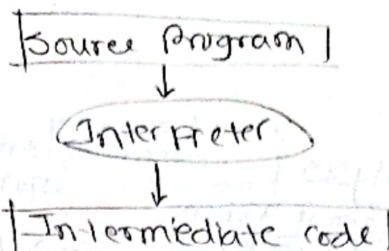
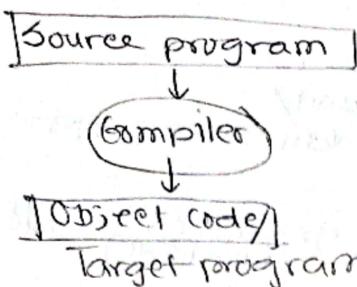


Date: 13.09.25



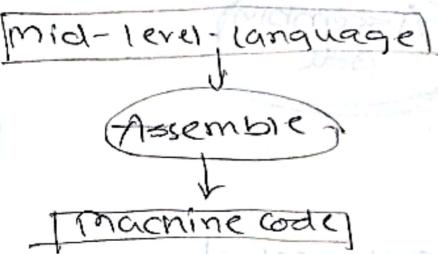
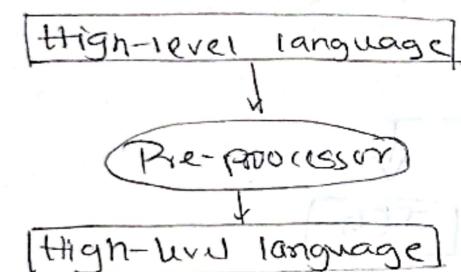
* Compiler vs Interpreter

- whole program
- Fast
- Platform dependent
- large and complex

Interpreter

- one line at a time
- slow
- independent
- simple, short programs
- High/mid level language

* Other translators:



→ Source code, object code, Byte code, machine code
↳ input to computer

Byte code, machine code
↳ code that can be executed by Virtual machine (platform independent)
↳ Directly executable by computer's physical processor without other translators.

Execution of a Program:

HLL

↓
Preprocessor

Pure HLL

↓
Compiler

↓ Assembly language

↓
Assembler

↓ Machine code (Relocatable)

