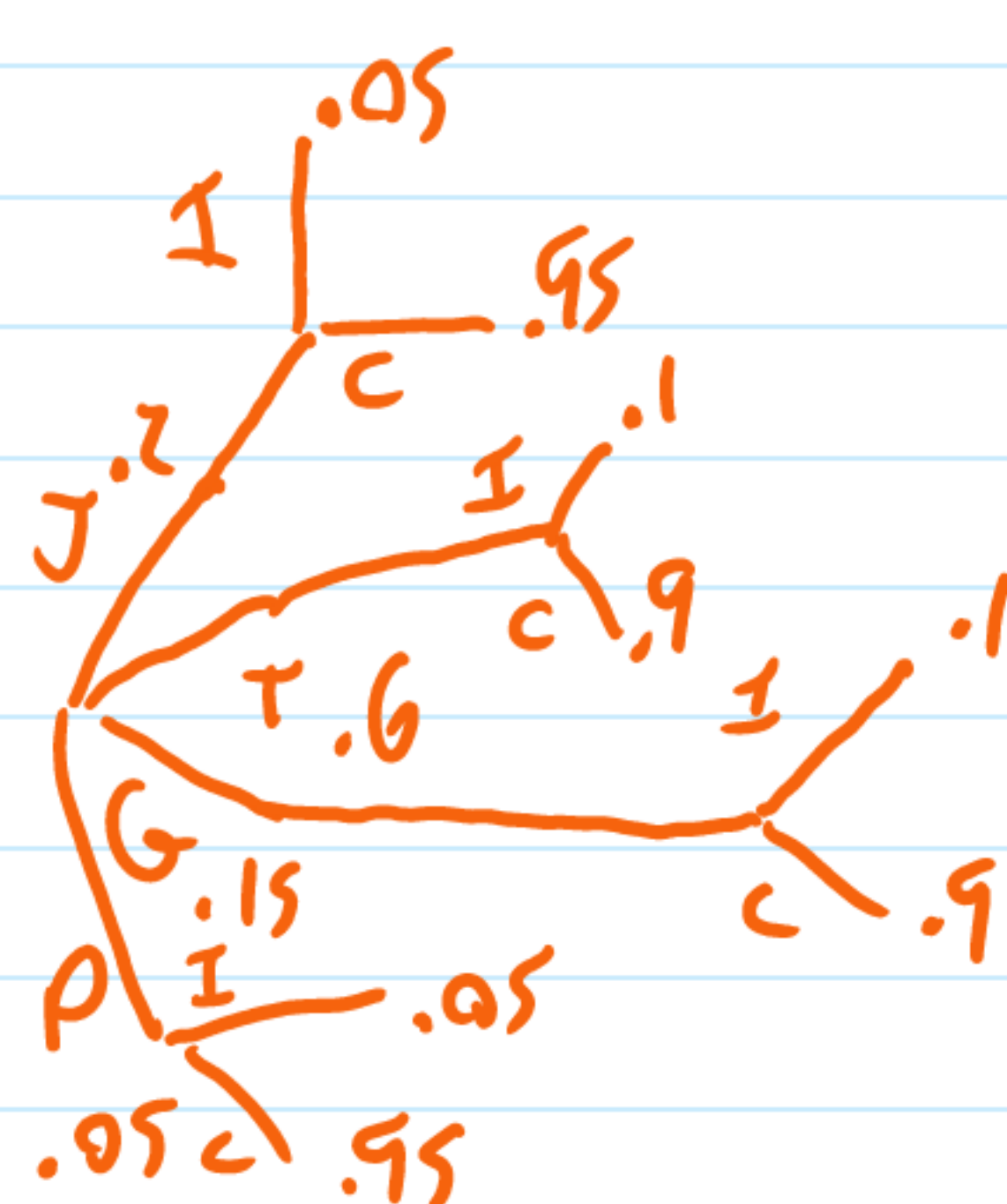


$$\begin{aligned}
 6) CI &= \text{stat} \pm 2 \cdot \sigma / \sqrt{n} \\
 &= 68 \pm 1.96 \cdot 1.18 \\
 &= 68 \pm 2.32
 \end{aligned}$$

