

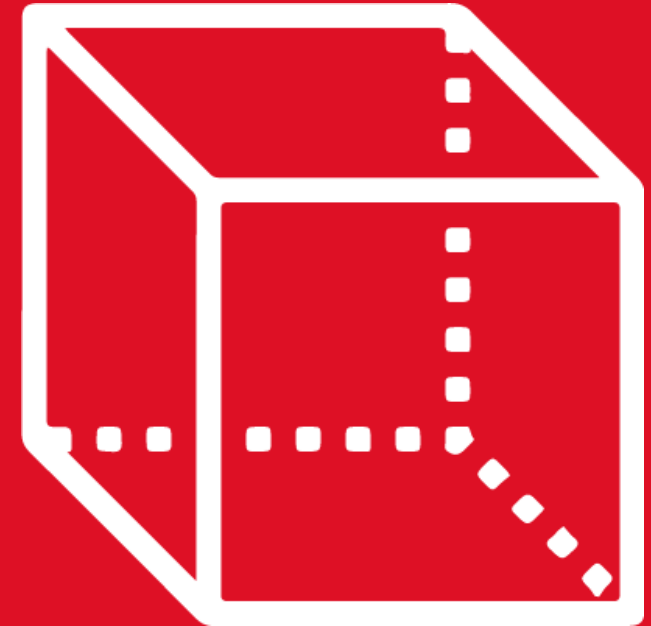


# GEOMETRÍA

1er bimestre

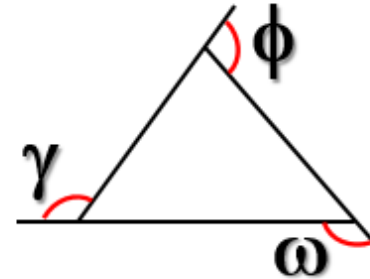
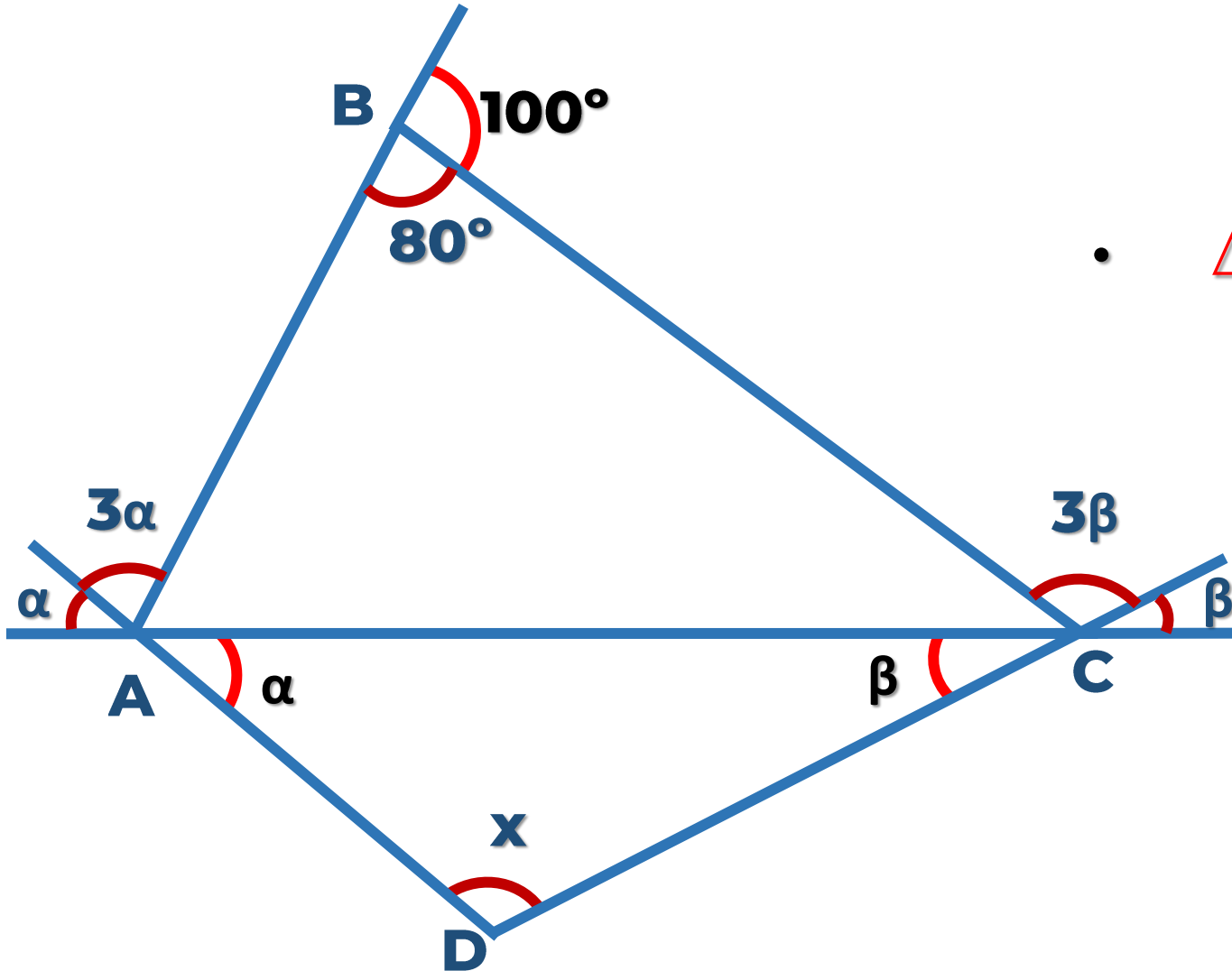
**4st**  
SECONDARY

**Asesoría**



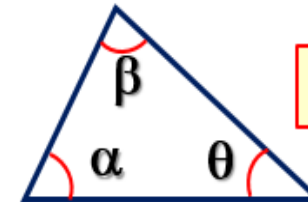
 **SACO OLIVEROS**

## 1. Halle el valor de x.



$$\phi + \omega + \gamma = 360^\circ$$

•  $\triangle ABC : \Rightarrow 4\alpha + 4\beta + 100^\circ = 360^\circ$   
 $4\alpha + 4\beta = 260^\circ$   
 $\alpha + \beta = 65^\circ$



$$\alpha + \beta + \theta = 180^\circ$$

•  $\triangle ACD : \Rightarrow \underbrace{\alpha + \beta}_{65^\circ} + x = 180^\circ$

$$x = 115^\circ$$

2. Halle el valor de  $x$ , si  $\overline{BH}$  y  $\overline{BM}$  son altura y bisectriz respectivamente de triángulo  $ABC$ .