↓
Loader/Linker

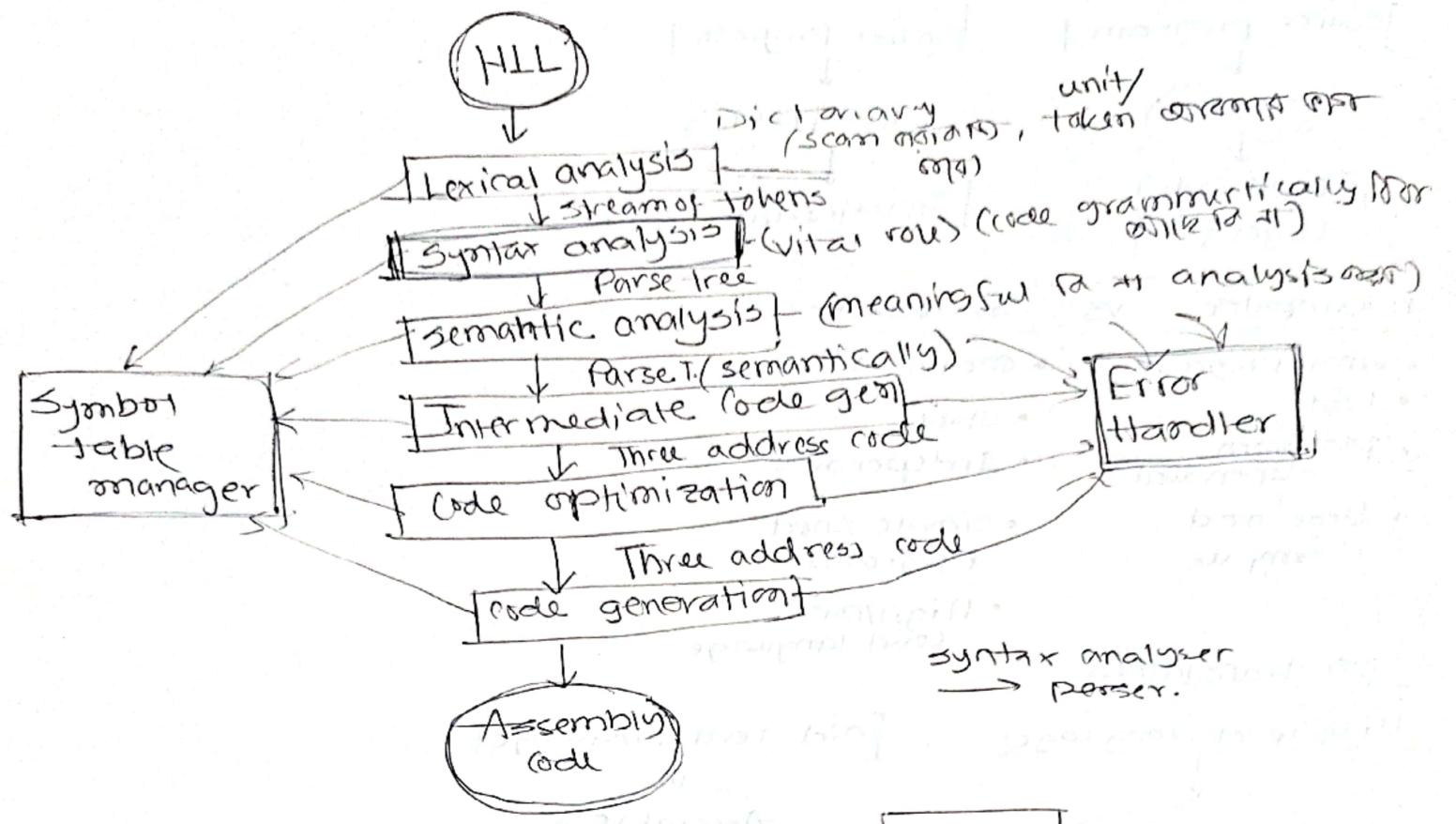
↓
Final absolute machine code

→ Preprocessing for first compilation stage

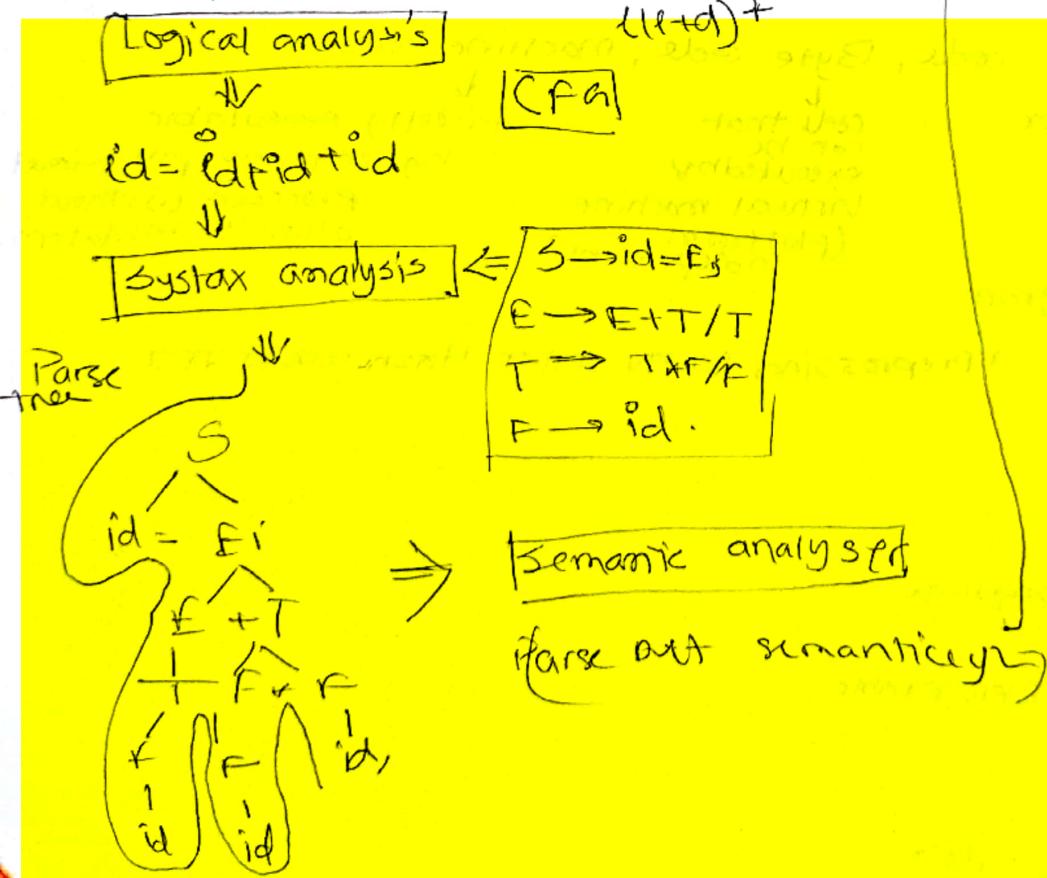


Scanned with OKEN Scanner

* Phases or structure of Compiler:



$x = \text{attr} * e ; / A \text{ statement or }$



[TCG]

$t_1 = b * c$
 $t_2 = \text{attr} *$
 $x = t_2$

[TCO]

$b_1 = b * c$
 $t_2 = \text{attr} *$

[TCG]

mul R1R2 $a \rightarrow R3$
 add R1R2 $c \rightarrow R50$
 move R2R3 $c \rightarrow$

* compiler must

- preserve the meaning

- improve source code

- Speed

- Space

- Feedback

dependent work of reiteration & iteration

→ original → improved

→ M. Design combined

(T) command of manipulating

→ closer

→ better algorithm

→ higher limit of error

→ static static - Repeating

Date: 20. 01. 2025

→ towards to generate a result

* Lexical Analysis (Scanning)

→ memory of characters

output → token and is pair of the form \langle type, lexeme \rangle

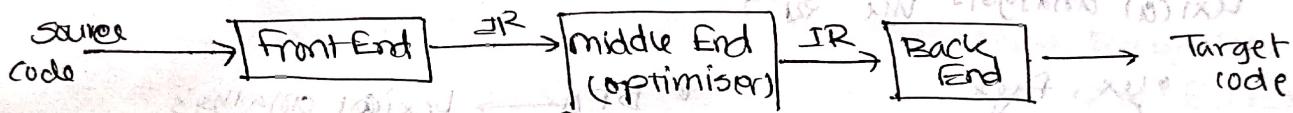
\langle token-class, attribute \rangle

→ Intermediate code generation

→ 3 address code → 3 vars (var) variable use

* code optimisation: to improve intermediate code;

• IR
→ Intermediate Representation



* code generation phase: to target processor + related register

→ mechanism

• (1) phase analysis → front end of compiler

• (2) phase implementation, synthesis → back end of compiler.

* mix compilers with mtn components:

* Qualities of a good compiler:

- generates correct code (first and foremost)

- " fast code

- conforms to the specification of the input language.

* principles of compiler:

* Historical Notes:

V Introduction to Lexical Analysis:

Language \rightarrow set of scripts
 Sentence / Statement
 Always infinite.

letters \oplus Alphabet
 ABC character
 Grammer (T)
 Words : user-defined identifiers, keywords,
 can be finite / infinite

Numerical, other logical terms

- * Token \rightarrow sequence of characters

- * Lexem \rightarrow sequence of characters, matched by a pattern

- * Pattern \rightarrow rule of description

* Tokenization :

* Attribute in token \rightarrow why lexical analysis?

* Why all this? (Lexical) \rightarrow why study lexical analysis?

* manually by hand from original program or difficulty
 lexical analysis use \rightarrow

• fix, freeze, \rightarrow DFA \rightarrow lexical analysis.
 unit based

* Scanner generator (Full story)!

• Thompson's construction.

• applies to lookahead parser algorithms • Hopcroft's algorithm.

• DFA construction with NFA construction.



Date: 24.05.2025

Lexical structures of tokens:

RE



Lexical Analyser (FSA) / (FSM)

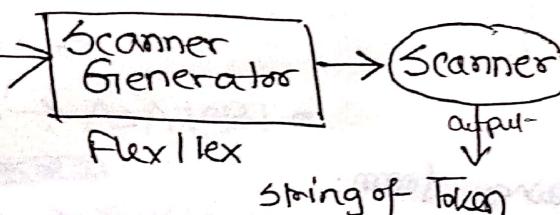


(Finite state Automata / Machine).

FSA

FSA \Leftrightarrow RE, RG \Leftrightarrow fSA (finite state Acceptor)

RES



REs

↓
CFG

(CFG, LAL) - 2

* Syntax analysis:

* Context free-Grammer (CFG): \rightarrow Natural + Recursive

① * Backus Naur form (BNF):

$E \rightarrow E+E/E^*E$

↓
not only CFG,
all other grammars.

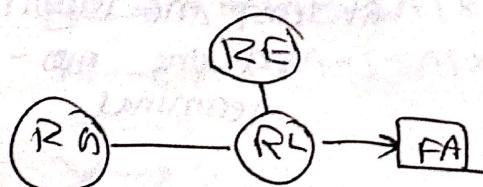
* CFG \Rightarrow subset RG.

Symbol \leftarrow Terminals (Σ)
Non Terminals (V) + Rules of production (S)

* Types: $G_1 = (V, \Sigma, S, S)$ \leftarrow CFG grammar \rightarrow easy to understand + Recursive

② * Chomsky Normal form (CNF):

* CYK Algorithm. \rightarrow AT notation or we \Rightarrow CNF.
Cochu Younger Prassami



27.09.25

* CFG BNF

A special way to write CFG introduced by Noam Chomsky is called Chomsky Normal Form (CNF)

A CFG say G is converted into CNF say G' .

$$G = (V, \Sigma, R, S)$$

$$G' = (V, \Sigma, R', S')$$

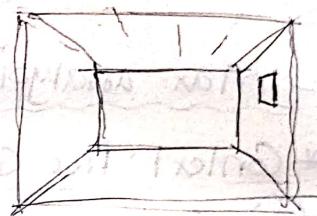
$$G = (V, \Sigma, R, S)$$

R contains only in the following form:

i) $A \rightarrow a; A \in V$

ii) $A \rightarrow BC; A, B, C \in V \setminus \{S\}$

iii) $S \rightarrow \epsilon$



Bad rules:

Violations of Chomsky inside CFG.

1. $A \rightarrow wSw$; $w \in V^*$, $wt(w) \leq 1$

2. $A \rightarrow \epsilon; A \in V \setminus \{S\}$

"Start symbol rule".

(iii) $A \rightarrow a$

(ii) $A \rightarrow BC$

(i) $S \rightarrow \epsilon$.

2. $A \rightarrow \epsilon; A \in V \setminus \{S\}$.

"empty rule"

3. $A \rightarrow B; A, B \in V$.

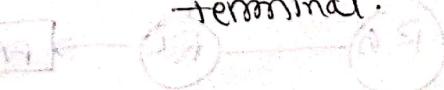
"unit rule"

4. $A \rightarrow w; A \in V$ and $w \in (V \cup \Sigma)^*$; w must contain at least one terminal and one non-terminal.

"mixed rule"

5. $A \rightarrow w; w \in V^*$ and $|w| > 2$.

