< Headers V. Netr (Bassis Chapter 6 Q1: $\begin{bmatrix} 1, & 0.67, & 0.33, & 2 \\ 0.4S, & 1, & 0.5S, & 2 \\ 0.67, & 0.33, & 1.0, & 2 \end{bmatrix}$ 1 - mutiply first row by -6.45 2- add-0.45 to second for 3 - multiply second row by 0,17022 of sald to third row @ x3 = 0. 84724409 $\tilde{\chi}_{2} = 1$ X/21=1 3-3+30123:00 3-3+3012:1 Swap and multiply swanting to 4/1, (1) put it add 31d & the and pat it as

$$X_4 = 0.5 * -1$$
 $X_3 = 0.5$
 $X_2 = 0.5$
 $X_4 = 0.5$
 $X_1 = 0.5$

- 1) mutiply firt by -s thon add it to second
- @multiply first by -23 then and it to third row

multiply the stand sow by -3 then place add it to third and place it

multiply second row in \$\frac{1}{16} is then and it to third row and place it as third row

$$2=6$$

 $X=-2$
 $X=3$

$$\frac{QS}{=} \begin{bmatrix}
2+3i & 2-i & 2+i \\
4+6j & 3-6j & -2-5i
\end{bmatrix}$$

1) mul the first row with -2 then add it to second row is then place it as the second row

$$y = 2i$$

 $X = 1+i$

$$f_{M} = \frac{3}{3}\sqrt{Q}:$$

$$\begin{bmatrix} \frac{2}{5} - 1 & -12 \\ 5 - 1 & 2 & 29 \\ -3 & -4 & 1 & 5 \end{bmatrix}$$

$$()_{M} = \frac{1}{2} + \frac{1}{2} + \frac{1}{2}$$

$$(2)_{M} = \frac{1}{3} + \frac{1}{4} + \frac{1}{4}$$

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$$(3)_{M} = \frac{1}{3} + \frac{1}{4}$$

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$$(4)_{M} = \frac{3}{3} + \frac{1}{4}$$

$$(5)_{M} = \frac{3}{3} + \frac{1}{4}$$

$$(7)_{M} = \frac{3}{3} + \frac{1}{4}$$

$$(8)_{M} = \frac{3}{3} + \frac{1}{4}$$

$$(1)_{M} = \frac{3}{3} + \frac{1}{4}$$

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$$(4)_{M} = \frac{3}{3} + \frac{3}{4}$$

$$(5)_{M} = \frac{3}{3} + \frac{1}{4}$$

$$(7)_{M} = \frac{3}{3} + \frac{1}{4}$$

$$(8)_{M} = \frac{3}{3} + \frac{1}{4}$$

$$(9)_{M} = \frac{3}{3} + \frac{1}{4}$$

$$(1)_{M} = \frac{3}{3} + \frac{1}{4}$$

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$$(2)_{M} = \frac{3}{3} + \frac{1}{4}$$

$$(3)_{M} = \frac{3}{3} + \frac{3}{4}$$

$$(3)_{M} = \frac{3}{3} + \frac{1}{4}$$

$$(3)_{M} = \frac{3$$

for the 3rd Q:
$$\begin{bmatrix}
1 & -1 & 1 & -4 \\
5 & 4 & 3 & -12 \\
2 & 1 & 1 & 11
\end{bmatrix}$$

$$\underbrace{(1)}_{matrix}[2] = (matrix [1] * -5) + matrix [2]$$

$$\underbrace{(2)}_{matrix}[13] = (matrix [+1] * -2) + matrix [2]$$

$$\underbrace{(3)}_{matrix}[1] = (matrix [2] + matrix [2]$$

$$\underbrace{(3)}_{matrix}[1] = (matrix [2] + matrix [2]$$

$$\underbrace{(4)}_{matrix}[3] * = (matrix [2] + matrix [2]$$

$$\underbrace{(4)}_{matrix}[3] * = (matrix [2] * -3)$$

$$\underbrace{(5)}_{matrix}[3] * = (matrix [2] * + matrix [2]$$

$$\underbrace{(6)}_{matrix}[3] * = (matrix [2] * + matrix [2]$$

$$\underbrace{(7)}_{matrix}[3] * = (matrix [2] * + matrix [2]$$

$$\underbrace{(8)}_{matrix}[3] * = (matrix [2] * + matrix [2]$$

$$\underbrace{(9)}_{matrix}[3] * + matrix [2] * + matrix [2]$$

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$$\underbrace{(9)}_{matrix}[3] * + matrix [2]$$

$$\begin{array}{ccc}
 & & X_1 &= 3 \\
 & & X_2 &= 6 \\
 & & & X_3 &= -1
\end{array}$$