**BH : Altura**

**$\overrightarrow{BP}$  : Bisectriz Interior**

$\alpha + \beta = 90^\circ$

En el  $\triangle BHC$  :  $x + 20^\circ + x + 40^\circ = 90^\circ$

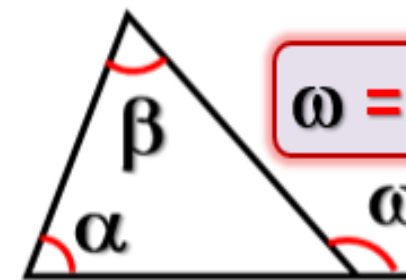
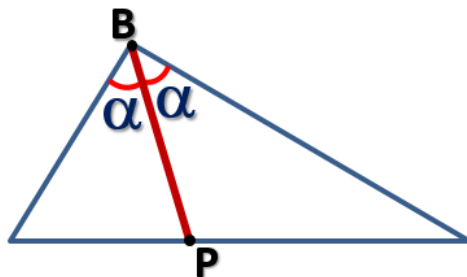
$2x + 60^\circ = 90^\circ$

$2x = 30^\circ$

**$x = 15^\circ$**

3. En la figura,  $AB = BD = CD$ , además  $\overline{BD}$  es bisectriz del  $\triangle ABC$ .  
Calcule la  $m\angle BAD$