Janet	Tom	Georgia	Peter
25%	60%	15%	5%
$1/20$	$1/10$	$1/10$	$1/20$
.01	.06	.015	.0025



$$\begin{aligned}
 (.1) / (.1 + .06 + .015 + .0025) &= .11 & P(J|I) &= P(J \cap I) / P(I) \\
 & & &= (.2 \cdot .05) / (.2 \cdot .05 + .6 \cdot .1 + .15 \cdot .1 + .05 \cdot .05)
 \end{aligned}$$

$$P = .11 \quad P = .114$$

10) a) Coffee mean = 1.4 SD = .3 Muffin mean = 2.5 SD = .15

$X = \text{Coffee}$   $Y = \text{Muffin} \rightarrow \text{in cents}$

$E(X) = 140$   $SD(X) = 30$   $Var(X) = 900$   
 $E(Y) = 250$   $SD(Y) = 15$   $Var(Y) = 225$   
 $E(X+Y) = 140 + 250 = 390$   
 $Var(X+Y) = 900 + 225 = 1125$   
 $SD(X+Y) = \sqrt{Var(X+Y)} = \sqrt{1125} = 34$

Mean =  $1.4 + 2.5 = 3.9 = \text{mean}$   
 SD =  $.3 + .15 = .45 = \text{SD}$

b) Mean =  $3.9 \cdot 7 = 27.3 = \text{mean}$   $W = \text{weekly total}$   
 SD =  $.45 \cdot 7 = 3.15 = \text{SD}$   
 $E(W) = 7 \cdot E(X+Y) = 7 \cdot 3.9 = 273$   
 $V(W) = 7 \cdot V(X+Y) = 7 \cdot 1125 = 7875$   
 $SD(W) = \sqrt{7875} = .89$

11) Total = 2500  $X = \# \text{ of } 2500 \text{ who attend } X \text{ is binomial}$   
 Space = 1786  $P = .7$   $n = 2500$  if  $X \geq 1787$ , no room  
 $P = .7$   $\mu = np = 2500 \cdot .7 = 1750 \rightarrow P(X \geq 1787) = P(Z > (1787 - 1750) / 23) = .0537$

$.7 \cdot 2500 = 1750 \rightarrow 1750 < 1786 \rightarrow \text{there is a } 0\% \text{ chance of there not being enough space}$

13)  $H_0$ : The mean resting pulse rate of those who do not exercise is the same or less than those who do  
 $\mu_{\text{not}} \leq \mu_{\text{do}}$

$H_1$ : The mean resting pulse rate of those who do not exercise is greater than those who do  
 $\mu_{\text{not}} > \mu_{\text{do}}$

Independent T: USE  $s_p$  not  $s_1$  and  $s_2$ !

$$DF = 16 + 12 - 2 = 26 \rightarrow \text{crit } T = 1.71 \quad t = (73.9 - 69.1) / \sqrt{96.99 \cdot (1/16 + 1/12)}$$

$$t = (73.9 - 69.1) / \sqrt{[(10.9^2/16) + (8.2^2/12)]} = 4.8 / \sqrt{7.425 + 5.633} = 4.8 / 3.609 = 1.329$$

$1.329 < 1.71 \rightarrow \text{reject the null}$

We reject the null hypothesis that  $\mu_{\text{not}} \leq \mu_{\text{do}}$  and accept the alternative that  $\mu_{\text{not}} > \mu_{\text{do}}$

↓ Solutions in separate file

16) a)  $Y/X \rightarrow (y_i - \bar{y})(x_i - \bar{x}) / (x_i - \bar{x})^2 \rightarrow \sum Y/X^2 = Y/X$

$$\text{slope} = 296446.059 / 147911.938 = 2.004 = \text{slope}$$

$$107.43 = (128.88)(2.004) + y$$

$$107.43 = 258.70 + y$$

$$y \text{ intercept} = -150.87$$

This doesn't make sense because time has to be positive but I don't have enough time to fix it

b) For every unit increase in distance, time increases by 2.004

When distance = 0, time = -150.87

$$c) XY / \sqrt{X^2 Y^2} \rightarrow (147911.938 \cdot 148287.811) / \sqrt{(147911.938^2 \cdot 148287.811^2)} = 1$$

$$d) SSE = 1185784.23$$

It's the average error in times reported vs actual and then squared

$$e) Y = (103)(2.004) - 150.87$$

$$Y = 55.542$$

15) a)  $R^2 = .7480$

b) slope = 7.079  
Intercept = -28.53

As unemployed goes up 1, numbers go up by 7.079

At 0 unemployment, there are -28.53 numbers (this makes no sense, but I have no time)

c) I don't know and I'm out of time :)