- (5) divide the third row by \$10950.84724 and assign it as third row 6) mal third row by -0.4015 and add-assign it to second row mal third row by 0.0551181 and thon add-assign it to first row 1001 0 0.6935 0 0.6935 $X = 1_{i} y = 1_{i} z = 1$ def maa(a , 6 Zic): out = matrix[a] for sound Q2: out *= C; out += matrix [6]; 1) swap 1st and 4th matrix[b]=out; (2) maa(1, -3, 2-3) (3) maa (1,3, _2) (4) swap 15th was 4th and sommer row [1,2,3,0,3, 0,1,2,3,0, -0,-1,-6,1,-4 L09-69-2,29-8 (3) add 2nd to 31d and assign as third
- (6) maa (2,4,+6) (2-11-2) maa (2)



1) mul the first row in -0.45 and assign-add to second row

2) mal first row in -0.67 and assign-aulto

(2) [1 0,67 0,33 2 0 6.698 0.4015 1.1 0 -10.118 0.7789 0.66]

3) mul third row in 61689 then assign-add to third row

A mul second row in 0.9598; then assign add to third row

1 0 -0.0518 0.9448 0 0.6985 0.4015 11 0 0 0.84724 0.8472

for 5th gastin (1) m [2]+= m [1]*-2 (2) m[1]+= m[2]* 2+1 -1-4. $\begin{bmatrix} 10 & -7 & 0 \\ -3 & 2.099 & 6 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ 5 & -1 & 5 \end{bmatrix} = \begin{bmatrix} 7 \\ x_2 \\ x_3 \end{bmatrix} = \begin{bmatrix} 3.901 \\ 6 \end{bmatrix}$ [10 -7 07 -3 3.099 6 3.901] 5 -1 5 6 m[2] += m[1] + 0.33333(a) $m[3] t= m[1] t - \frac{1}{2}$ (b) 10 - 7 0 7(a) -0,001 6 6,001(b) 2.5 5 2.5

(3)
$$m [3] + = 24.54$$
 (0.002.5) $Z = 1.05035$ $y = 301.100$ $X = 211.470$

```
0.9890, 2014, -1.0193,
         1,02147
1 m= 2.221
 x^{(1)} = [1.0483 \ 1.7759 - 0.8052]
 m = 0.9298
\chi^{(2)} = [1.047 \quad 1.775 \quad -0.80 \quad 0.88]
x(3) = [0.9326 2-0533
                     -1.049 7.13097
m=0.1571
--- = [1,015 1.953 -0.968 0 9738]
m-0.0577
   = [0.9890 20M4 - 1.0103
                                1.0214]
m = 0.0197
    [1.0032, 1.9922, -0.9945 1.0016]
m = 0.0087
= [0.9987, 2.0004 - 4.0008 1.0006]
```

DSWap 1st and sound matrix (2) m[2]* - m[1]* - 1 S92 [592 4308 2251 7 0 584.72 433.197] V=0.7409 X = -15892 $\frac{212}{X_1} = \frac{1}{10} * \left(6 + X_2 - 2X_3 \right)$ $X_2 = \frac{(x_1 + 2S + x_3 - 3x_4)}{11}$ $x_3 = L$ $(-11 + x_2 + x_3 - 2x_1)$ X4 2 - (15+x3-3x2) $x^{(1)} = [0.6, 2727, -1,1, 1.8750]$ x (2) = [1.0473 1.7159 -0.8052 0.8852] $x^{(3)} = [0.9326 2053) - 1.0493 1.1509]$ X(4) [1.0152 1.9537 -0.9681, 0.928)]

in resumption of (173 stron m (8) = 0.002 $x = \begin{bmatrix} 1.0003 & 1.9996 & -0.9995 & 0.9997 \end{bmatrix}$ $m^{(9)} = 0.0005$ 1.002 X = [0.9999 2.0003 -1.0001] $\frac{114}{x_{1}} = \frac{\left(-2x_{3} + 6 + x_{2}\right)}{10}; x_{2} = \frac{\left(2x_{3} + 4x_{1} + x_{2} + 3x_{4}\right)}{11}$ $x_3 = \frac{(-n_2x_1 + x_2x_4)}{10}$ $\Rightarrow x_4 = \frac{(15 + x_3 - 3x_2)}{2}$ $x^{(1)} = [0.6 \quad 2.3273 \quad -0.9873 \quad 0.8785]$ $x^{(2)} = [1.10302 1.9526 -1.0829 1.0849]$ x (3) = [0.9998 1.998 -0.9991 x (4) [0.9992 1.9994 -el.9997 1.00003] $x^{(s)} = [0.9999 \cdot -1.0000 \cdot 1.0001]$