$\overline{BP}$  : Bisectriz Interior



$\triangle ABD$  y  $\triangle BCD$  : ISÓSCELES



$$\alpha + 2\alpha + 2\alpha = 180^\circ$$

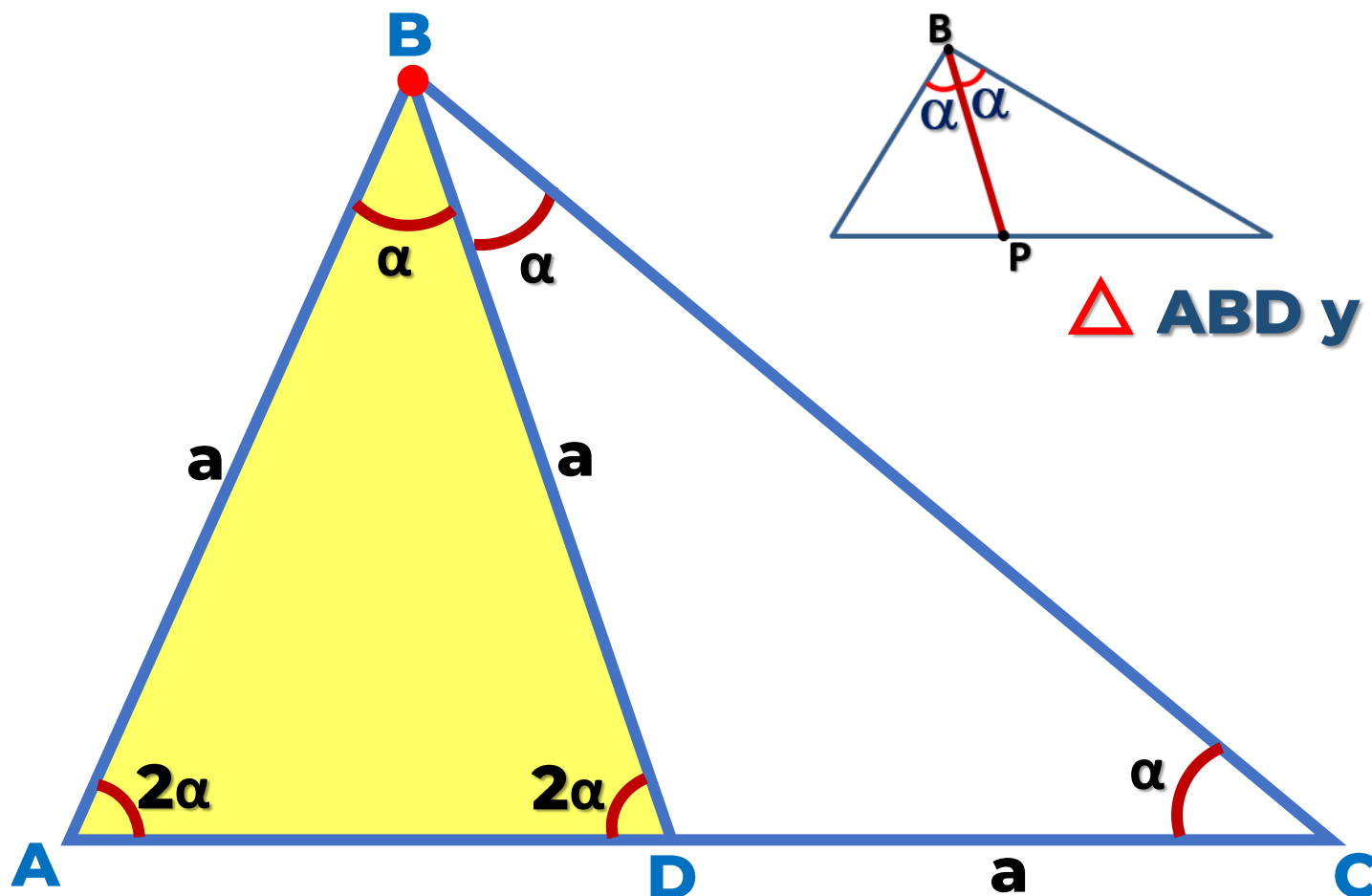
$$5\alpha = 180^\circ$$

$$\alpha = 36^\circ$$

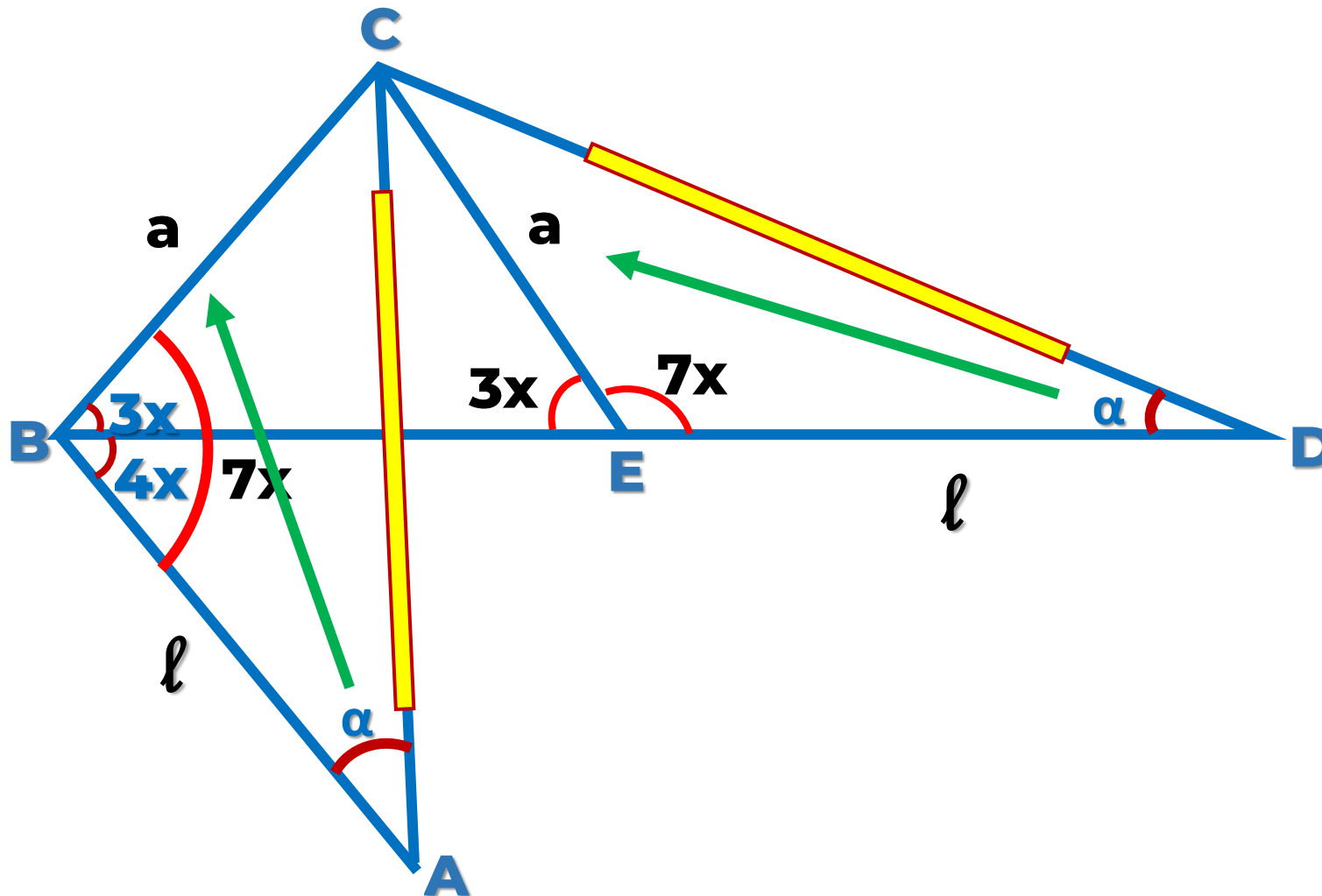
Nos piden

$$m\angle BAD = 2 (36^\circ)$$

$$m\angle BAD = 72^\circ$$