"long rule"



\rightarrow Transformation of CFA to CNF: R → set of production rules:

R: $S \rightarrow ASA1aB$

$A \rightarrow B1S$

$B \rightarrow b1\varepsilon$

R₁: (Fixing "Start symbol rule")

$S_1 \rightarrow S$

$S \rightarrow ASA1aB$

$A \rightarrow B1S$

$B \rightarrow b1\varepsilon$

R₂: $S \rightarrow S$

$S \rightarrow ASA1aB1a$

~~Break.~~

$A \rightarrow S1B1\varepsilon$ and it prints a final ε if we have to remove ε or a .

$B \rightarrow b$.

R₃: $S_1 \rightarrow S$ repeat, comes to $"(S+A)*B"$

$S \rightarrow ASA1A1SA1aB1a$.

$A \rightarrow S1B$ (from $(S+A)*B$)

$B \rightarrow b$

R₄: $S_1 \rightarrow ASA1A1SA1aB1a$.

$S \rightarrow ASA1A1SA1aB1a$.

$A \rightarrow ASA1A1SA1aB1aB$.

$B \rightarrow b$

R₅: $S_1 \rightarrow ASA1A1SA1XB1a$.

$S \rightarrow ASA1A1SA1XB1a$.

$A \rightarrow ASA1A1SA1XB1aB$.

$B \rightarrow b$

$X \rightarrow a + b + \varepsilon$

R₆: $S \rightarrow AY1A1SA1XB1a$

$S \rightarrow AY1A1SA1XB1a$

$A \rightarrow AY1A1SA1XB1a$

$B \rightarrow b$.

$X \rightarrow a$

$Y \rightarrow \textcircled{0}5 SA$

Date: 09.05.2025

Syntax Analyzer / Parser:

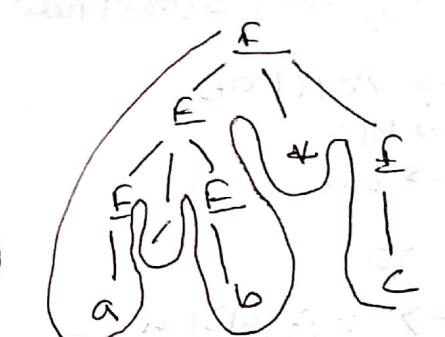
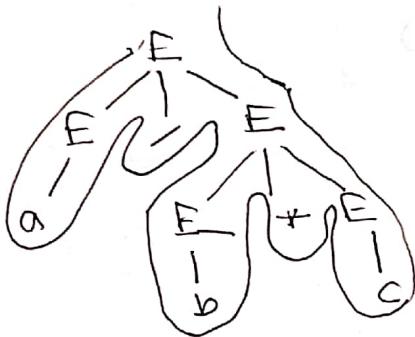
(a) If checks the stream of tokens is syntactically correct or not.

a+b;

id+ids;

(b) a+b*c;

i)



Derivation: Denoted by: $\xrightarrow{lm} \alpha \xrightarrow{lmt} \beta \xrightarrow{Rm} \gamma$
is a process to confirm if a string is from a language.

- 1 $E \rightarrow I$
- 2 $E \rightarrow E + E$
- 3 $E \rightarrow E * E$
- 4 $E \rightarrow (E)$
- 5 $I \rightarrow a$
- 6 $I \rightarrow s$
- 7 $I \rightarrow I_a$
- 8 $I \rightarrow I_b$
- 9 $I \rightarrow I_o$
- 10 $I \rightarrow I_1$.

language.

" $\alpha^*(a+b*c)$ " \rightarrow string, language $\alpha^* \cap L(\mathcal{L})$
तरीका क्या है?

$E \xrightarrow{lm} E * E$ ($lm \rightarrow$ left most) $E \xrightarrow{Rm} E * E$ ($Rm \rightarrow$ Right most)

$\xrightarrow{lm} I * E$

$\xrightarrow{lm} a + E$

$\xrightarrow{lm} a + (E)$

$\xrightarrow{lm} a * (E + E)$

$\xrightarrow{lm} a * (I + E)$

$\xrightarrow{lm} a * (a + I)$

$\xrightarrow{lm} a * (a + I_o)$

$\xrightarrow{lm} a * (a + I_{10})$

$\xrightarrow{lm} a * (a + b*c)$

Left most sentential form

$E \xrightarrow{Rm} E * E$

$\xrightarrow{Rm} E * (E)$

$\xrightarrow{Rm} E * (E + E)$

$\xrightarrow{Rm} E * (E + I)$

$\xrightarrow{Rm} E * (E + I_o)$

$\xrightarrow{Rm} E * (E + I_{10})$

$\xrightarrow{Rm} E * (E + b*c)$

$\xrightarrow{Rm} E * (I + b*c)$

$\xrightarrow{Rm} E * (a + b*c)$

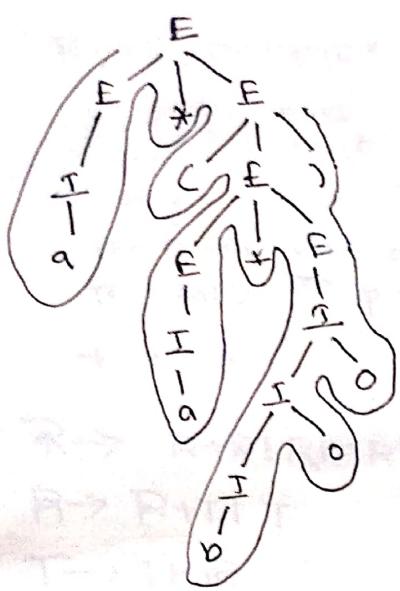
$\xrightarrow{Rm} I * (a + b*c)$

$\xrightarrow{Rm} a * (a + b*c)$

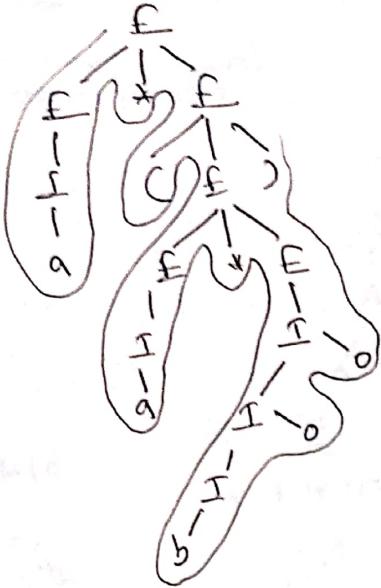
Non-terminals and/or terminals

right sentential form

LM



RM



sparse-tree for
same- Σ एकीकृत
because bracket के
आनंद नहीं होता।

Date: 20/03/20

$R \rightarrow R + R1 R R1 R^*$ (Regular expression)

generate NFA

$$\Sigma = \{p\} \quad r = a \\ r_2 = b$$

ϵ, p

$$r = r_1 + r_2 = a + b \quad a, b$$

$$r = r_1 r_2 = ab \quad p.$$

+ * *

$R \rightarrow R + R1 R R1 R^*$ LALBLC

$R \rightarrow R + T1 T - \quad \left\{ \begin{array}{l} \text{infix} \\ \text{postfix} \end{array} \right.$

$T \rightarrow TFIF \quad \dots$

$F \rightarrow R^* | a b | c$

Recursive grammar ($R(G)$)

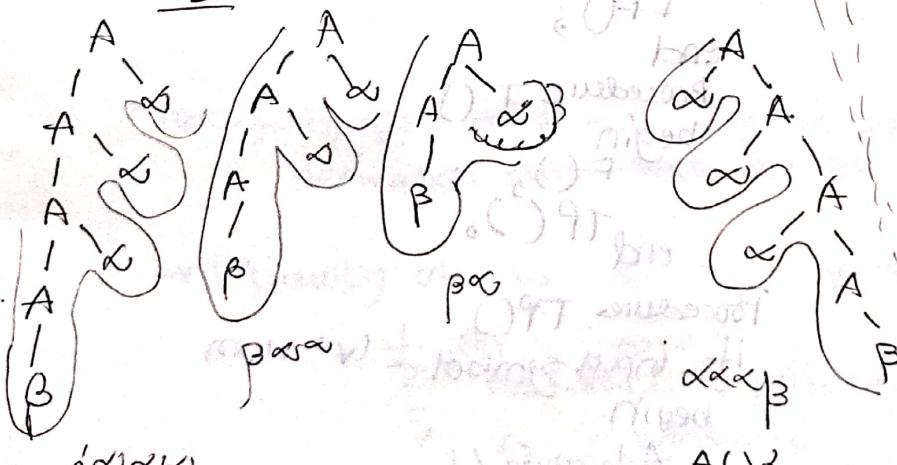
Left RG
(LR)

