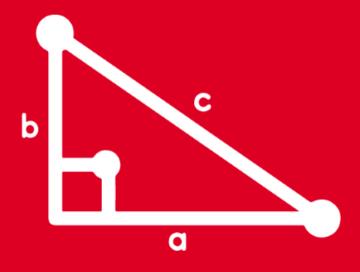
### TRIGONOMETRY

TOMO VI





FEEDBACK





1

#### Reduzca:

$$E = \frac{\cot(-x)}{\cot x} - \frac{3\sec(-x)}{\sec x}$$



$$cot(-x) = - cotx$$
  
 $sec(-x) = secx$ 

$$E = \frac{\cot(-x)}{\cot x} - \frac{3\sec(-x)}{\sec x}$$

$$E = \frac{-\cot(x)}{\cot x} - \frac{3\sec(x)}{\sec x}$$

$$E = -1 - 3$$

$$\therefore E = -4$$



#### Reduzca:

$$M = \sec(-60^{\circ}) \cdot \tan(-53^{\circ})$$



$$\tan(-x) = -\tan x$$





$$\tan 53^{\circ} = \frac{4}{3}$$

$$sec60^{\circ} = 2$$

$$M = \sec(-60^{\circ}) \cdot \tan(-53^{\circ})$$

$$M = \sec 60^{\circ} \cdot (-\tan 53^{\circ})$$

$$M = 2 \cdot (-\frac{4}{3})$$

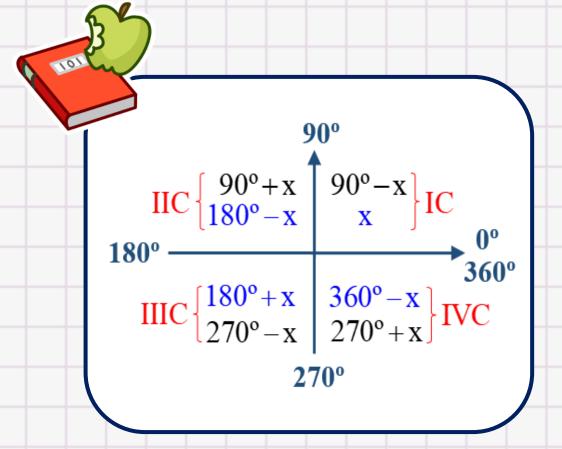
$$M = -\frac{8}{3}$$

$$\therefore M = -\frac{8}{3}$$

3

#### Simplifique:

$$P = 7 \sec(360^{\circ} - x) - 2 \csc(90^{\circ} - x)$$



#### Resolución:

$$P = 7sec(360^{\circ}-x) - 2csc(90^{\circ}-x)$$

IVC

$$P = 7 secx - (2 secx)$$

$$P = 7 secx - 2 secx$$

$$P = 5 secx$$

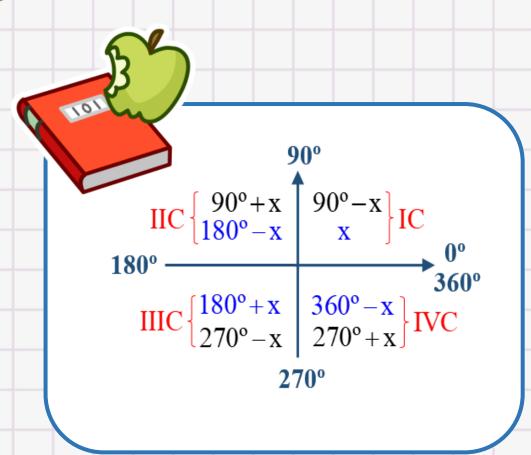
$$\therefore$$
 P = 5secx

IC



#### Reduzca:

$$R = sen217^{\circ} \cdot cos300^{\circ}$$



$$R = \sin 217^{\circ} \cdot \cos 300^{\circ}$$

$$R = sen(180^{\circ} + 37^{\circ}) \cdot cos(360^{\circ} - 60^{\circ})$$

$$R = -\sin 37^{\circ} \cdot (\cos 60^{\circ})$$

$$R = \left(-\frac{3}{5}\right) \cdot \left(\frac{1}{2}\right)$$

$$\therefore R = -\frac{3}{10}$$





#### Reduzca

sen5453°



$$sen53^{\circ} = \frac{4}{5}$$

$$E = sen 5453^{\circ}$$

$$E = sen(360^{\circ}.15 + 53^{\circ})$$

$$E = sen53^{\circ} = \frac{4}{5}$$

$$\therefore E = 0.8$$

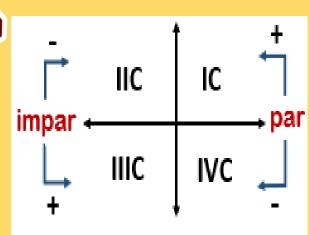
# 6

#### Reduzca:

$$A = sen(38\pi - x)$$

$$B = \cot(51\pi + x)$$





$$A = sen(38\pi - x)$$

$$\therefore A = - \operatorname{senx}$$

$$B = \cot(51\pi + x)$$
impar

$$\therefore$$
 B = cotx



#### Reduzca:

a). 
$$\sec\left(\frac{43\pi}{2}\right)$$

b). 
$$\operatorname{sen}\left(\frac{73\pi}{2} + x\right)$$