4. En la figura, halle el valor de  $x$  si  $AB = ED$  y  $AC = CD$ .



- $\triangle ABC \cong \triangle CDE$

**L-A-L**

- El  $\triangle BCE$  : Isósceles

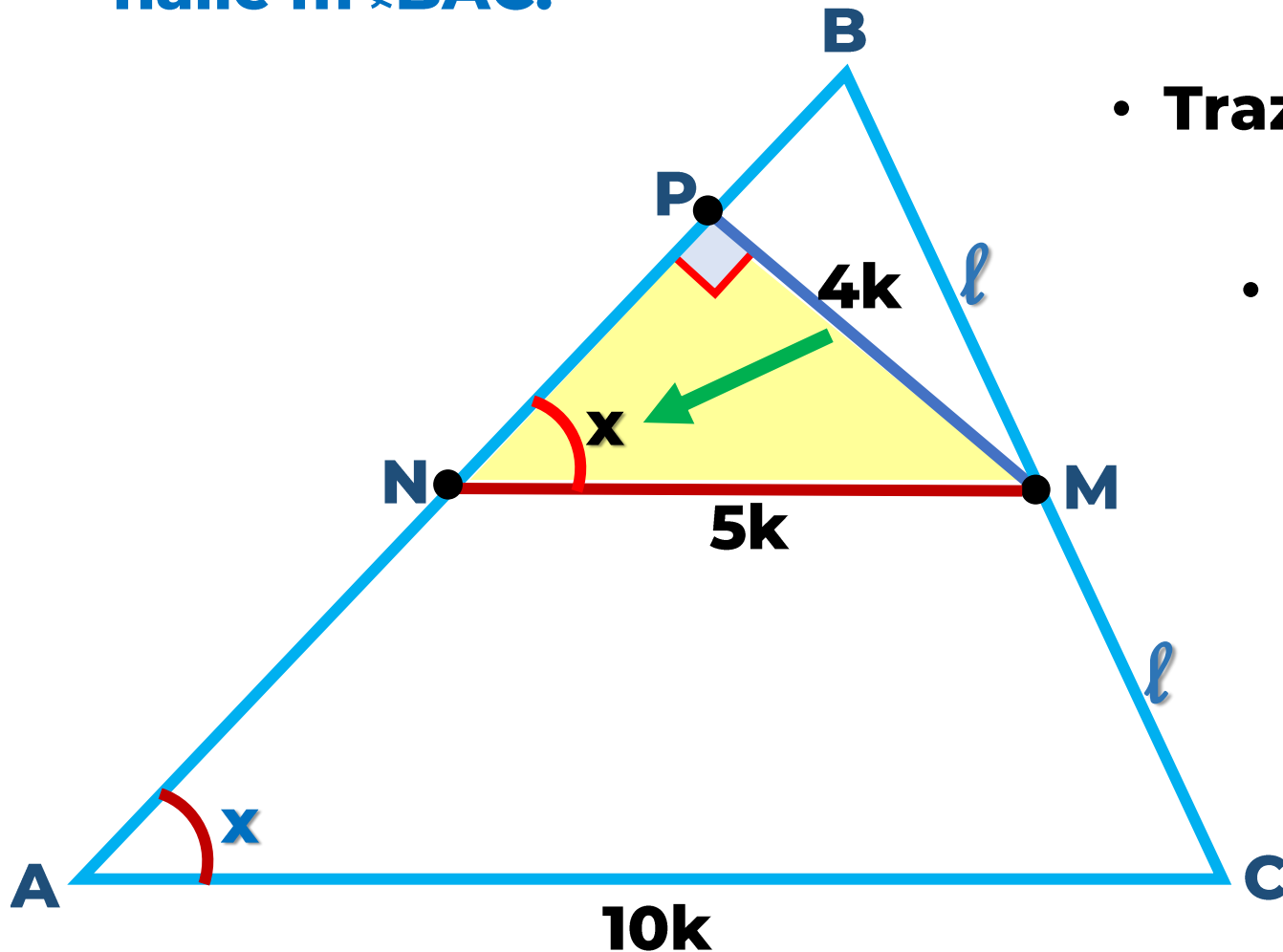
Del gráfico

$\Rightarrow 3x + 7x = 180^\circ$

$10x = 180^\circ$

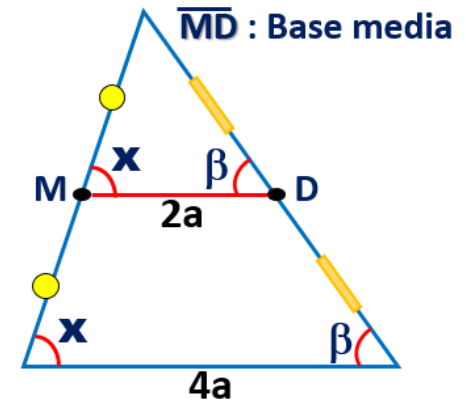