Right RG
(RR)

LR: $A \rightarrow A \alpha | \beta$

RR: $A \rightarrow \alpha A | \beta$

LR



$$L = \{ \beta \alpha^n | n \geq 0 \}$$

$A(\cdot)$ $\xrightarrow{\alpha} A(\cdot)$ \leftarrow infinite loop

$\gamma \xrightarrow{\beta} \gamma$ loop \rightarrow infinite loop

$$S \rightarrow aAc$$

$$A \rightarrow Ab | \epsilon$$

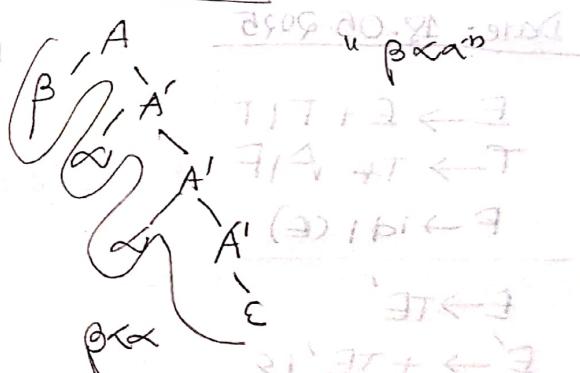
$$L = \{ ab^n c | n \geq 0 \}$$



* Elimination of left-recursiveness:

$$\begin{array}{l} A \rightarrow A\alpha | \beta \\ \boxed{A \rightarrow \beta A'} \\ A' \rightarrow \alpha A' | \epsilon \end{array}$$

$$\begin{array}{l} A \rightarrow \alpha A' | \beta \\ \boxed{A \rightarrow \beta \alpha^*} \\ L = \alpha^* \beta \end{array}$$



$$\begin{array}{l} \epsilon \rightarrow \epsilon + T1T \\ \boxed{T \rightarrow id} \end{array}$$

$$\begin{array}{l} E \rightarrow TE' | \epsilon \\ E' \rightarrow + TE' | \epsilon \\ \boxed{T \rightarrow id} \end{array}$$

$$\begin{array}{l} R \rightarrow TR' \\ R' \rightarrow + TR' | \epsilon \\ T \rightarrow FT' \\ T' \rightarrow FT' | \epsilon \\ F \rightarrow F^* | a b | c \end{array}$$

$$\alpha \beta \in (VUT)^*$$



$A \rightarrow A\alpha_1\beta_1 A\alpha_2\beta_2$

$\Rightarrow A \rightarrow A\alpha_1 A\beta_1 \rightarrow A\alpha_1\beta_1\beta_2 \dots ; (\beta_2 \text{ is part of } A\alpha_2)$

$A \rightarrow \beta_1\beta_2\beta_3\dots\beta_n A'$

$A' \rightarrow \alpha_1 A \alpha_2 A' \alpha_3 \dots \alpha_m A' \epsilon$

$A \rightarrow B \alpha_1 C$

$B \rightarrow A \beta_1 D$

$A \rightarrow (A\beta_1 D) \alpha_2 C$

$\boxed{A \rightarrow A\beta_1 D \alpha_1 C}$

$A \rightarrow D \alpha_1 A' + C A'$

$\boxed{A' \rightarrow B \times A' \epsilon}$

Date: 18.05.2025

$E \rightarrow E + T F$

$T \rightarrow T * F / F$

$F \rightarrow id \mid (E)$

$E \rightarrow T E'$

$E' \rightarrow + T E' \mid \epsilon$

$T \rightarrow F T'$

$T' \rightarrow * F T' \mid \epsilon$

$F \rightarrow id \mid \epsilon \mid (E)$

Procedure
 $W = "id + id * id"$

+ Recursive descent parsing
↳ LL parser.

else if input-symbol = '(' then
begin Advance();

$F()$;

if input-symbol = ')'

Procedure EC();

begin

$T()$;
 $EP()$;

end

Procedure EP();

if input-symbol == '+' then
begin

Advance();

$T()$;
 $EP()$;

end

Procedure T();

begin

$F()$;
 $TP()$;

end

Procedure TP();

if input-symbol == '*' then
begin

Advance();

$F()$;
 $TP()$;

end

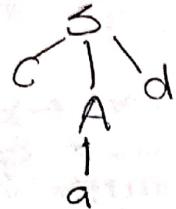
Procedure F();

if input-symbol == 'id';
Advance();



$S \rightarrow cAd$
 $A \rightarrow abla$
 $W = 'cad'$

$S \Rightarrow cAd$
 $\Rightarrow cad$.



$S \rightarrow cAd$
 $A \rightarrow a lab$

$B \rightarrow CAD$

$A \rightarrow aA'$

$A' \rightarrow b1q$

$S \rightarrow CAD$

$C \rightarrow Ad$

$(or a) A \rightarrow aA'$

$A \rightarrow q$

$A \rightarrow \alpha \beta_1 | \alpha \beta_2 | \alpha \beta_3$
 $\quad \quad \quad (\alpha \beta_3)$



Non-determinism → നിഖലത

left factoring

$A \rightarrow \alpha (\beta_1 | \beta_2 | \beta_3)$

$A \rightarrow \alpha A$

$A' \rightarrow \beta_1 | \beta_2 | \beta_3$

$S \rightarrow iEts1 | iEtses1 a$

$S \rightarrow iEtSS' | a$

$S \rightarrow \epsilon es.$

$S \rightarrow bs(saas | sa5b1b)1b$

$S \rightarrow b ss'1b$
$S \rightarrow sa s'1b$
$S \rightarrow as1s_b$

LL grammar

* Top-down.

* Ambiguity അഥവാ more than one space → free Generate കുറഞ്ഞ, derivation more than one രീതി ഉള്ളത്.

* Difficulty of the top-down parsing:

1. left recursive

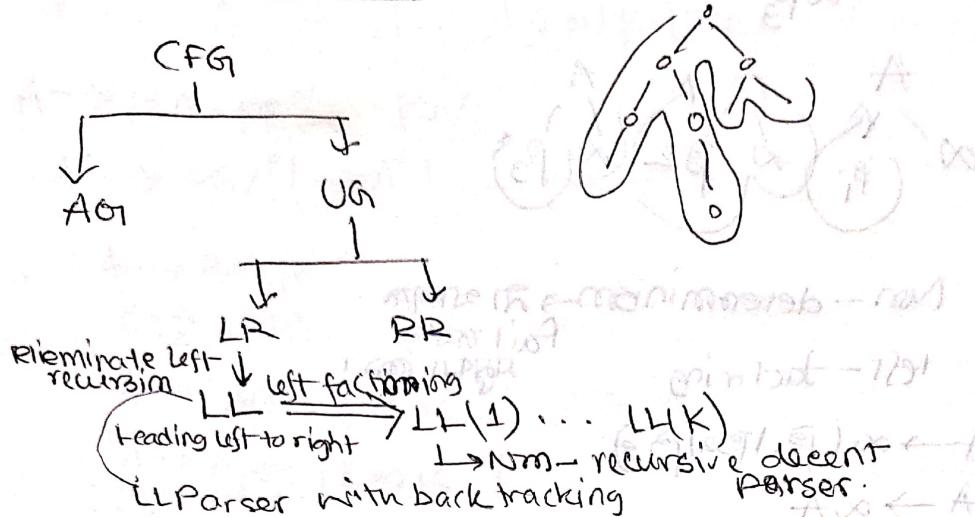
2. Backtracking problem

3. Error-handling

q. syntactically correct or wrong.

