51.

Recursion

$$f(n) = n \times f(n-1)$$

int getfactorial (int n, int res=1) f(0) = 1

line 01 - if (n==0) neturn nes;

line 01 
$$\longrightarrow$$
 if  $(n=0)$  neturn nes;  
line 02  $\longrightarrow$  neturn get factorial  $(n-1, nes \times n)$ ;  
 $f(5,1) = f(4,5) = f(3,20) = f(2,60) = f(1,120)$   
 $f(5) = f(5) = f(5) = f(6)$ 

 $f(n, \omega n n)$ 

$$= f(n-1, n \times \alpha n + n) = f(3)$$

$$f(n) = n \times f(n-1)$$

$$f(7,1) = f(6,7) = f(5,42) = f(4,210)$$

$$= f(3,840)$$

$$= f(2, 2520) = f(1, 5040)$$

$$= f(0, 5040)$$

String palind rome

is Palindrome (L, R) = (S[L] = = S[R]) && (is Palindrome (L+1, R-1)) is Palindrome (0,4) = true by true = true

5to] == 5[A] 88 Sts) == 5[3] 60 Sts) == 5[2]

2= 2+ 52+52.

subset → 1,2,5,14

1211 1, 2, 5, 11, 14 {1,5} -> 1+5=6/3 ιΟ void gen 1251114 2 5 11 5 14 125 f(o)12 Magic Number 1 f(1) 2 15  $N = 2 \times 3 \times 5$ 3 4 9,4,270 5 K < 1000 6 B 9 10 (6) 200 3

 $(2 \times 3)$ 