**$x = 18^\circ$**

5. En el triángulo  $ABC$ ,  $M$  es punto medio de  $\overline{BC}$ ,  $PM = 4k$  y  $AC = 10k$ , halle  $m\angle BAC$ .



• Trazamos  $\overline{MN}$  paralela a  $\overline{AC}$

•  $\overline{MN}$ : **Base media**



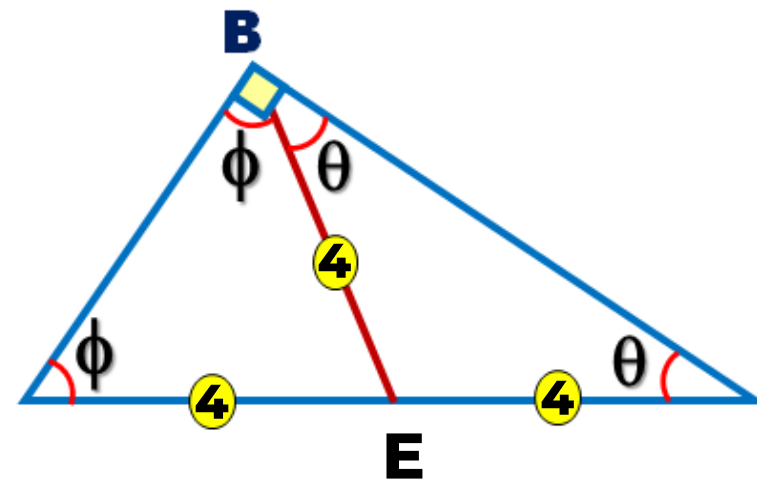
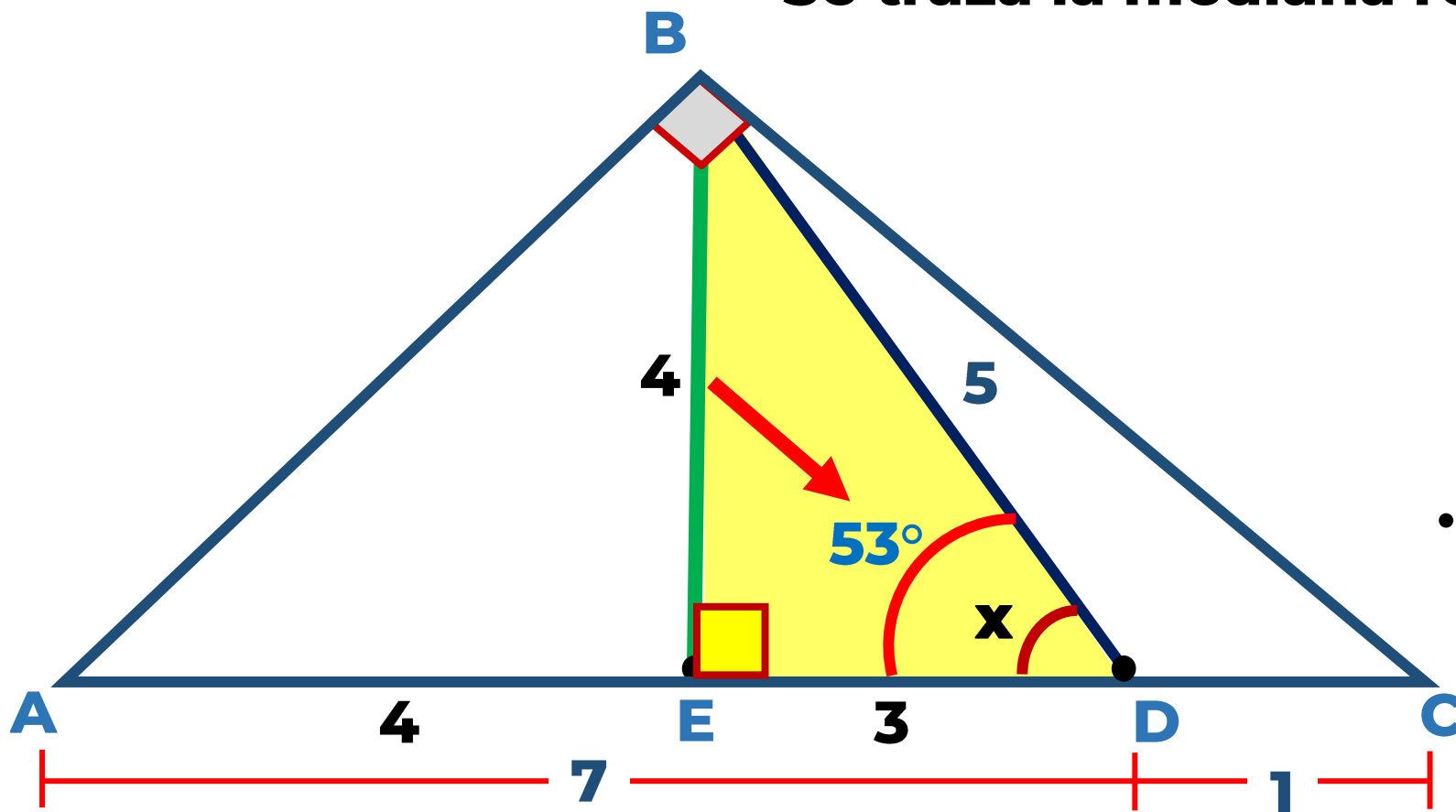
► **NPM: Notable de  $37^\circ$  y  $53^\circ$**