Date: 22.05.2025

Top down parsing



$$S \rightarrow aBac$$

$$B \rightarrow b$$

$$C \rightarrow c$$

$\text{first}(S) = \text{first}(AB) \cup \text{first}(ac)$, $aBaca \neq \emptyset$ (common prefix)

(~~AB~~) \Rightarrow ~~AB~~

$aBaca = \emptyset \rightarrow$ non deterministic

Properties of LL(1) grammar

Backtracking needed
↓ stack (recursive)

→ Unambiguous.

→ NM - Left - recursive.

→ Deterministic.

Predictive parser: $\text{LL}(1)$ first parser.

Bottom up parser / Table driven parser / Look ahead

Table driven parser /

Predictive parser

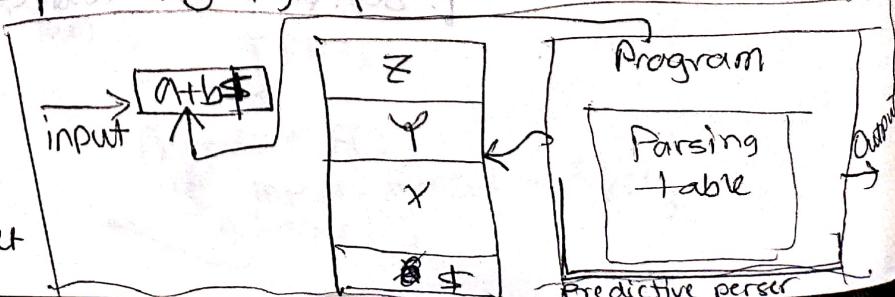
Predictive is a non-cursive table.

driven ~~per~~ top-down parser, that maintains stack activation explicitly by 'parser it-self'.



bac
abcb

→ end input



$M[x,a]$	a
X	
A	$\alpha \rightarrow \beta$
B	$\alpha \rightarrow \beta$
C	$\alpha \rightarrow \beta$

Parse table

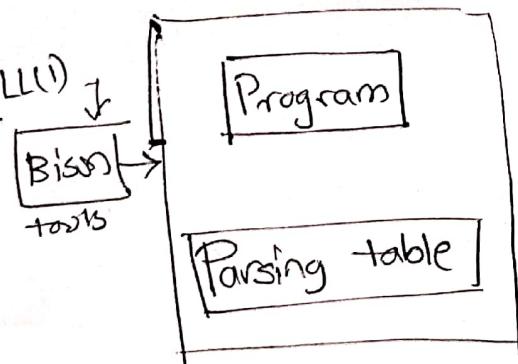
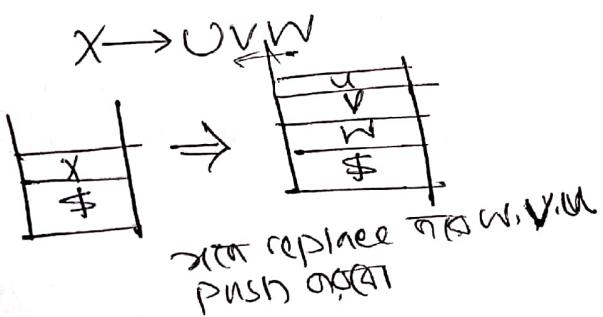
$\alpha \rightarrow$ non-terminal
 $\beta \rightarrow$ non-terminal,
terminal mixed.

$\alpha \rightarrow \epsilon$ → error

1. $X = a = \$$
declare successfully complete.

2. $X = a \neq \$$

(a) $X -$ non-terminal \Rightarrow consult $M[x,a]$
parse tree go down (consult $M[x,a]$)
M[x,a]



Dates
Parse table from LL(1).

$M[x,a]$	\leftarrow	\rightarrow	\rightarrow
x^a	\downarrow	$id + * (.) \$$	
E	$E \rightarrow TE'$	$E \rightarrow TE'$	
E'	$E' \rightarrow +TE'$	$E' \rightarrow E$	$E' \rightarrow \epsilon$
T	$T \rightarrow FT'$	$T \rightarrow FT'$	
T'	$T' \rightarrow \epsilon$	$T' \rightarrow *FT'$	$T' \rightarrow \epsilon$
F	$F \rightarrow id$	$F \rightarrow (E)$	$F \rightarrow \epsilon$

$X[a]$

1. $X = a = \$$

2. $X = a \neq \$$

3. X is non-terminal

Left recursive

$E \rightarrow TE$	$\textcircled{1}$
$E' \rightarrow +TE'/\epsilon$	$\textcircled{2}$
$T \rightarrow FT'$	$\textcircled{3}$
$T' \rightarrow *FT'/\epsilon$	$\textcircled{4}$
$F \rightarrow id$	$\textcircled{5}$
$F \rightarrow (E)$	$\textcircled{6}$

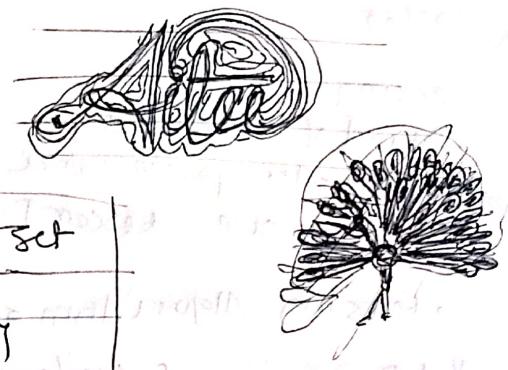
w = "id+id+id"

Stack	Input	Productions
\$E	id+id+id\$	
\$E'T	id+id+id\$	$E \rightarrow TE'$
\$E'T'F	id+id+id\$	$T \rightarrow FT'$
\$E'T'id	id+id+id\$	$F \rightarrow id$
\$E'T'	+id+id\$	
\$E'	+id+id\$	$T' \rightarrow \epsilon$
\$E'T+	+id+id\$	$E' \rightarrow +TE'$
\$E'T	id*id\$	
\$E'T'F	id*id\$	$T \rightarrow FT'$
\$E'T'id	id*id\$	$F \rightarrow id$
\$E'T'	+id\$	$T' \rightarrow *FT'$
\$E'T'F+	+id\$	
\$E'T'F	+id\$	$F \rightarrow id$

Stack	input	Productions
\$E	i&+(&*id\$)	
\$E'T	i&+id*&id\$	E → TE'
\$E'T'F	id+id*&id\$	T → FT'
\$E'T'id	id+id*&ids	F → id
\$E'T'	+id*&id\$	
\$E'	+id*&ids	T' → ε
\$E'T+	+id*&id\$	E' → +TE'
\$E'T	id*&id\$	
\$E'T'F	id*&id\$	T → FT'
\$E'T'id	id*&id\$	F → id
\$E'T'	*id\$	
\$E'T'F*	*id\$	T' → *FT'
\$E'T'F	id\$	
\$E'T'id	id\$	F → id
\$E'T'	\$	
\$E'	\$	T' → ε
\$	\$	E' → ε

Date: 19.06.2025

Parsing table of LL(1) grammar:



* First set, follow set

Rules	First set	Follow set
$S \rightarrow A C B C b B B a$	{d, g, h, ε}	{\$, g}
$A \rightarrow d a B C$	{d, g, h, ε}	{h, g, \$}
$B \rightarrow g ε$	{g, ε}	{a, n, h, \$}
$C \rightarrow h ε$	{h, ε}	{g, b, h, \$}

$$Fr(S) = ?$$

$$Fr(C) = \{h, ε\}$$

$$\begin{aligned} Fr(A) &= Fr(da) \cup Fr(BC) \Rightarrow Fr(B) \cup Fr(C) \\ &= \{d\} \cup \{g, ε\} = \{d, g, ε\} \end{aligned}$$

$$\begin{aligned} Fr(S) &= Fr(ACB) \cup Fr(cbB) \cup Fr(Ba) \\ &= Fr(A) \cup Fr(C) \cup Fr(B) \\ &= \{d, g\} \cup Fr(C) \cup Fr(B) \\ &= \{d, g, h, ε\} \cup \{b\} \cup \{a\} \\ &= \{d, g, h, b, a, ε\} \end{aligned}$$

Designing Parser

- ① Make the given grammar LL(1)
- ② Define Fr and follow construct
- ③ Parse table
- ④ Write parsing algorithm.
- ⑤ Test with example string

Parse table.