$$\frac{3\pi}{2} rad <> 270^{\circ}$$

$$\frac{\pi}{2}$$
 rad  $<> 90^{\circ}$ 

a. 
$$\sec\left(\frac{43\pi}{2}\right)$$

$$\sec\left(\frac{3\pi}{2} - x\right)$$

b. 
$$sen\left(\frac{73\pi}{2} + x\right)$$

$$\operatorname{sen}\left(\frac{1\pi}{2} + x\right)$$

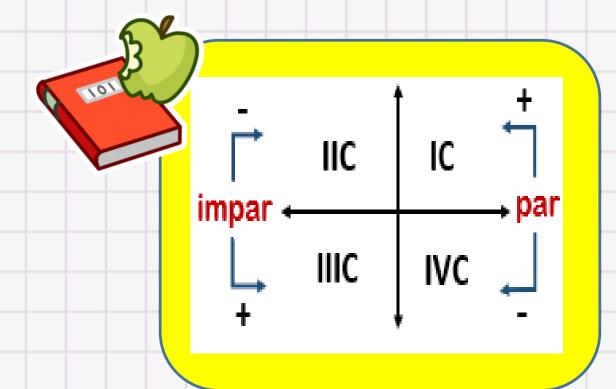


HELICO | FEEDBACK

## 8

#### Reduzca:

$$E = 8\tan(55\pi - x).3\cot(46\pi + x)$$



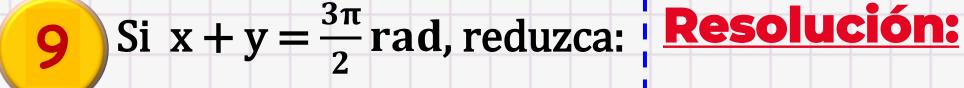
$$E = 8\tan(55\pi - x).3\cot(46\pi + x)$$
Impar

Par

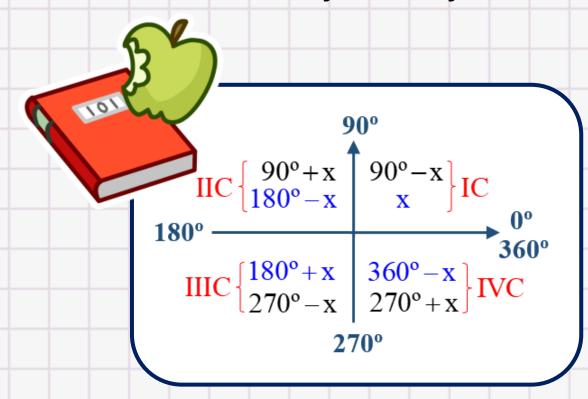
$$E = -8 \tan x.3 \cot x$$

$$E = -24 tan x.cot x$$

$$E = -24$$
  $\therefore E = -24$ 



$$\mathbf{F} = \frac{\sec x}{\csc y} + \frac{\sec x}{\cos y}$$



$$x = 270^{\circ} - y$$

$$F = \frac{\sec(270^{\circ} - y)}{\csc y} + \frac{\sin(270^{\circ} - y)}{\cos y}$$

$$\mathbf{F} = \frac{-\csc\mathbf{y}}{\csc\mathbf{y}} + \frac{-\cos\mathbf{y}}{\cos\mathbf{y}}$$

$$F = -1 - 1 = -2$$

 $\therefore F = -2$ 

#### HELICO | FEEDBACK



María desea matricularse en un curso básico de francés para lo cual averiguó los siguientes institutos de idiomas y  $A = 475 \text{sen}(\frac{5\pi}{2})$ su costo mensual.

Instituto de idioma	Costo mensual (S/)
Alianza francesa	A
Idiomas Católica	В
Euroidiomas	С

Si el sueldo mensual de María es de S/800 de lo cual la mitad esta destinada a alimentación y movilidad ¿ Cuál será la mejor opción de María?

Donde: 
$$A = 475 \operatorname{sen}\left(\frac{5\pi}{2}\right)$$
  $B = 235 \operatorname{csc}\left(\frac{13\pi}{6}\right)$ 

#### Resolución:

$$A = 475 \operatorname{sen}(\frac{5\pi}{2})$$

$$A = 475 \operatorname{sen}(\frac{1\pi}{2})$$

$$A = 475 sen(90^{\circ})$$

$$A = 475$$

$$B = 235.\csc(\frac{13\pi}{6})$$

$$B = 235.\csc(\frac{1\pi}{6})$$

$$B = 235.csc(30^{\circ})$$

$$B = 235(2)$$

$$B = 470$$

$$C = 187 sec^2 315^\circ$$

$$C = 187 sec^2 (360^\circ - 45^\circ)$$

$$C = 187 sec^2(45^\circ)$$

$$C = 187(2)$$
  $C = 374$ 

∴ La mejor opción es el instituto Euroidiomas.