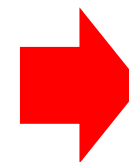
$$x = 53^\circ$$

6. En un triángulo rectángulo  $ABC$  recto en  $B$ , en  $\overline{AC}$  se ubican el punto  $D$ , de modo que: respectivamente,  $AD = 7$ ,  $DC = 1$  y  $BD = 5$ . Halle la  $m\angle BDA$ .

Se traza la mediana relativa a la hipotenusa  $\overline{BE}$ .

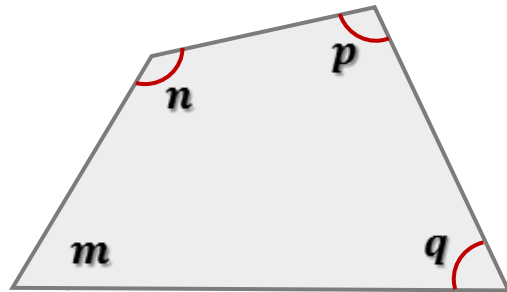


•  $\triangle BDE$ : Notable de  $37^\circ$  y  $53^\circ$

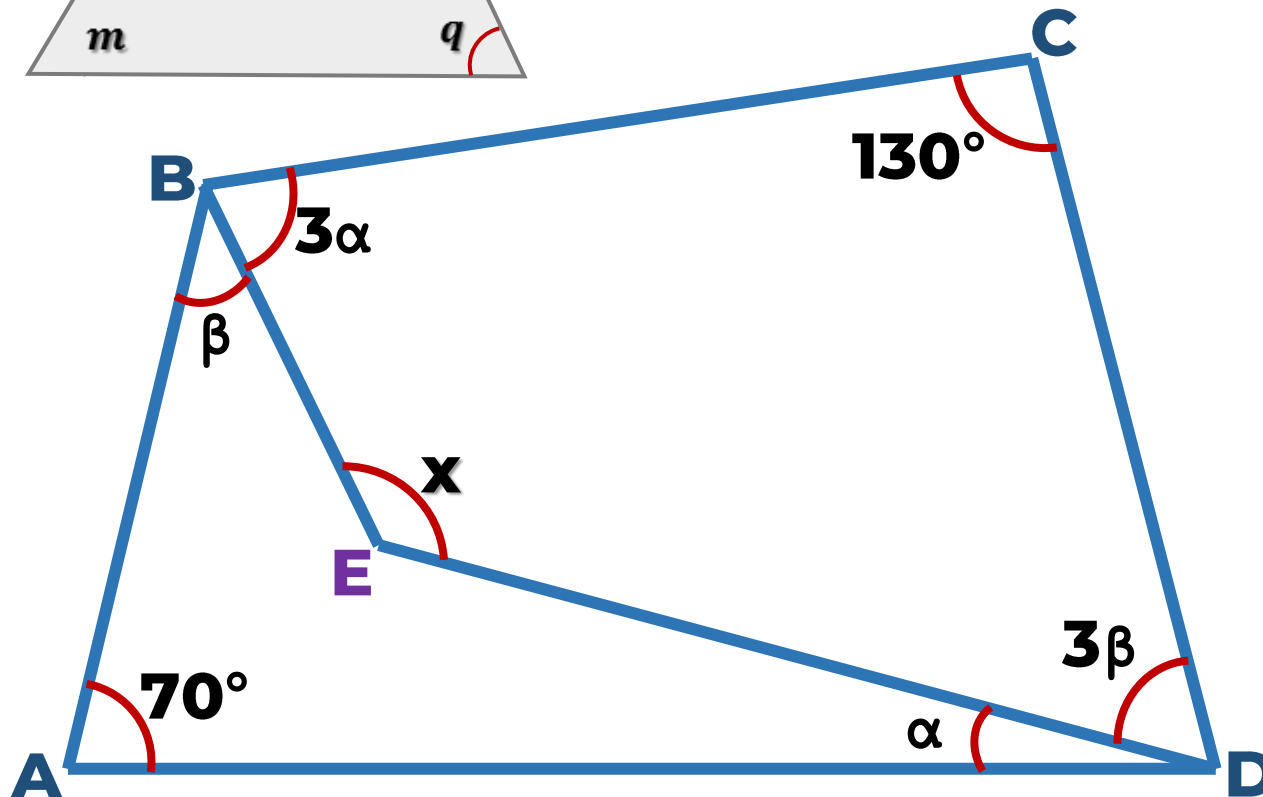


$$x = 53^\circ$$

## 7. En la figura, halle el valor de x.



$$m + n + p + q = 360^\circ$$



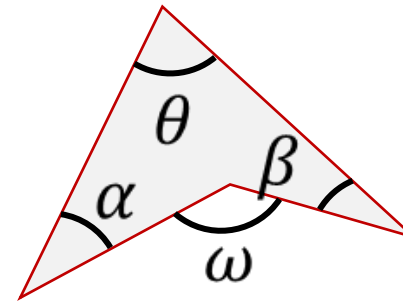
• ABCD :