Rules	First set	Follow set	variables				
			id	+	*	()
$E \rightarrow TE'$	{id, c}	{>, \$}	E	E → TE'			
$E' \rightarrow +TE' \epsilon$	{+, ε}	{>, \$}	E'	E → +TE'			
$T \rightarrow FT'$	{id, c}	{+, >, \$}	T	T → FT'			
$T' \rightarrow *FT' \epsilon$	{*, ε}	{+, >, \$}	T'	T' → ε	T' → FT'		
$F \rightarrow id(E)$	{id, c}	{*, +, >, \$}	F	F → id			

* $S \rightarrow A$
 $A \rightarrow aB|Ad$
 $B \rightarrow bBC|f$
 $C \rightarrow g$

grammar given.
parser table

→ LL grammar or, conflicting

Rules	First	Follow
$S \rightarrow A$		
$A \rightarrow aB Ad$		
$B \rightarrow bBC f$		
$C \rightarrow g$		

Rules	First	Follow
$S \rightarrow aSbS bSaS ε$		



22/06/95

CS6030CL 2015

Parsing

2 kind of parsers:

1. Operator precedence
2. Recursive descent → Top down parsing.

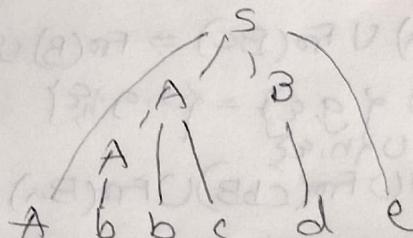
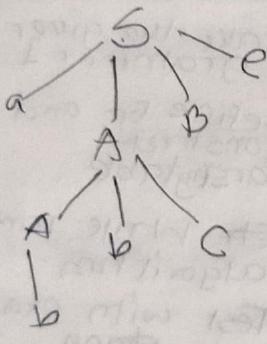
• Parsing Algorithms.

LR Parsing (Shift Reduce parser)

$$\begin{array}{l} \textcircled{1} S \rightarrow aABe \\ \textcircled{2} A \rightarrow +Abc\mid b \\ \textcircled{3} B \rightarrow d \end{array}$$

$$\begin{aligned} S &\Rightarrow aABe \quad [1] \\ &\Rightarrow aBe \quad [2] \\ &\Rightarrow abbcde \quad [3] \\ &\Rightarrow abcde \quad [4] \end{aligned}$$

$$\begin{aligned} S &\Rightarrow aABe \quad [1] \\ &\Rightarrow aAde \quad [2] \\ &\Rightarrow aAbcde \quad [3] \\ &\Rightarrow Abcde \quad [4] \end{aligned}$$



22/06/95

Parsing

2 kind of parsers:

- 1. Operator precedence
- 2. Recursive descent → Top down parsing.

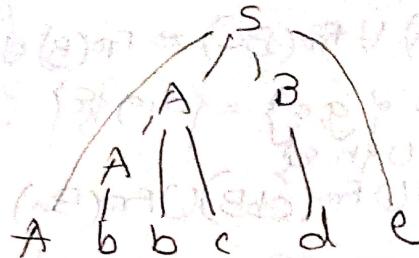
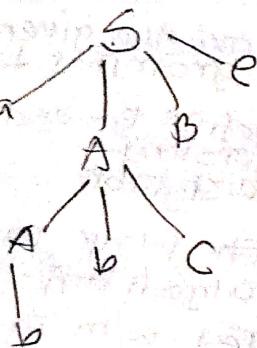
- Parsing Algorithms

↓ LR Parsing (Shift Reduce parser)

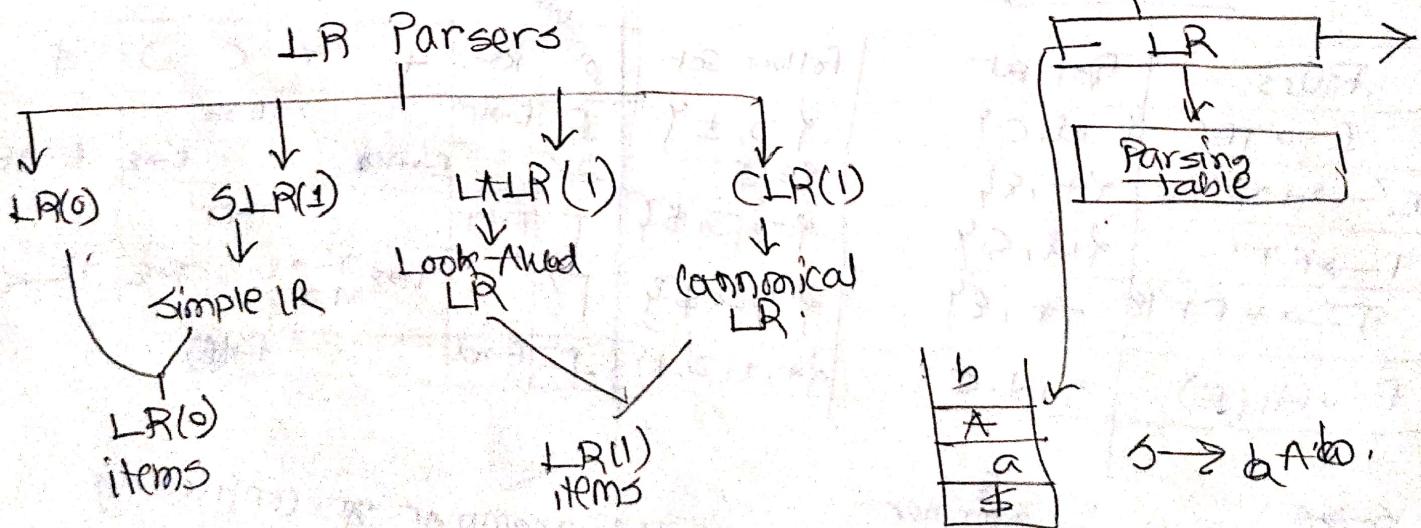
$$\begin{array}{l} \text{① } S \rightarrow aABe \\ \text{② } A \rightarrow +Abc1b \\ \text{③ } A \rightarrow d \\ \text{④ } B \rightarrow e \end{array}$$

$$\begin{array}{l} \text{S} \Rightarrow aABe \quad (1) \\ \Rightarrow ABcBe \quad (2) \\ \Rightarrow abncBe \quad (3) \\ \Rightarrow abnrcde \quad (4) \end{array}$$

$$\begin{array}{l} S \Rightarrow aABe \quad (1) \\ \Rightarrow aAde \quad (2) \\ \Rightarrow aAbde \quad (3) \\ \Rightarrow Abcde \quad (4) \end{array}$$

