

All tree instances are of class AVLTree

Idtree hosts nodes that are sorted by the players ids

They have pointers to the correlating score in the scoretree

Each score node points to an id tree with cloned nodes of the ids

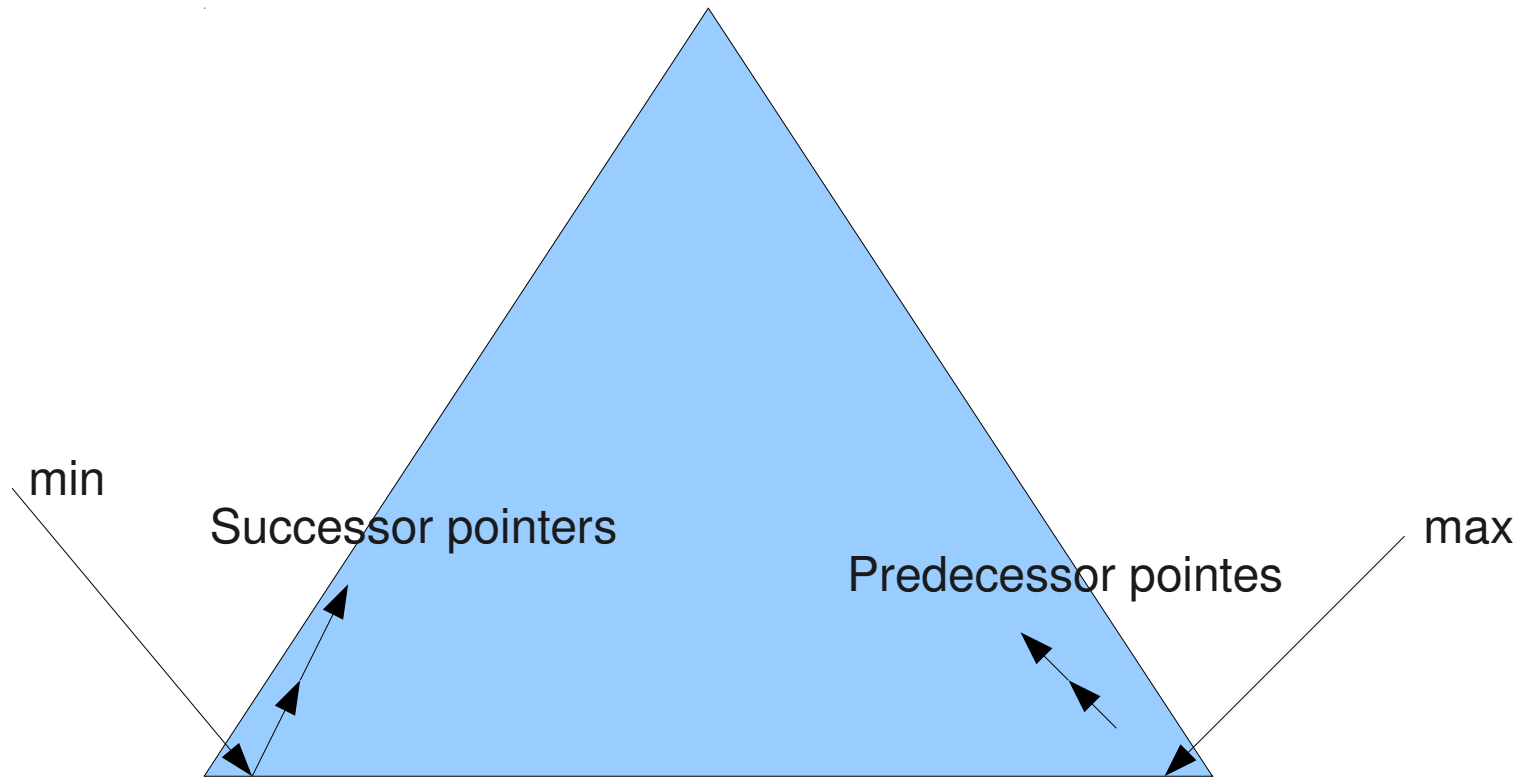
That share the same score and sorts them according to the ids