$$70^\circ + \beta + 3\alpha + 130^\circ + 3\beta + \alpha = 360^\circ$$

$$4\alpha + 4\beta + 200^\circ = 360^\circ$$

$$\cancel{4\alpha} + \cancel{4\beta} = \cancel{160^\circ}$$

$$\alpha + \beta = 40^\circ$$



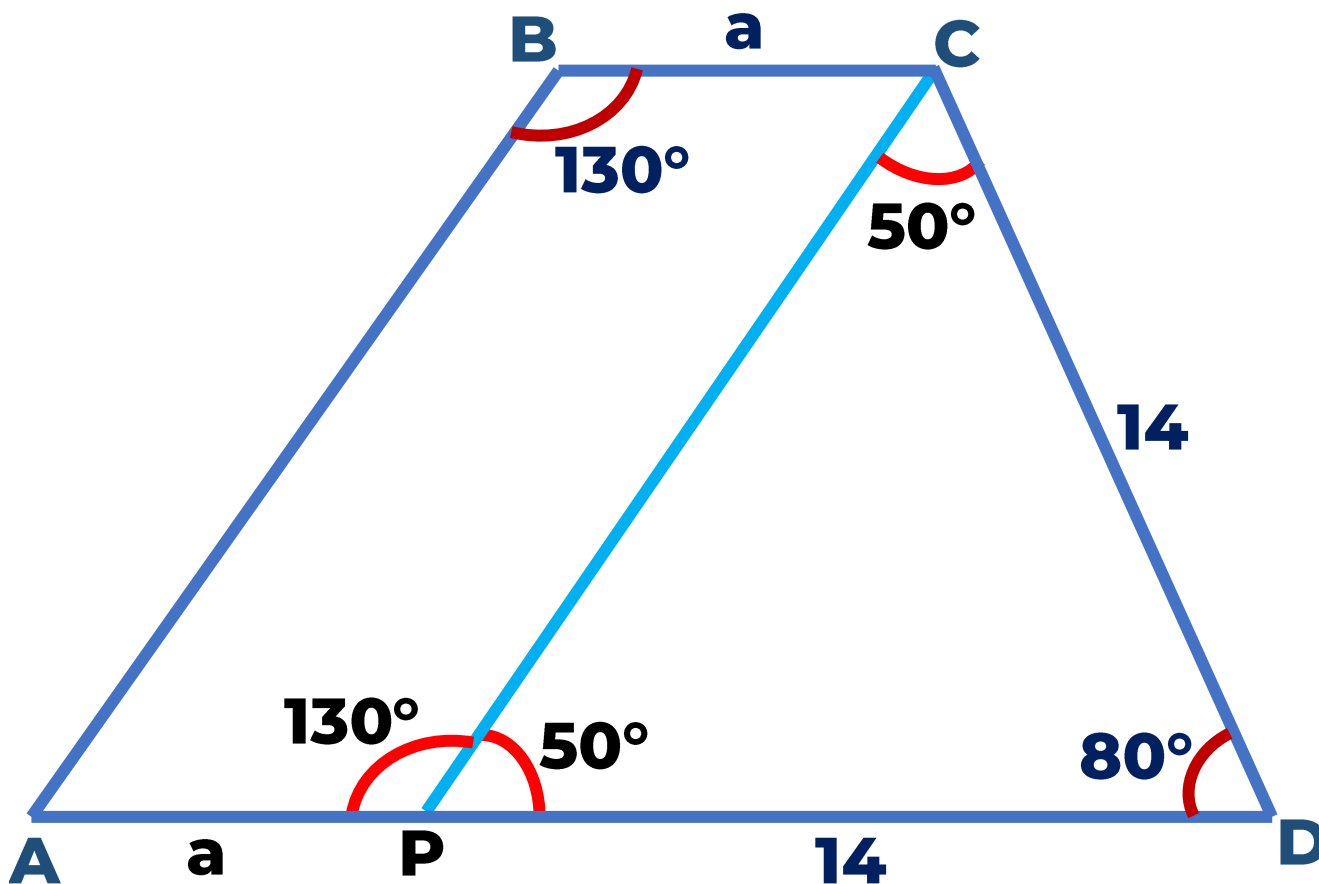
$$\omega = \alpha + \beta + \theta$$

• ABED :  $x = 70^\circ + \underbrace{\beta + \alpha}_{40^\circ}$

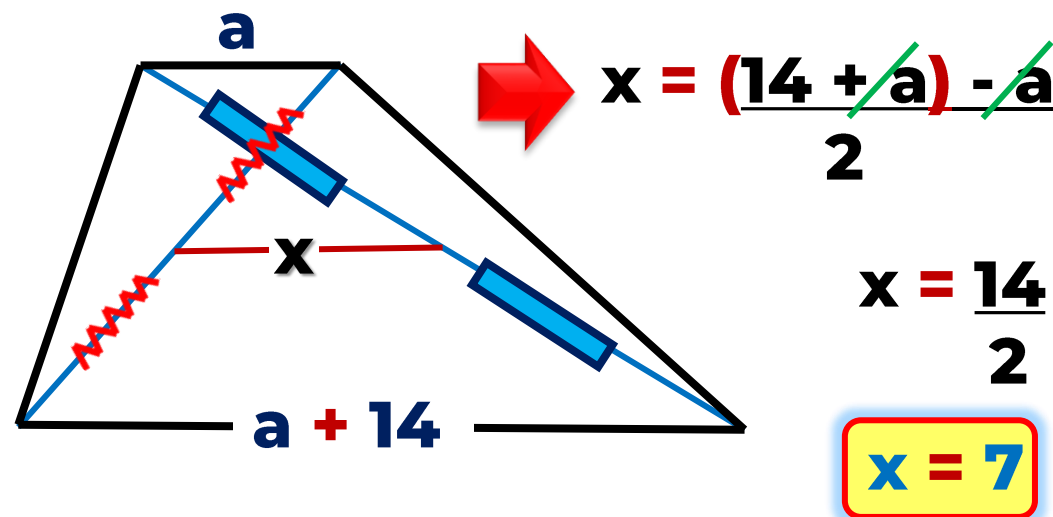
$$x = 110^\circ$$



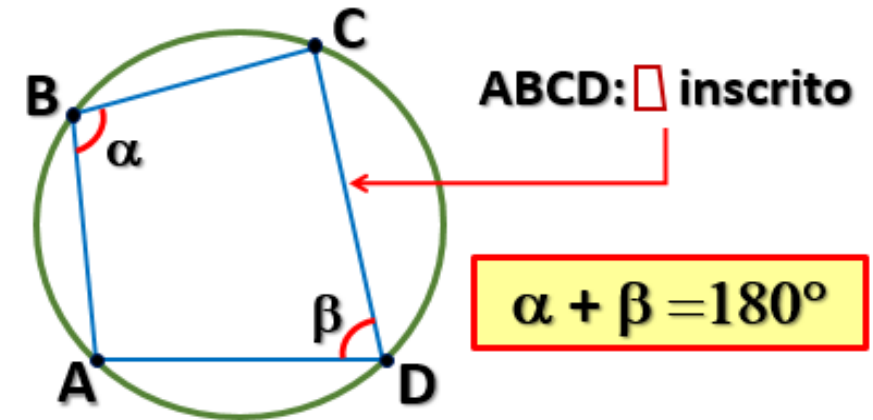
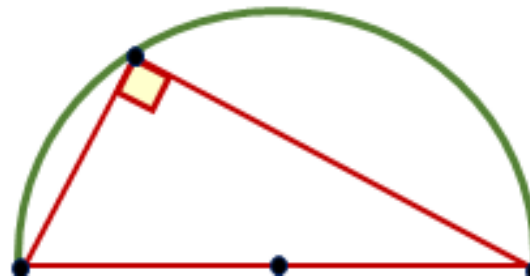
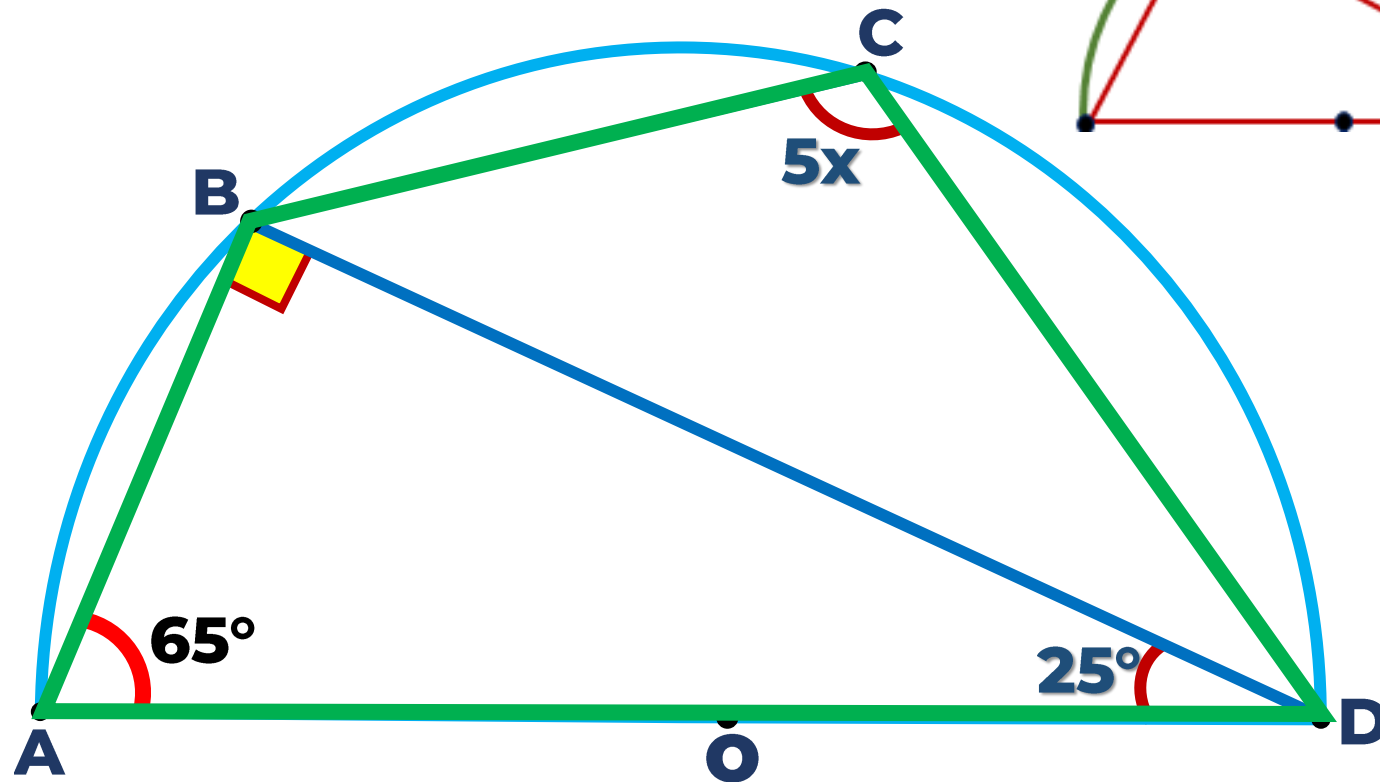
8. En el trapezio ABCD (  $\overline{BC} \parallel \overline{AD}$  ), halle la medida del segmento que tiene por extremos a los puntos medios de las diagonales.