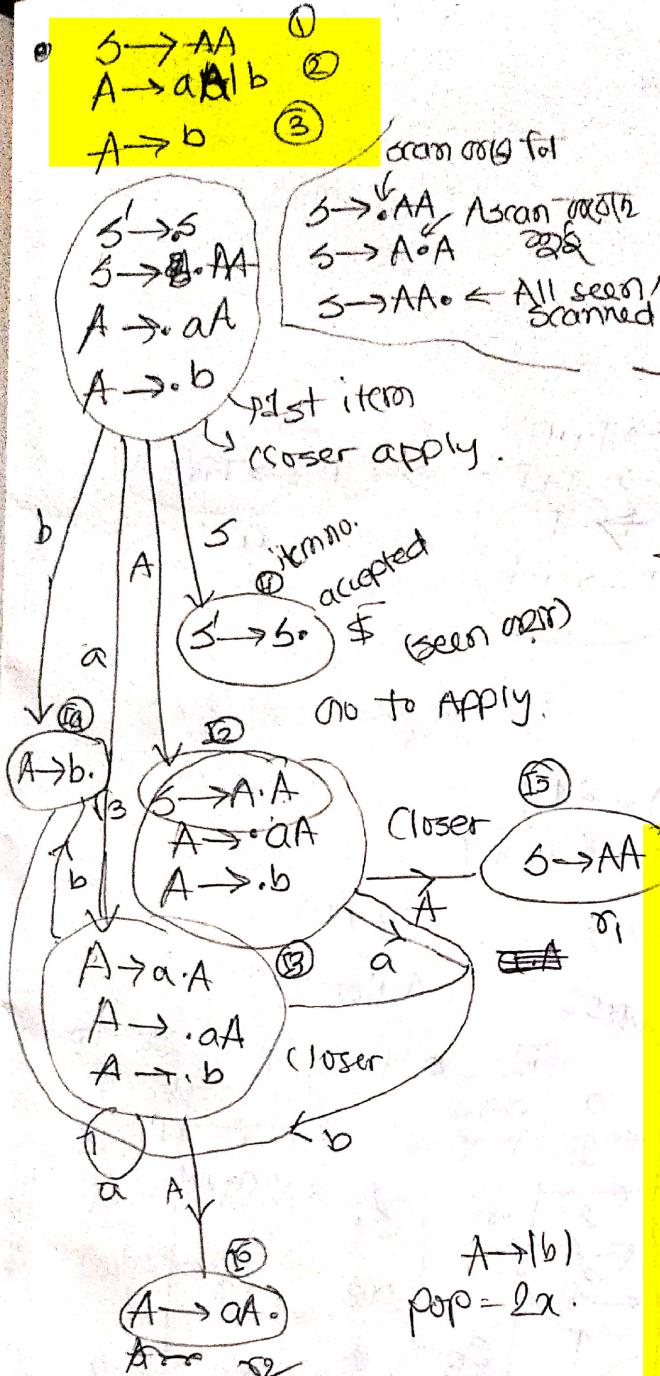


Date: 29.06.95



LR(0) Parsing table!

	Action			Goto variable	
	a	b	\$	S	A
0 (3)	Sq	-	-	1	2
1	-	-	accepted		
2 S3	Sq	-		6	
3 D3	Sq	-		6	
4 r3	r3	r3			
5 r1	r1	r1			
6 r2	r2	r2			



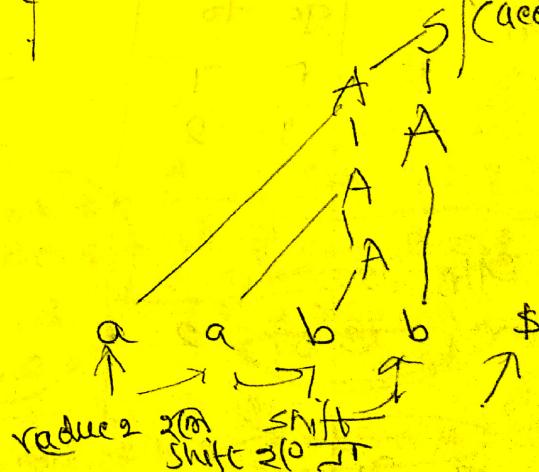
• $S \rightarrow AA$ ①

$A \rightarrow aA$ ②

$A \rightarrow b$ ③

$w = "aabbb\$"$

(accepted).



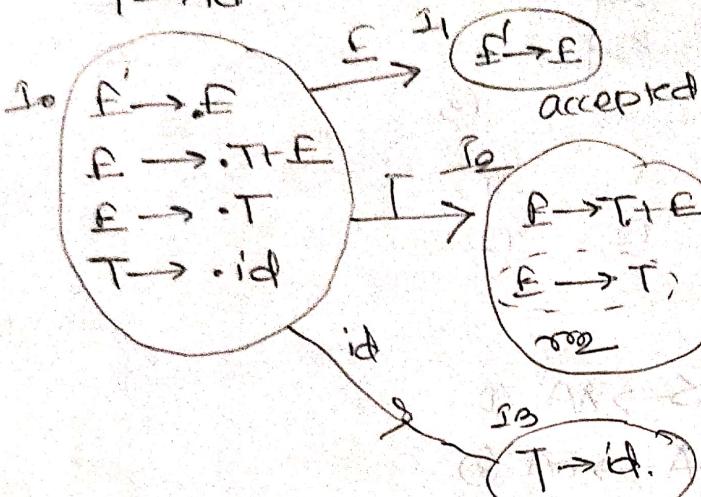
0	1	2	3	4	5	6	7	8	9	10	11	12	13
0	a	3	a	B	b	A	a	b	A	b	A	a	b

Date:

LR(0) SLR(1)

$$E \rightarrow T + E^{\text{①}} | T^{\text{②}}$$

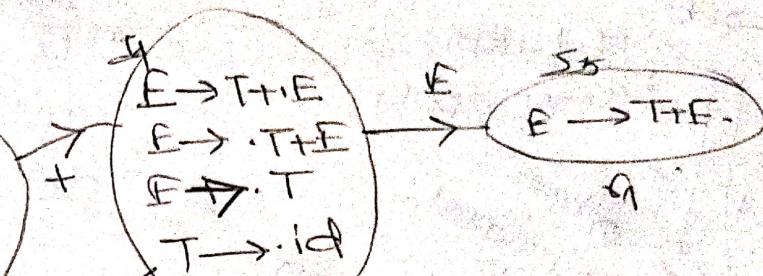
$$T \rightarrow id^{\text{③}}$$



$$\text{follow}(E) = \{ \$ \}$$

$$\text{follow}(T) = \{ +, \$ \}$$

LR(0)



States	Action	go to
	id + \$	E T
0	S3	1 2
1		
2	r2 E1/r3 r2	
3	r3 r3 r3 5 2	
4	S3	
5	r1 r1 r1	

States	Action	go to
0	S3	E T
1		1 2
2	S4 r2	
3	r3 r3 r3	
4	S3	5 2
5		

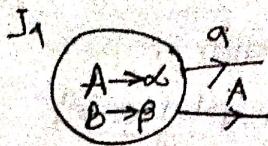
LR(0) + follow

= LR(1) = SLR(1)

FAT+Stack = PDA.

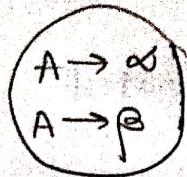
Dates

$$SLR(1) \quad LR(0) + \text{Follow} = LR(1) = \text{LR SLR}(1)$$



Shift Reduce conflict!