All nodes In those tree instances are of class Node , there is a var

Redundancy but its a small price to pay for reusability and abstraction

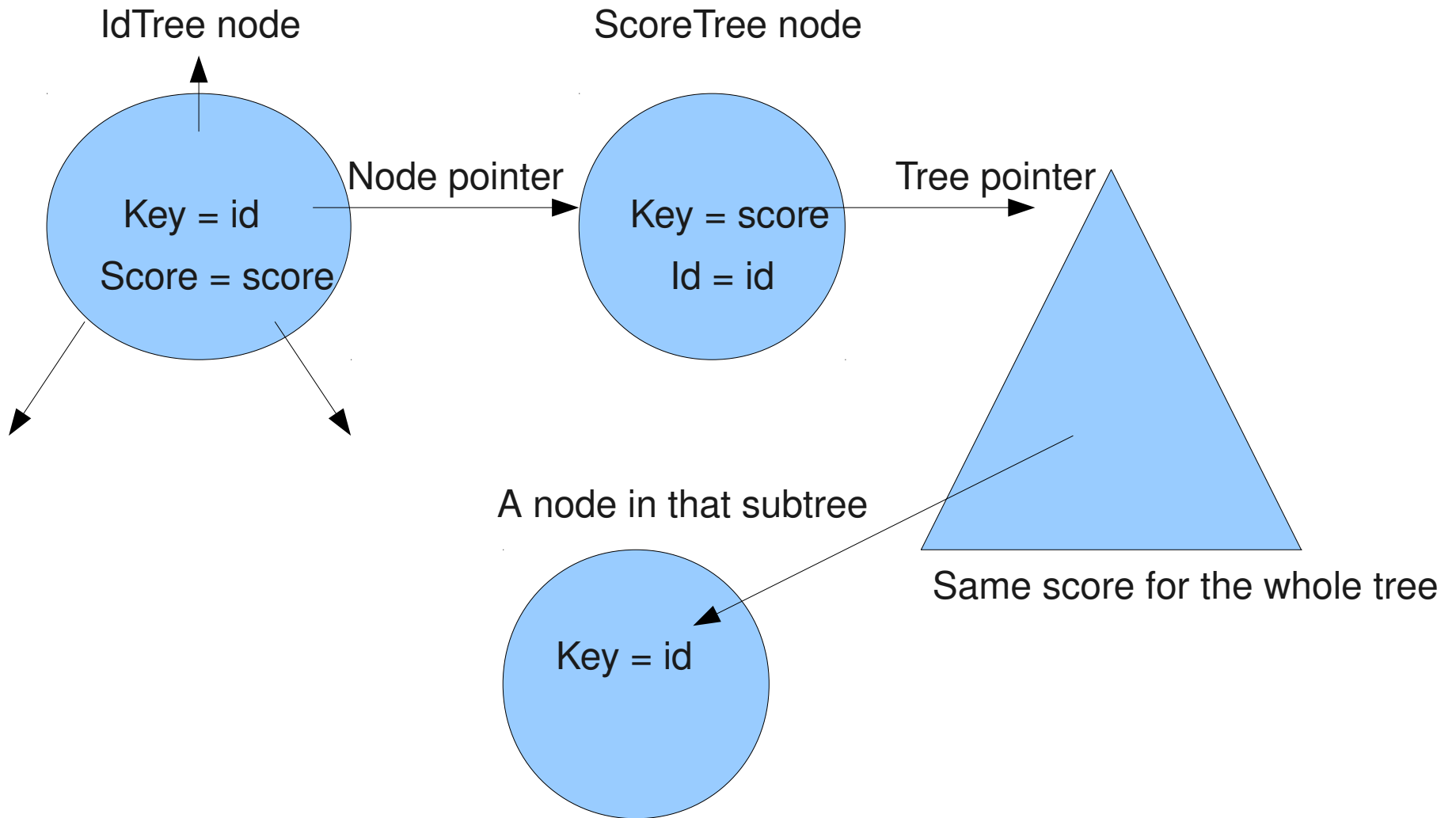
Without usage of inheritance and polymorphism (which gave the advantage of A smaller class package) , **(this datastructure also answers part B)**

AVLTree class focus



Also has a size field it keeps in check

Node instance example focus



Complexity calculations

Insert-player(id) - insert to idtree $O(\lg n)$ make scoreNode and draw a pointer to it $O(1)$
Insert to scoreTree $O(\lg n)$ and insert to subtree $O(\lg n)$. Total complexity $O(\lg n)$

Get-player(id) – search idtree $O(\lg n)$ follow pointer to scoreTree $O(\lg n)$ get data from nodes $O(1)$, total complexity $O(\lg n)$.

Get-rank(id) – search idtree $O(\lg n)$ follow pointer if the subtree is ≤ 1 alias scorenode
Else search in subtree $O(\lg n)$ and alias node $O(1)$

Get max from Score tree $O(1)$ walk back from max to aliased scorenode and count steps
(in subtrees aswell the same way only from min forward) , total complexity $O(\text{steps}/\text{rank})$

Get-top(y) – get max pointer from scoreTree $O(1)$ walk back “y” steps(subtrees will be from min
Forward) and as you walk

Collect the nodes into a row data struct $O(y)$ then spit out the info in those nodes in order
 $O(y)$, total complexity $O(y)$

Insert-Game(id1,tactic1,id2,tactic2) – search idTree for ids $O(\lg n)$ alias them $O(1)$

Remove from idtree scoretree and subtree $O(\lg n)$, check who won $O(1)$, extract old data
From aliased nodes $O(1)$, Insert with new data into idtree $O(\lg n)$ and scoretree $O(\lg n)$,
total complexity $O(\lg n)$. (which is also the answer to part B of the homework assingment)