- Trazamos  $\overline{CP} \parallel \overline{BA}$
- $\square$  ABCP (PARALELOGRAMO)
- $\triangle$  CDP : ISÓSCELES



9. En la figura O es centro, halle el valor de x.



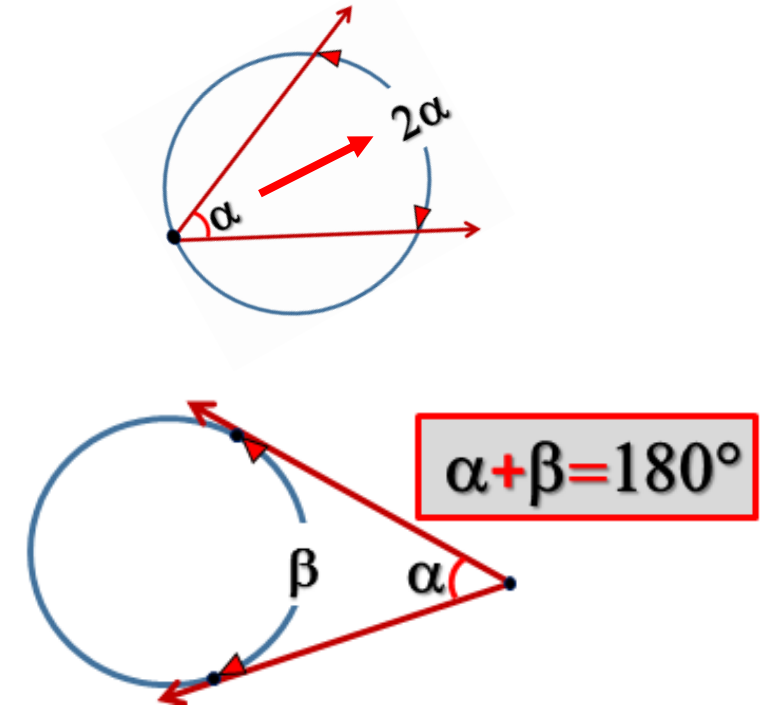
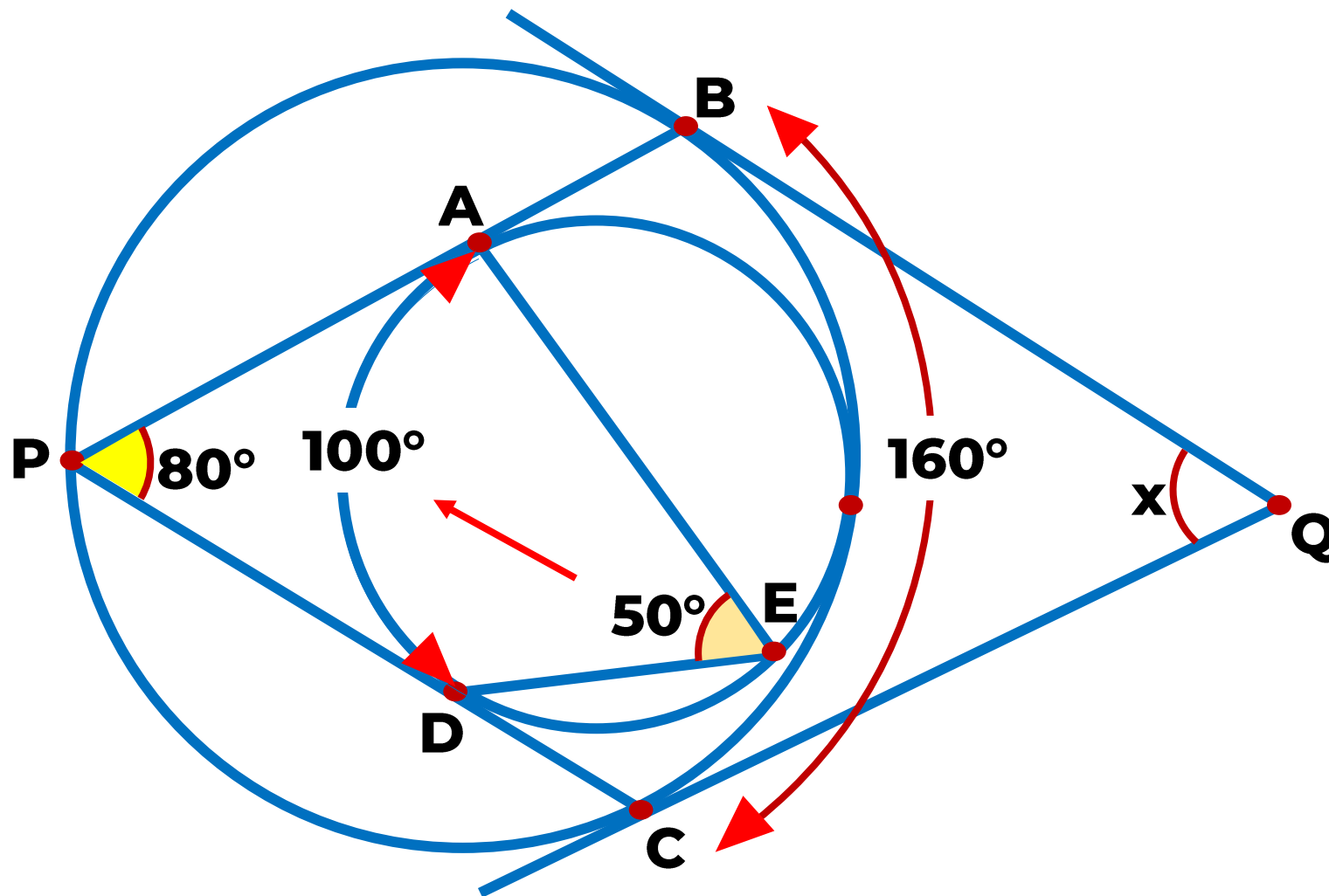
• ABCD : Inscrito

$5x + 65^\circ = 180^\circ$

$$5x = 115^\circ$$

$$x = 23^\circ$$

10. En la figura, A, B, C y D son puntos de tangencia. Halle el valor de  $x$ .



**$x + 160^\circ = 180^\circ$**

**$x = 20^\circ$**