J_n



Reduce-Reduce conflict

CLR(1) Parsing table.
• look ahead

SLR(1)

$$LR(1) = LR(0) + \text{Follow}$$

~~LR(1)~~ \rightarrow most PC

LR(1)

* $S \rightarrow aAd \mid bBd \mid \text{label } bAe$.

$$\begin{array}{l} A \rightarrow C \\ B \rightarrow C \end{array} \quad S \xrightarrow{\text{label}} S \rightarrow \cdot S, \$$$

look ahead

$I_0: S \rightarrow \cdot aAd, \$$

$S \rightarrow \cdot bBd, \$$

$S \rightarrow \cdot aBe, \$$

$S \rightarrow \cdot bAe, \$$

$I_1:$

$S \rightarrow a \cdot Ad, \$$

$S \rightarrow a \cdot Be, \$$

$A \rightarrow \cdot c, d$

$B \rightarrow \cdot c, e$

$I_2:$

$S \rightarrow b \cdot Bd, \$$

$S \rightarrow b \cdot Ae, \$$

$A \rightarrow \cdot c, e$

$B \rightarrow \cdot c, d$

$I_3:$

$S \rightarrow aAd, \$$

$S \rightarrow aBe, \$$

$A \rightarrow \cdot c, e$

$B \rightarrow \cdot c, d$

$I_4:$

$S \rightarrow aAd, \$$

$S \rightarrow aBe, \$$

$A \rightarrow \cdot c, d$

$B \rightarrow \cdot c, e$

$I_5:$

$S \rightarrow bBd, \$$

$S \rightarrow bAe, \$$

$A \rightarrow \cdot c, e$

$B \rightarrow \cdot c, d$

$I_6:$

	a	b	c	d	e	\$	S	A	B
0	s_2	s_3					1		
1				acc					
2		s_6					9	5	
3		s_5					7	8	
4									
5									
6									
7									
8									
9									
10									
11									
12									
13									

	a	b	c	d	e	\$	S	A	B
9							r_6	r_5	
10									
11									
12									
13									

Date: 17.07.2025

(very important class)

- compiler design \rightarrow 6th module. ← Theoretically.
- + practically \rightarrow ^{phase} ~~work~~ phase \rightarrow module - 2nd
- * Front end - \rightarrow Analysis. \rightarrow Independent (port, platform)
- + Back end - \rightarrow Implement. \rightarrow dependent OS + machine
- \rightarrow order maintain
- * Semantic Analysis:

PL \rightarrow Lexical Analysis.

CFL \rightarrow Syntax Analysis. \rightarrow Semi-automated

CSL \rightarrow Semantic Analysis.

YACC \leftarrow Yet Another Compiler Compiler \rightarrow Input \rightarrow Grammar file
↓
Parser Generator. output \rightarrow Parser file

* Notational Framework:

Notations \rightarrow Lexical (RE)
 \rightarrow Syntactic (CFG)

* Notation: Notation is a system of symbols that represents concepts, actions or data.

PHP-notation,
laravel-notation
framework.

* Notational framework: Structured or systemic methodology or methodology that governs how symbols designed, represented and used.

$\alpha = b + c ;$
int a,b,c;

{ semantical ~~lexical~~ error }

Notation

Extension of CFG

* grammar + sub routine = Notational framework. = SDT.

\rightarrow CFG + Action/Subroutine = SDT.

$E \rightarrow E + E$ { action }

PDA = FA + stack.
 $\xrightarrow{S} \xleftarrow{S}$

Scheme
Syntax Directed Translation Scheme.

Subroutine, actions, semantics
 \hookrightarrow same as



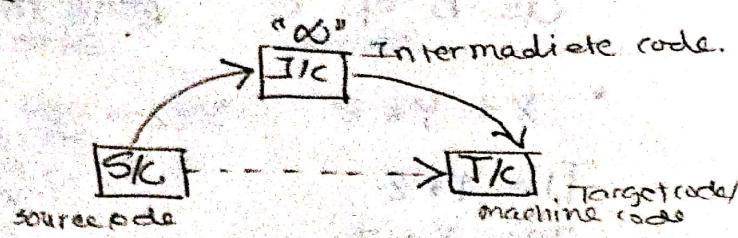
Date: 20.07.2021

Syntax Directed Translation (SDT).

2nd Phase कामों(2) तक

Grammatical features + semantic action = SDT

$\exists \uparrow x \in A^*$



- * Intermediate code (IIC) \rightarrow Machine independent

Lower Language is (is) color understandable
High " " " " color "

Intermediate code's type:

1. Postfix notation . . . Infix, prefix
 2. Syntax tree
 3. Three-address code.

1. * if a then if b-c then $a := b+c$
else $a := b-c$ else $a := b*c$.

(conditional
Statement
(infix) \leftrightarrow
Postfix \rightarrow
conversion

```

    a then
    if b-e then
        a:=b*c.
    else
        a:= b-e
else
    else
    a:= b*c.

```

if a then
if bc - then
bc +
else bc -

2. Syntax tree: a^t
 |
 +--- b
 +--- c

$$abc - bc + bc - ?bc * ?$$

if $b=c$ then
 $x := b+c$

$$\text{et } x_1 = b - c$$

```

graph TD
    if["if - then - else"] --> b1[b]
    if --> eq1[=]
    if --> else2["else"]
    b1 --> c1[c]
    b1 --> x1[x]
    eq1 --> x2[x]
    eq1 --> plus["+"]
    plus --> c2[c]
    plus --> b2[b]
    else2 --> x3[x]
    else2 --> eq2[=]
    eq2 --> b3[b]
    eq2 --> c3[c]
  
```

3. Three address code: (TAC)

$a = b \text{ op } c$

(গোপনীয় পদ্ধতি
3-এর ওজন অবস্থা
যেখানে)

* $X + Y * Z$. $X, Y, Z \rightarrow$ User generated

$T_1 = Y * Z$ $T_1, T_2 \rightarrow$ M/C generated.

$T_2 = X + T_1$

* $a := b + c * d$.

(1) $T_1 = -b$

(2) $T_2 = c * d$

(3) $T_3 = T_1 + T_2$

(4) $a := T_3 \rightarrow$ result.

assign.

* To implement TAC, two kinds of data structure can be used:

1. Quadruple

2. Triple.

2. Triple: 3rd field ~~and~~ represent:

• যোগী temporary variable $T_{\#}$.

1. Quadruple: 4th field এর

(Temporary variable, argument মাত্রান
বাটু) এর field এর
represents

(index)	OP	AR1	AR2	Result
(0)	-	b		T_1
(1)	*	c	d	T_2
(2)	+	T_1	T_2	T_3
(3)	$:=$	T_3		a

	OP	ARG1	ARG2
(0)	-	b	
(1)	*	c	d
(2)	+	(0)	(1)
(3)	$:=$	(2)	(2)

v SDT:

Grammar + semantic Action.

$$E \rightarrow E + E \quad f_{val}^1 = f^{(1)}_{val} \\ E \rightarrow \text{digit} \quad f_{val}^1 = \text{digit}$$

* Semantic Actions:

- many (1) Evaluation
- (2) I/C generation
- (3) Error message generation update
- (4) Rewriting symbol table.

* Semantic Errors:

(1) Type mismatched

duplicate

(2) Multiple variable declaration

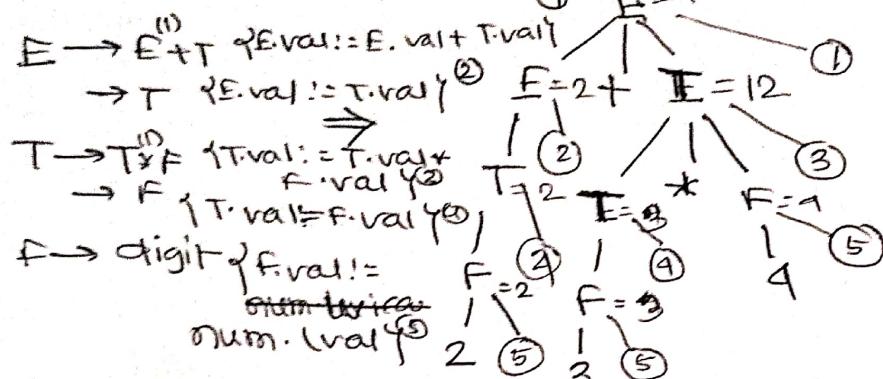
(3) Undeclared variable

(4) Reserved word / key word

(5) Scope parameter



" $2+3*4$ "



$E = 14$ ← E.val অর্থাৎ
(পোতাল কর্তব্য)
semantically wrong

lval \Rightarrow lexical value.